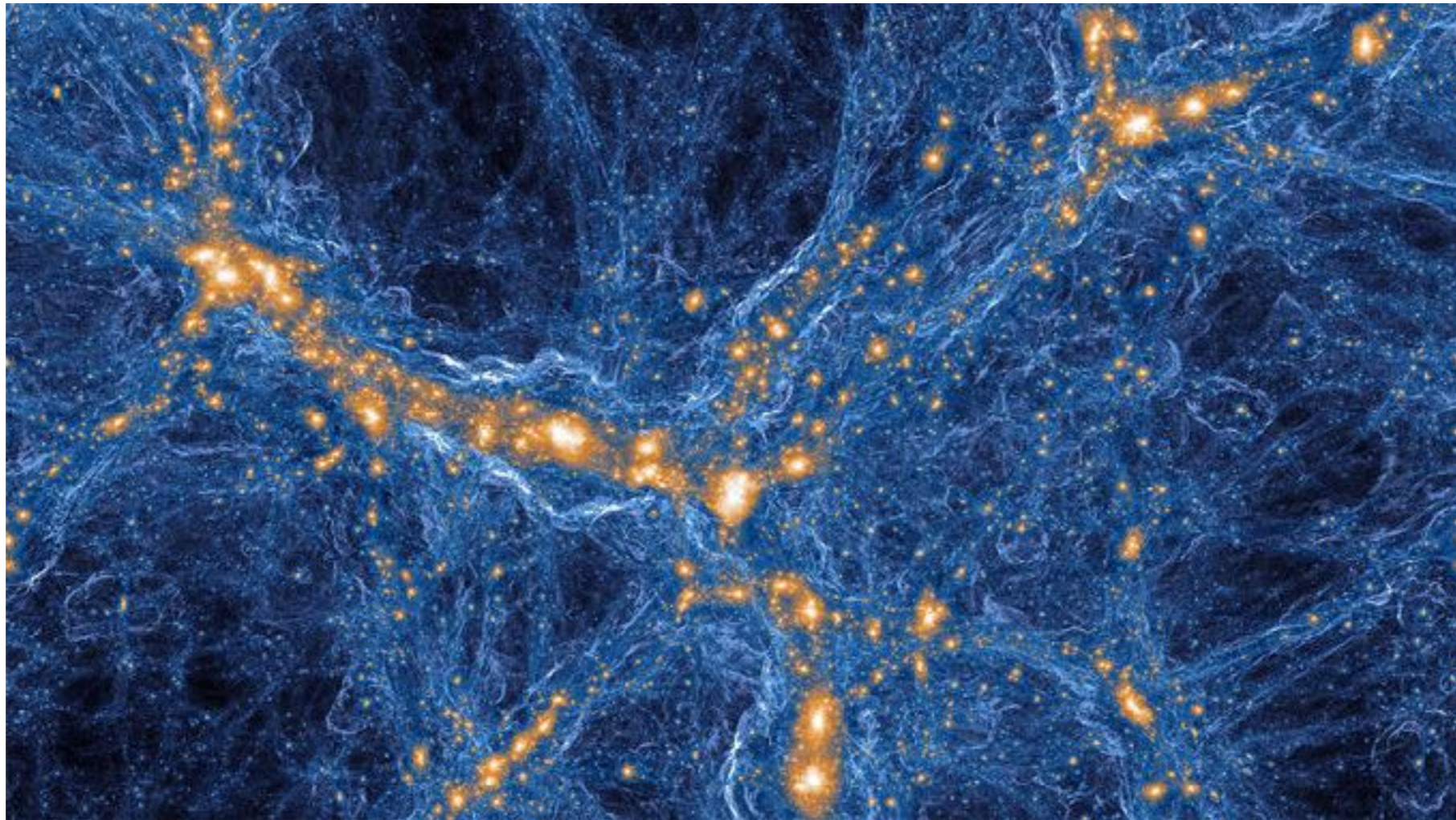


A Deep Learning approach to Large Scale Structure Cosmology



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Collaborators: Kenji Kadota, Jacobo Asorey, Seyeon Hwang, Sumi Kim, Inkyu Park



From Galaxies to Cosmology with Deep Spectroscopic Surveys
Marseille 2022/07/06

Contents

- ★ Large Scale Structure Cosmology
 - ★ From Observation to Parameters
- ★ Deep Learning the Large Scale Structure
 - ★ Simulating our way to parameters
 - ★ Convolutional Neural Networks
- ★ Extending to higher redshift with Radio observations.
 - ★ What could SKA tell us about Dark Matter

Background

- * The goal of modern cosmology is to **understand the physics** that governs our Universe on the largest scales
- * Figure out the **constituents of the Universe**

$$R_{\mu\nu} - \frac{1}{2}g_{\mu\nu}R - \Lambda g_{\mu\nu} = 8\pi GT_{\mu\nu}$$

The game we play...

- 1) We start with Einstein's GR
- 2) Plug in a homogeneous/isotropic metric
- 3) Plug in energy/matter components
- 4) Obtain evolution equations for:
 - **Expansion of the Universe**
 - **Growth of density perturbations**

Background

- * What causes cosmic acceleration?
 - Vacuum energy or Scalar field(s)?
 - Or something more strange*?!
 - * (if that's not strange enough)
- * What is Dark Matter?
 - Is it Self-interacting?
 - Is it Decaying?

Each of the above possibilities could effect

- Universe expansion
- Clustering of matter

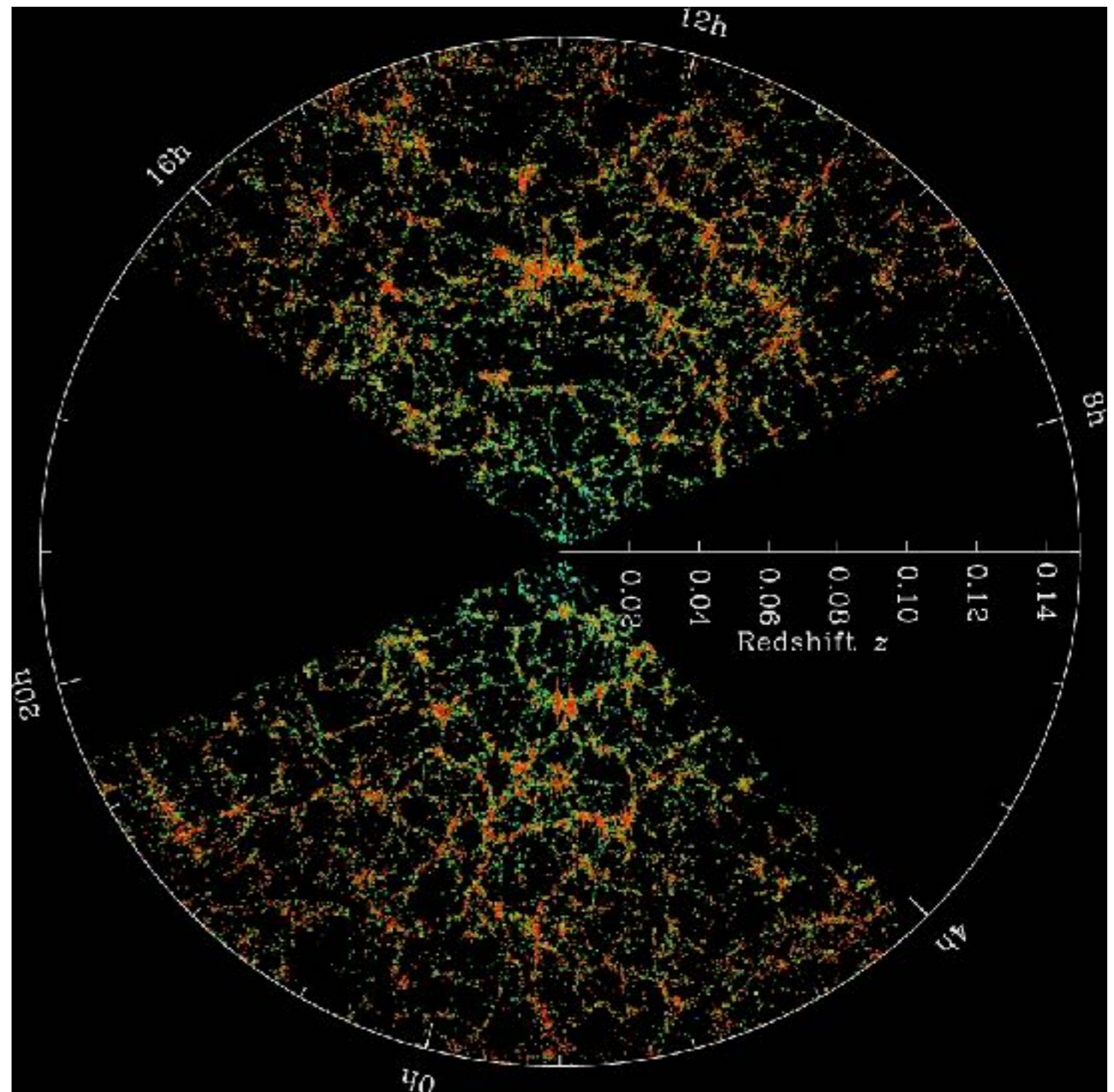
Background

We can now map large volumes of the Universe in 3D using galaxies as tracers of the underlying matter potential

But then what do we do with all these galaxy positions?



SDSS

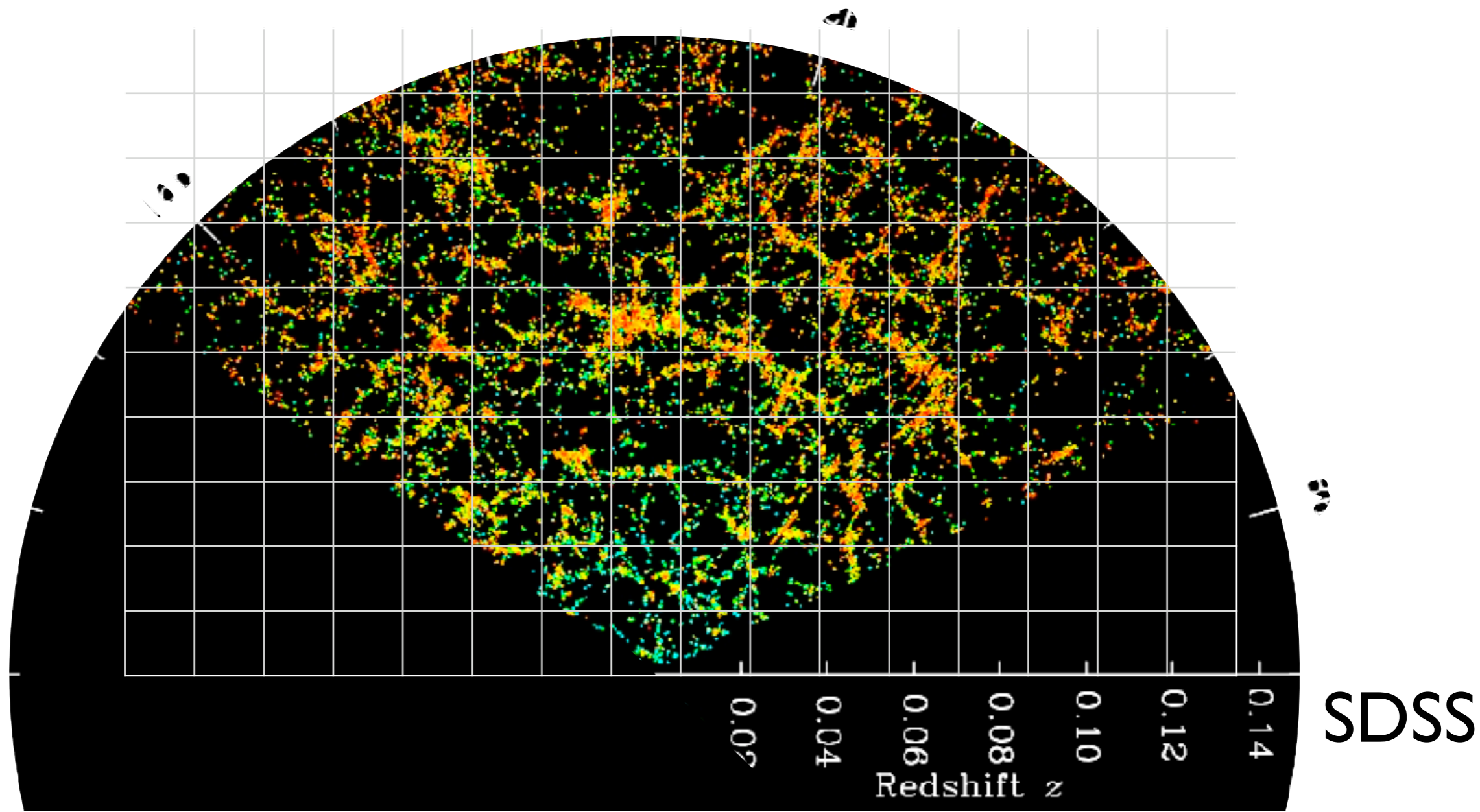


Background

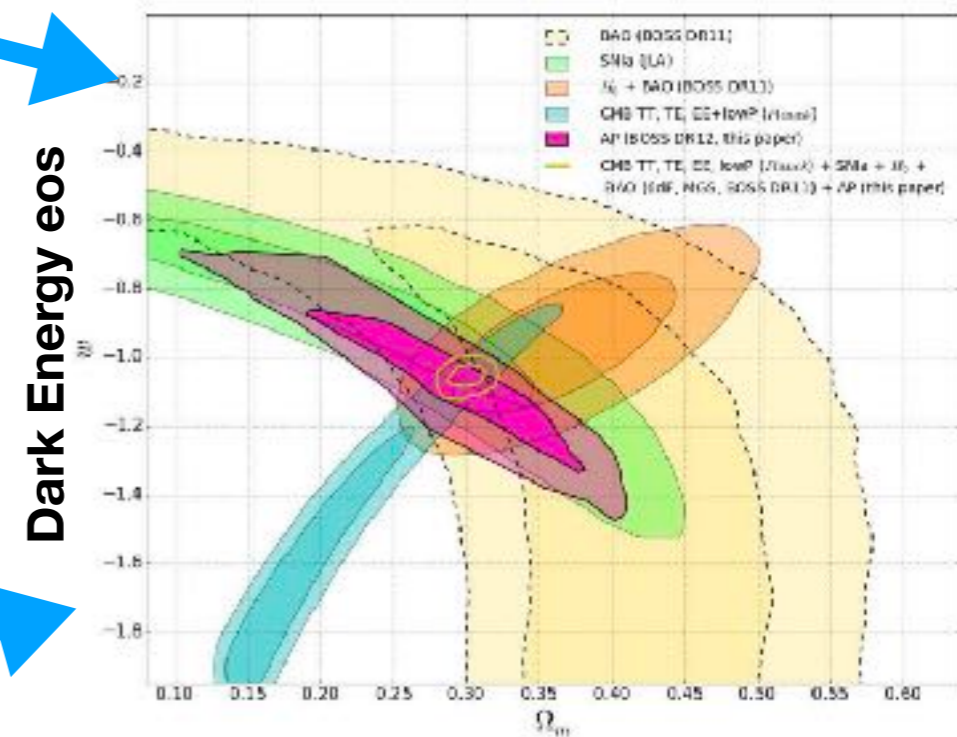
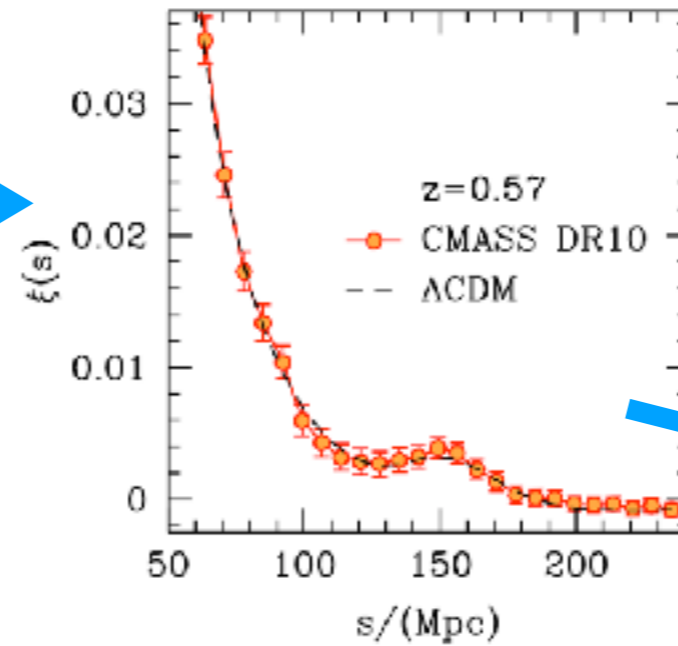
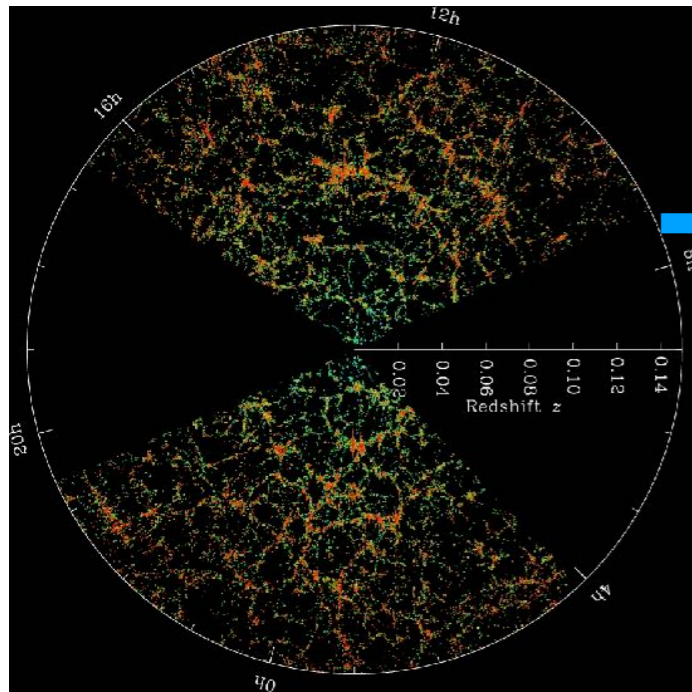
Count galaxies in cells and compute power spectra, $P(k)$

Or count pairs and compute correlation functions:

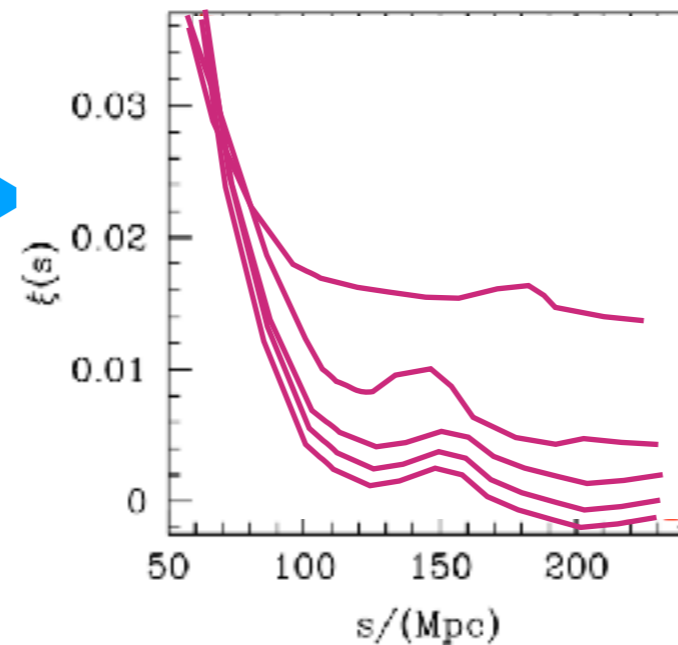
$$\xi(r) = \langle \delta(x)\delta(x+r) \rangle_x$$



Galaxy Clustering



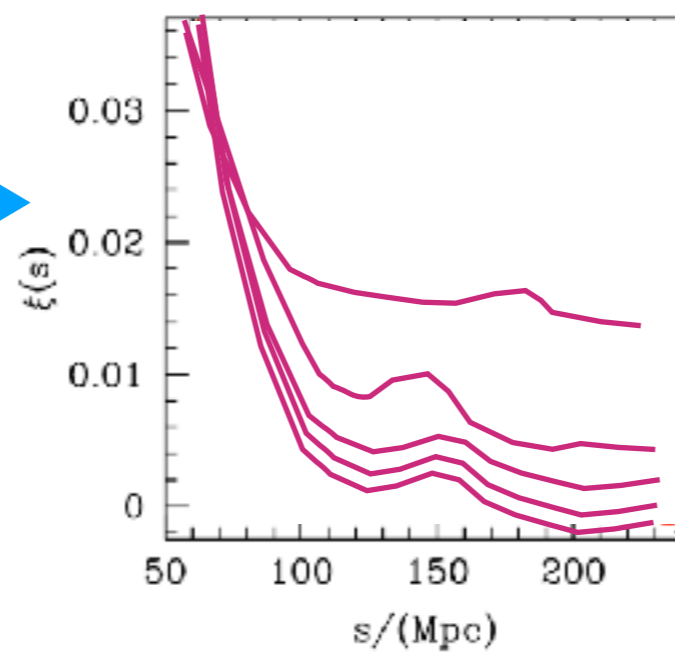
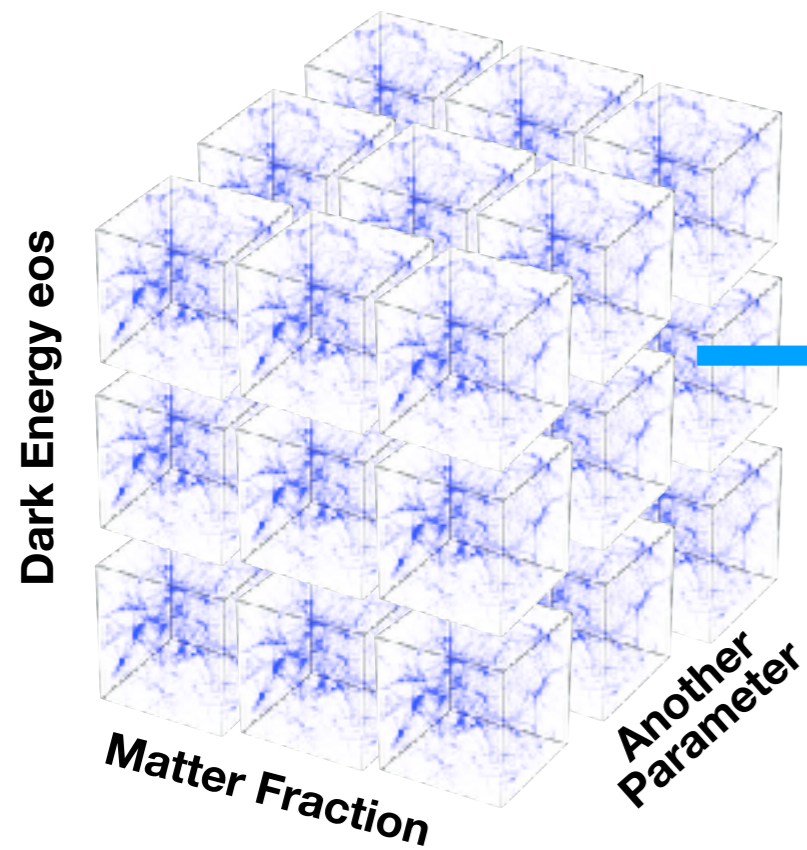
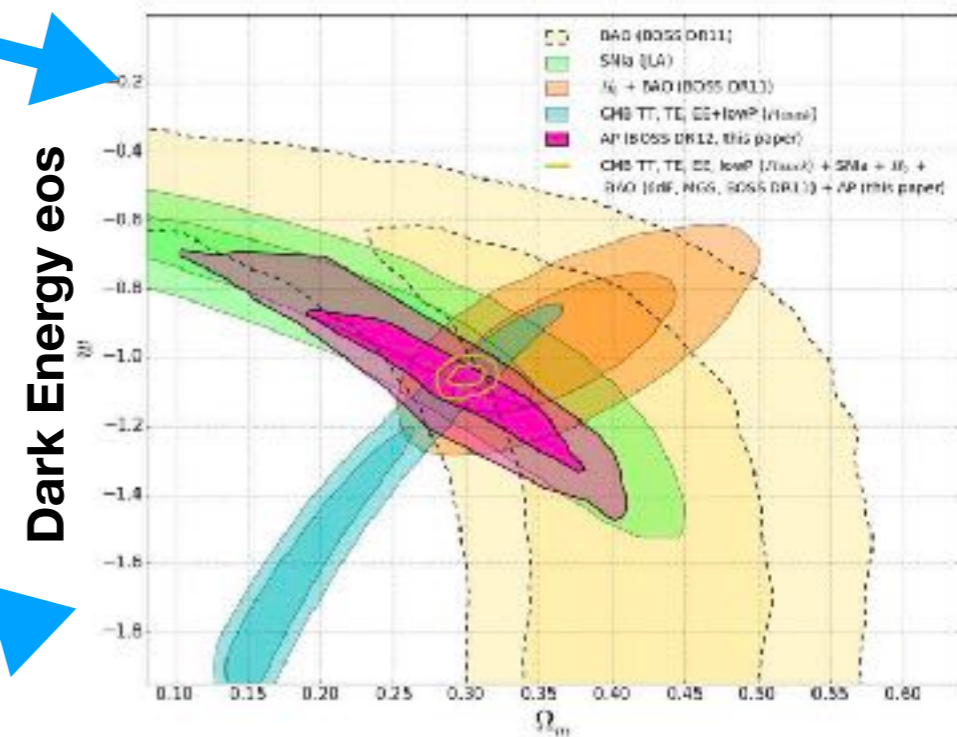
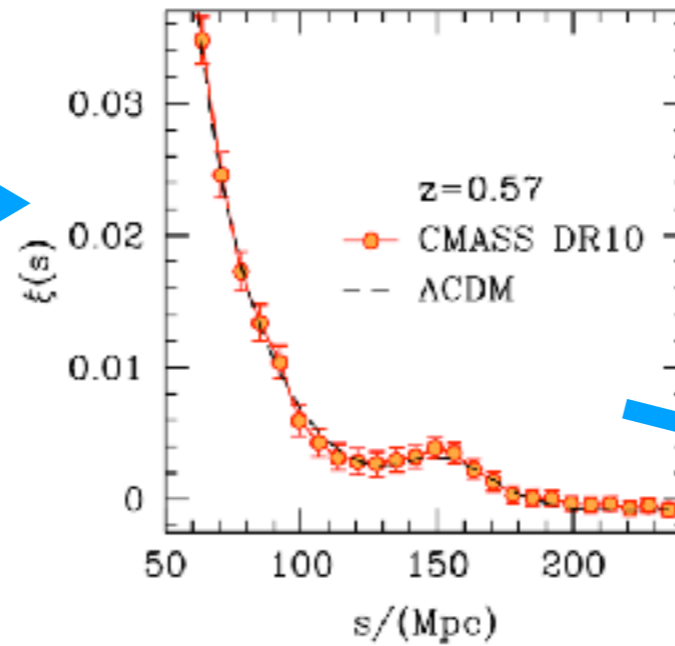
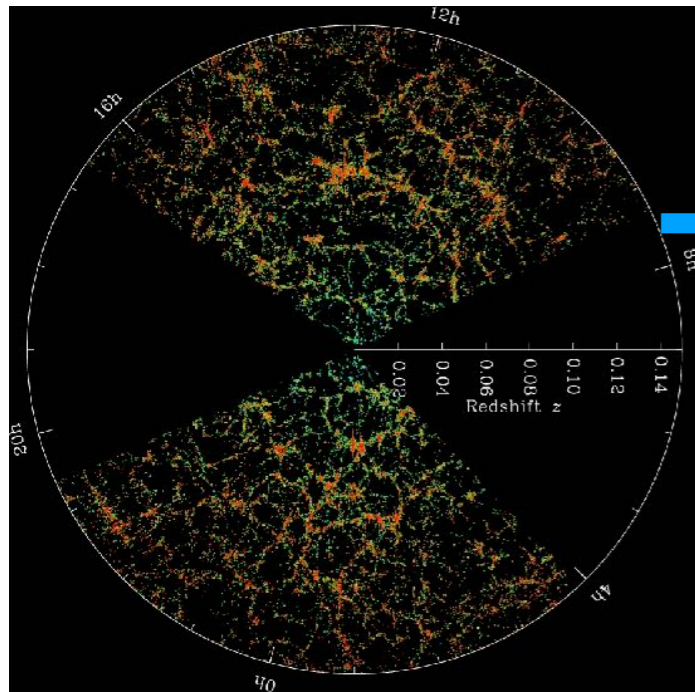
Linear Power Spectrum
+ Fitting formulae
Or Perturbation Theory
Or Emulator



Dark Energy eos

Matter Fraction

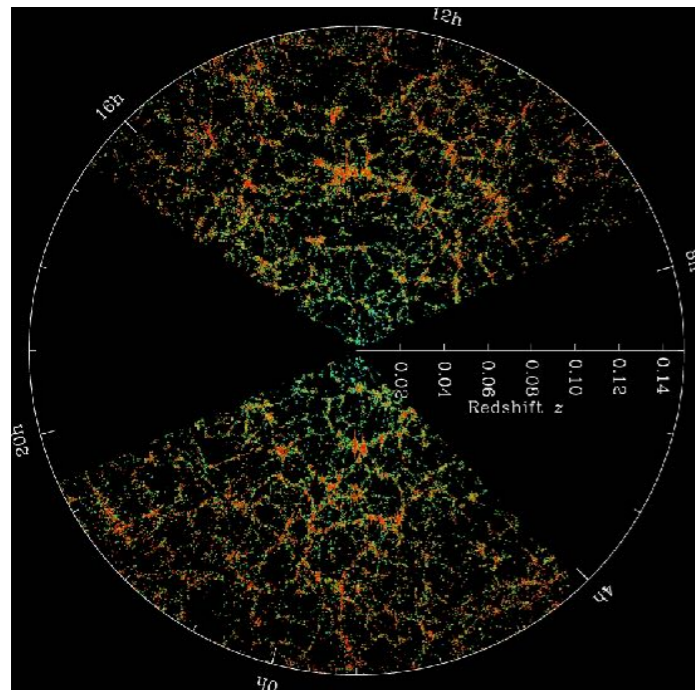
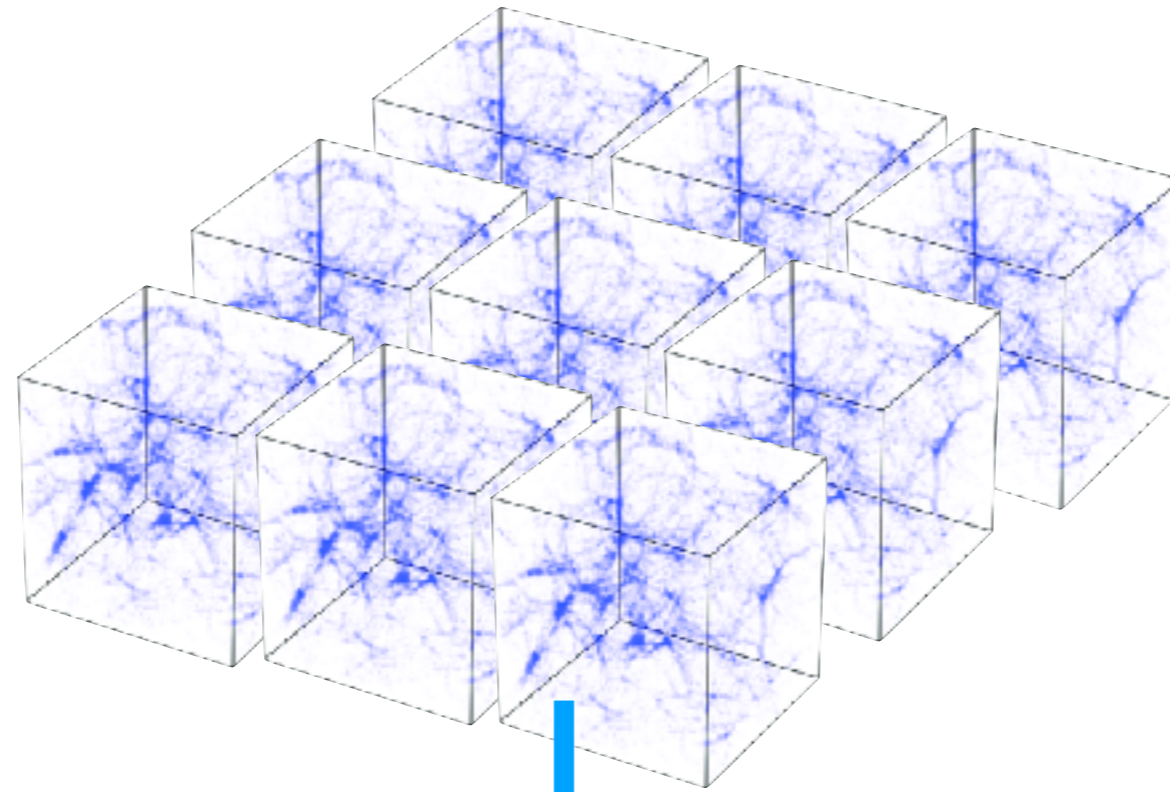
Galaxy Clustering



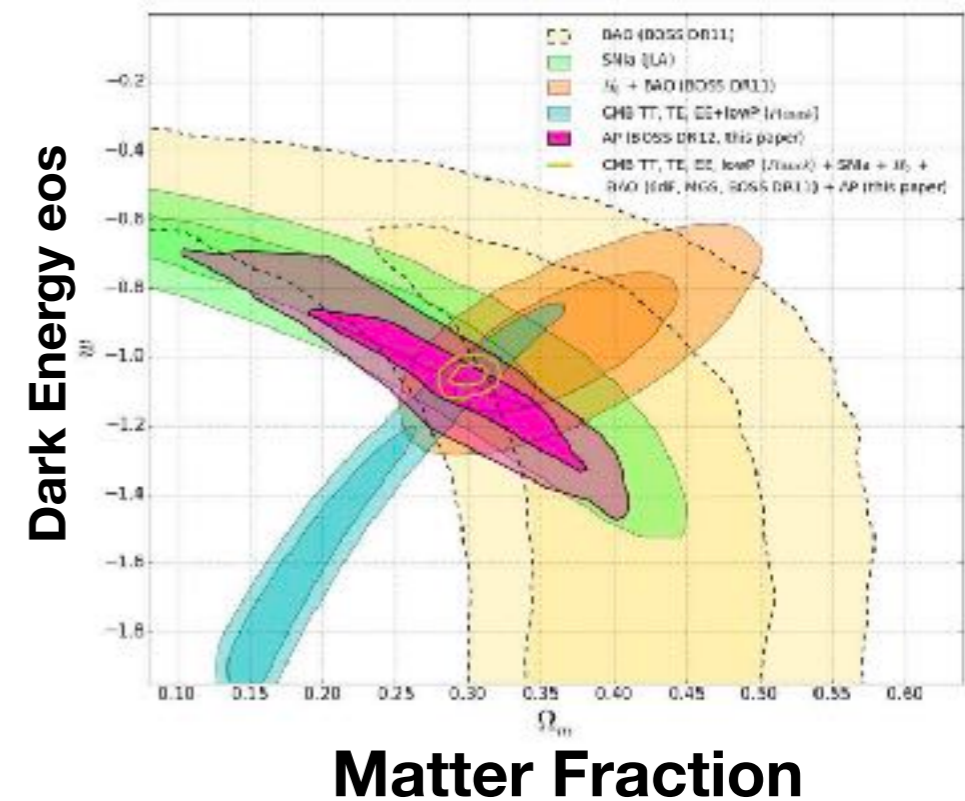
Matter Fraction

Dark Energy eos

Galaxy Clustering

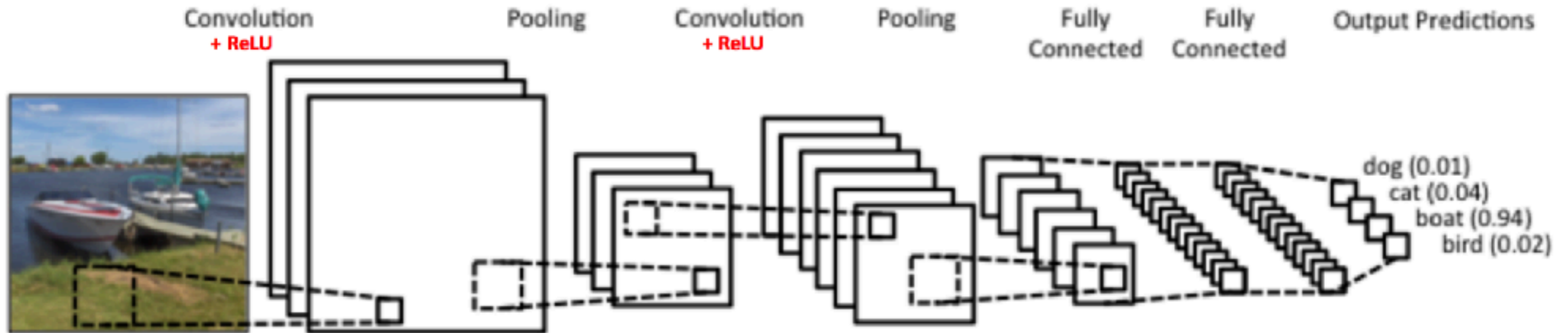


Machine Learning Magic



Convolutional Neural Networks

A convolutional neural network for image classification



Deep Learning the Large Scale Structure

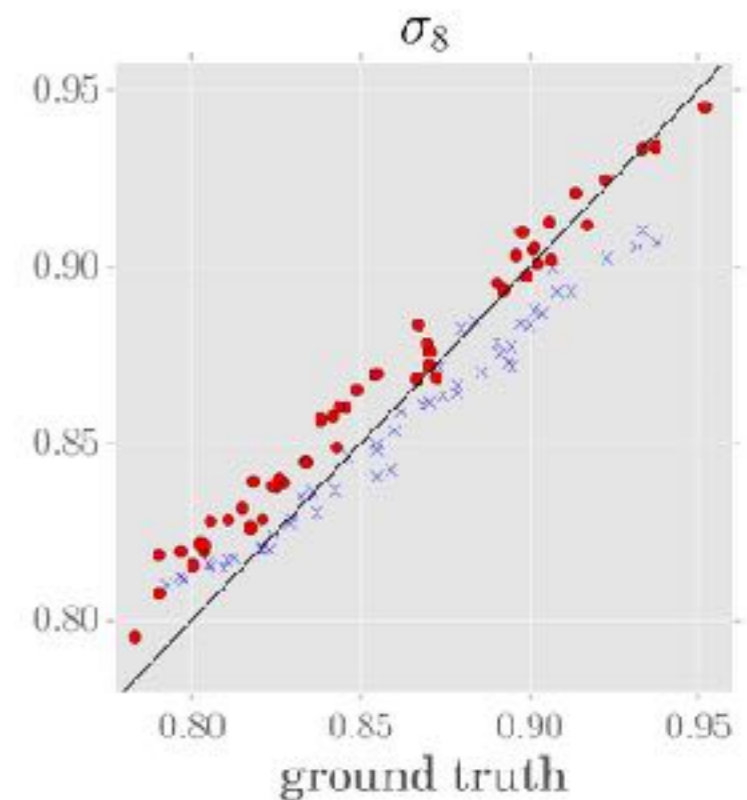
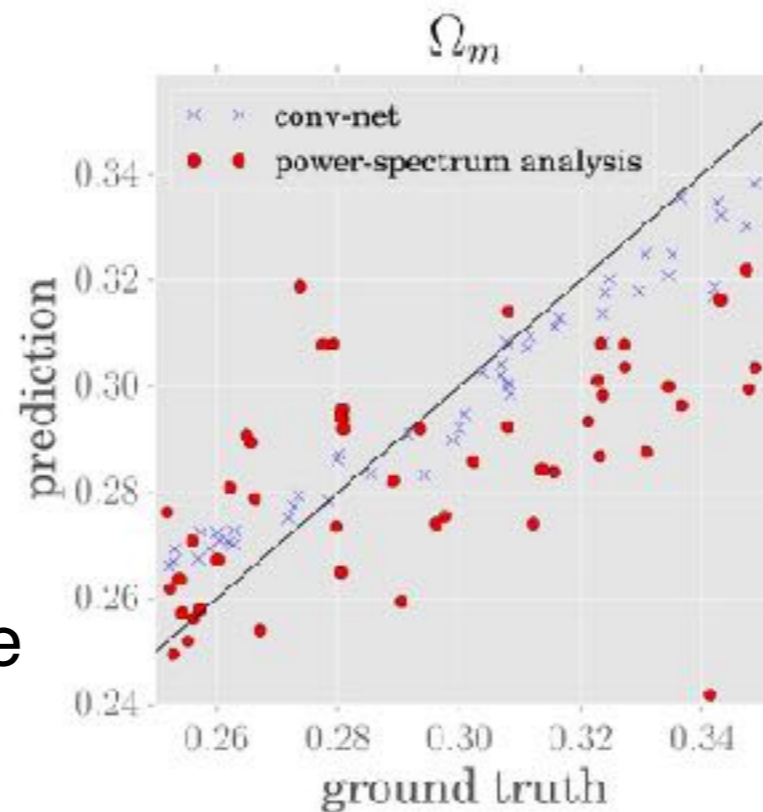
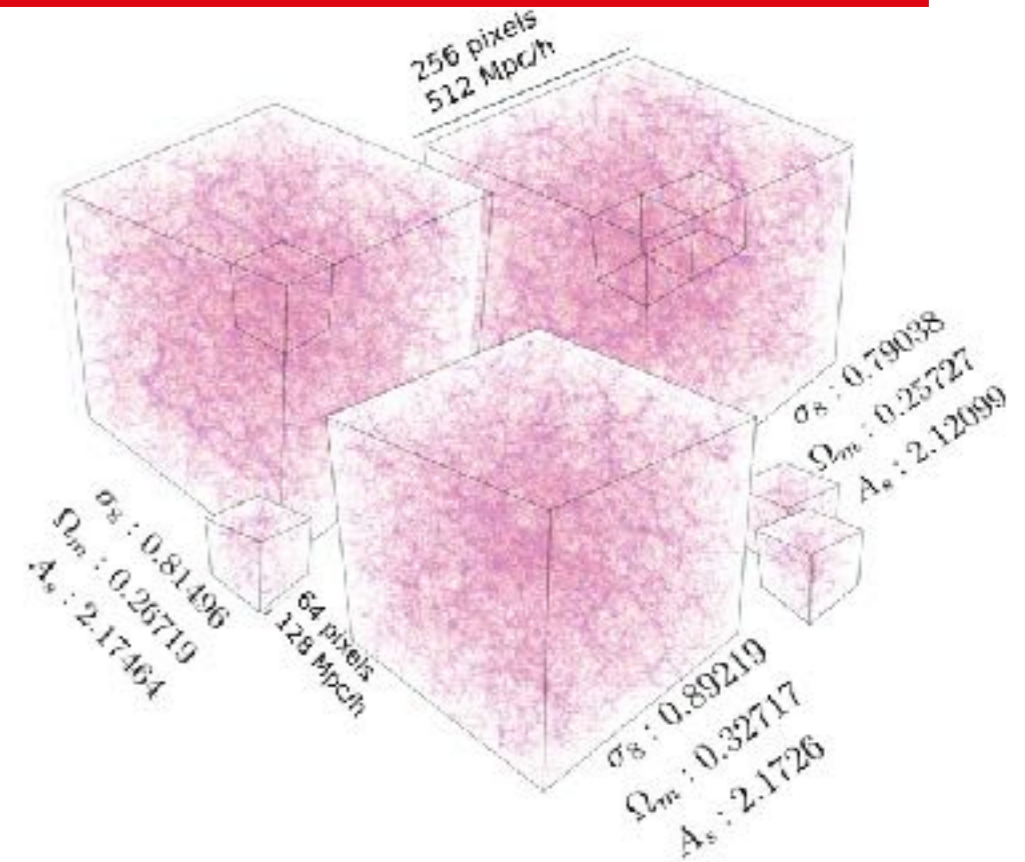
Ravanbakhsh et al. (2017), Mathuriya et al. (2018) showed that convolutional neural networks can be trained to predict cosmological parameters from the visual shape of the large scale structure, i.e. the filaments, clusters and voids of the cosmic density field.

500 COmoving Lagrangian Acceleration(COLA) simulations

512Mpc box with 512^3 dark matter particles

Output at $z=0$

First work showing that a connection can be built from the density field directly to the parameters



Deep Learning the Large Scale Structure

In a grid of 31x15
parameter combinations

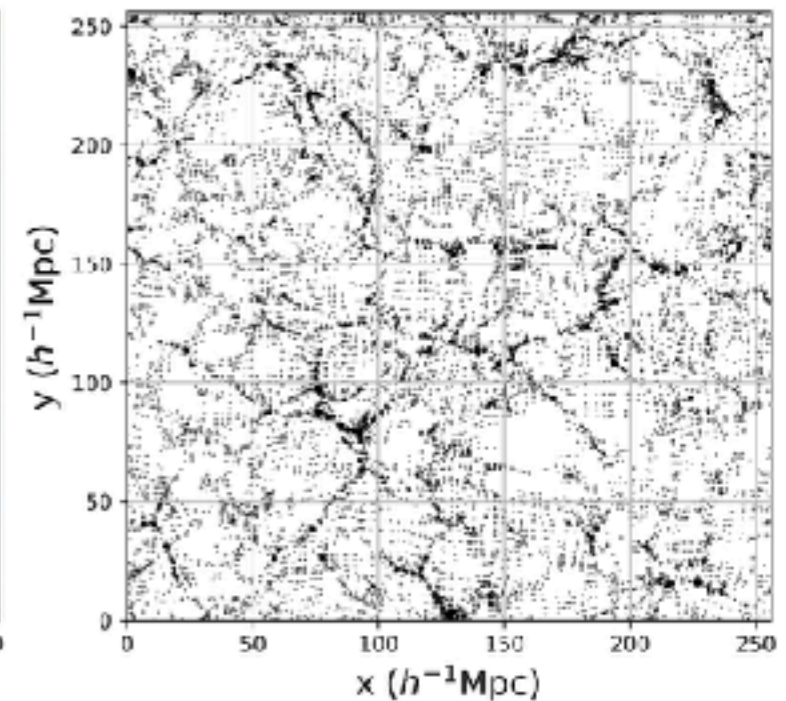
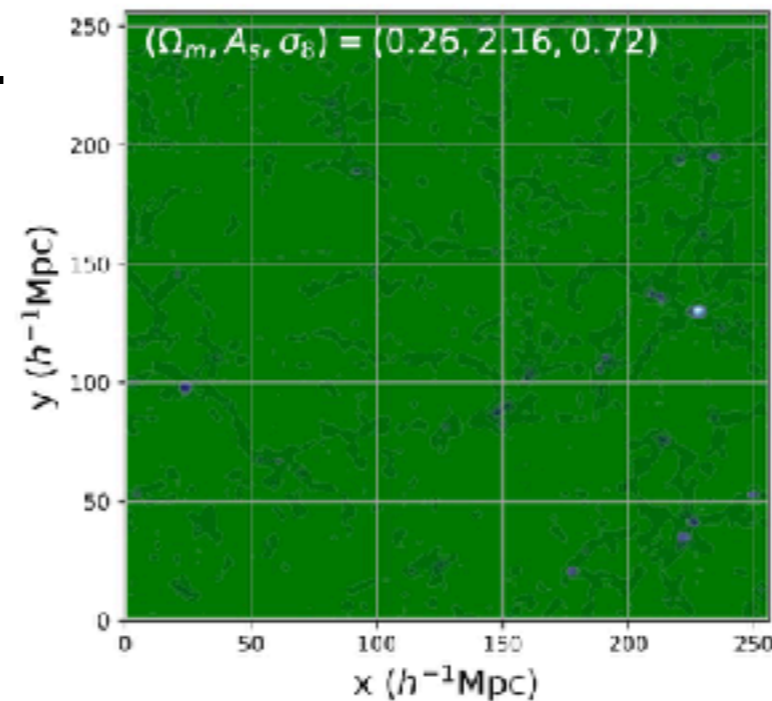
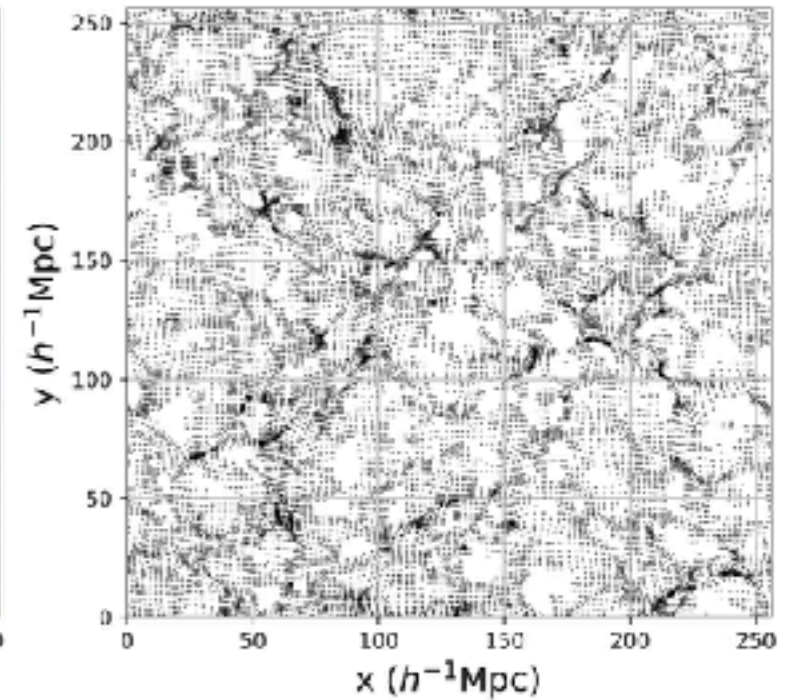
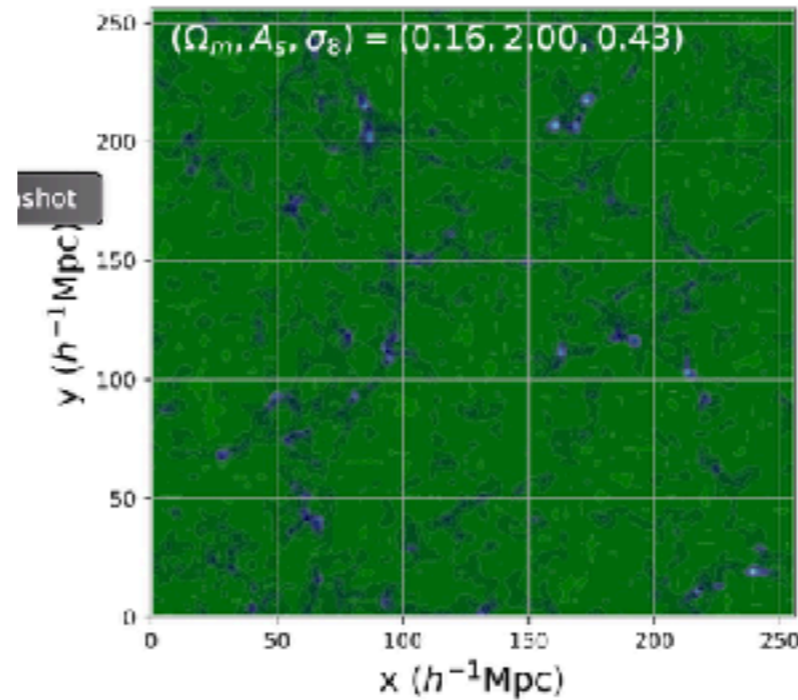
$$0.16 < \Omega_M < 0.46$$

$$0.4 < \sigma_8 < 1.1$$

We run COLA DM simulations with
with 128^3 particles, in a 256 Mpc
box, using timesteps 40 output at $z=0$.

We grid the data onto 2Mpc voxels.

The input of the whole network is a
 32^3 -voxel (i.e. $(64\text{Mpc})^3$) subcube of
the density field.

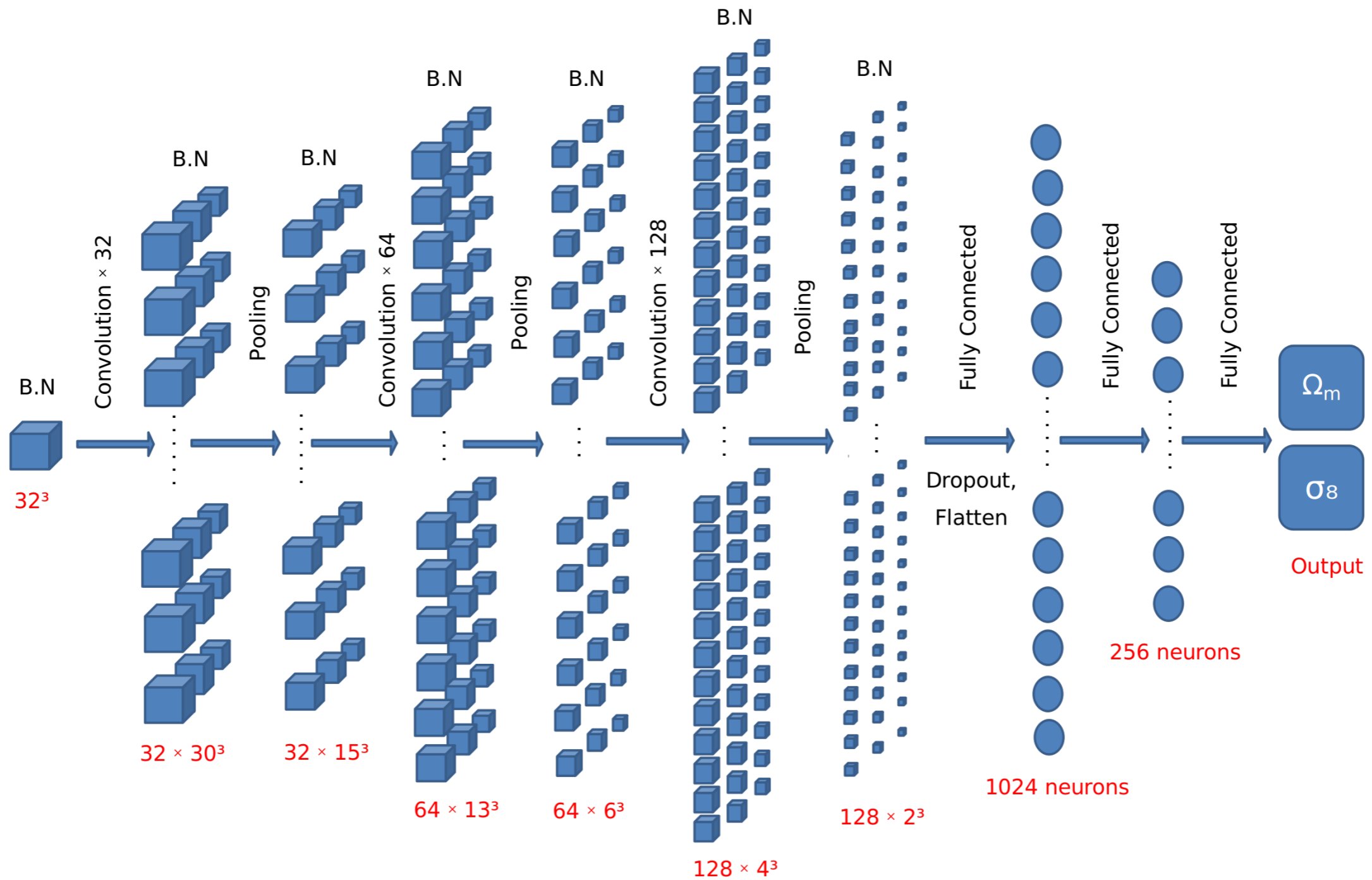


arXiv:1908.10590

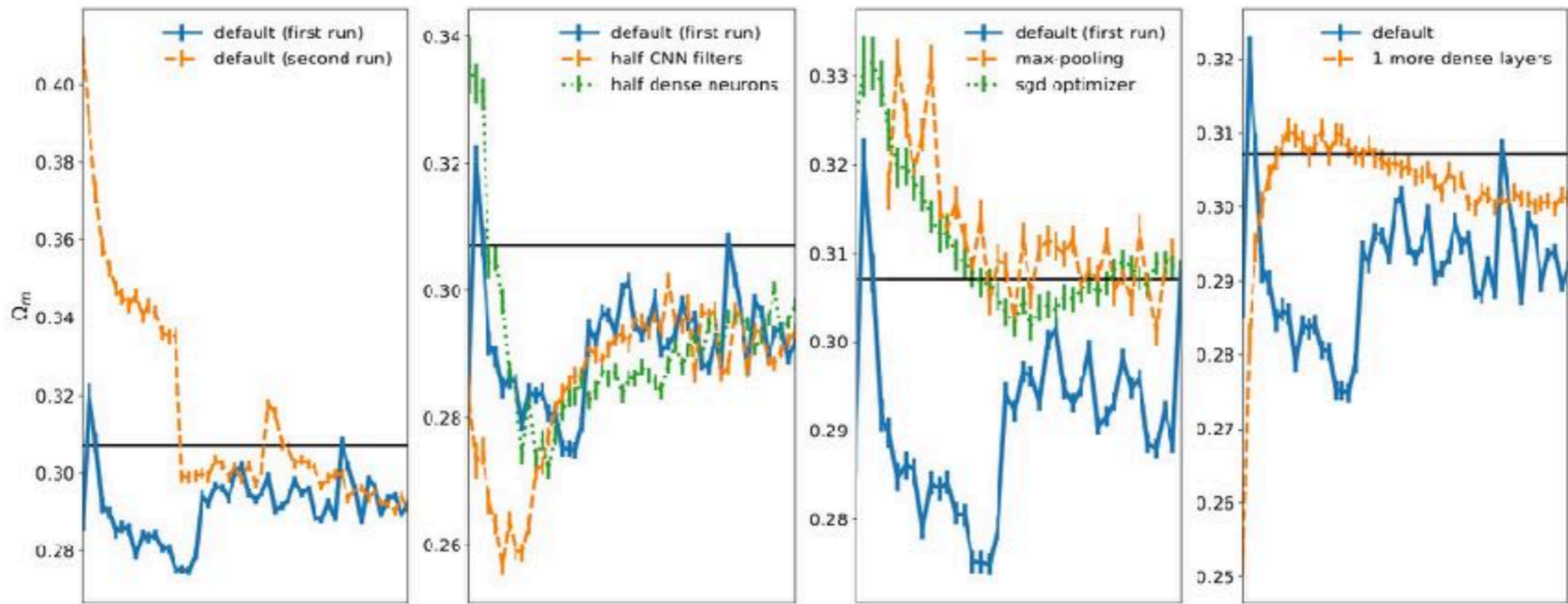
Pan, Liu, Forero-Romero, Sabiu, Li, Miao, (led by) Xiao-Dong Li

Deep Learning the Large Scale Structure

Default Architecture



Deep Learning the Large Scale Structure



Learning Curves

Varying:

- # of CNN filters
- # of dense neurons
- # of neuron layers
- Optimiser
- Pooling type

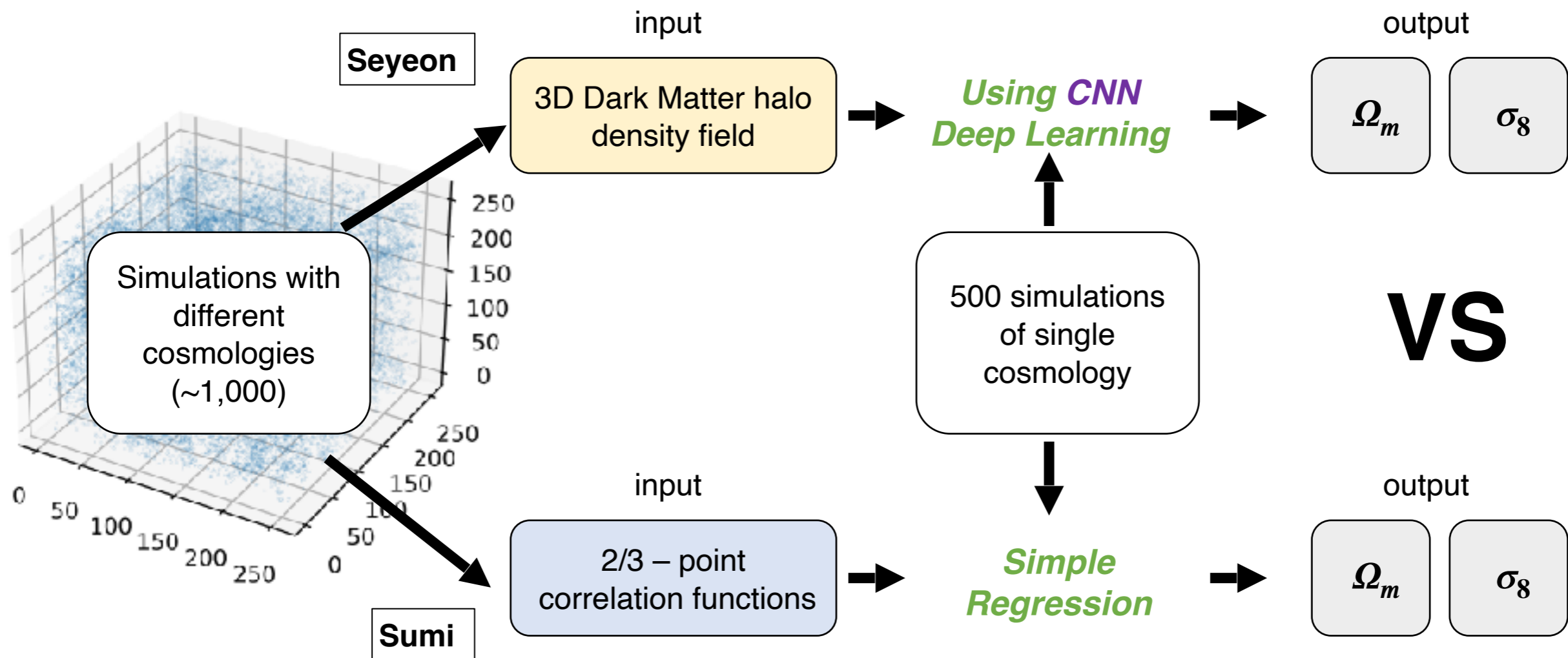
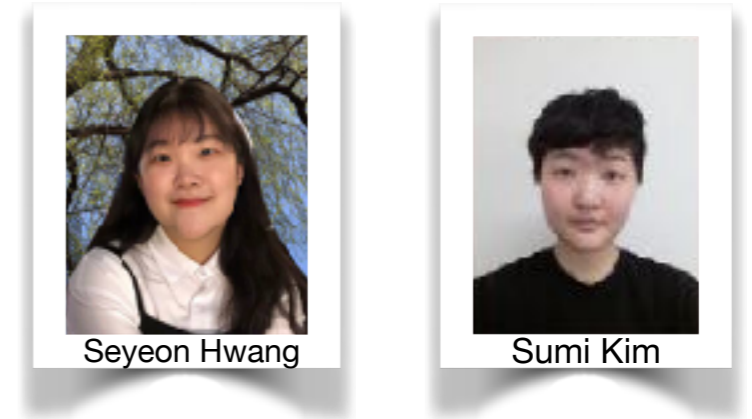
Clear advantage in max-pooling over the average pooling

Clear advantage of the sgd optimiser over the default 'Adam' optimiser.

Adding an extra dense layer improves convergence

Information Content: Deep Learning VS Correlation Functions

CLML (Cosmology with Large scale structure using Machine Learning)



Information Content: Deep Learning VS Correlation Functions

CLML (Cosmology with Large scale structure using Machine Learning)

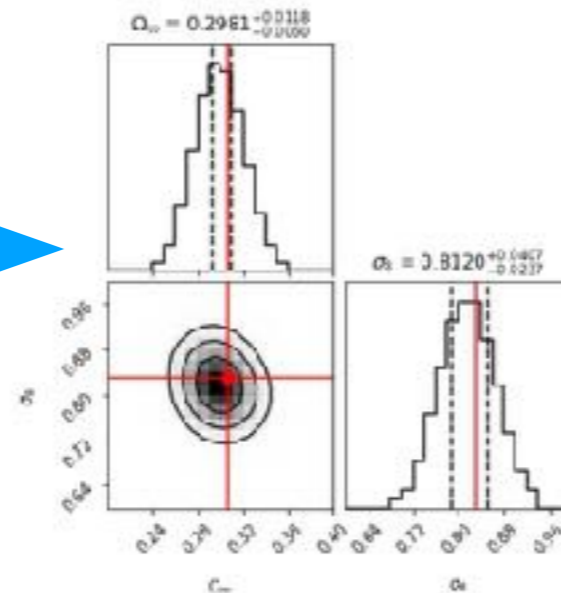
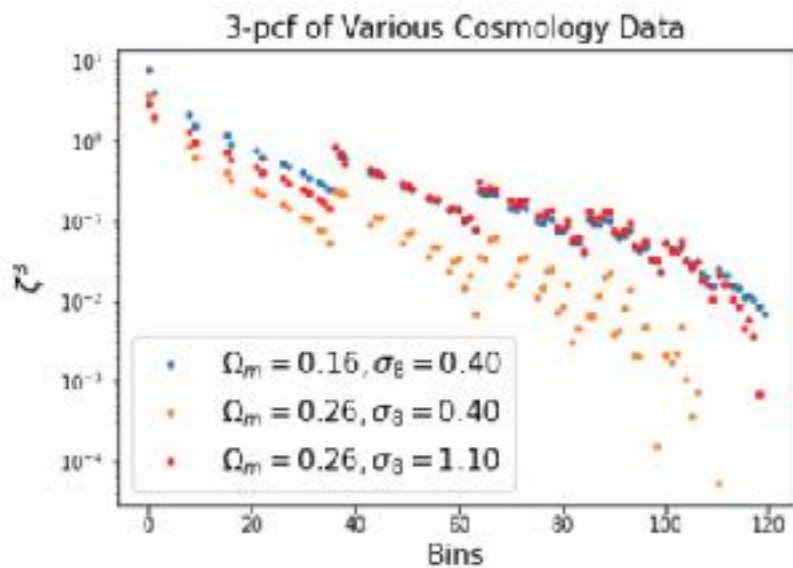
- N-point correlation Information



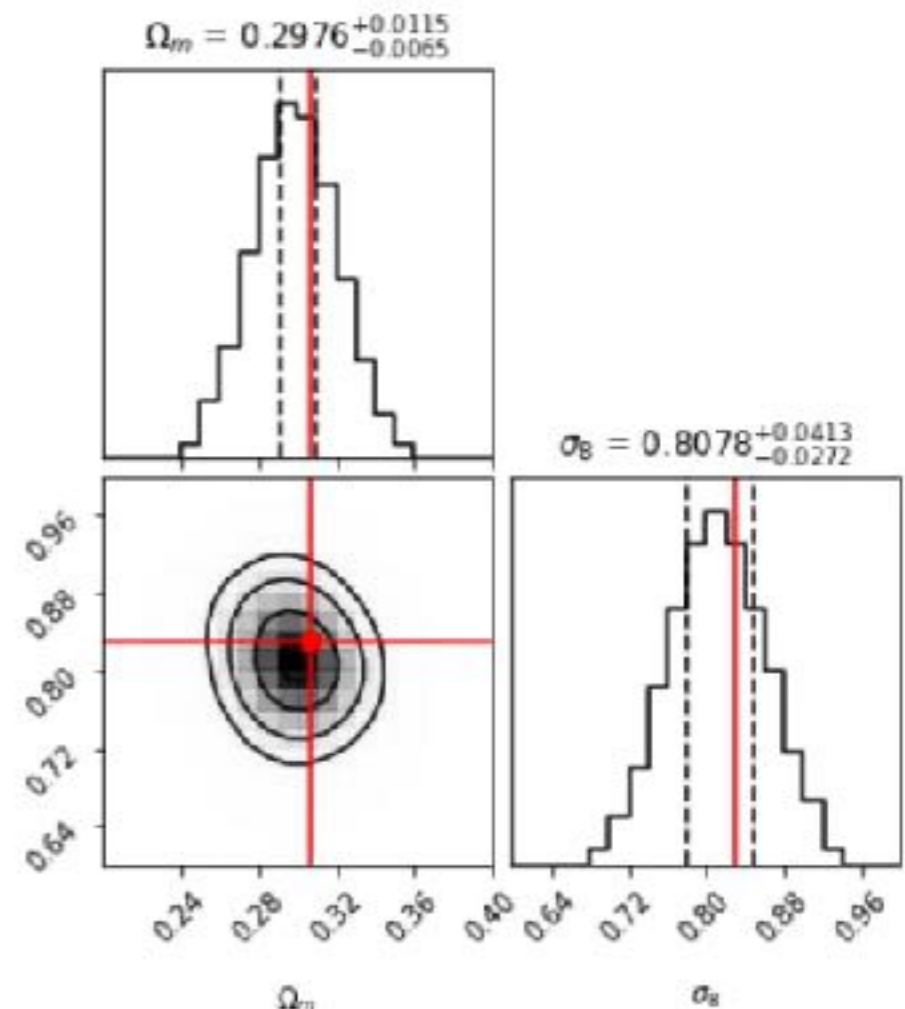
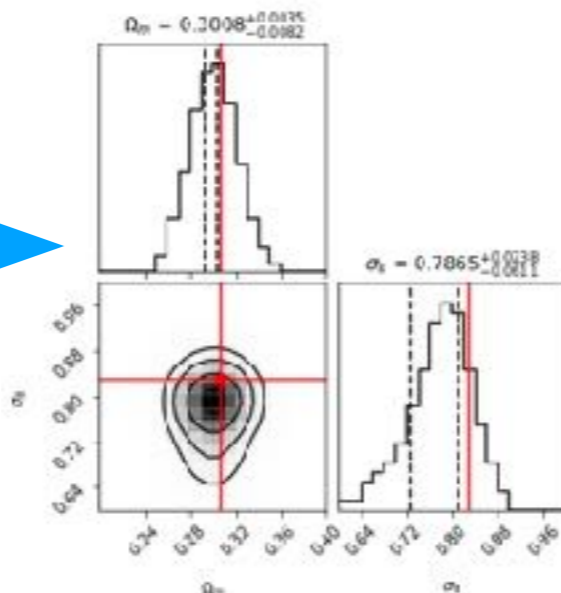
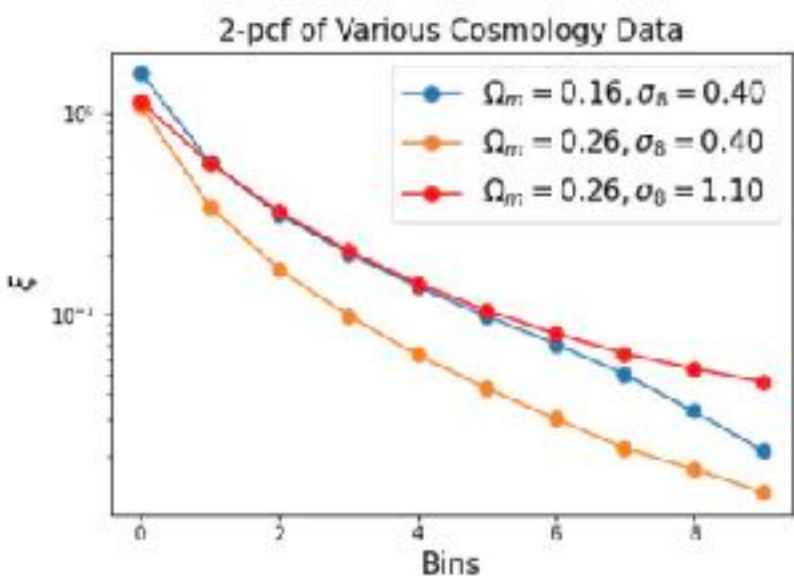
Seyeon Hwang



Sumi Kim



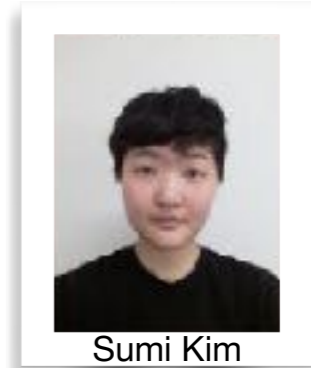
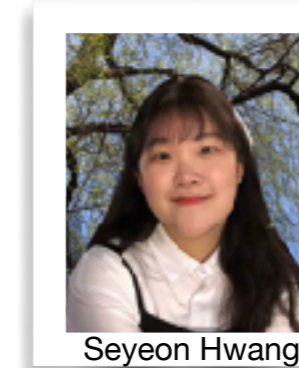
Combined 2- & 3-point information



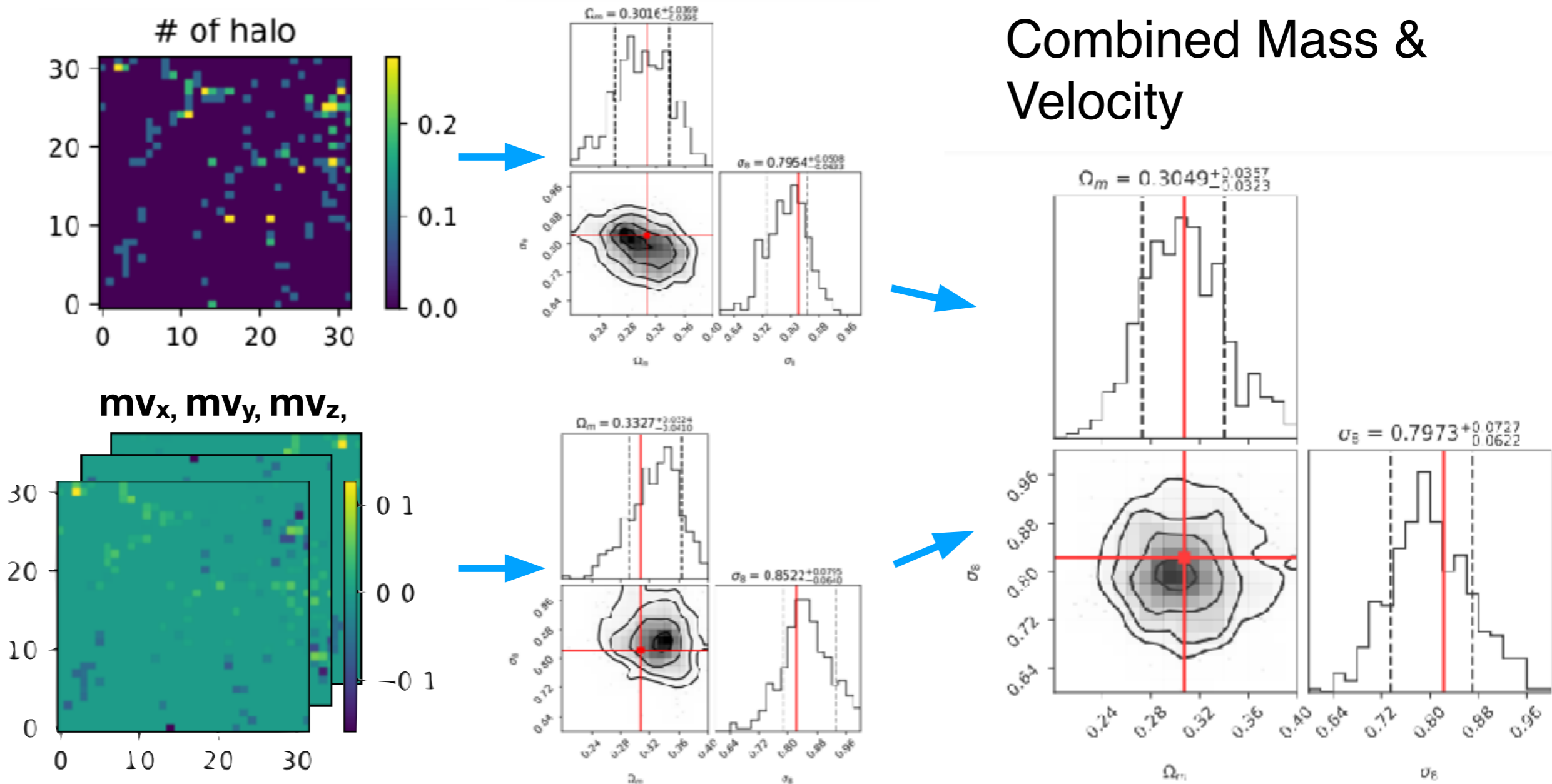
Information Content: Deep Learning VS Correlation Functions

CLML (Cosmology with Large scale structure using Machine Learning)

- Deep Learning Information

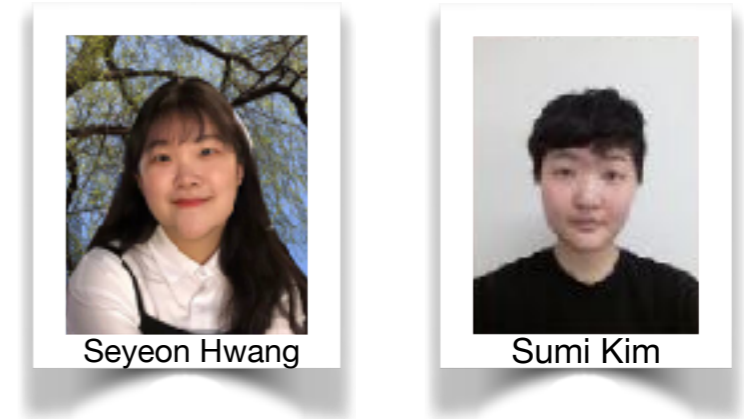


Combined Mass & Velocity



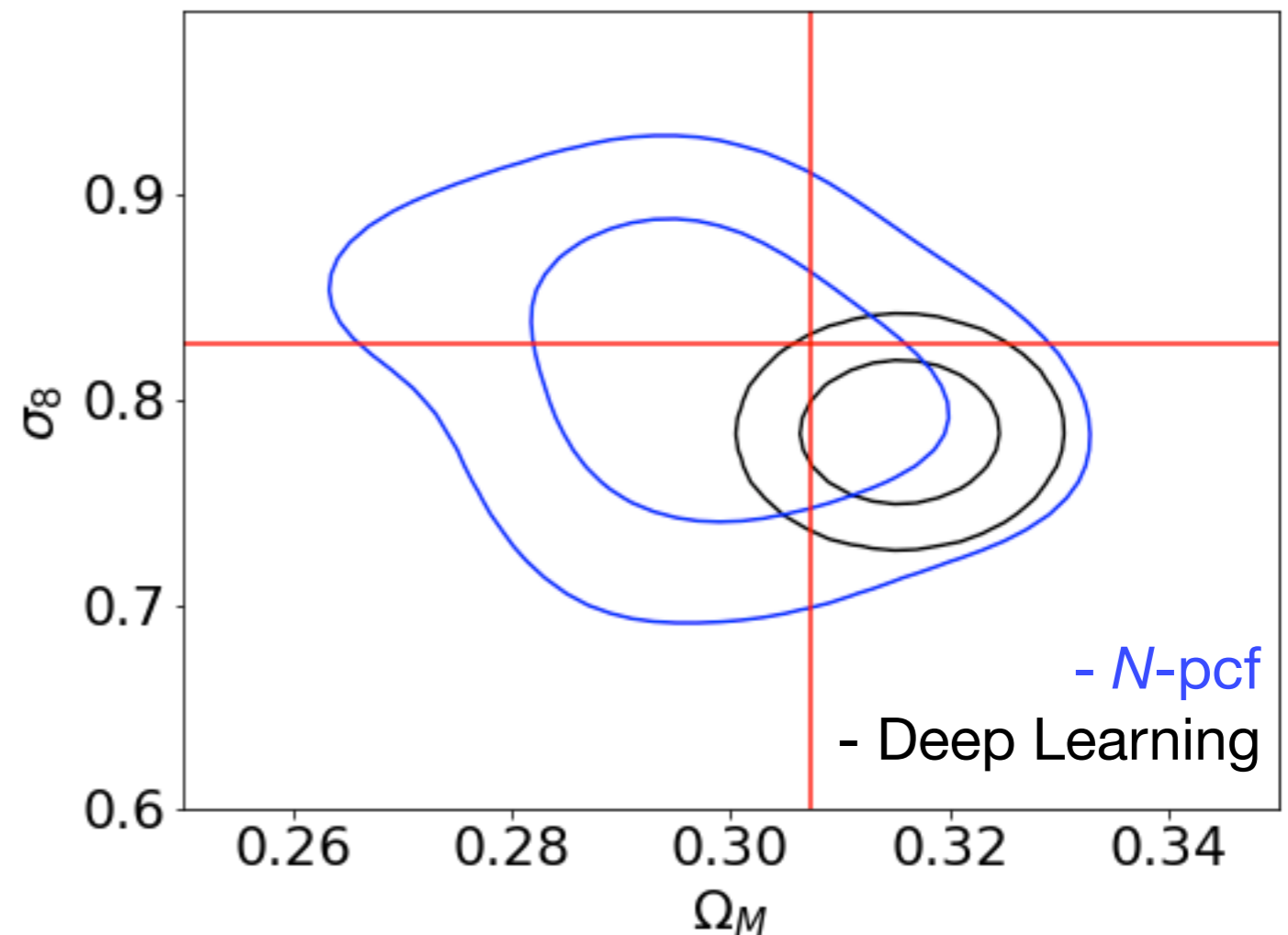
Information Content: Deep Learning VS Correlation Functions

CLML (Cosmology with Large scale structure using Machine Learning)



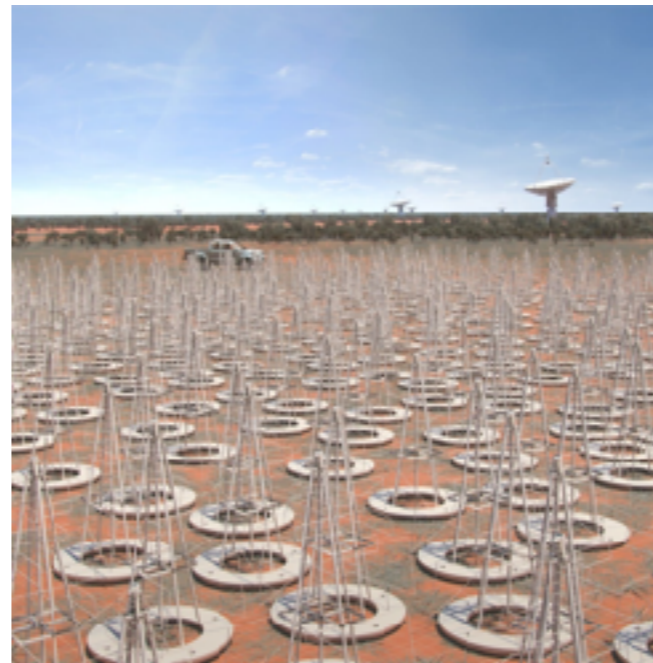
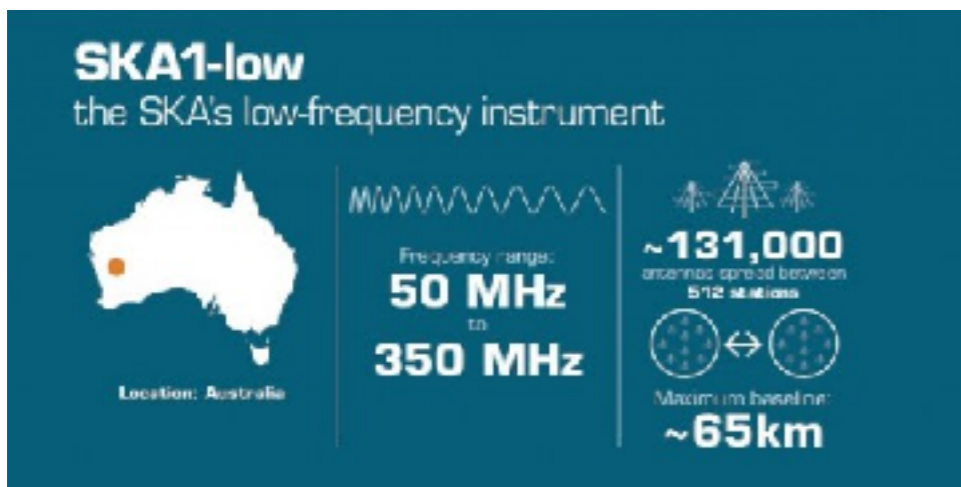
***** Preliminary Result *****

- Using 500 simulations of a single cosmology, we test the accuracy and precision of both methods
- CNN seems to be more constraining (higher information).
- CNN has a moderate bias compared to Npcf. However biases can be modelled and corrected.
- Exact N -pcf calculated using the GRAMSCI code
<https://arxiv.org/abs/1901.00296>

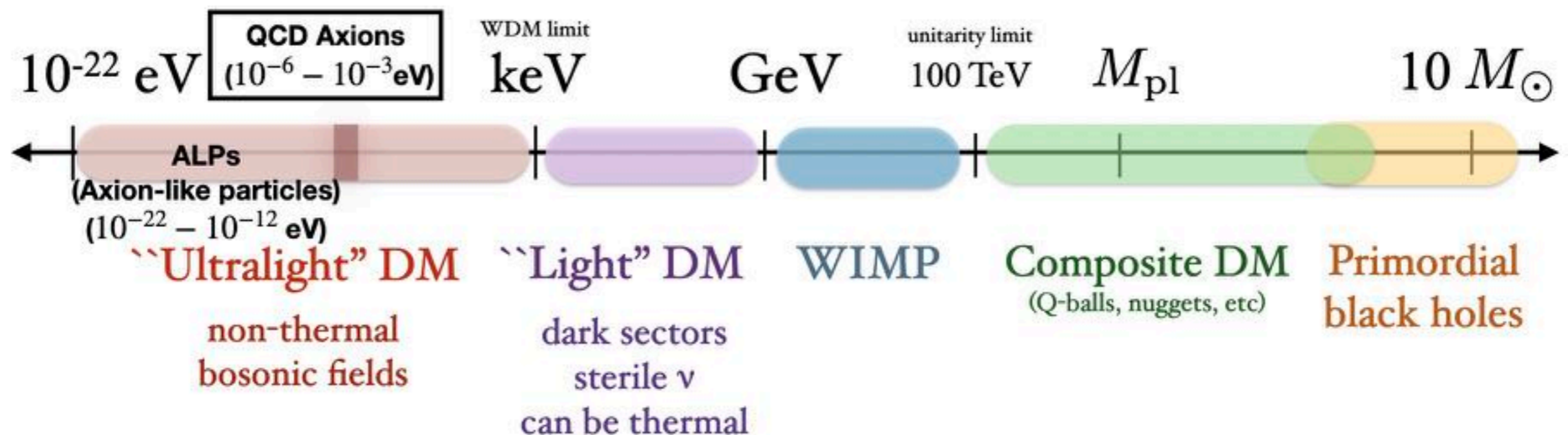


Deep Learning the 21cm Intensity Field

Future Radio surveys like SKA will map significant volumes of the high redshift Universe.

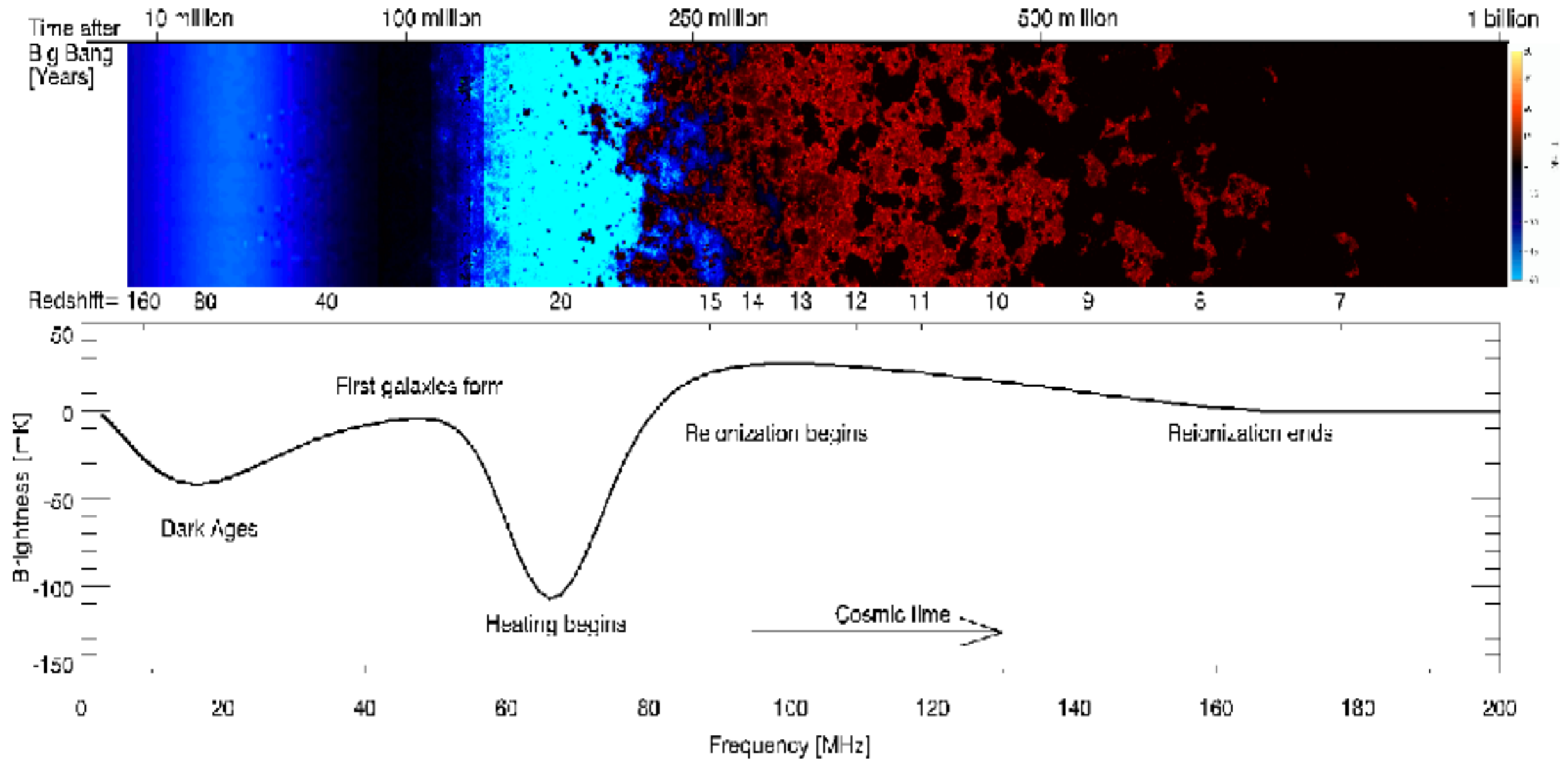


What can we learn about the nature of Dark Matter?



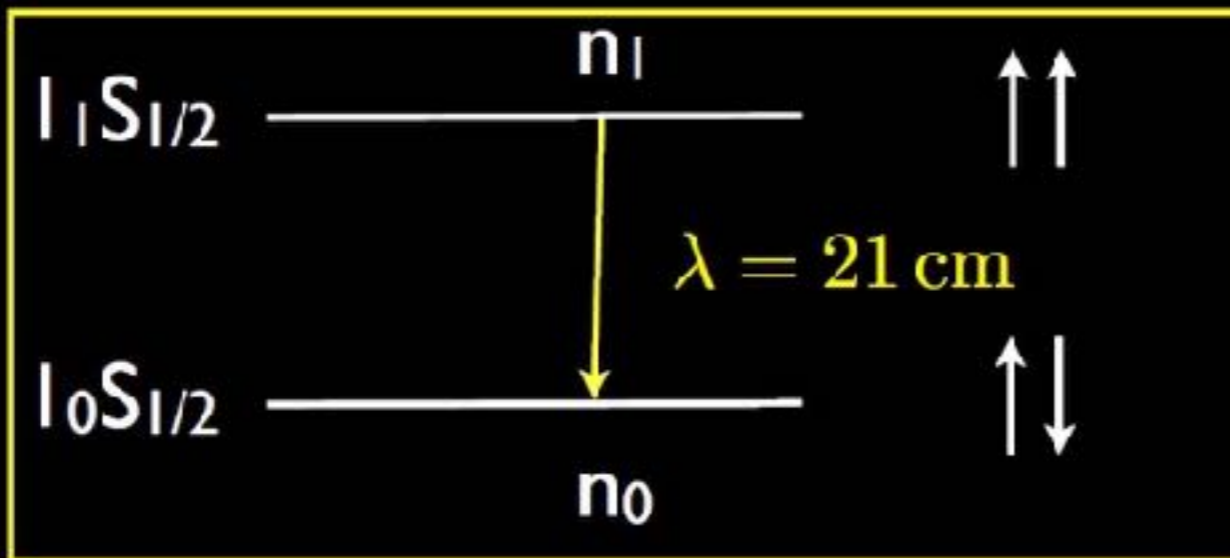
21cm Intensity Mapping

Cosmic Reionization History



21cm Intensity Mapping

Hyperfine transition of neutral hydrogen



Spin temperature describes relative occupation of levels

$$n_1/n_0 = 3 \exp(-h\nu_{21\text{cm}}/kT_s)$$

Useful numbers:

$$200 \text{ MHz} \rightarrow z = 6$$

$$100 \text{ MHz} \rightarrow z = 13$$

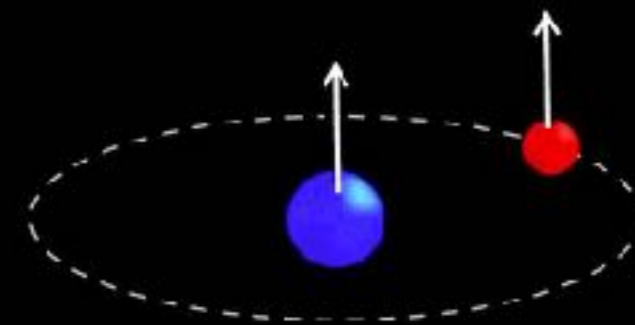
$$70 \text{ MHz} \rightarrow z \approx 20$$

$$40 \text{ MHz} \rightarrow z \approx 35$$

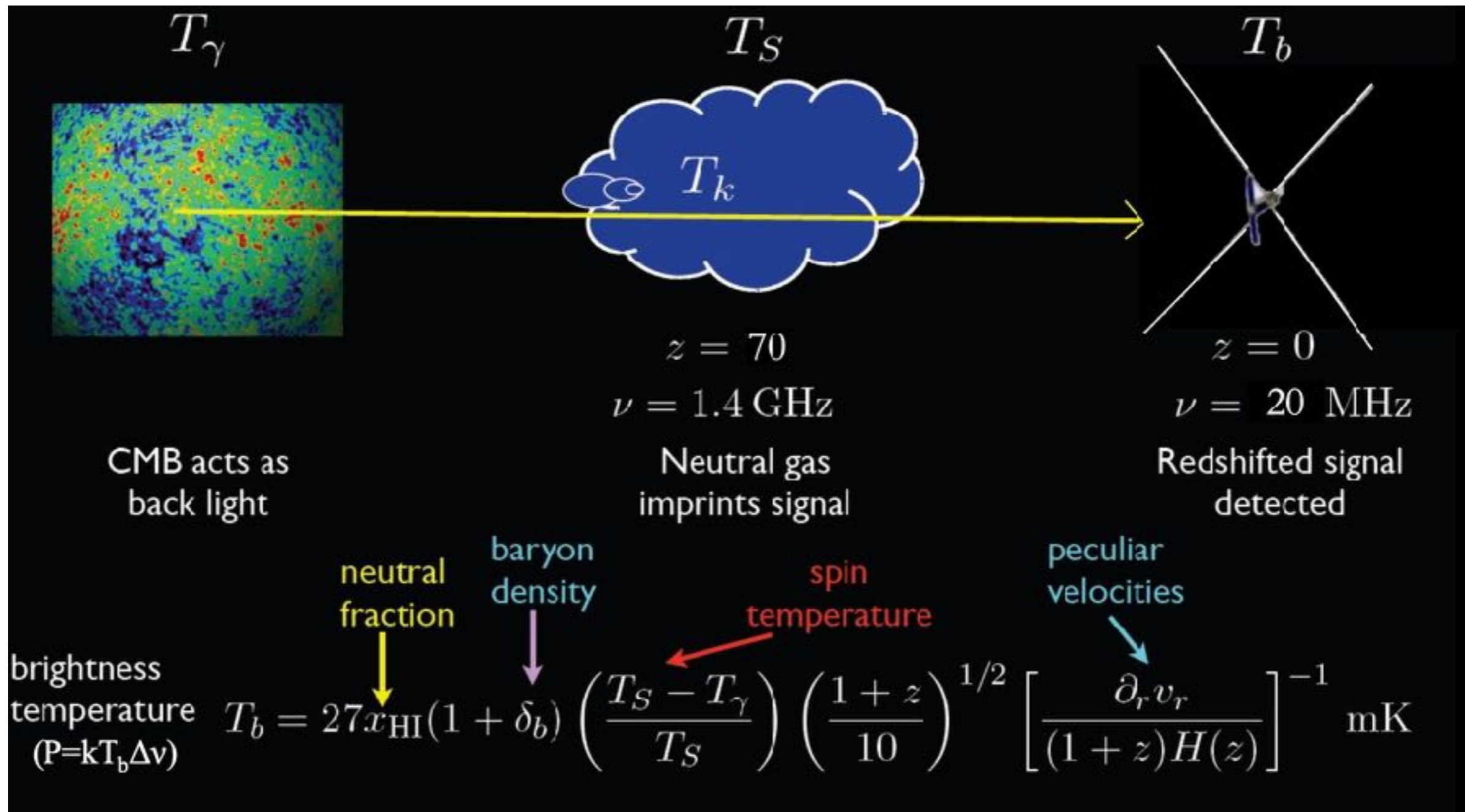
$$t_{\text{Age}}(z = 6) \approx 1 \text{ Gyr}$$

$$t_{\text{Age}}(z = 10) \approx 500 \text{ Myr}$$

$$t_{\text{Age}}(z = 20) \approx 150 \text{ Myr}$$

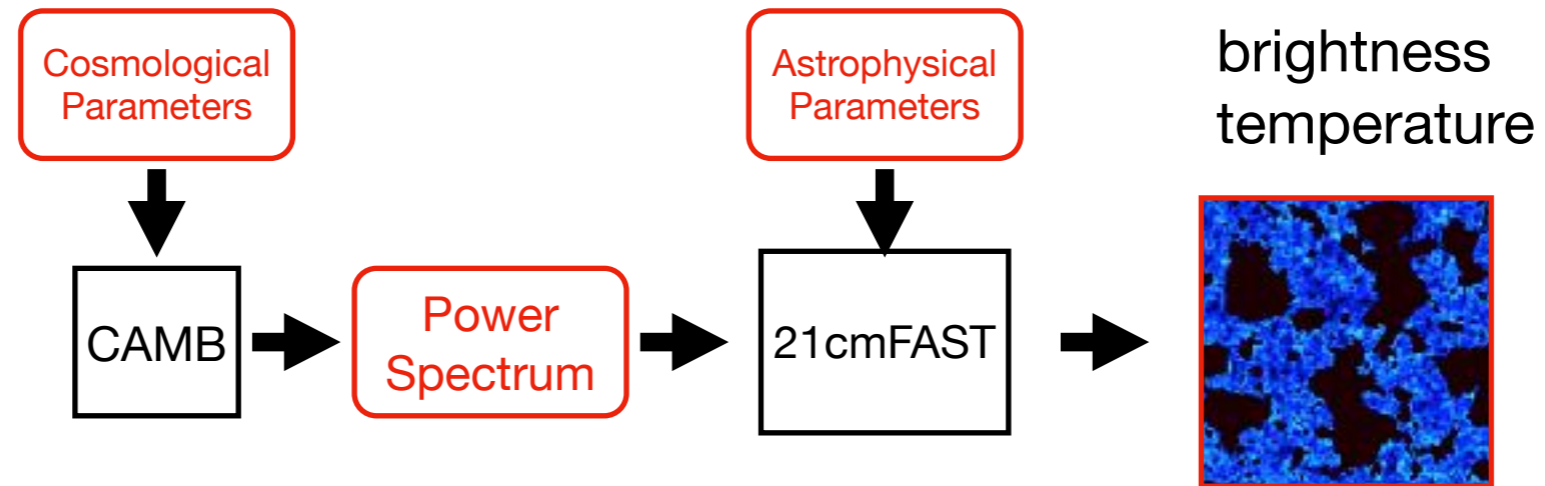


21cm Intensity Mapping



21cm Intensity Mapping

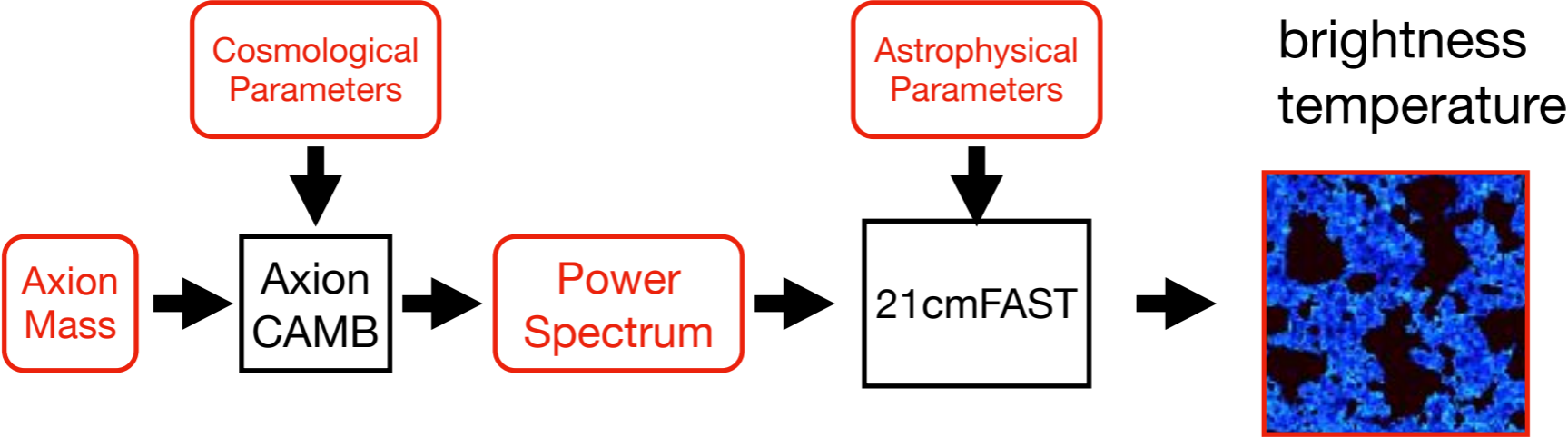
Pipeline



Mesinger & Furlanetto 2007
Mesinger et al. 2011

21cm Intensity Mapping

Pipeline



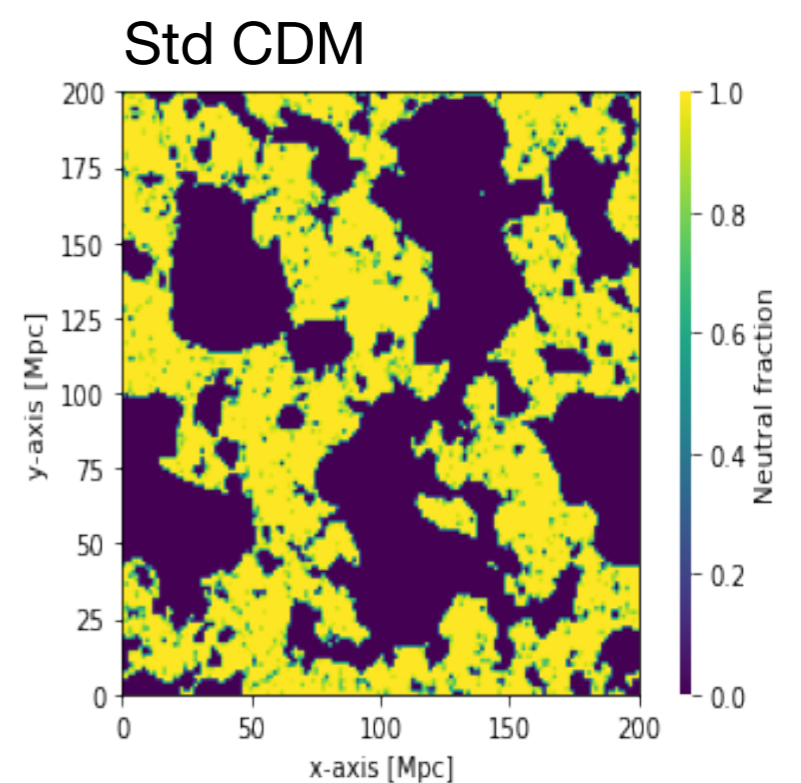
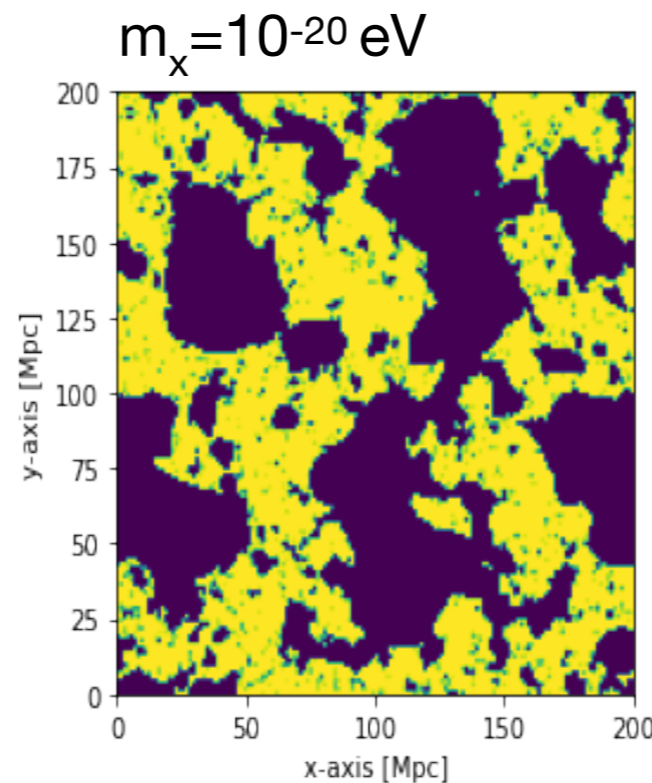
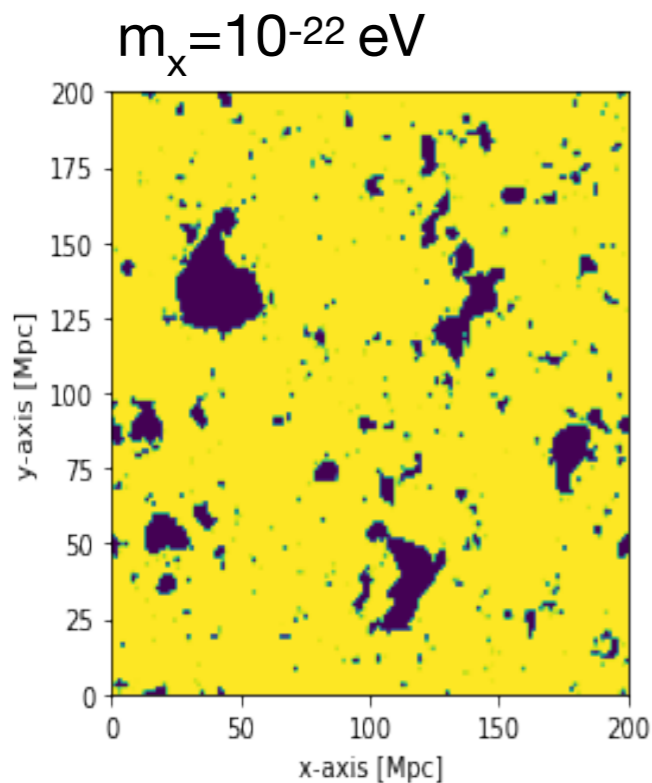
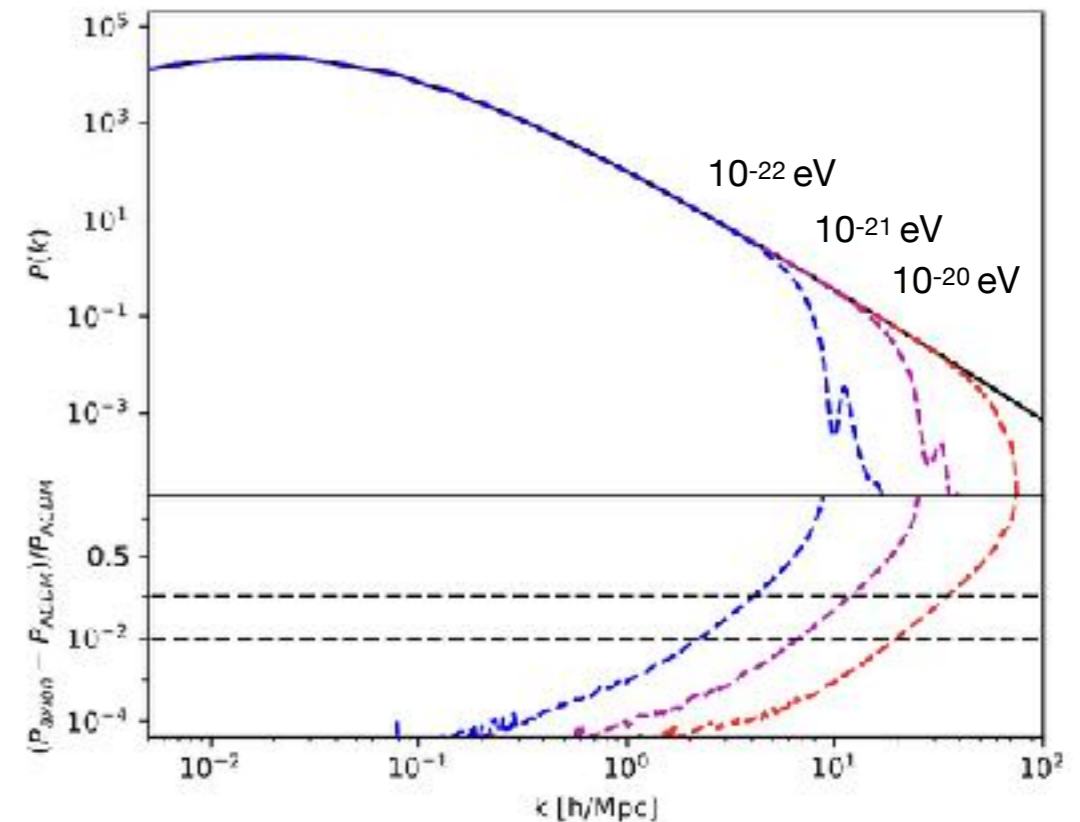
Hlozek et al. 2015

Mesinger & Furlanetto 2007
Mesinger et al. 2011

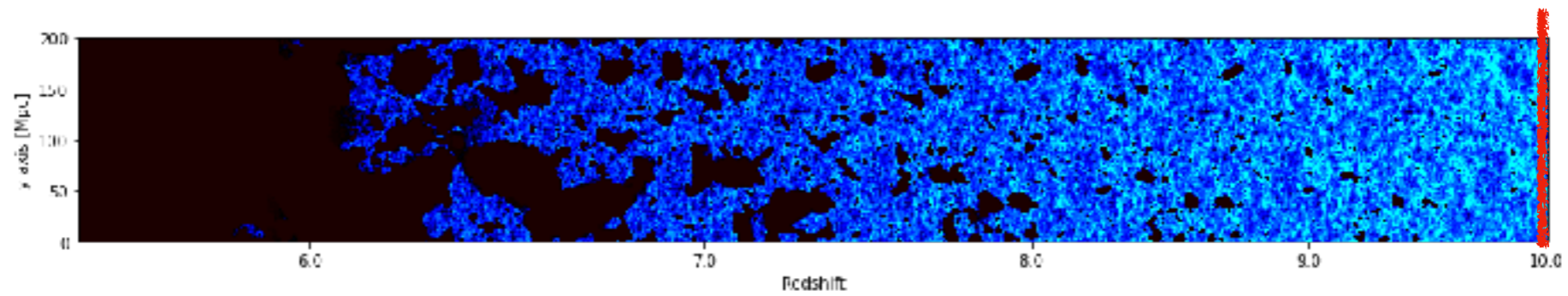
21cm Intensity Mapping

Varying Axion Mass

- ★ The linear power spectrum has a suppression of power at progressively lower k for decreasing axion masses
- ★ This has a significant effect on the collapse fraction of gas
- ★ Delays the onset of reionization compared to Std CDM

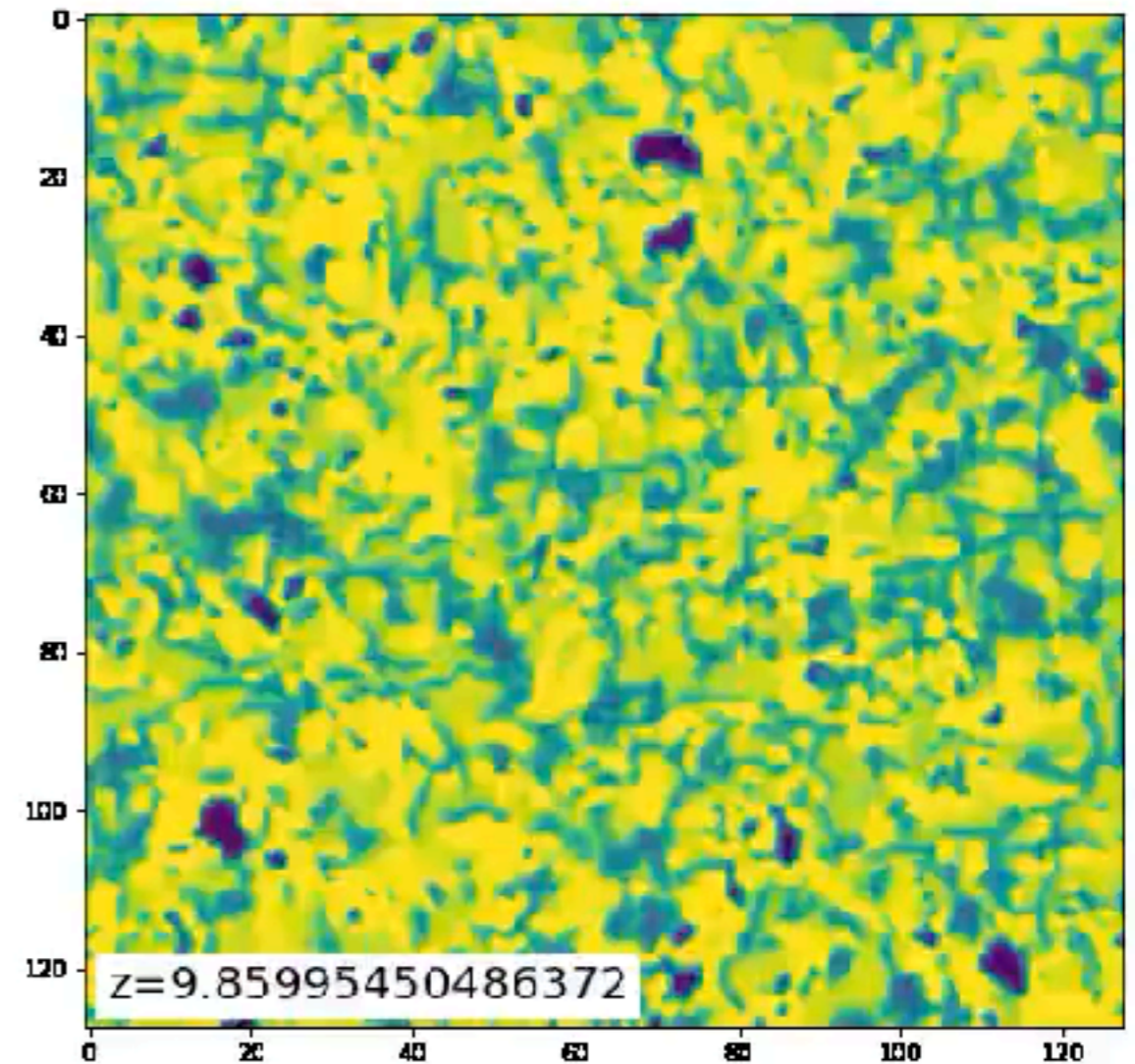
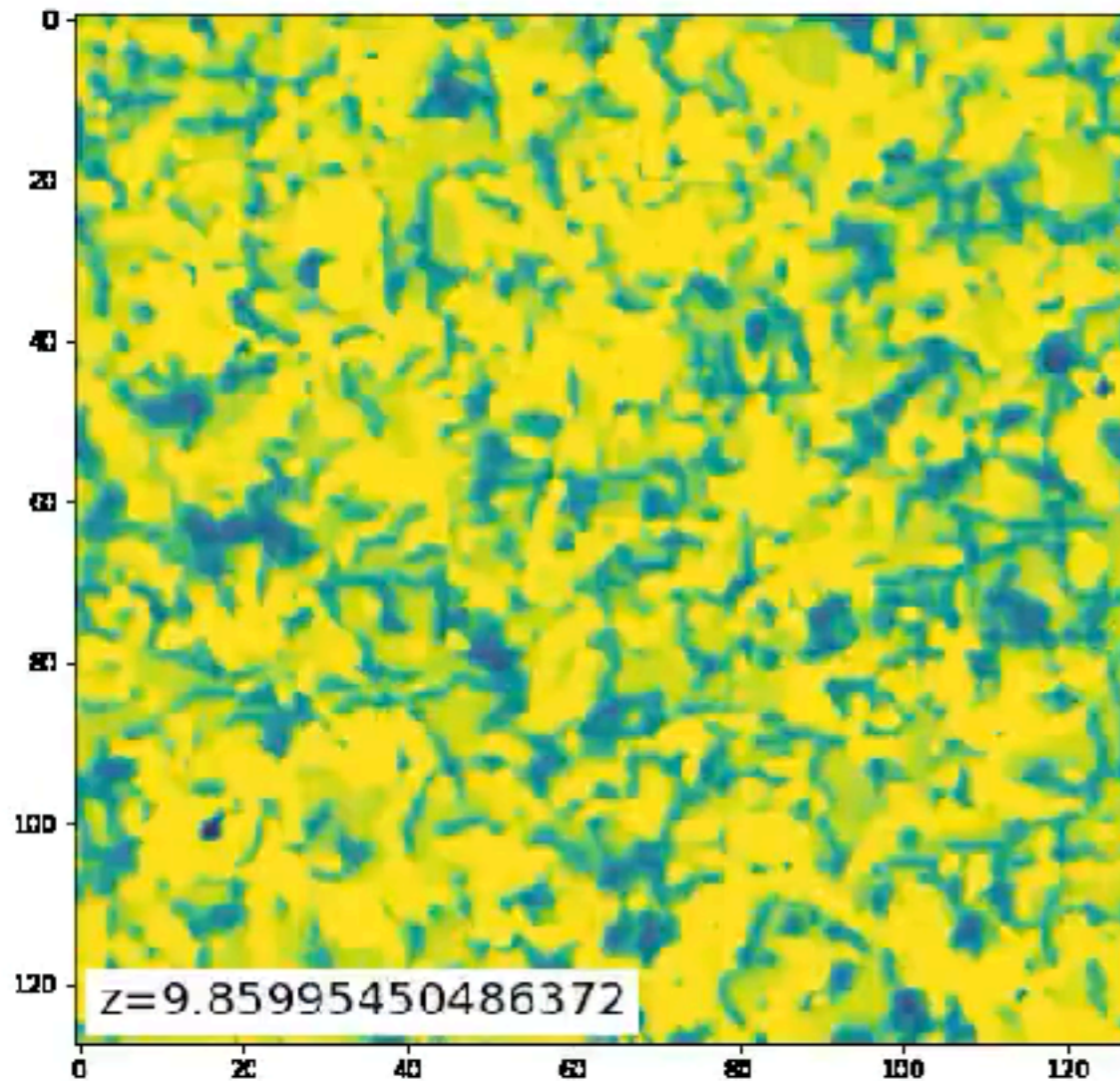


Redshift Evolution of the neutral fraction

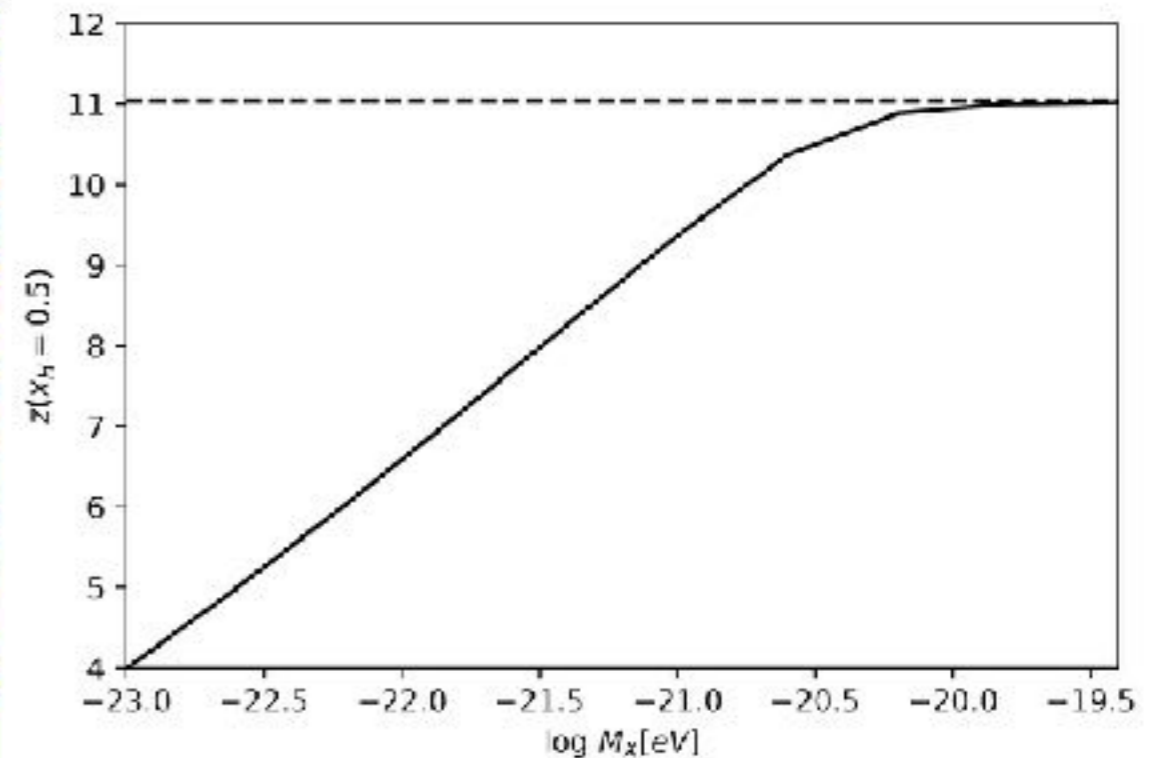
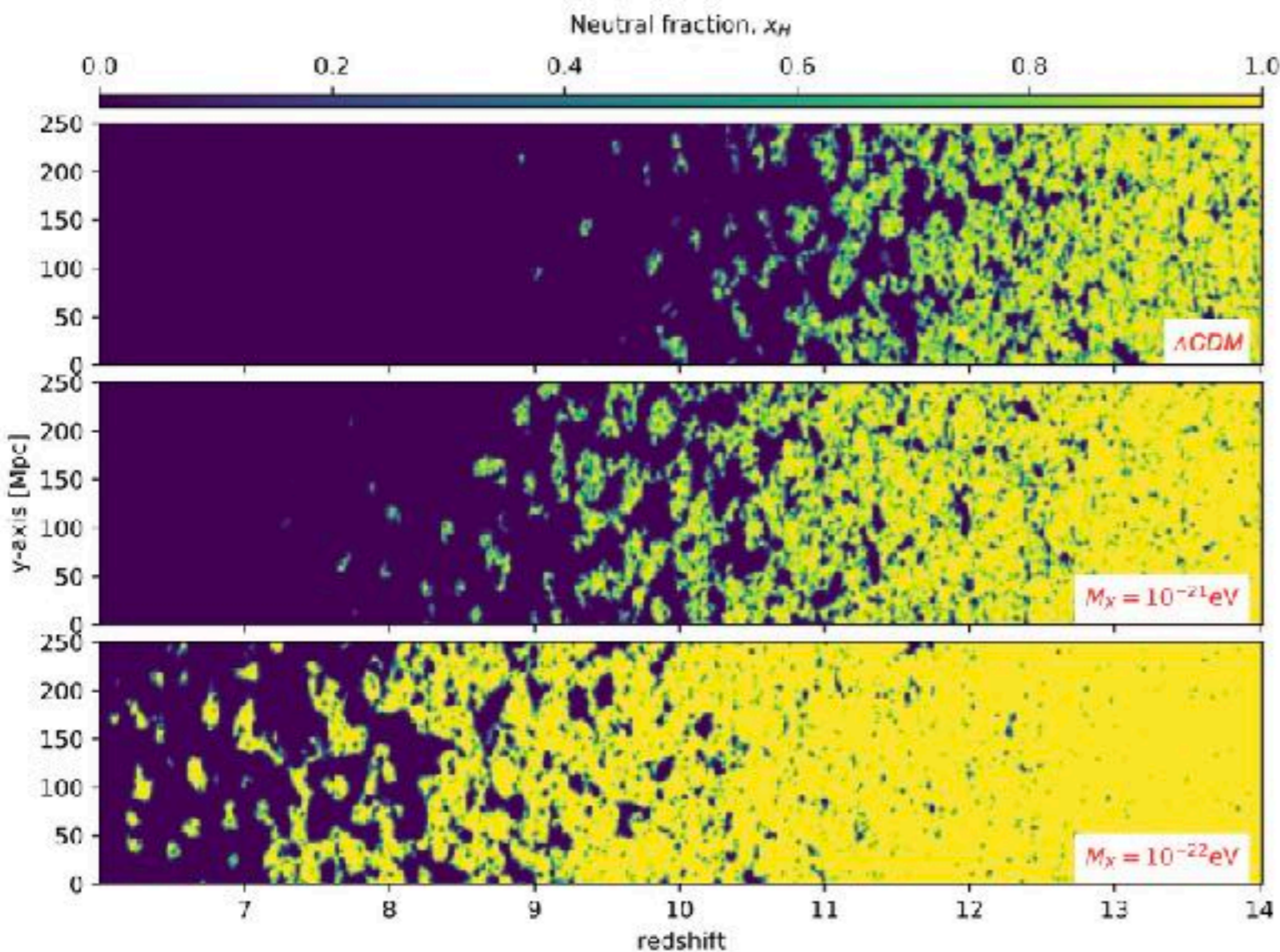


$m_\chi = 10^{-22}$ eV

Std CDM



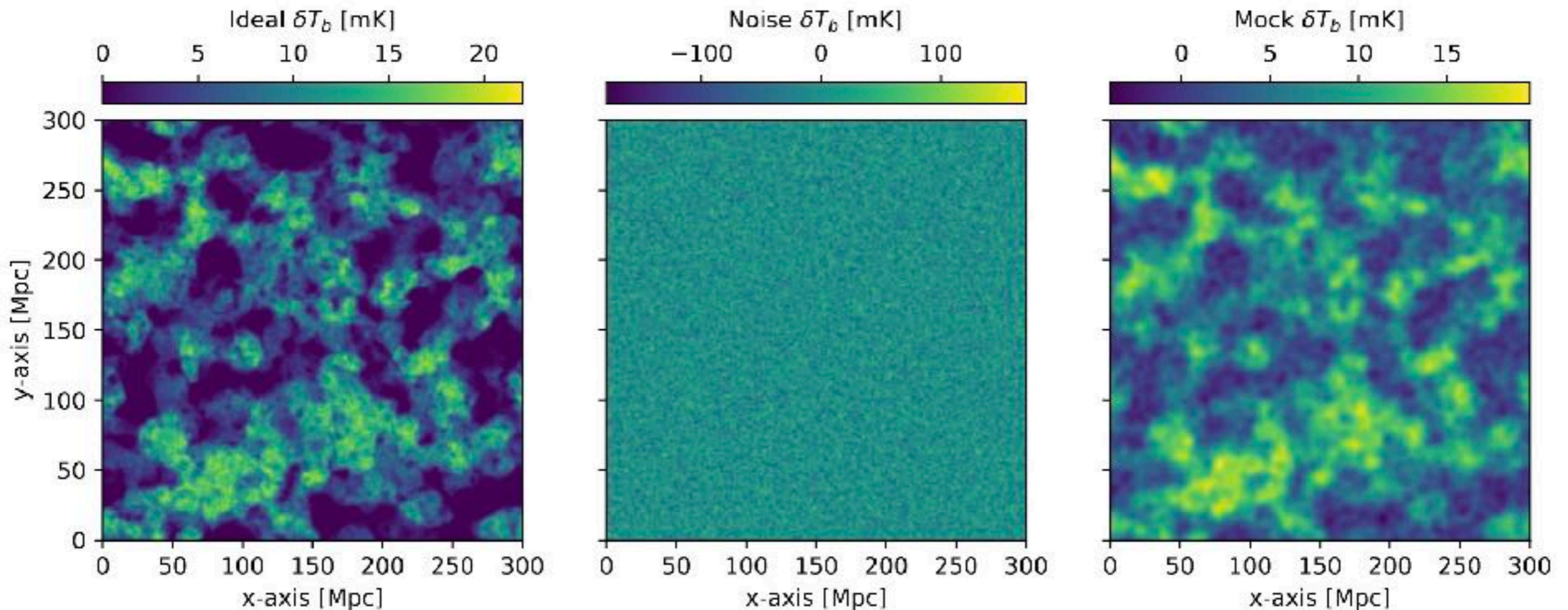
Redshift Evolution of the neutral fraction



★ We can look at the redshift when the universe is half ionised as a function of axion mass

21cm Intensity Mapping

Towards Realistic Images: Noise and Telescope Resolution



Noiseless, Ideal simulation

$$\sigma_{\text{noise}} = T_{\text{sys}} \sqrt{\frac{4\pi f_{\text{sky}}}{\Omega_{\text{beam}} N_{\text{dish}} t_{\text{int}} \Delta\nu}}$$

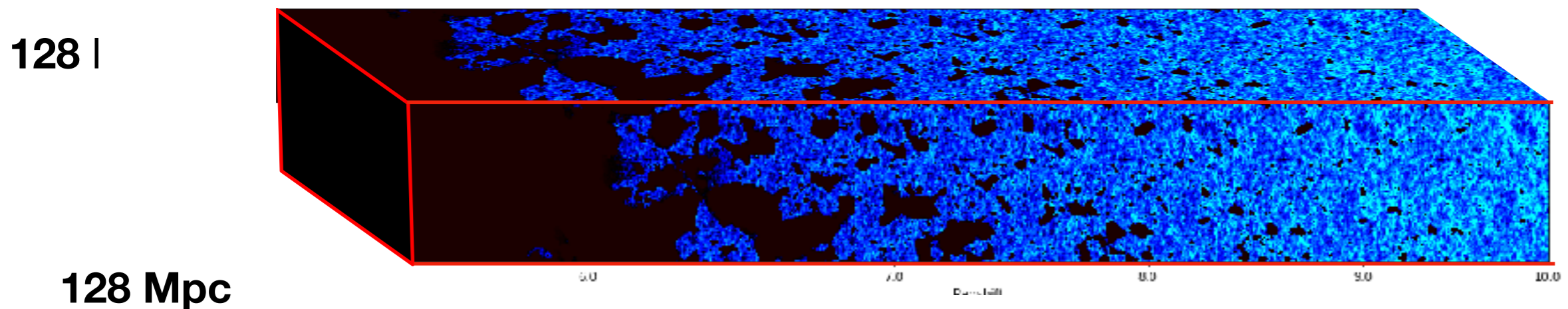
N_{dish} is the number of antenna, $\Delta\nu = 1\text{MHz}$ is the frequency bandwidth, $f_{\text{sky}} = 0.02$ is the fraction of sky observed, $t_{\text{int}} = 1,000\text{h}$ is the integration time, and $T_{\text{sys}} = T_{\text{rx}} + T_{\text{gal}}$ the system temperature is composed of

$$T_{\text{rx}} = 0.1T_{\text{gal}} + 40\text{K} \text{ and } T_{\text{gal}} = 25 \left(\frac{\nu}{408\text{MHz}} \right)^{-2.75}$$

Radio telescopes have an angular resolution $\Delta\theta \sim \frac{\lambda}{B}$, where B is the baseline which we adopt as 500m for the core antennas of the SKA1-Low design, and since $\lambda = \lambda_{21}(1+z)$, the resolution acquires a mild redshift dependence.

21cm Intensity Mapping

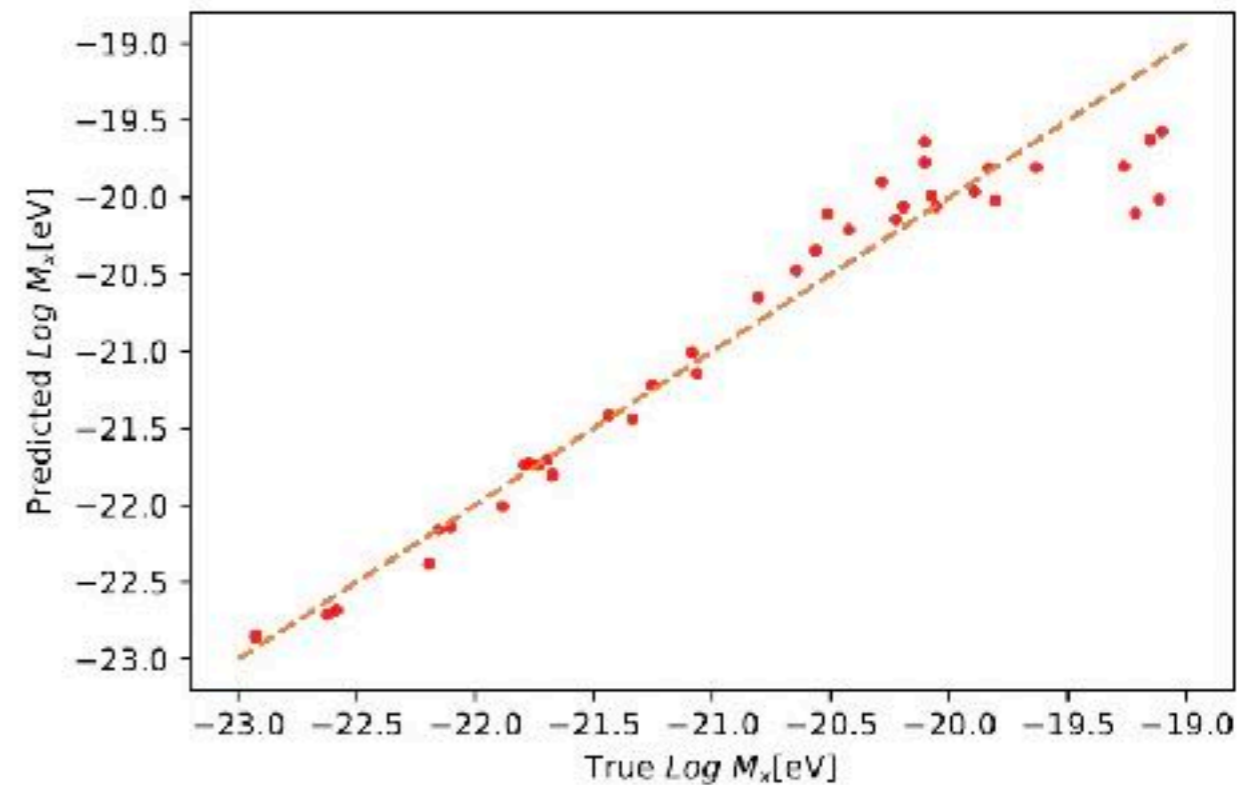
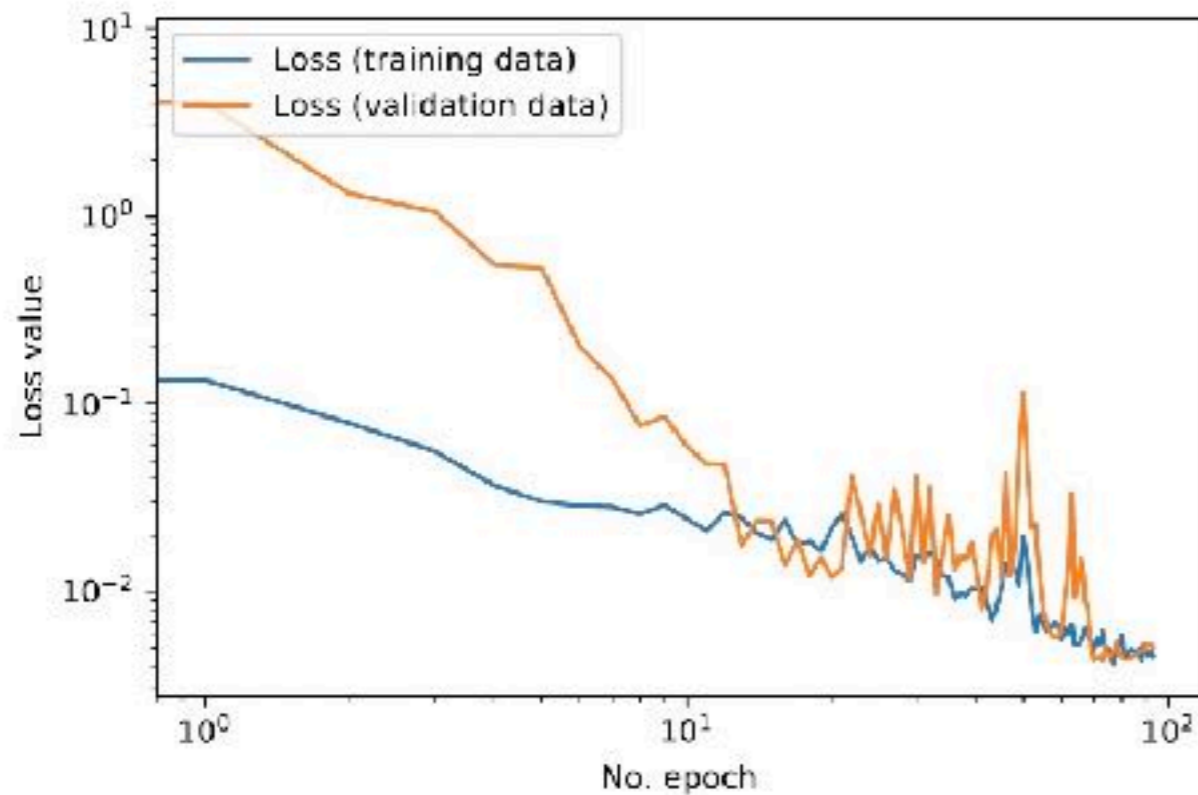
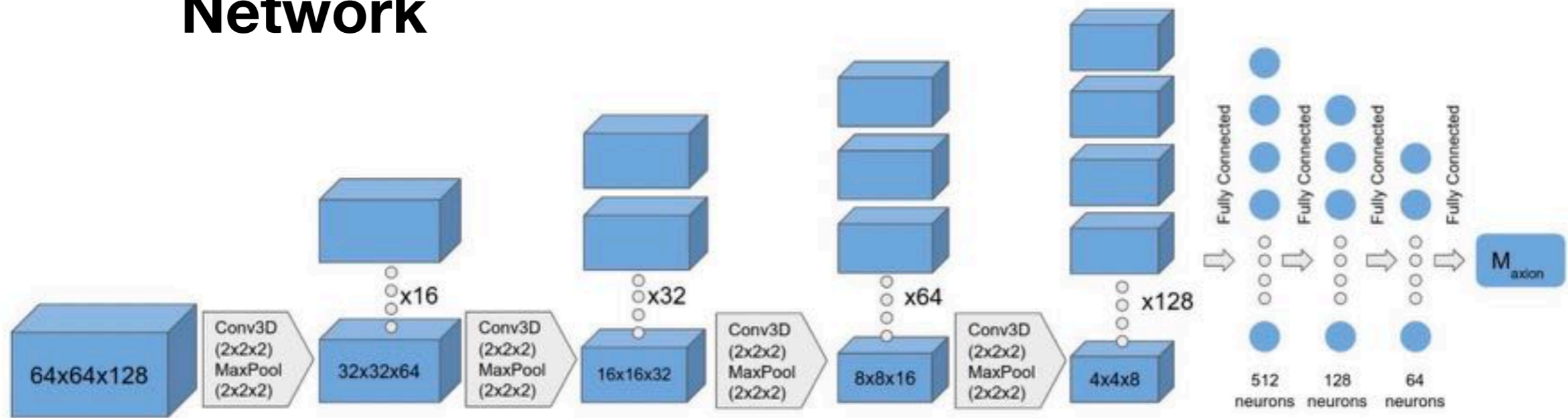
Data structure



**64 x 64 x 128 cells of 21cm Brightness temperature
Spanning 2 spatial dimensions and 1 redshift/frequency**

21cm Intensity Mapping

3D Convolutional Neural Network



21cm Intensity Mapping

3D Convolutional Neural Network

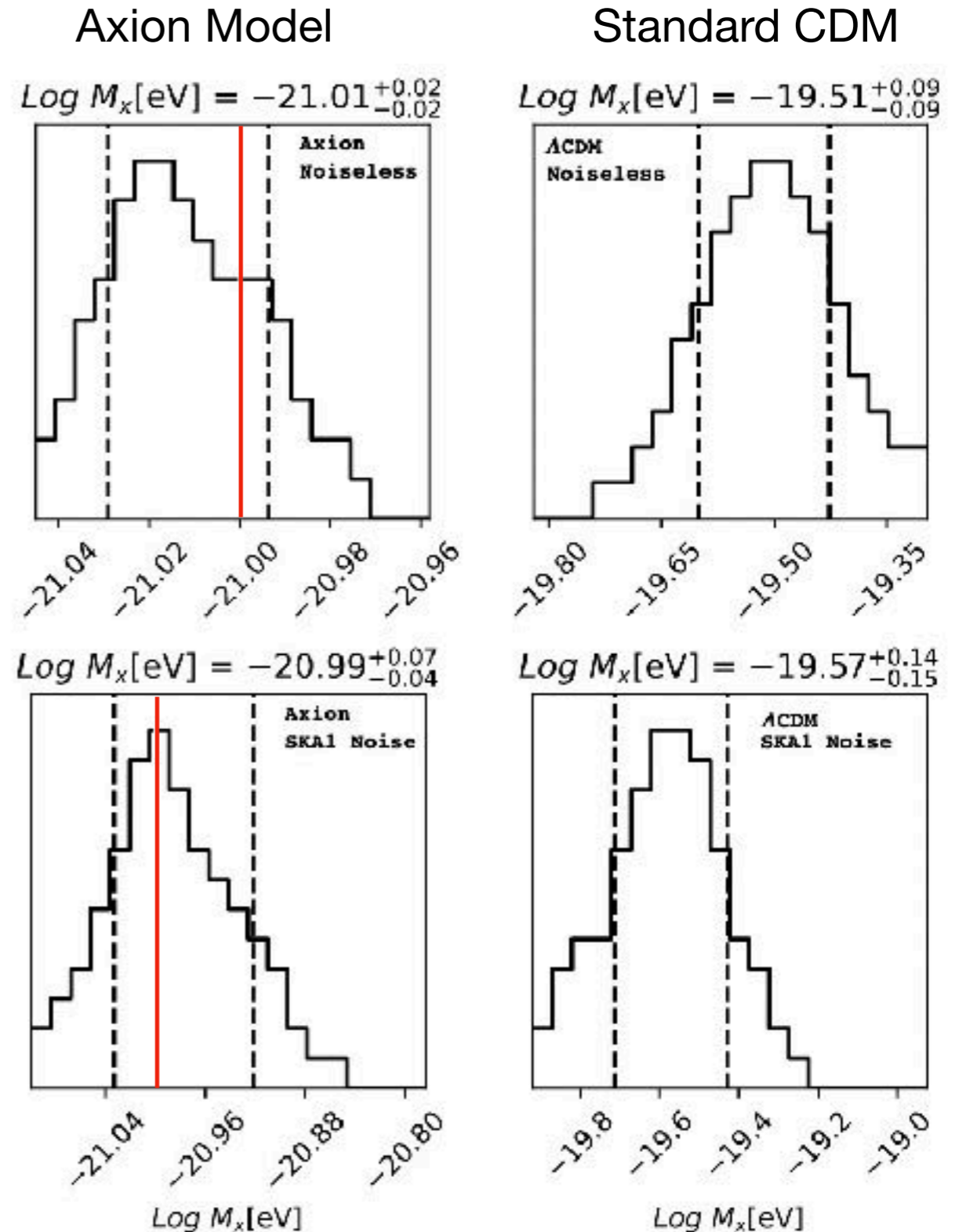
We trained two CNN networks:

- 1) on the ideal noiseless sims
- 2) on the realistic SKA1 noise sims

We now probe those two trained networks.

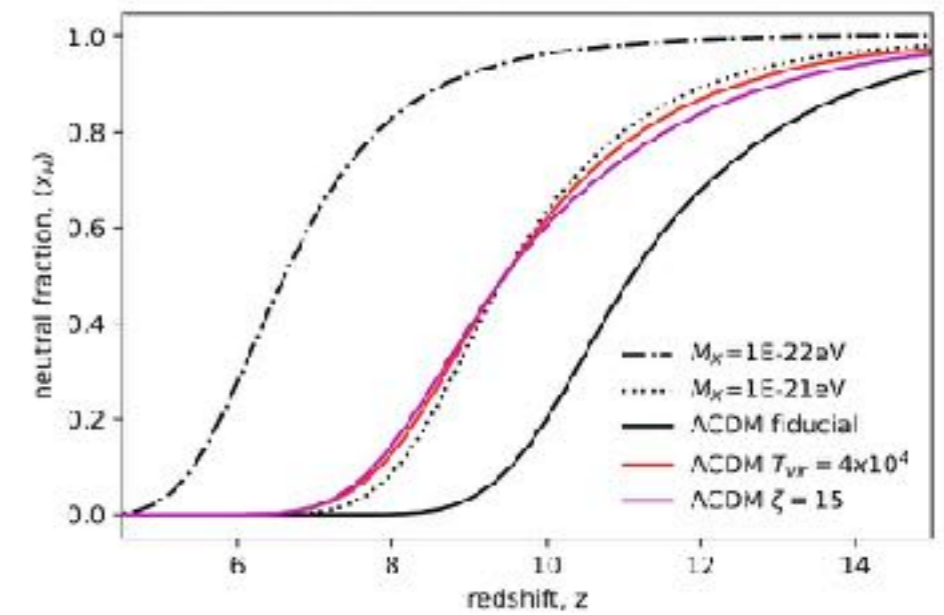
We create 200 mock observations each for the **standard DM** and an **ultra light axion dark matter** of fixed mass $\log M = -21$

We analyse each in the ideal no noise case and for realistic SKA1-Low noise



21cm Intensity Mapping

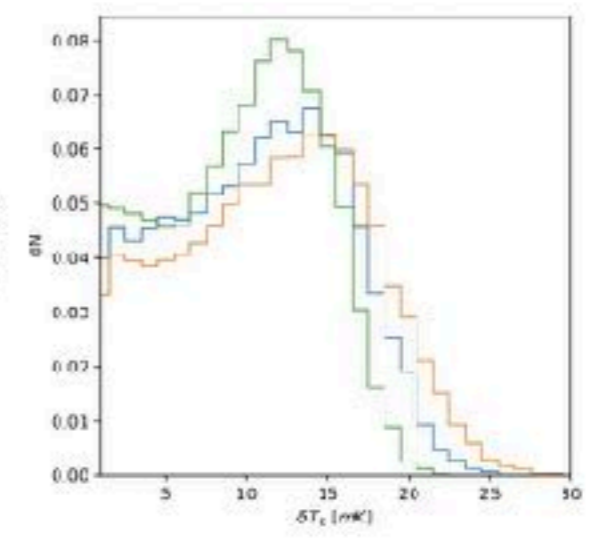
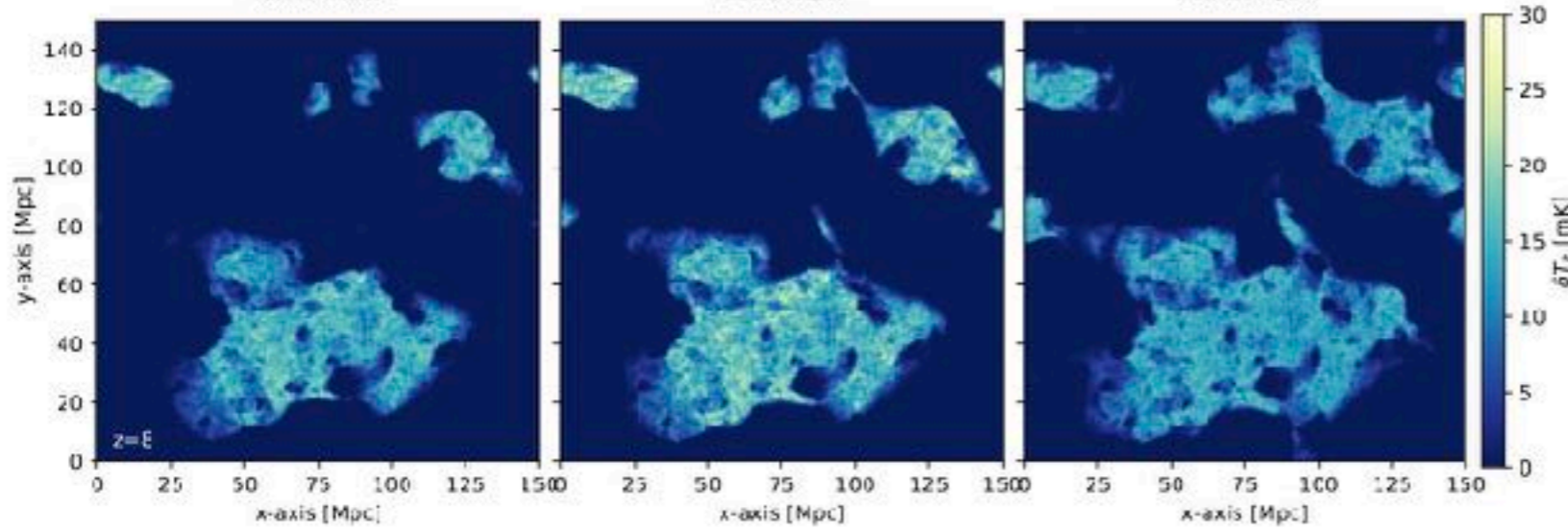
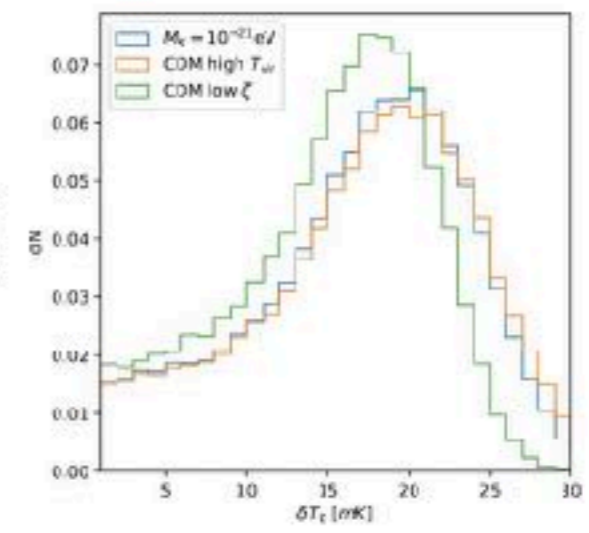
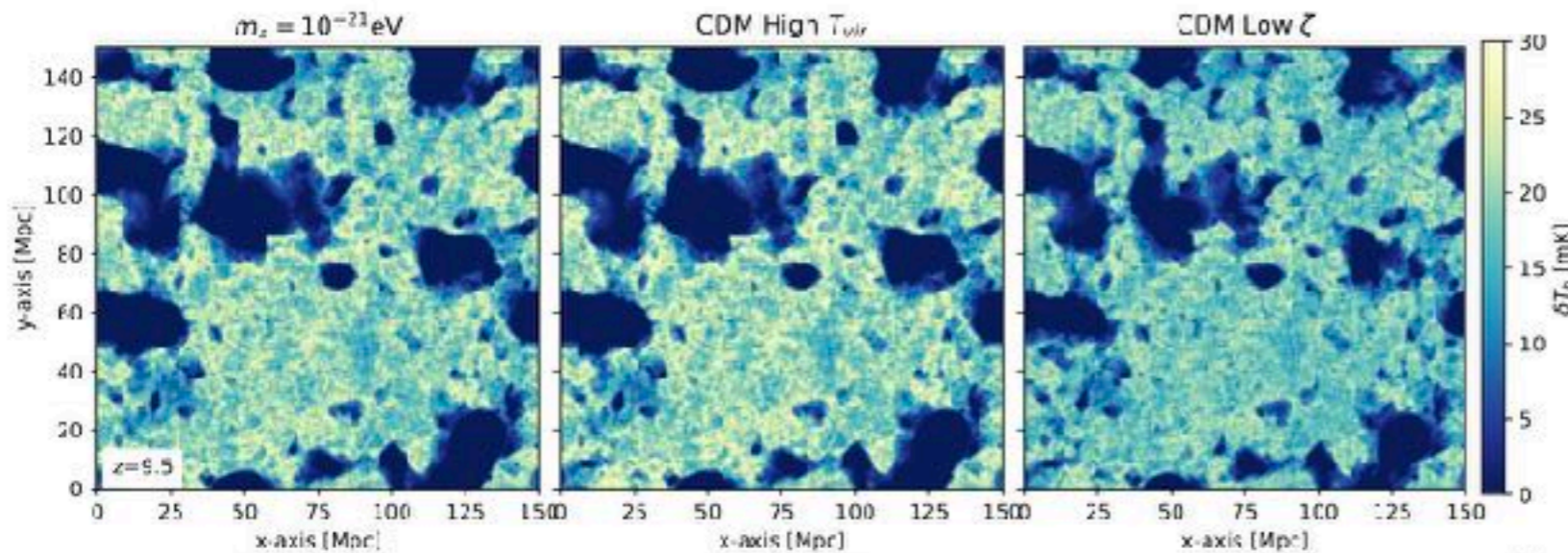
Breaking Degeneracy between Axion Mass and Astrophysical parameters



Fid astro params
Axion

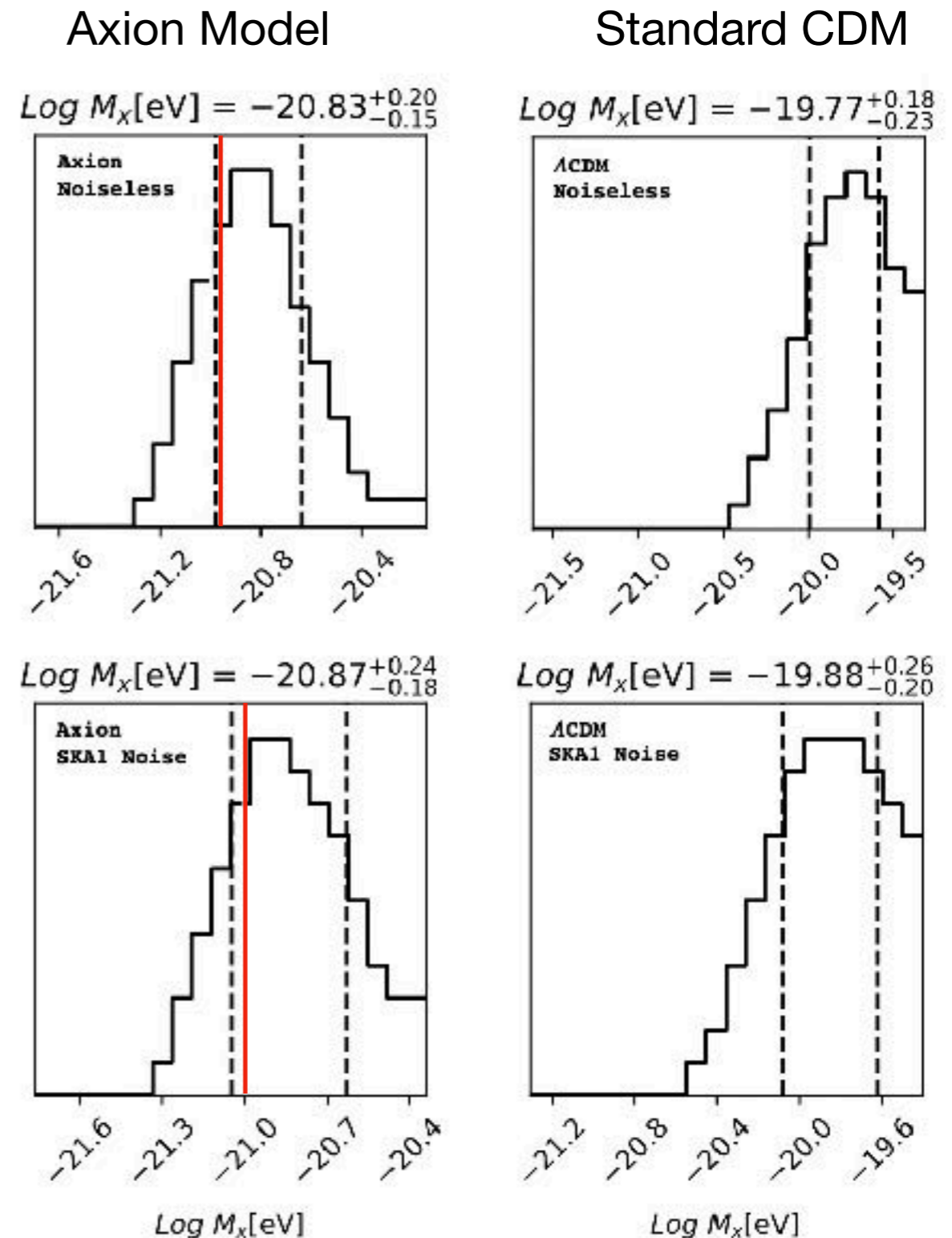
High T_{vir}
Std CDM

Low efficiency
Std CDM



Results & Conclusions

- ★ We made realistic SKA-1 LOW images of the 21cm signal in an axion DM scenario.
- ★ We applied a machine learning approach using convolutional neural networks and found that the trained network could constrain the axion particle mass
- ★ Astrophysical Parameters can mimic the axion signature - but not exactly
- ★ Marginalising over a wide range of nuance parameters we were able to constrain the **axion mass to ~20%** using a modest SKA1-Low design while assuming a fiducial Planck 2015 cosmology.
- ★ The axion can be detected with SKA at if the axion is $M_X < 1.86 \times 10^{-20} \text{eV}$ although this can decrease to $M_X < 5.25 \times 10^{-21} \text{eV}$ if we relax our assumptions



Take your own message home

but here are some suggestions...

- ★ **Spectroscopic surveys** have provided us with a exquisite measurements of the **expansion history** and **growth of structure** in the universe allowing us to constrain models...
- ★ **Deep Learning** may allow us to extract more cosmological information than standard techniques
- ★ Adopting a fully **forward modelling** approach to cosmology (required by most ML) may shed light on some important issues, e.g. parameter tensions, error/covariance under-estimation, etc

Thank You