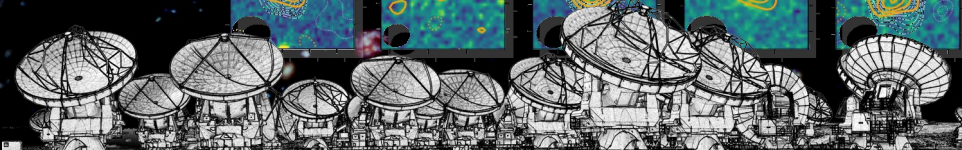
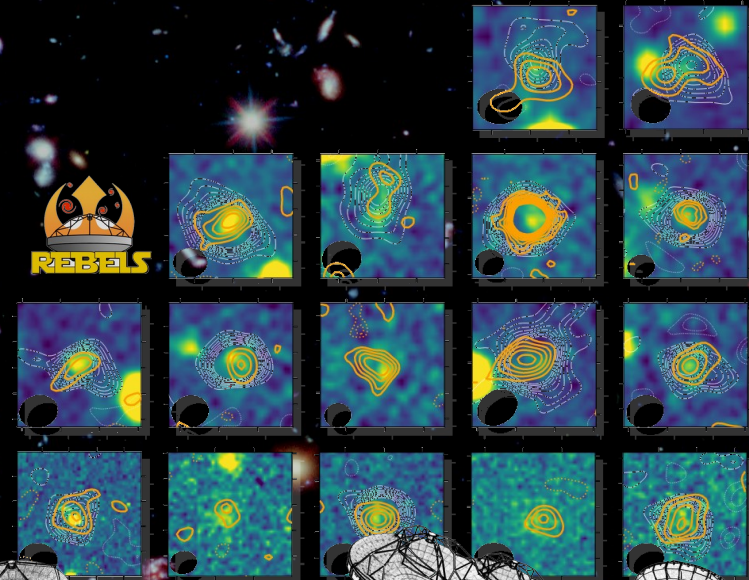
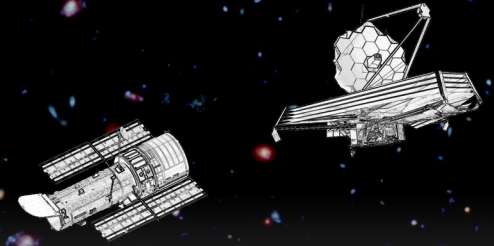


Newborn but dusty: The obscured(d) puzzle of EoR galaxies

Laura Sommovigo



In collaboration with:

A. Ferrara, S. Carniani, A. Pallottini,
T. Bakx, P. Dayal, S. Gallerani, L. Vallini,
A. Zanella & **REBELS** team



erc



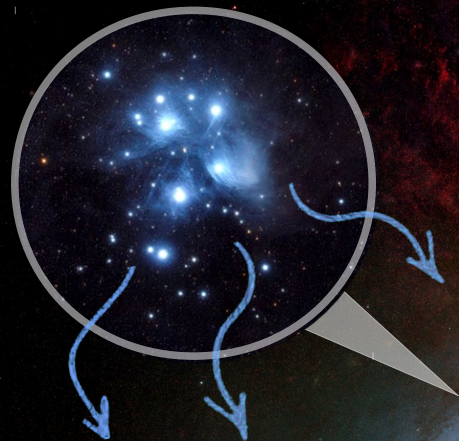
SCUOLA
NORMALE
SUPERIORE



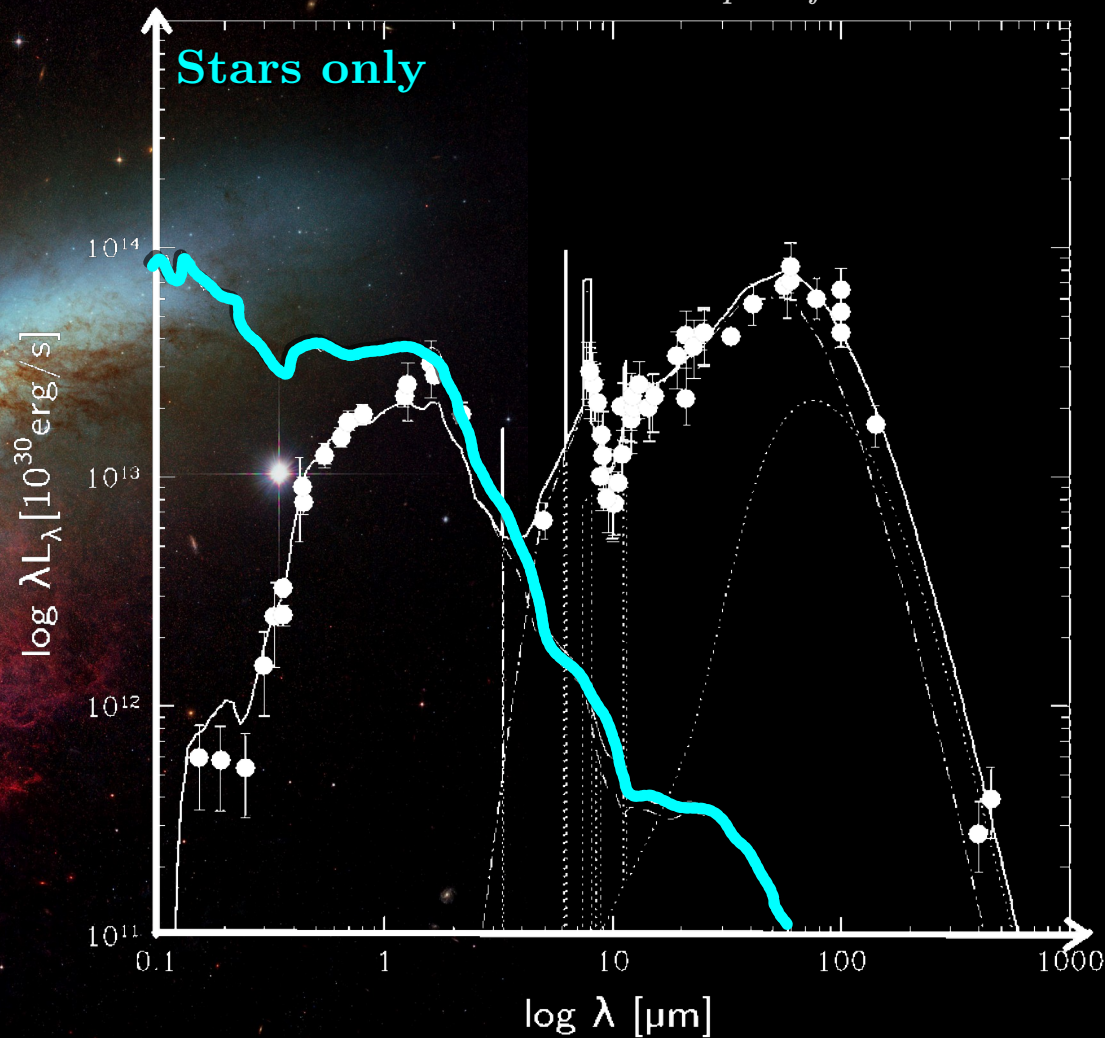
Why do we care about dust?

Adapted from: Silva+98

Young stars



UV and optical
radiation

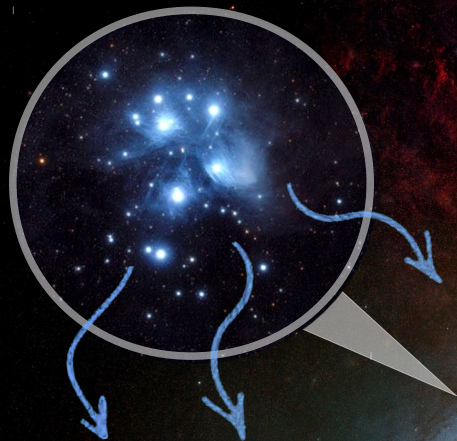


M82: local galaxy

Why do we care about dust?

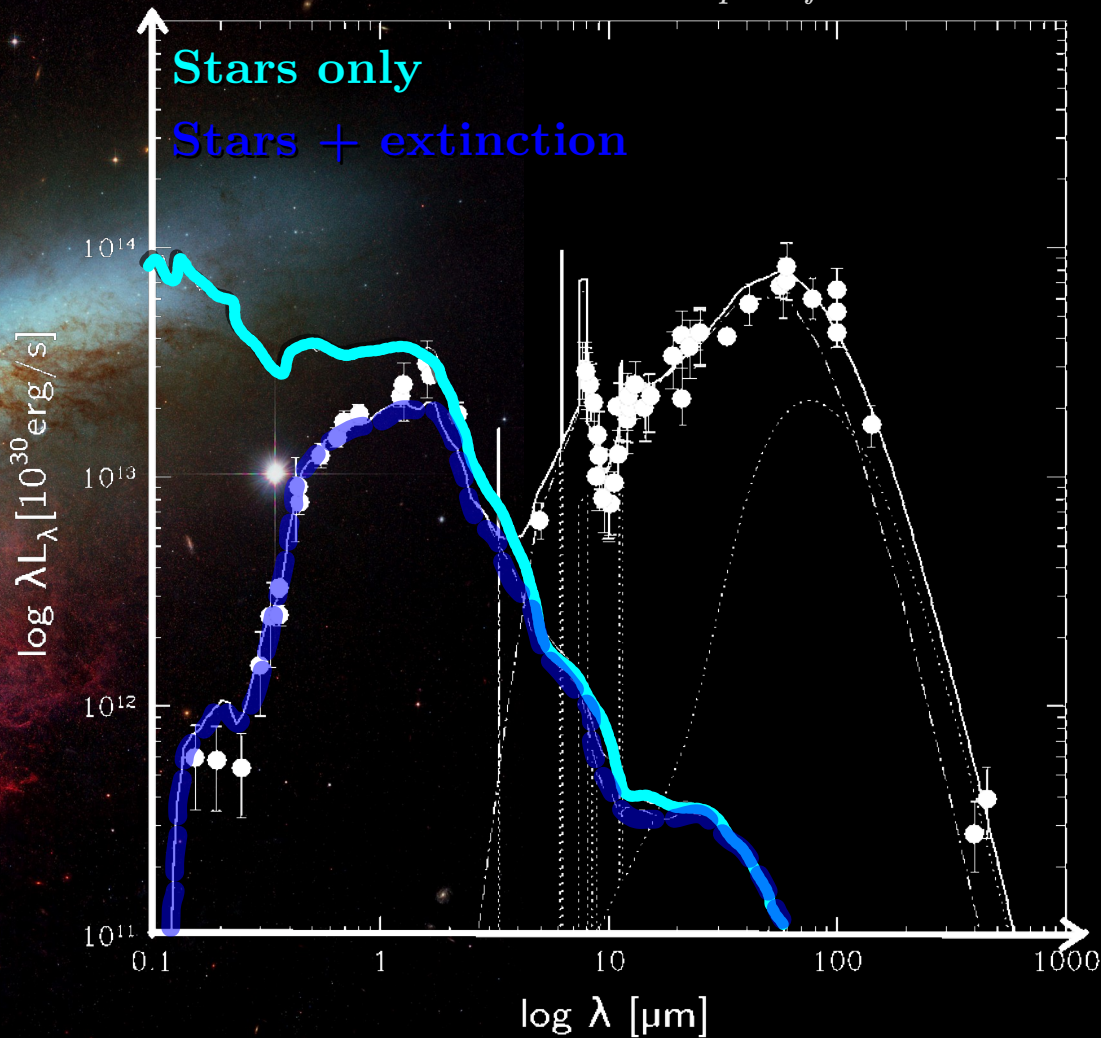
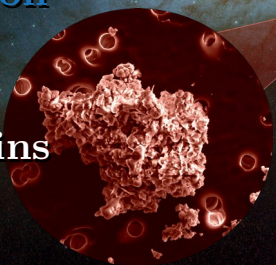
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Dust grains

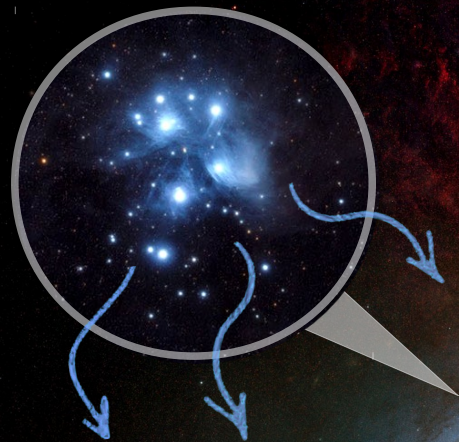


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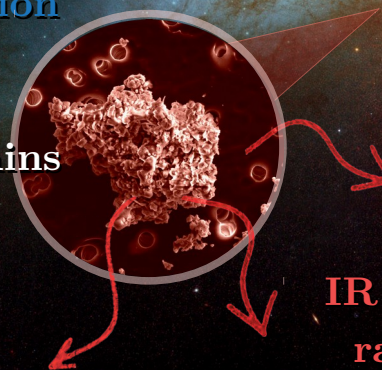
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Young stars



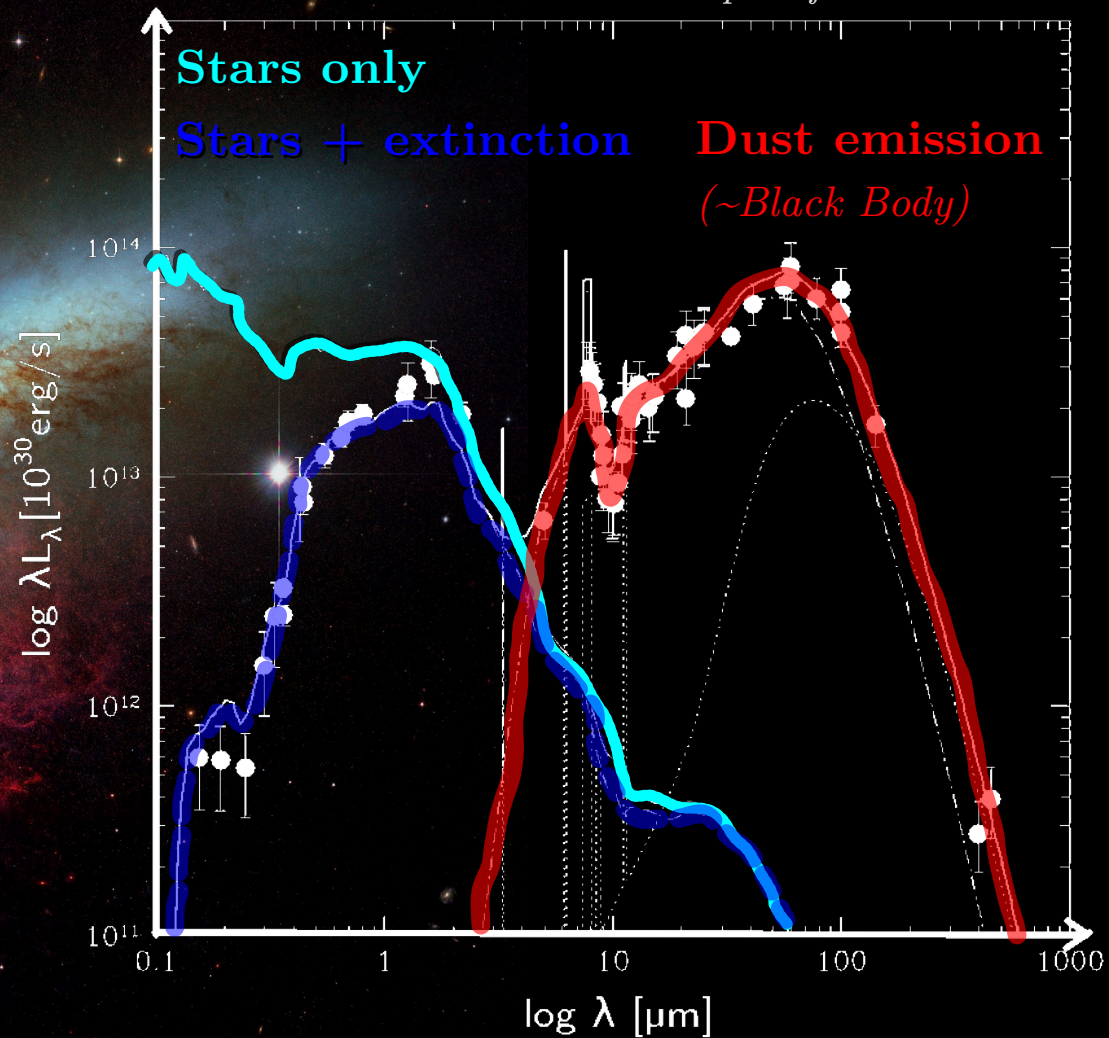
UV and optical radiation

Dust grains



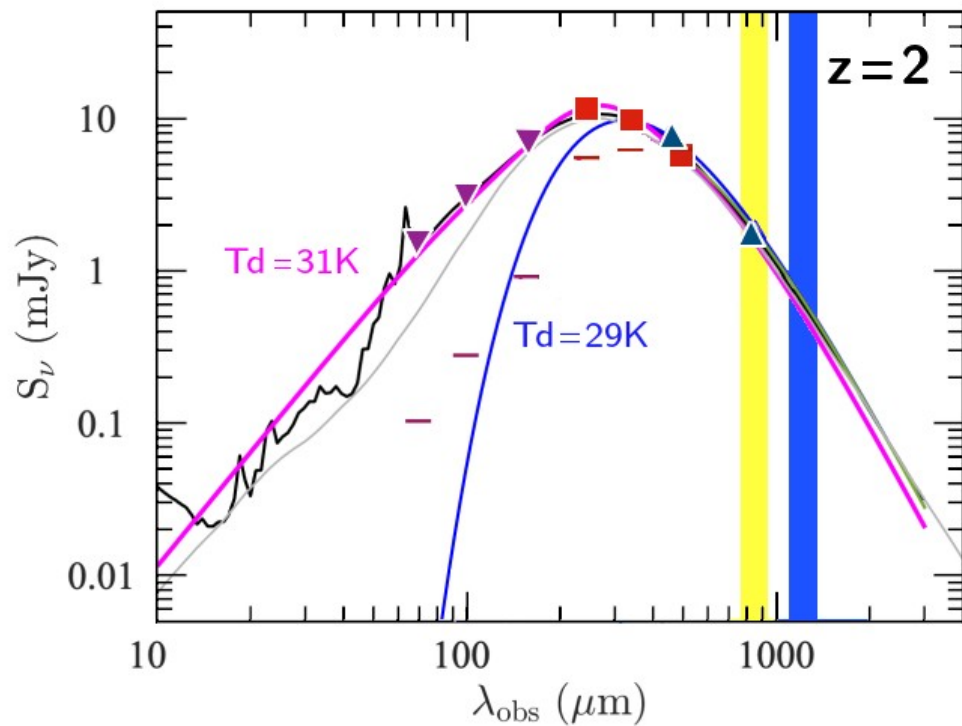
IR and FIR radiation

M82: local galaxy

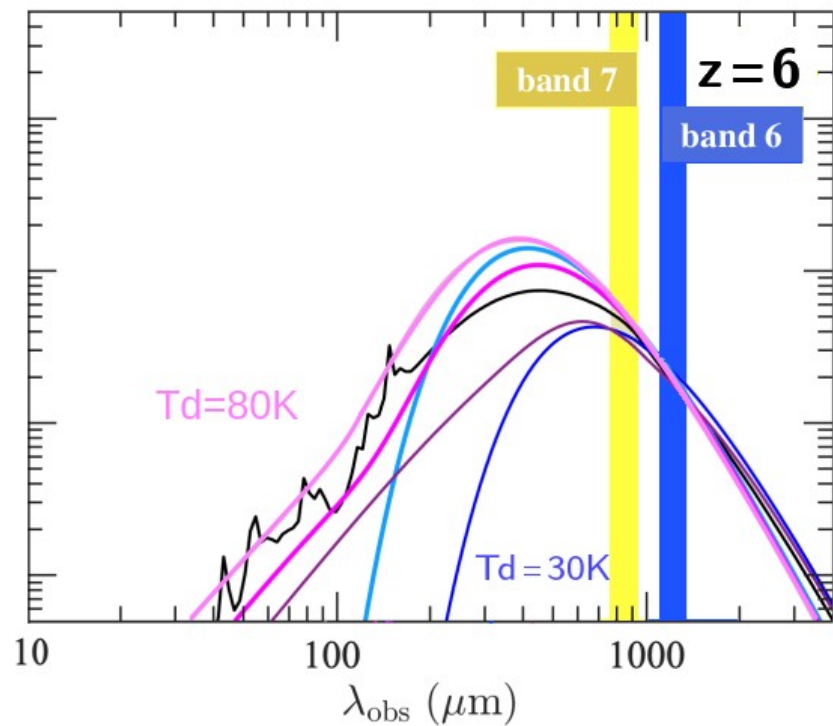


Observational challenges at high-redshift

Low-z

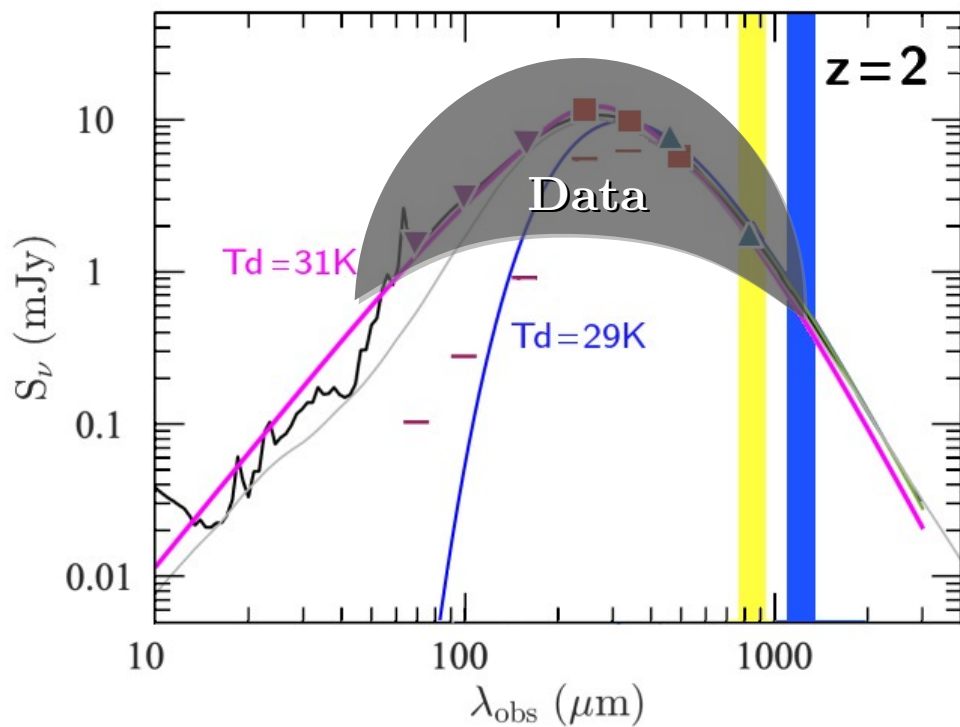


High-z

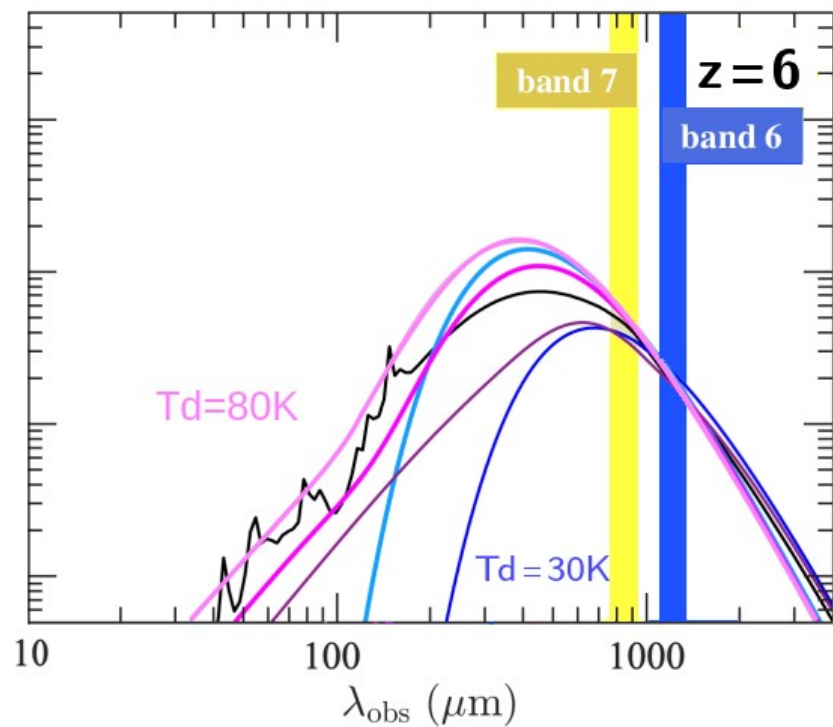


Observational challenges at high-redshift

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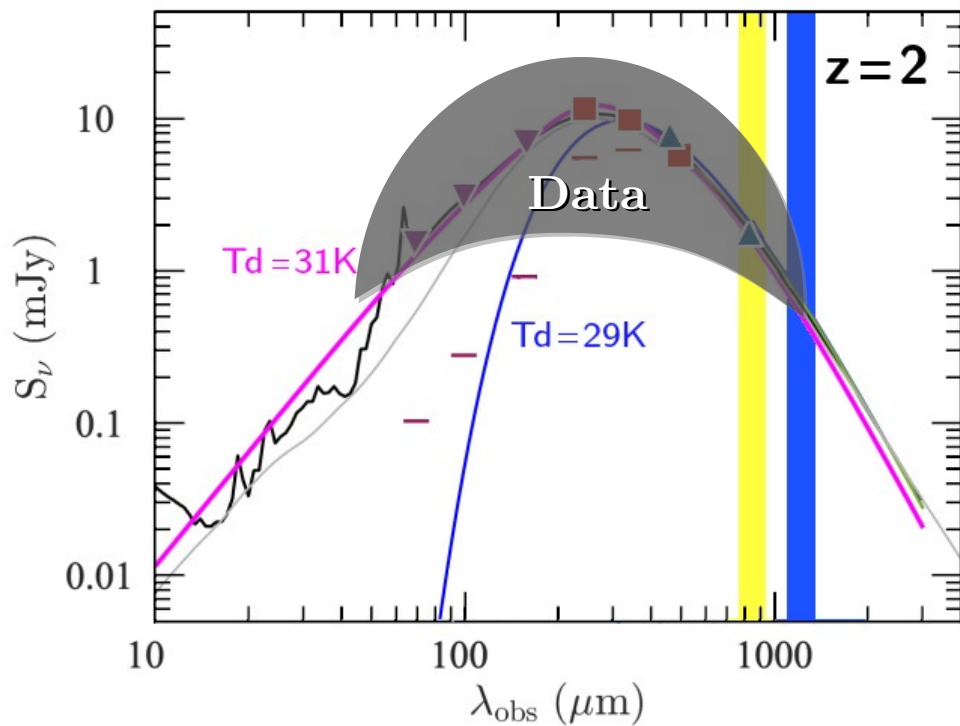


High-z

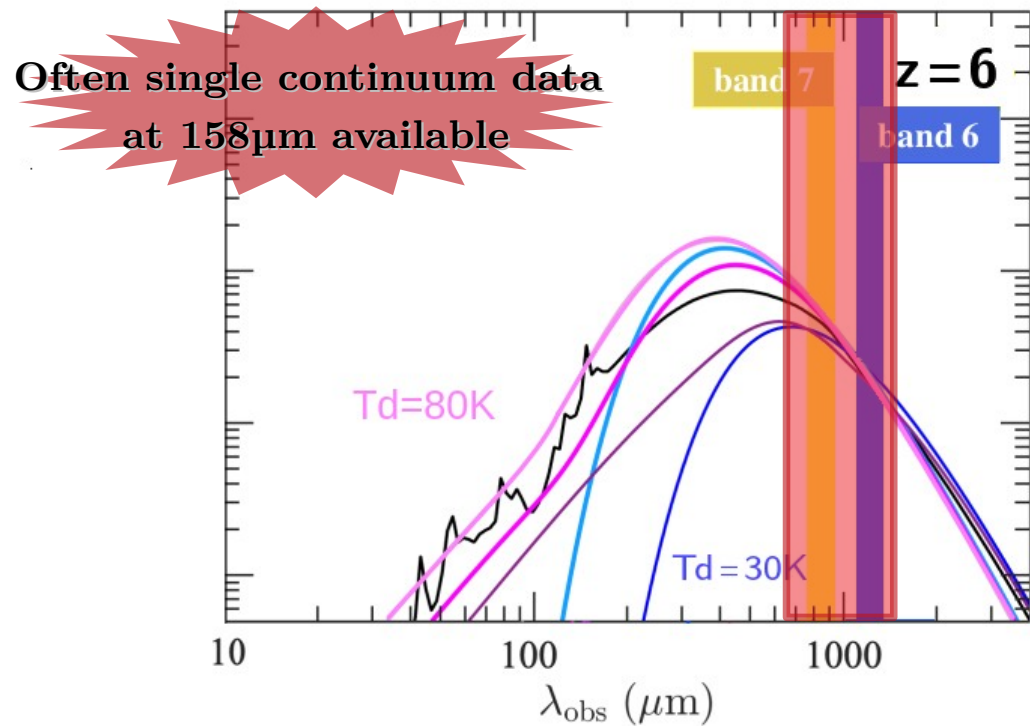


Observational challenges at high-redshift

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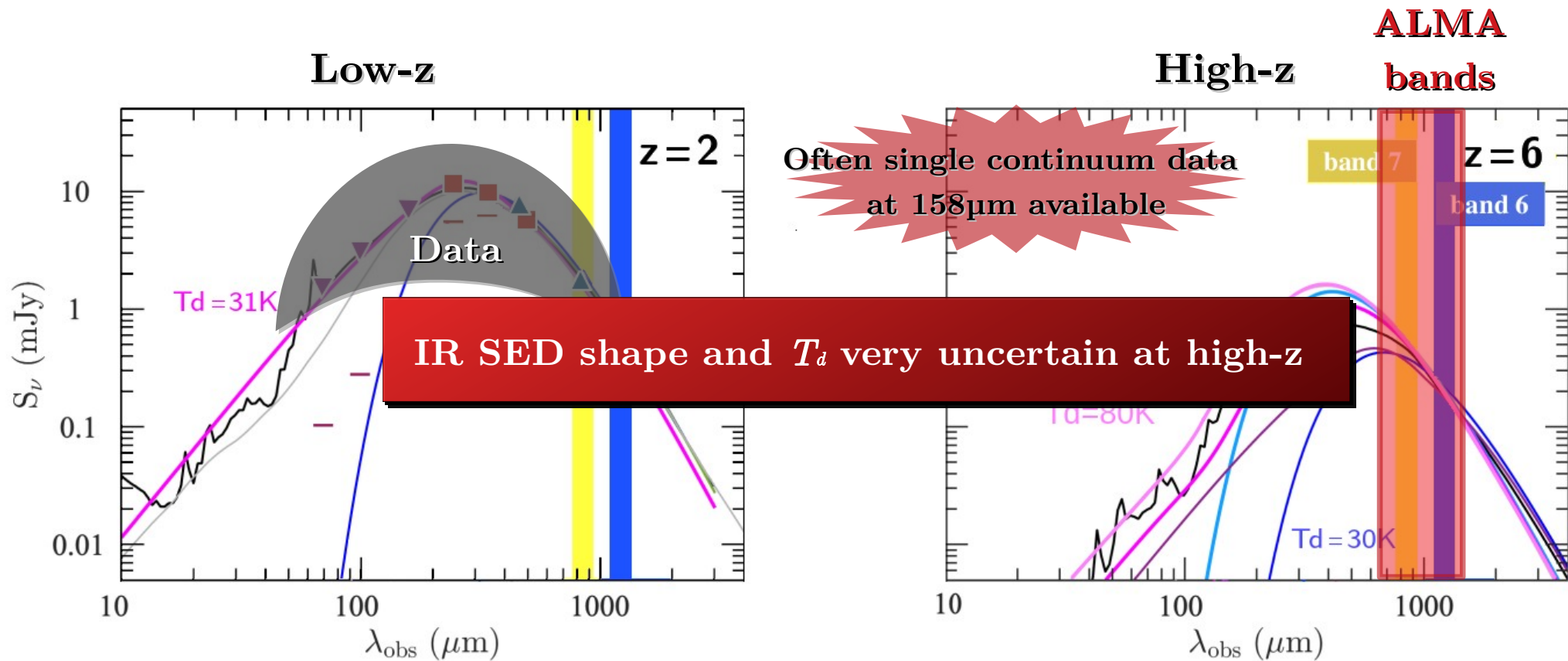


High-z

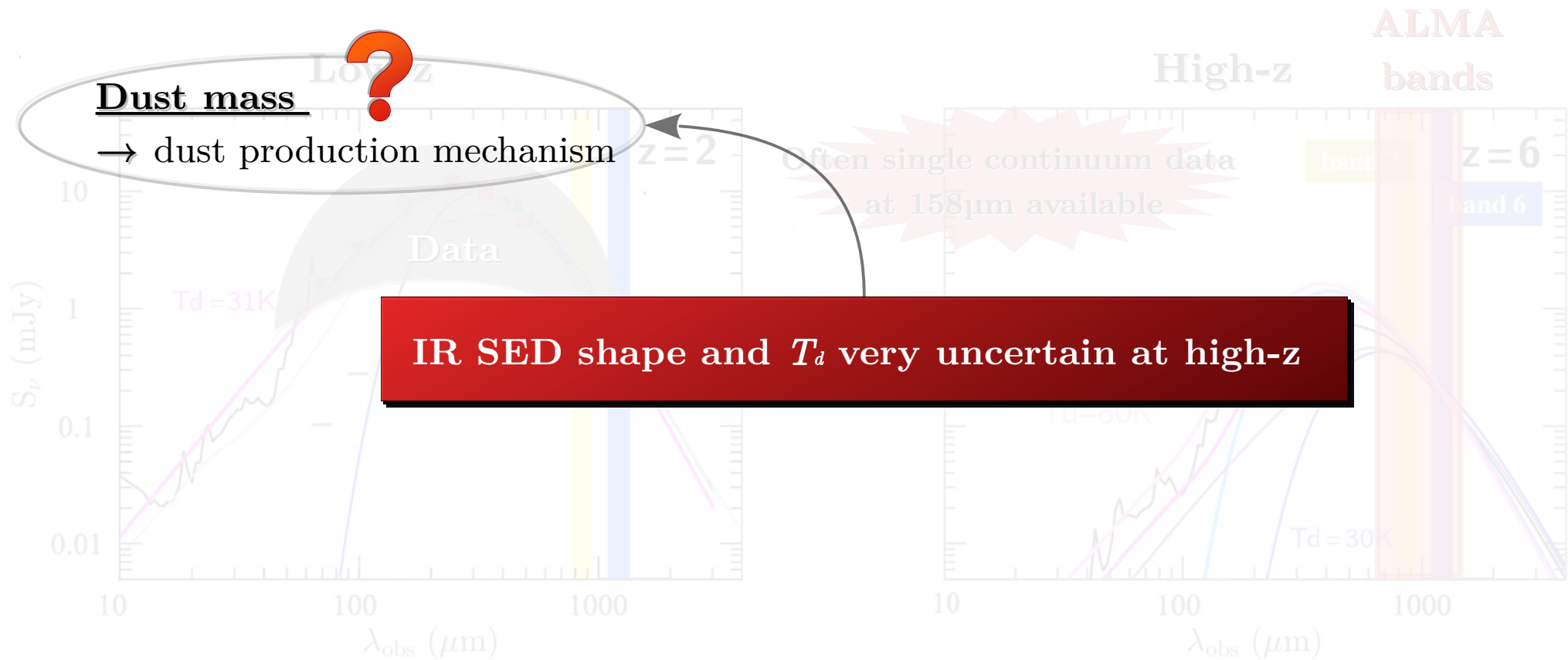


ALMA
bands

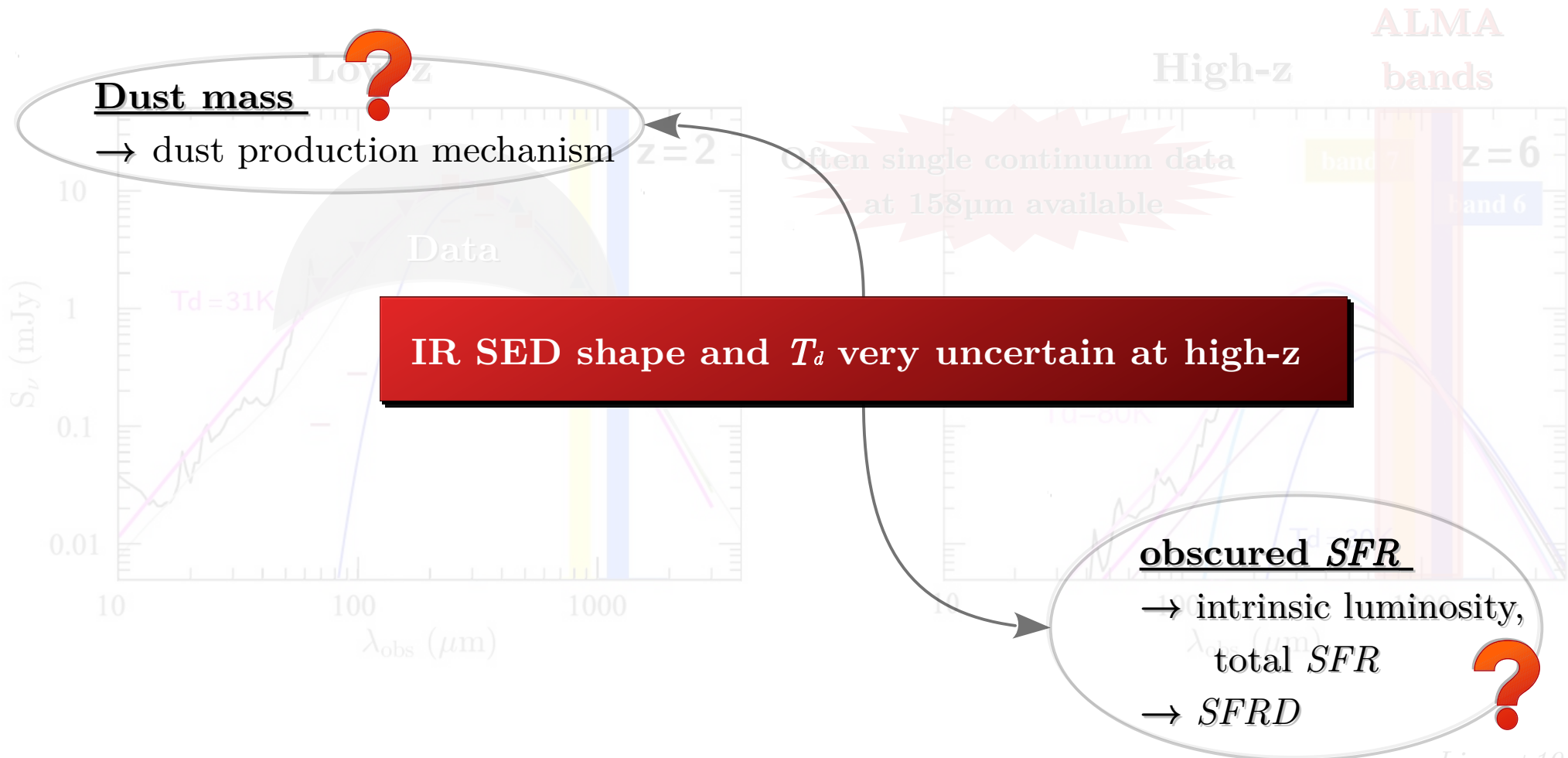
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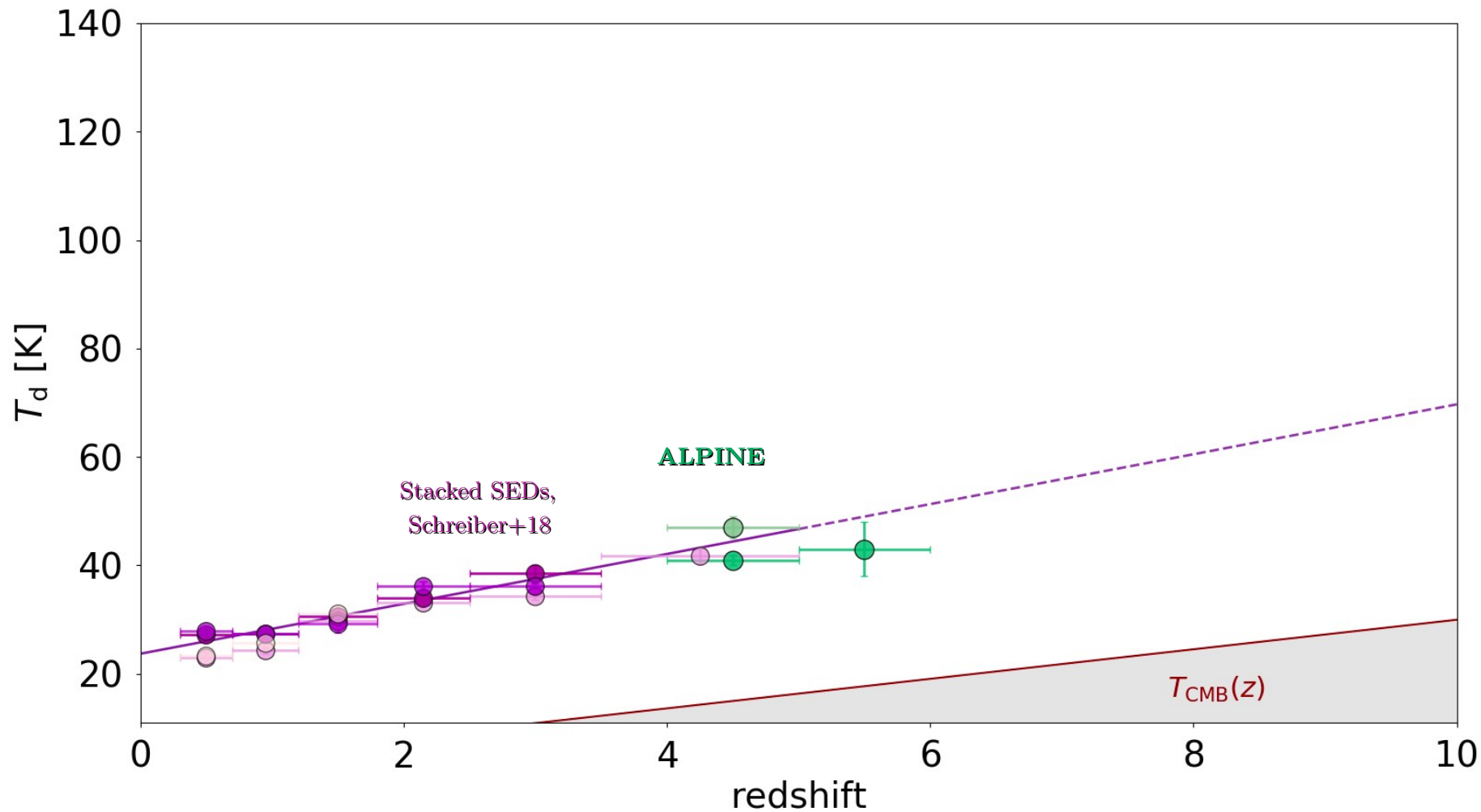
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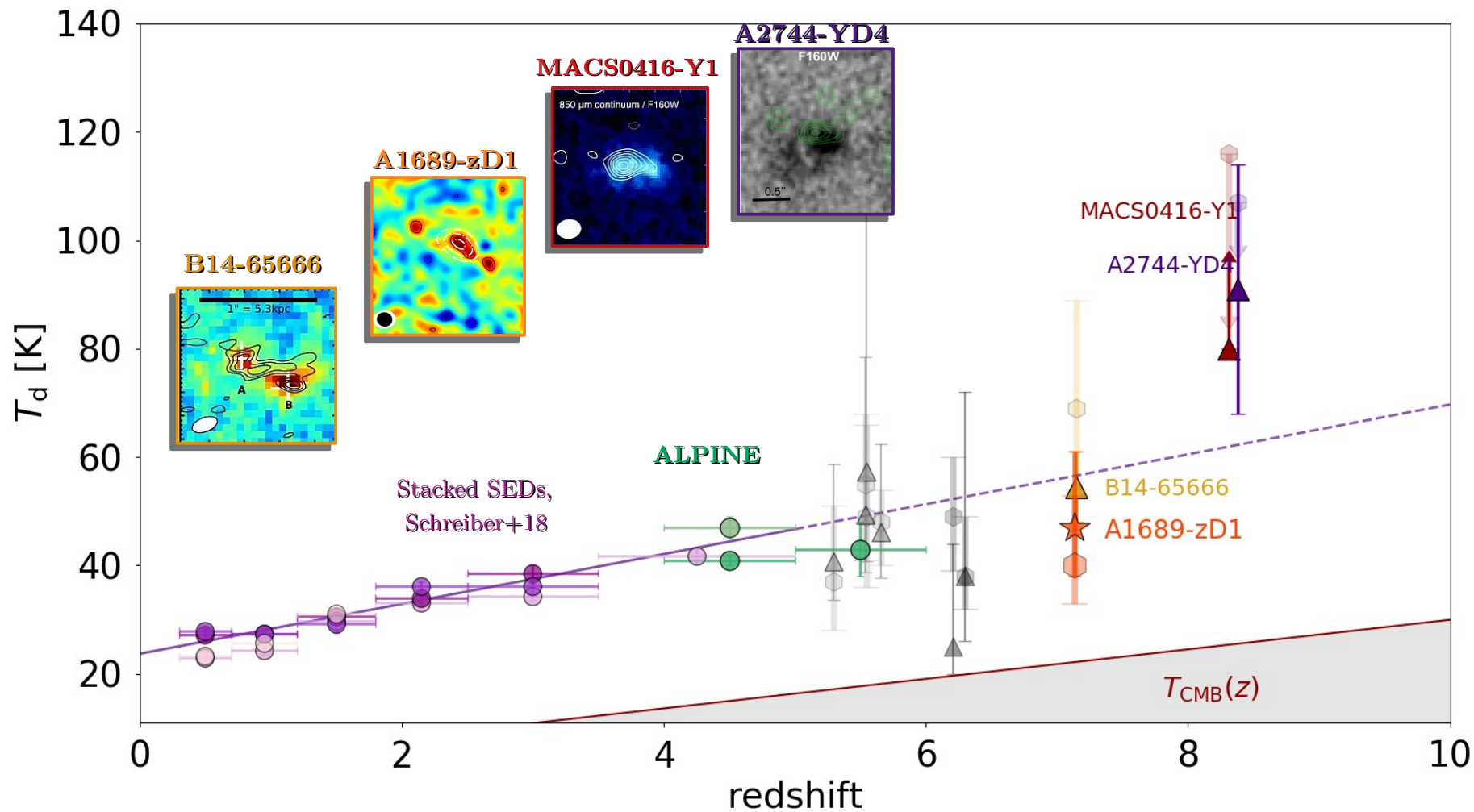


Cosmic dust temperature evolution?



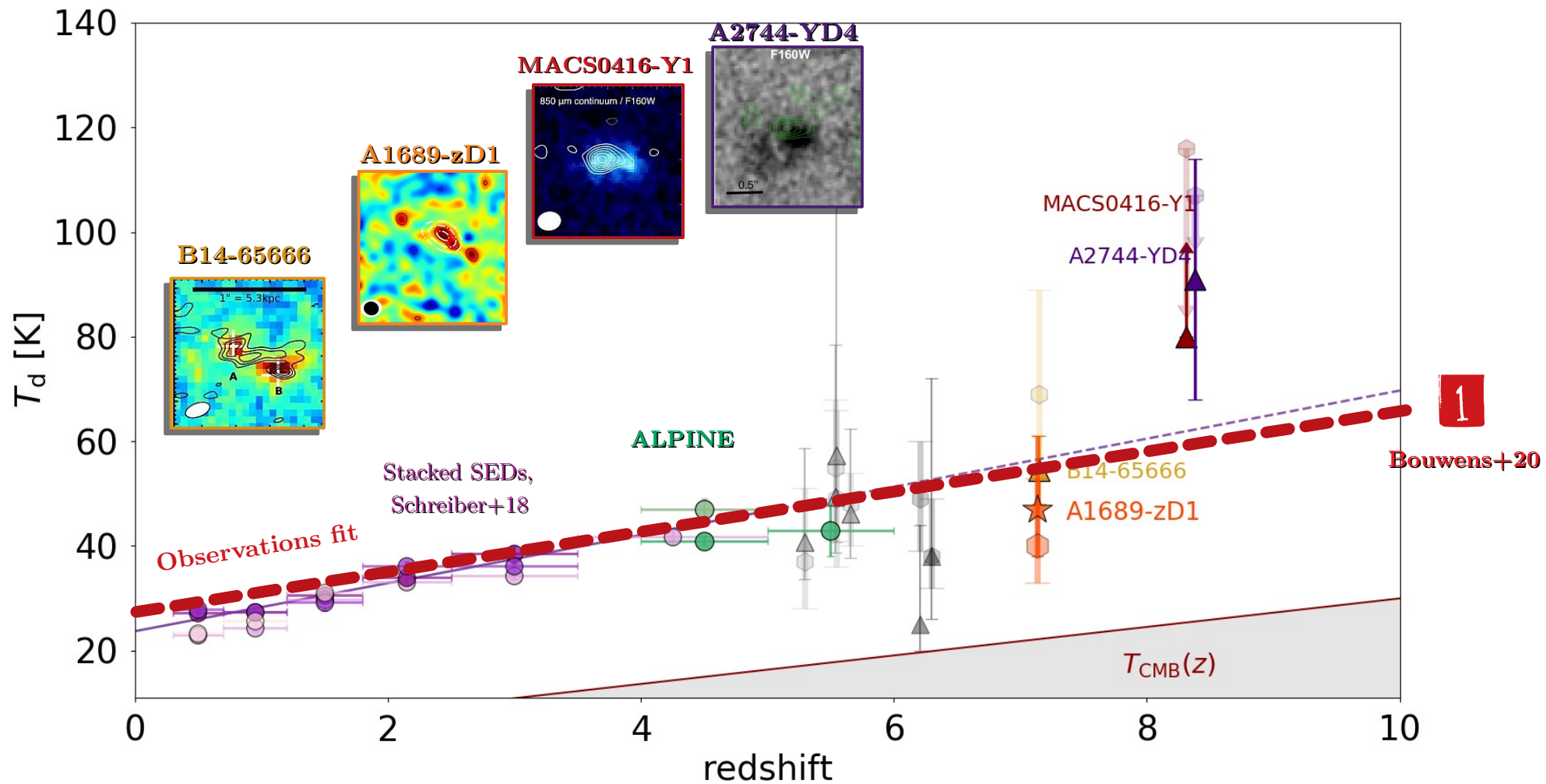
See also: *Magdis+12a; Magnelli+13; Bethermin+15,+20, Liang+19, Faisst+20; Bouwens+20; Reuter+20*

Cosmic dust temperature evolution?



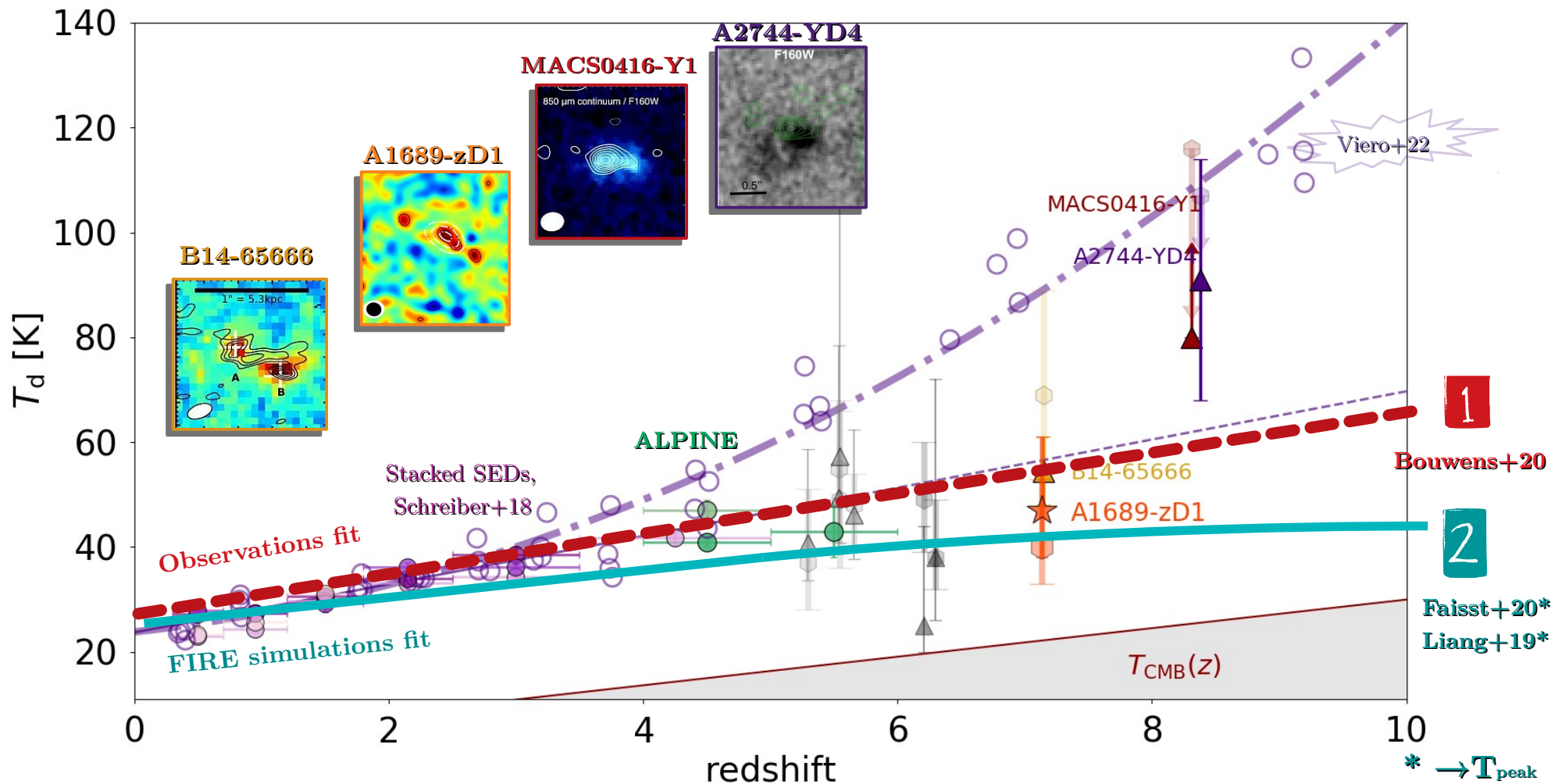
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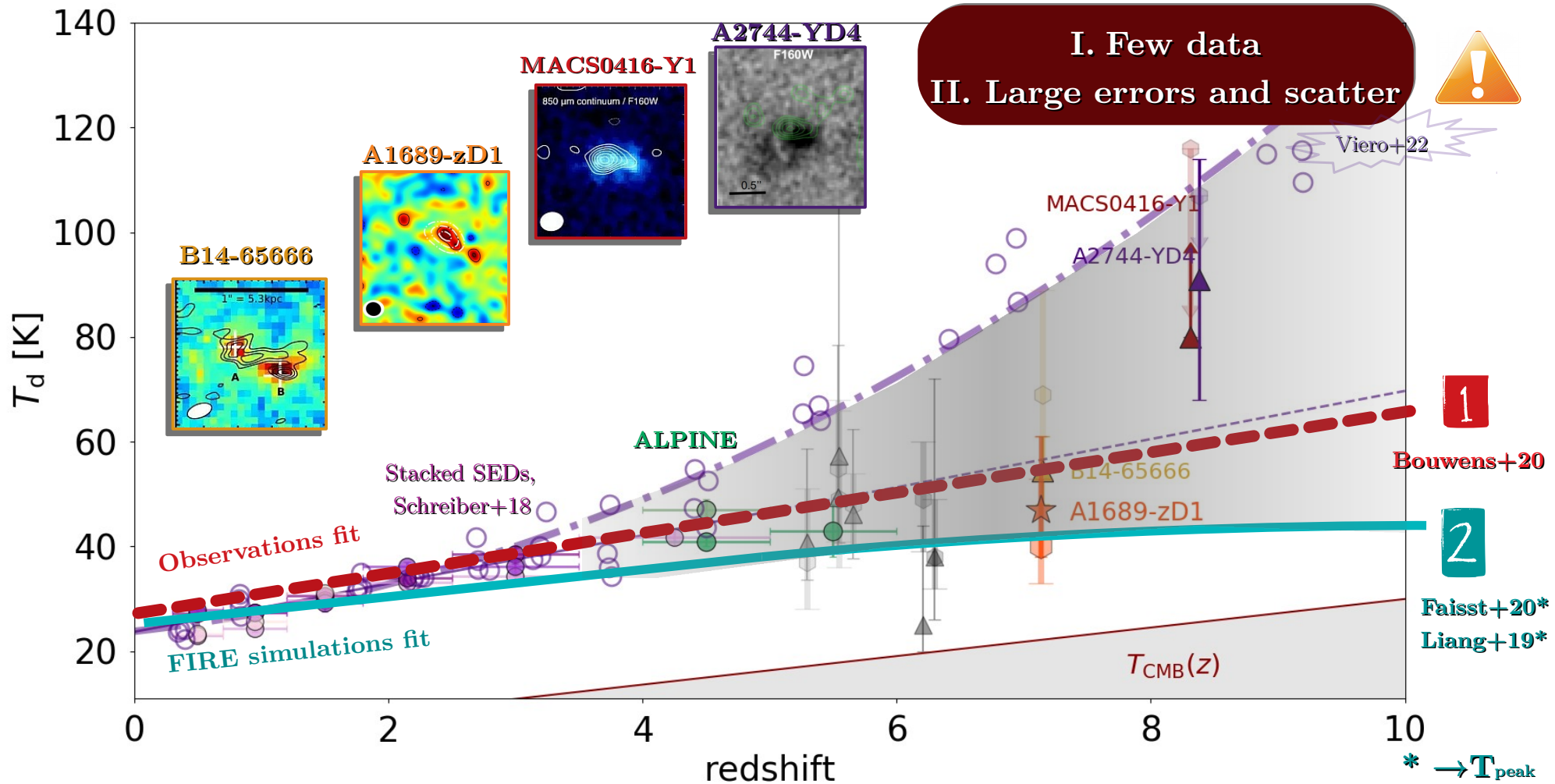
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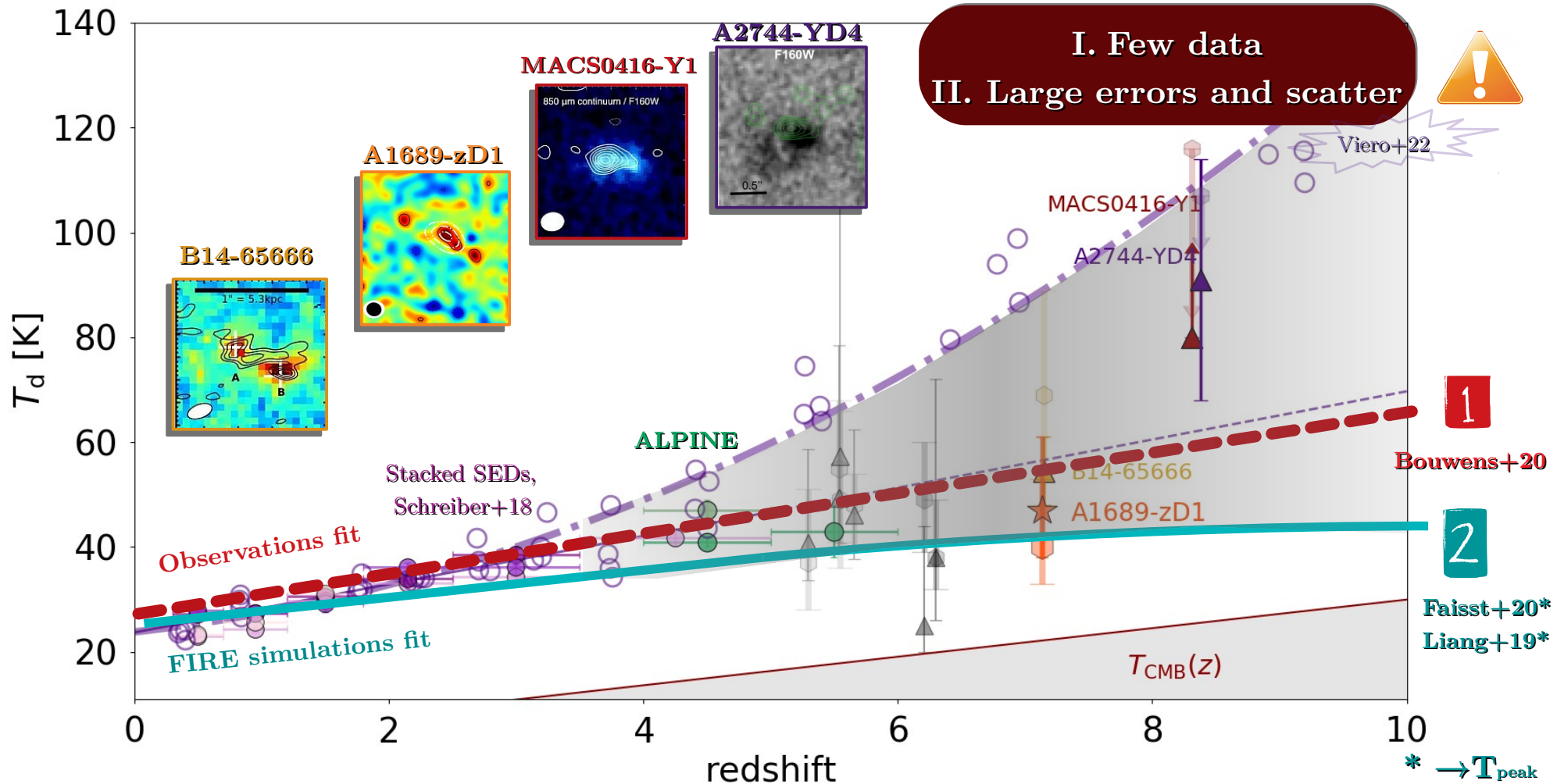
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Cosmic dust temperature evolution?



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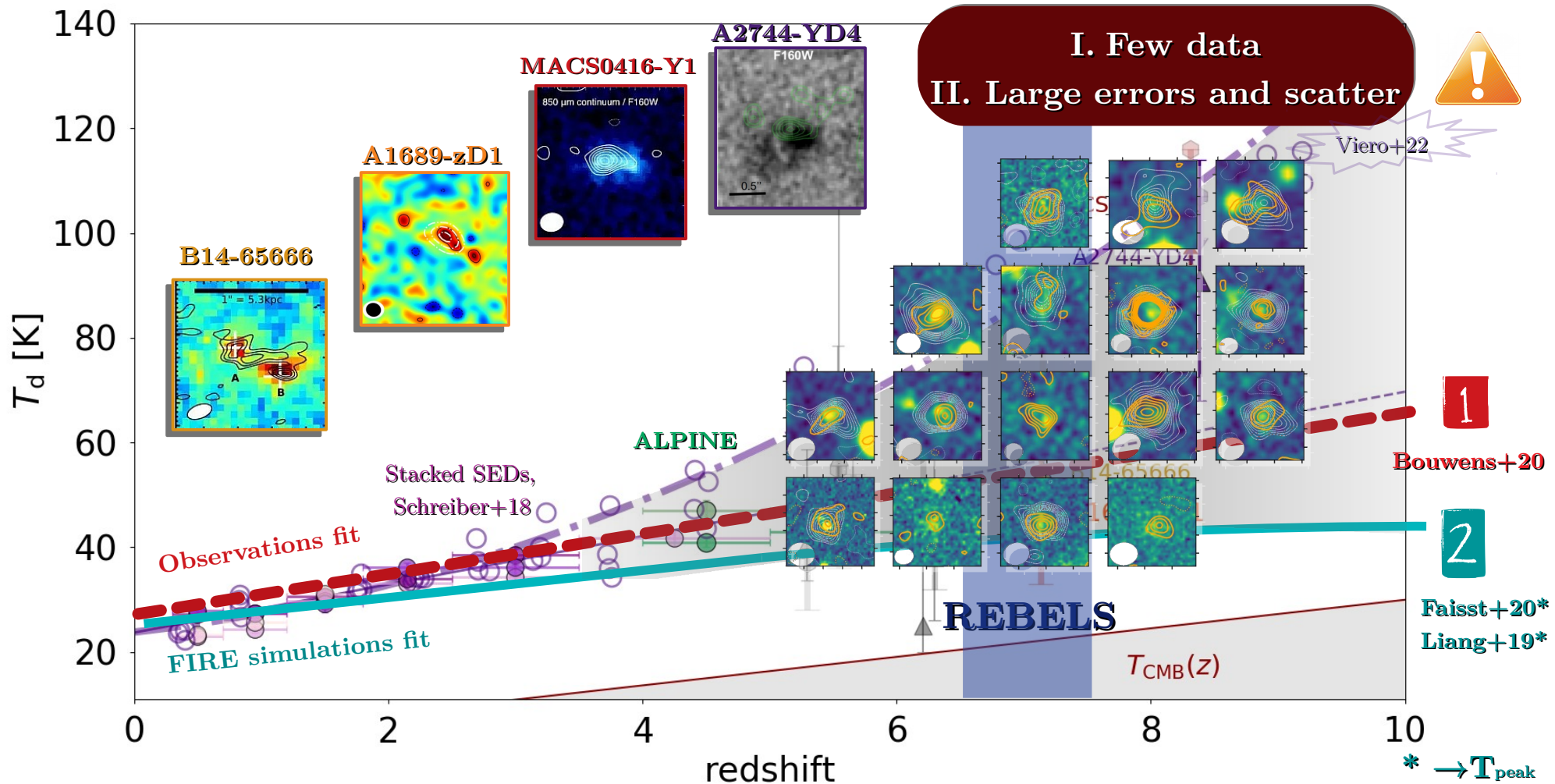
Cosmic dust temperature evolution?



No physical motivation



Cosmic dust temperature evolution?



REBELS ALMA Large Program



Reionization Era Bright Emission Line Survey

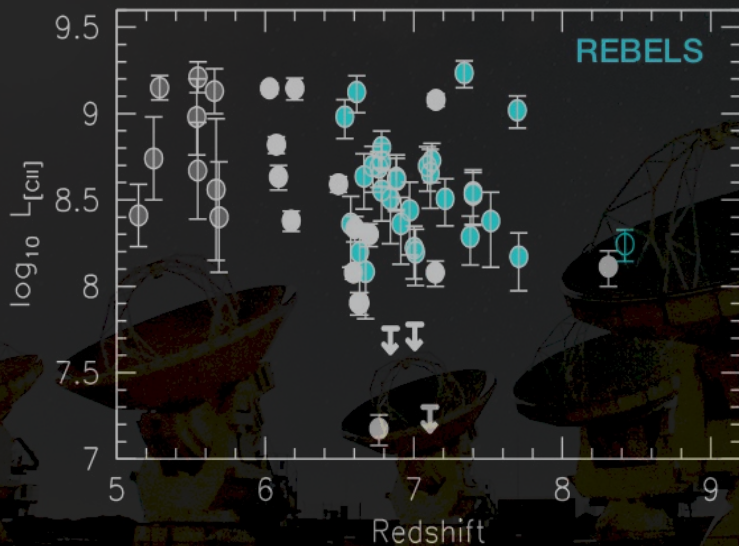
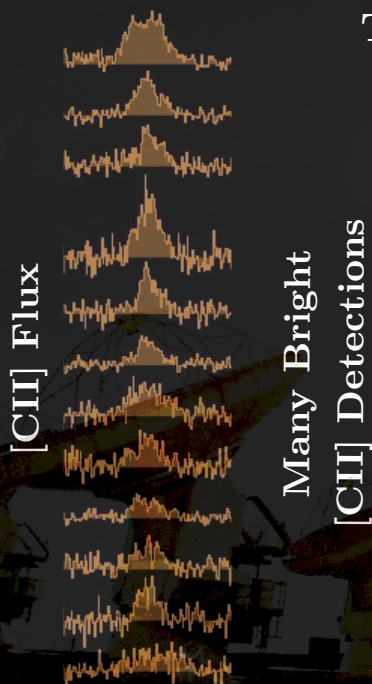
(PI: Bouwens, co-PIs: Gonzalez, Inami, Stark)

70-hours of Observations

For further details see: *Bouwens+21*

co-Is: Renske Smit, Pascal Oesch, Sander Schouws, Mauro Stefanon, Rebecca Bowler, Ryan Endsley, Manuel Aravena, Luca Graziani, Elisabete da Cunha, Cameron White, Jacqueline Hodge, Cindy Yuexing Li, Dominik Riechers, Yoshi Fudamoto, Ivo Labbe, Ilse de Looze, Rafaella Schneider, Themiya Nanayakkara, Paul van der Werf, Andrea Ferrara, Pratika Dayal, Andrea Pallottini, Alex Hygate, Laia Barrufet De Soto, Laura Sommovigo

Targeting 40 Very Bright $z=6.5-9.5$ Galaxies from 7 deg² Search and Scanning for [CII] + [OIII] / Looking for Dust



REBELS ALMA Large Program



Reionization Era Bright Emission Line Survey

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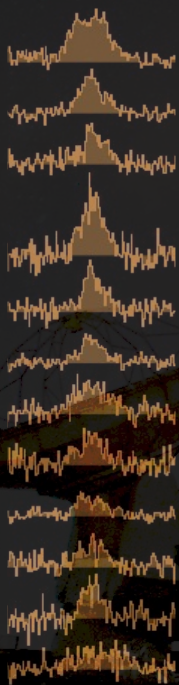
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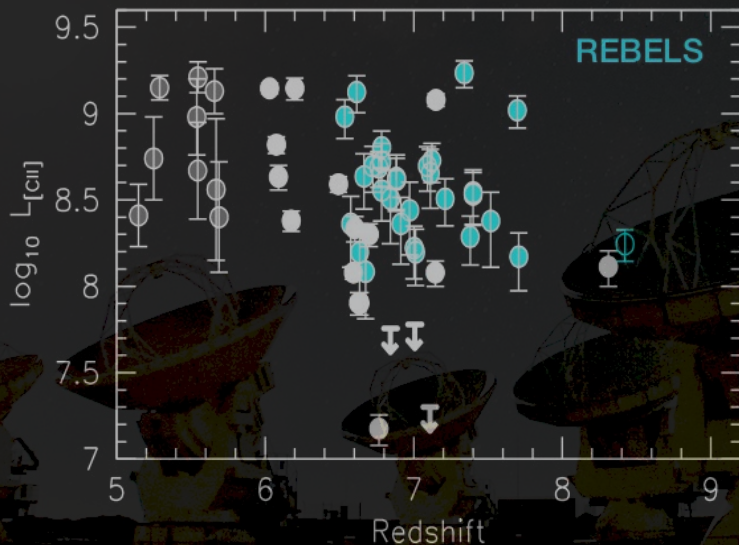
First statistical sample of $z \sim 7$ FIR continuum detected galaxies!

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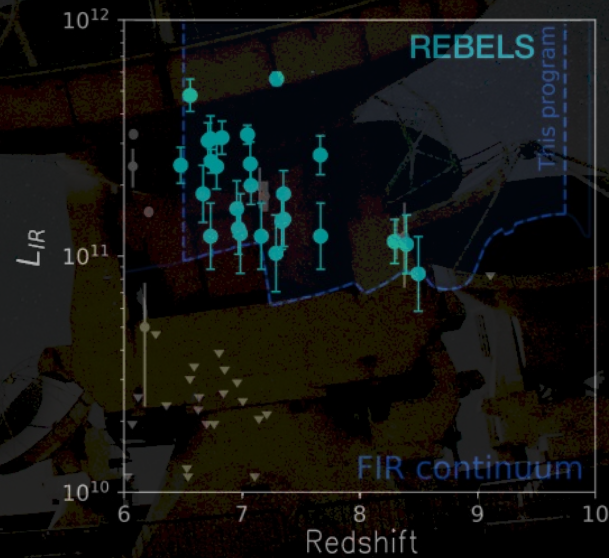
[CII] Flux



Many Bright
[CII] Detections



Many Bright
Dust Continuum
Detections
at 158 microns



REBELS ALMA Large Program



Reionization Era Bright Emission Line Survey

(PI: Bouwens, co-PIs: Gonzalez, Inami, Stark)

70-hours of Observations

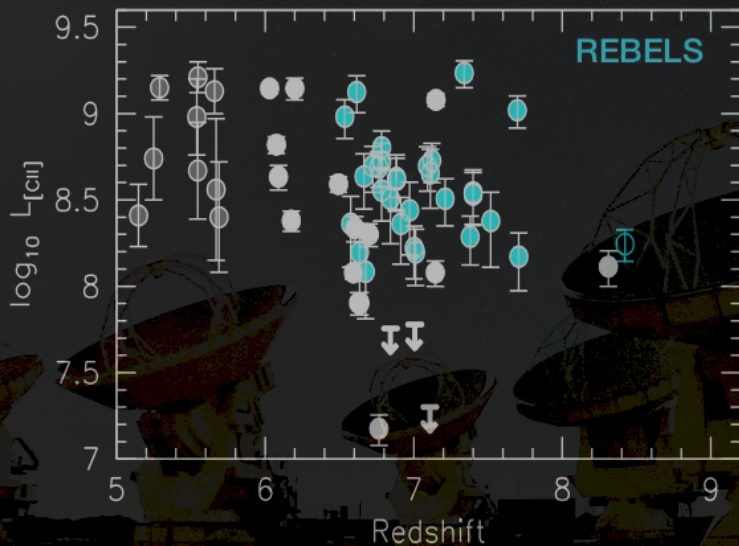
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Targeting 40 Very Bright $z=6.5-9.5$ Galaxies from 7 deg² Search
and Scanning for [CII] + [OIII] / Looking for Dust

BUT:
single FIR
continuum data

[CII] Flux
Many Bright
[CII] Detections



Many Bright
Dust Continuum
Detections
at 158 microns



New method to derive T_d using [CII] information

$$F_\nu = \frac{1+z}{d_L^2} k_\nu [B_\nu(T_d) - B_\nu(T_{\text{CMB}})] M_d$$

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DeLooze relation + Kennicutt-Schmidt relation $\rightarrow \alpha_{\text{CII}}$

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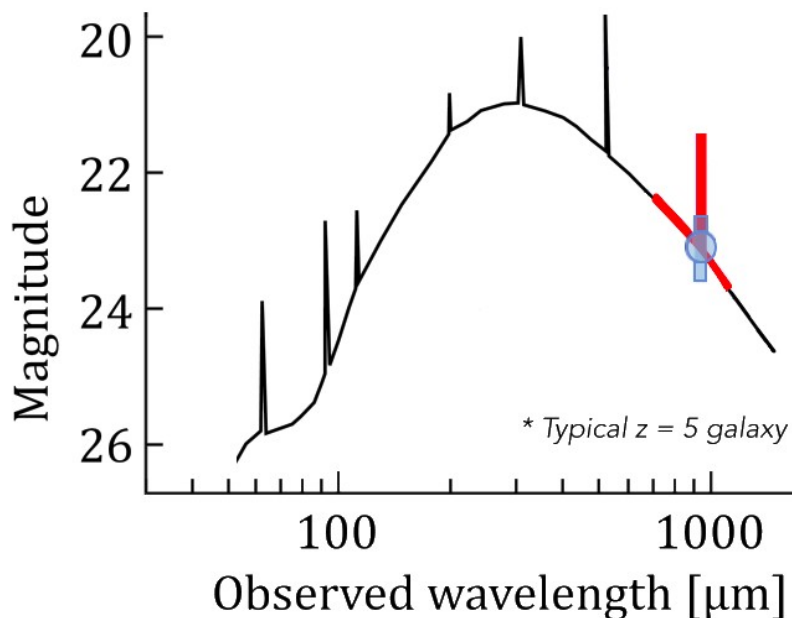
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Inputs:

[CII]

Continuum

Outputs:

$\rightarrow M_d$

$\rightarrow T_d$

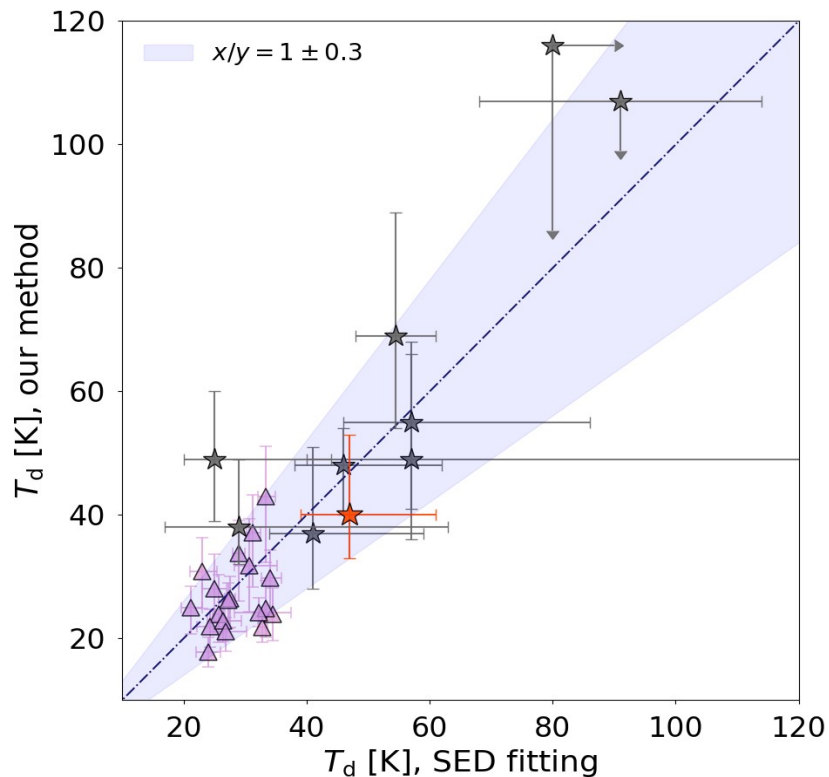
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Inputs:

[CII]

Continuum

Outputs:

M_d

T_d

Method tested on several local and high-z galaxies:
We recover T_d from “traditional” SED fitting within 1σ

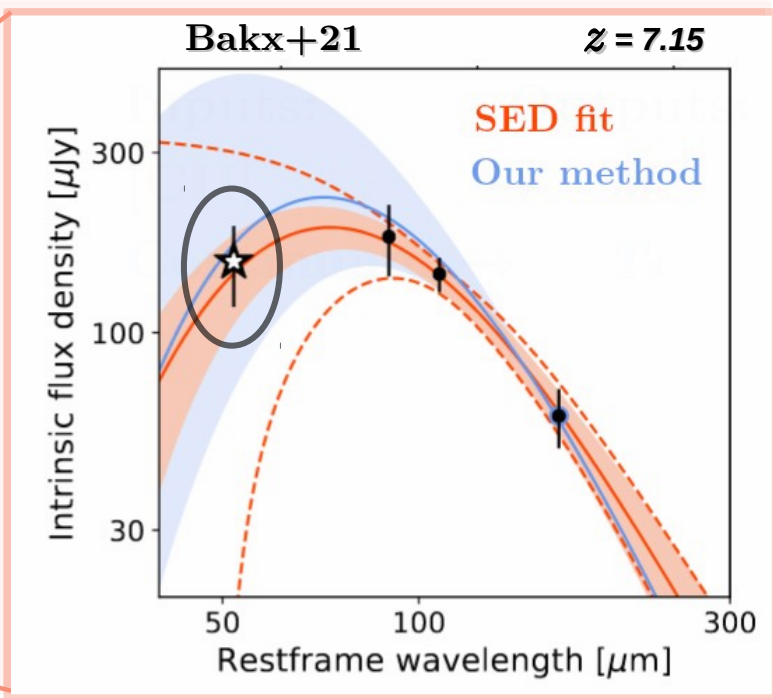
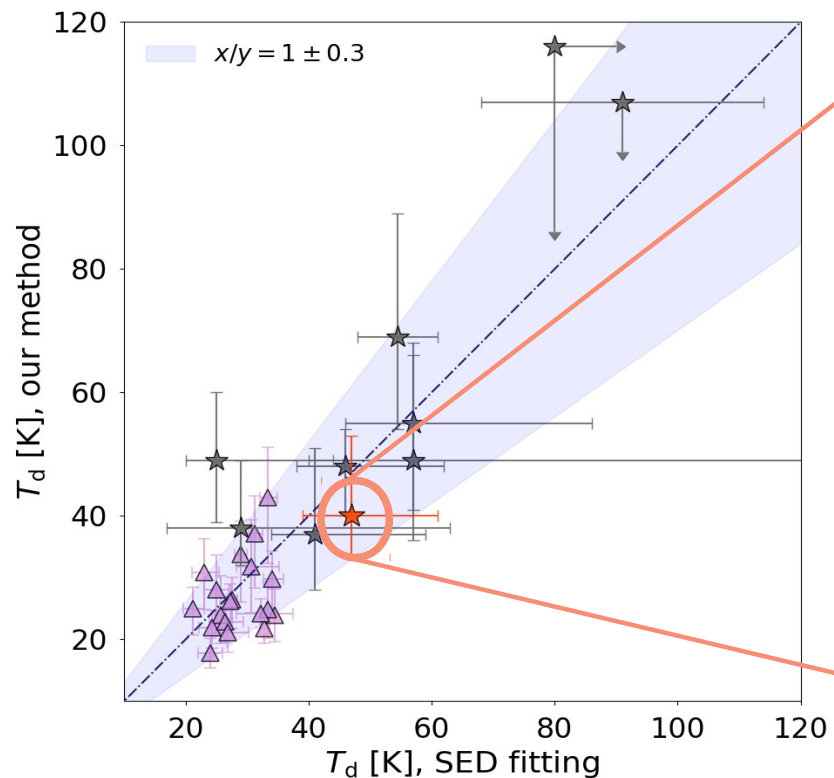
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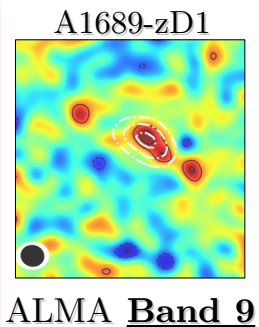
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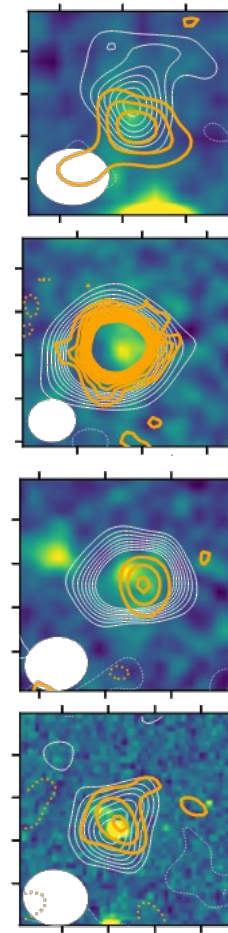
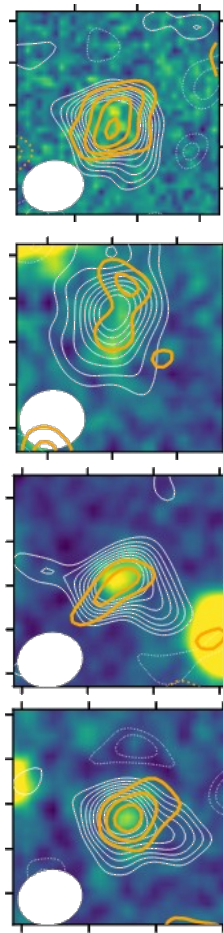
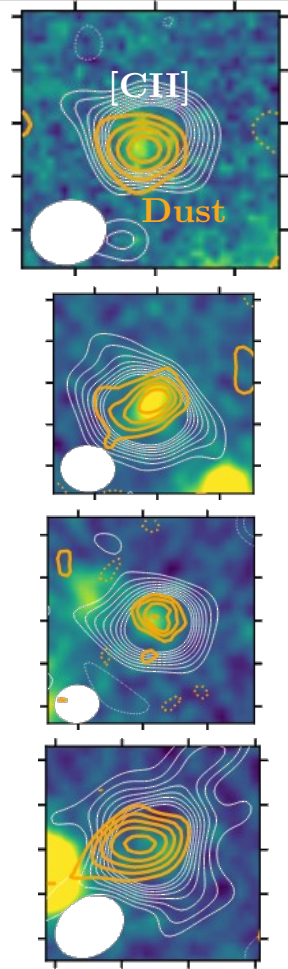


See: Watson+15, Knudsen +17

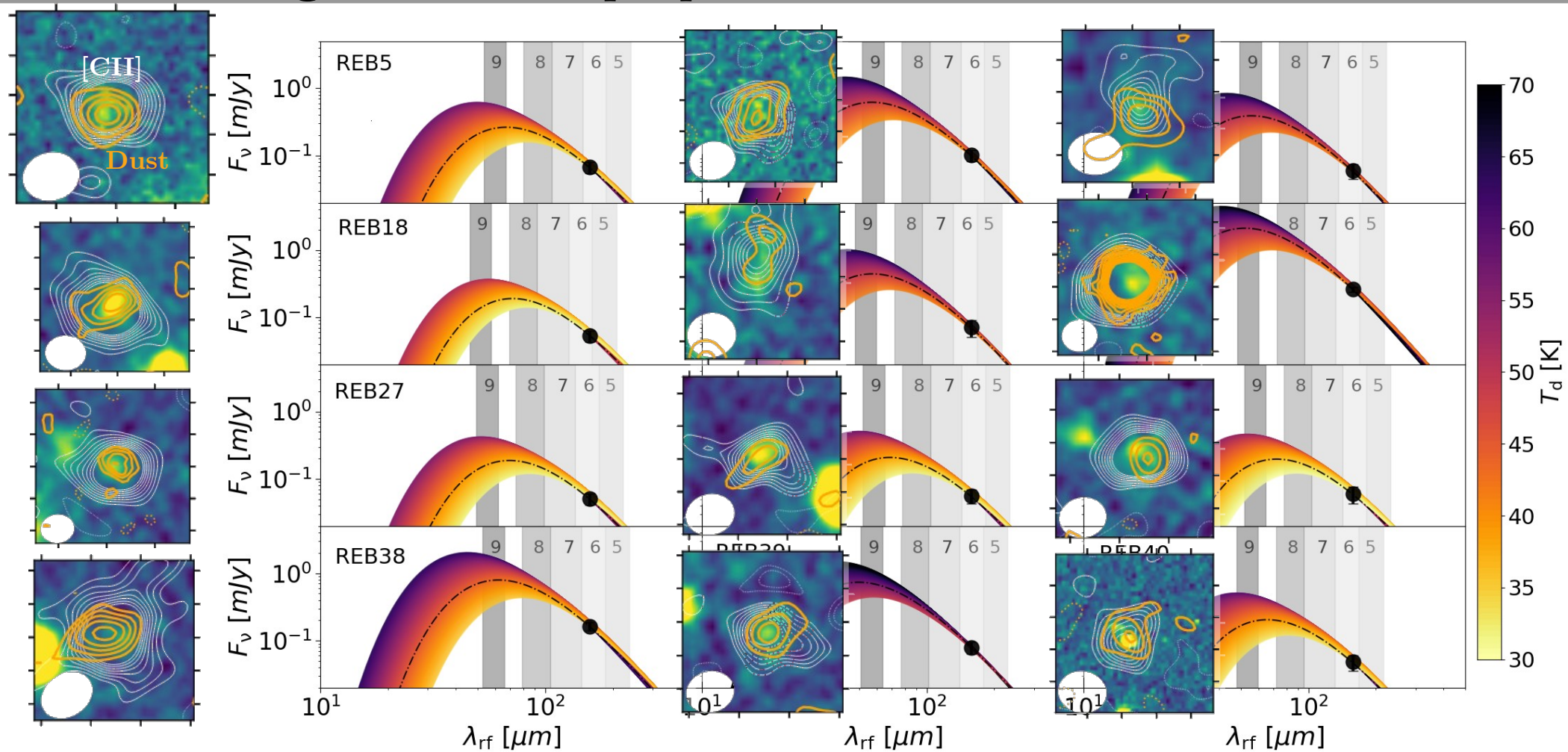


Sommovigo+21

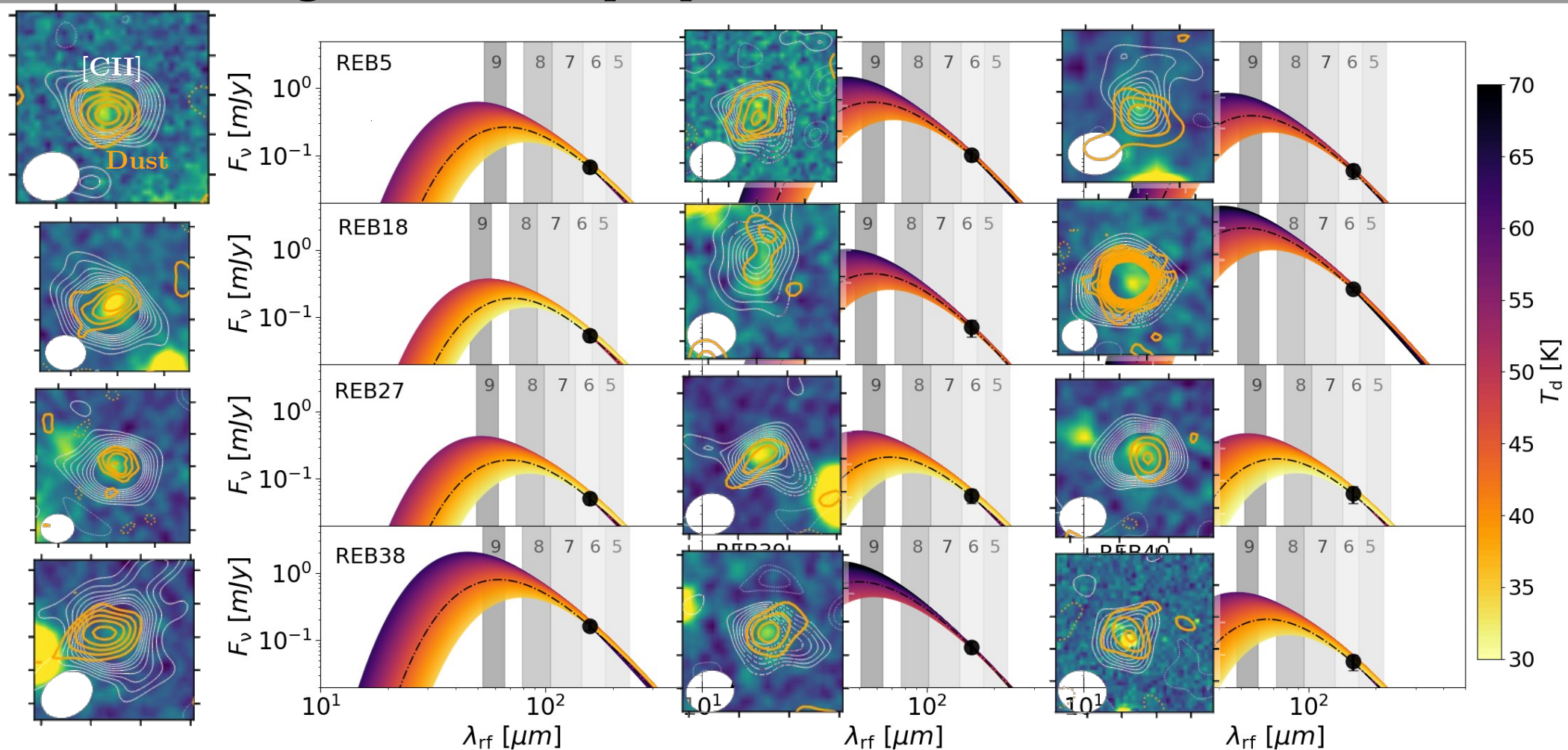
REBELS galaxies dust properties



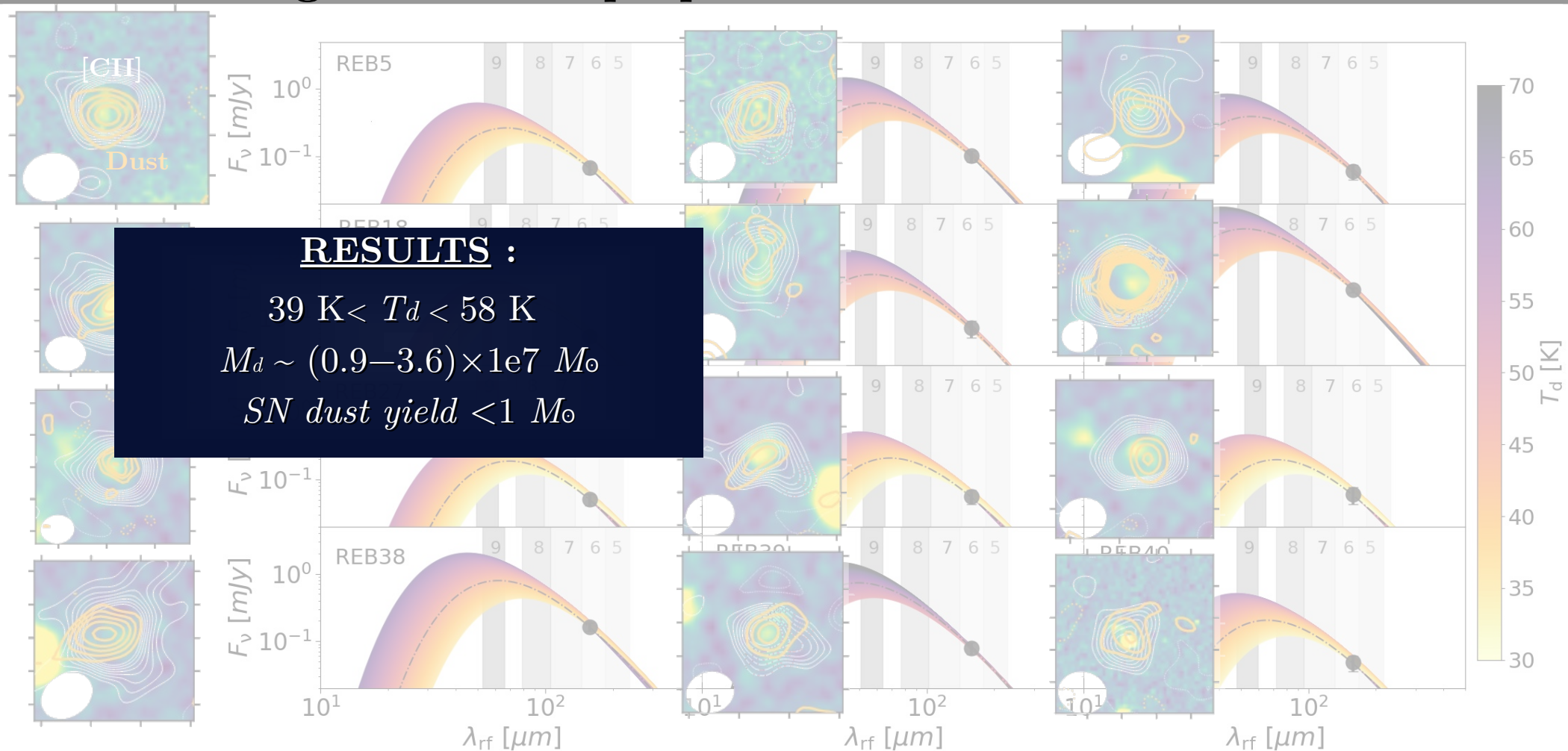
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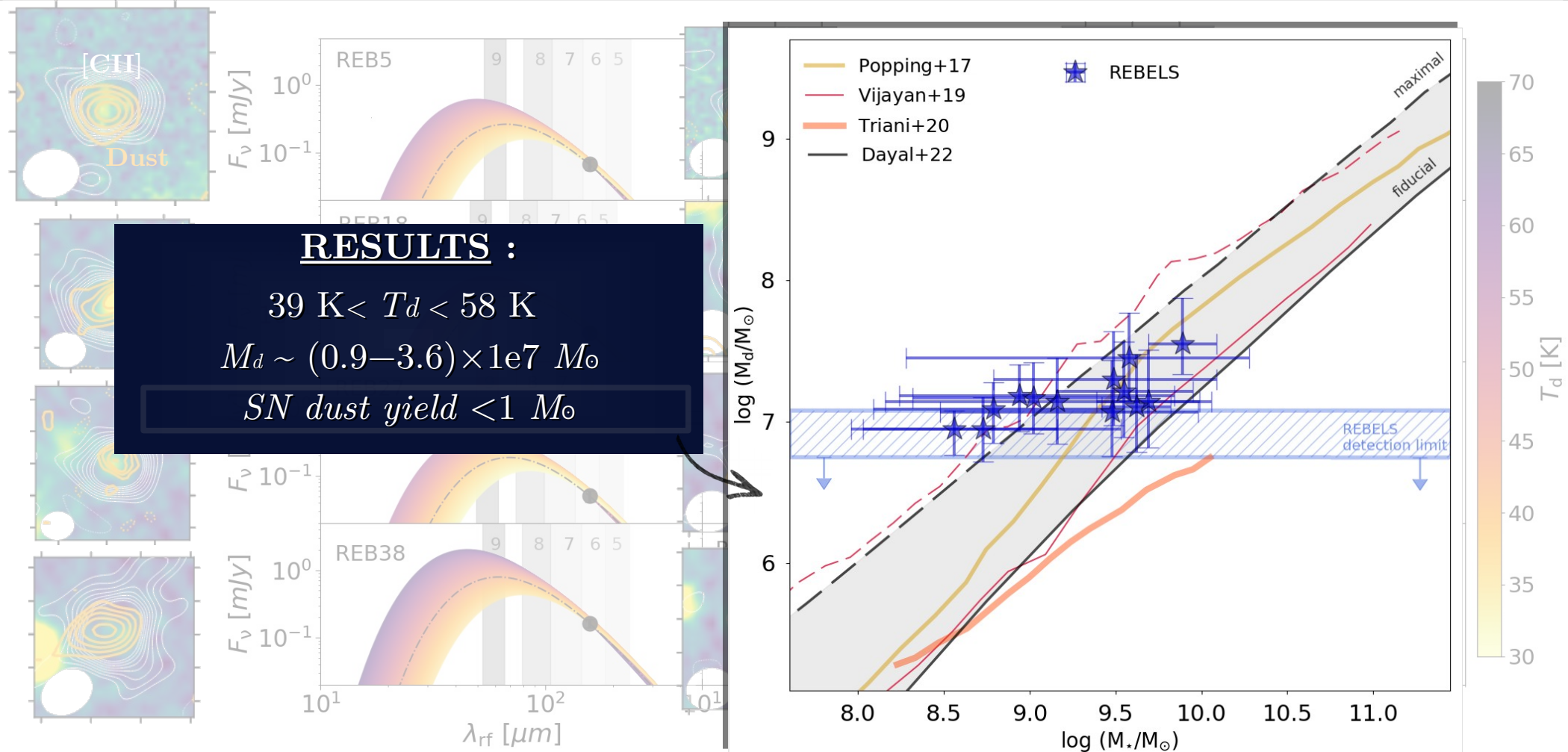
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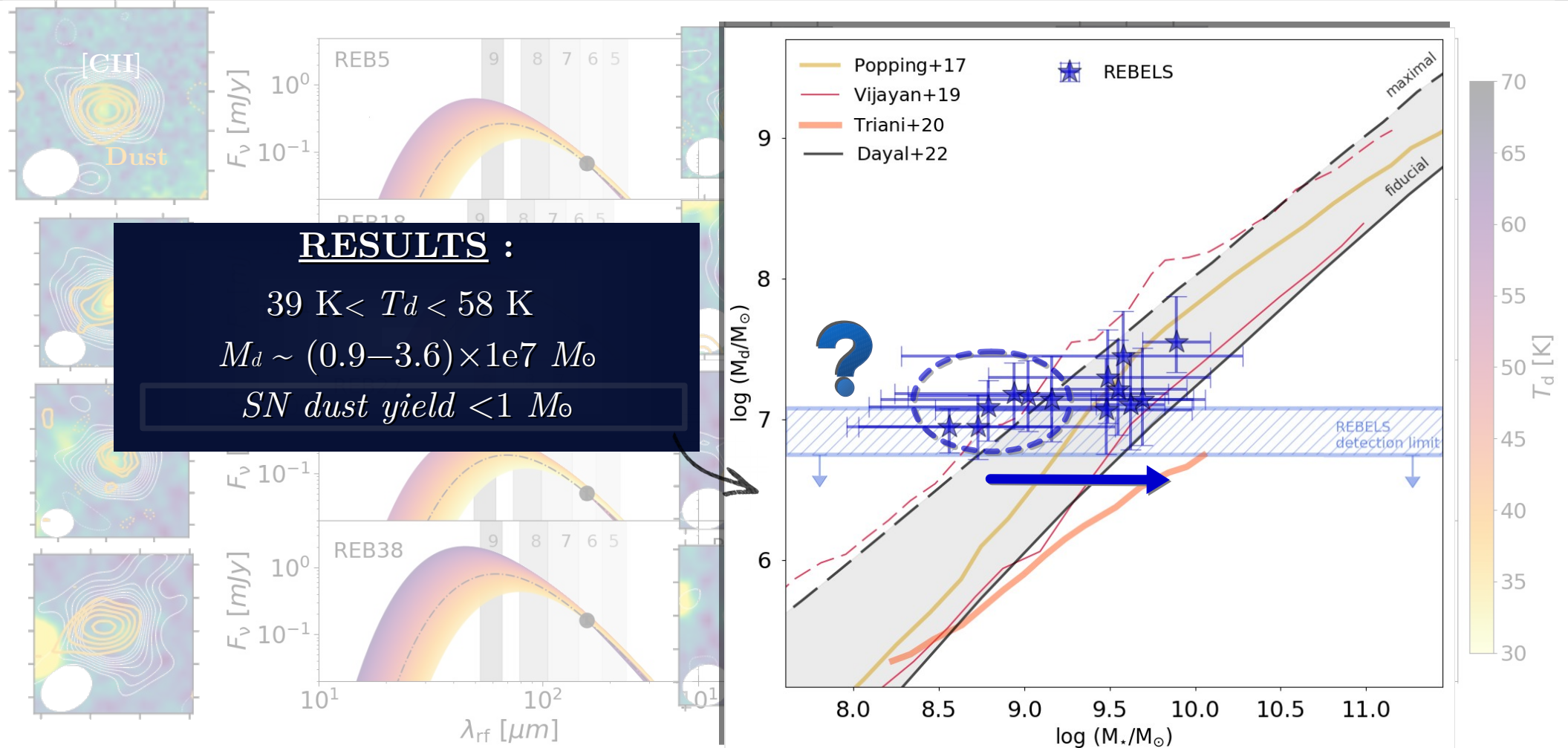
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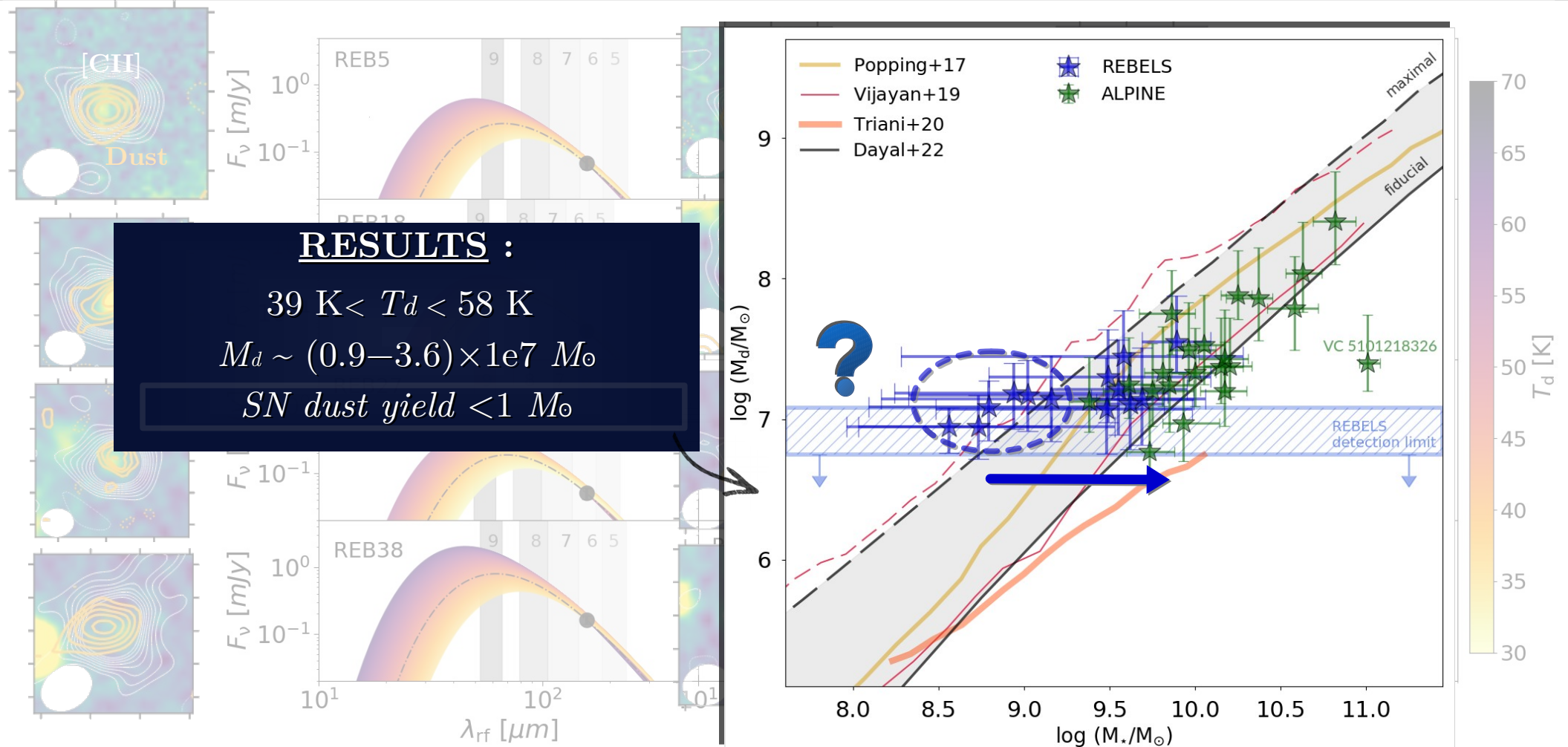
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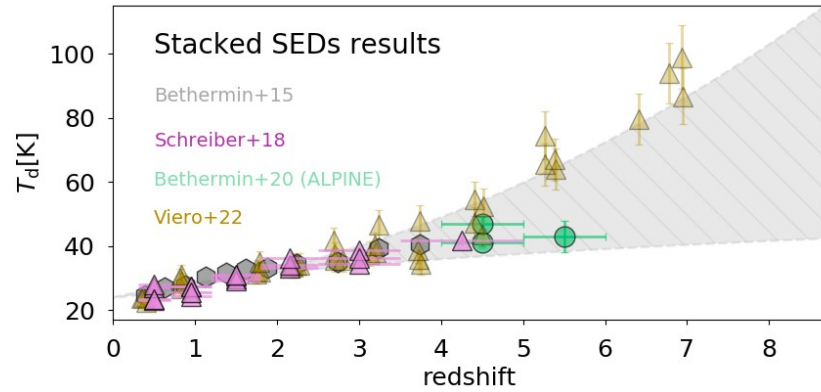
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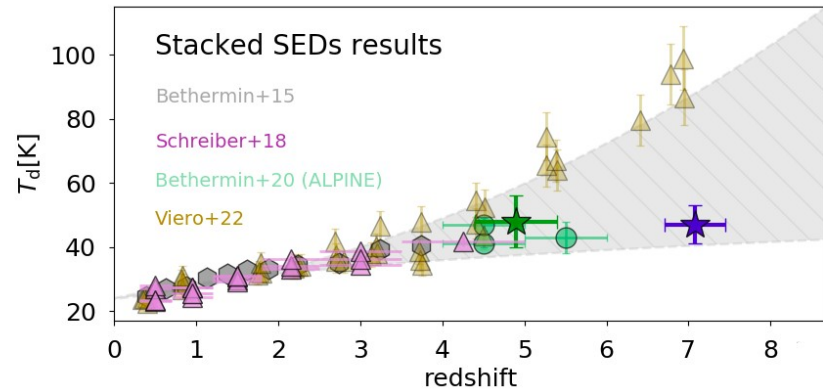
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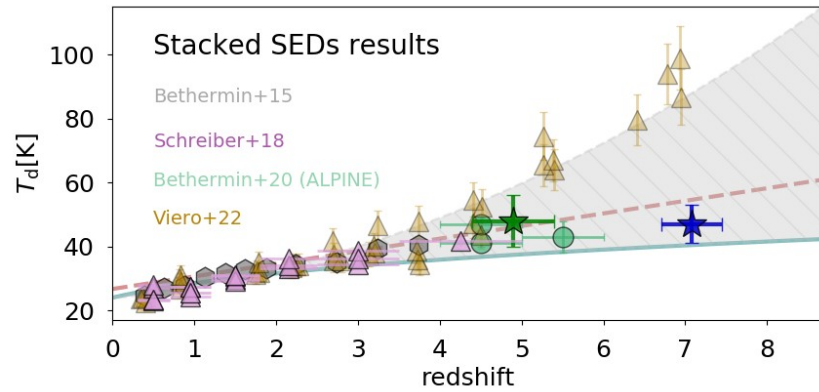
Cosmic dust temperature evolution



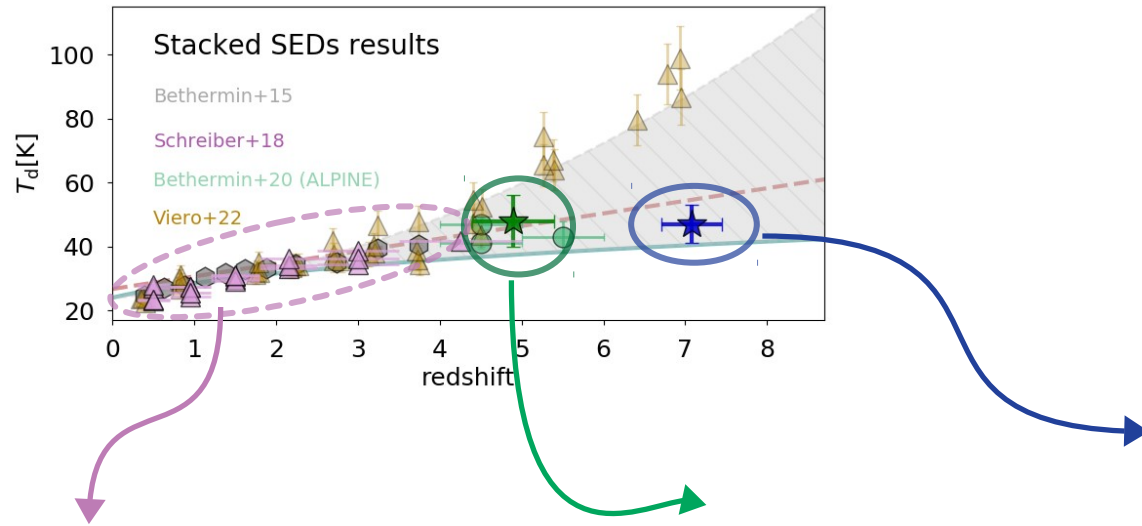
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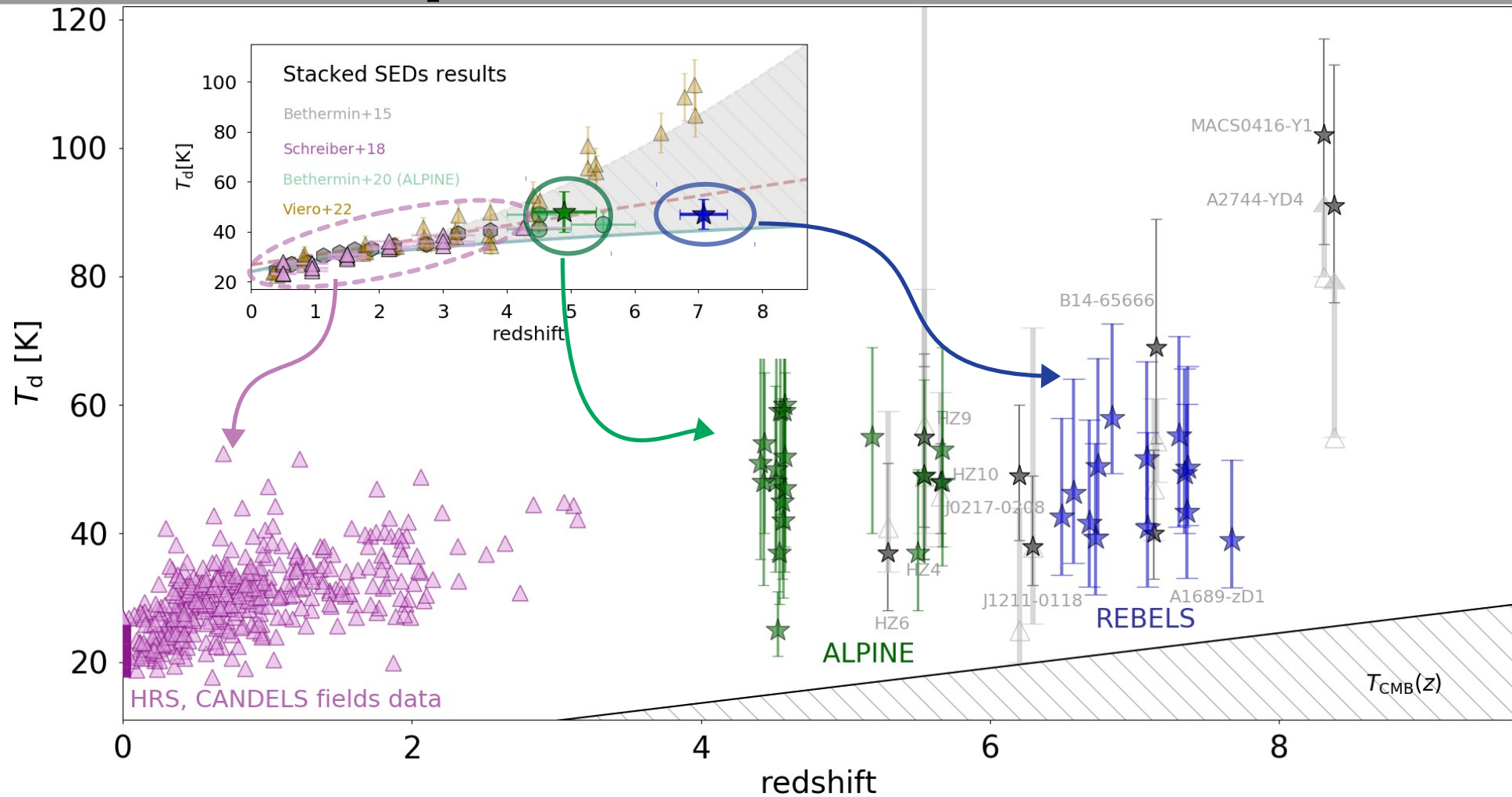
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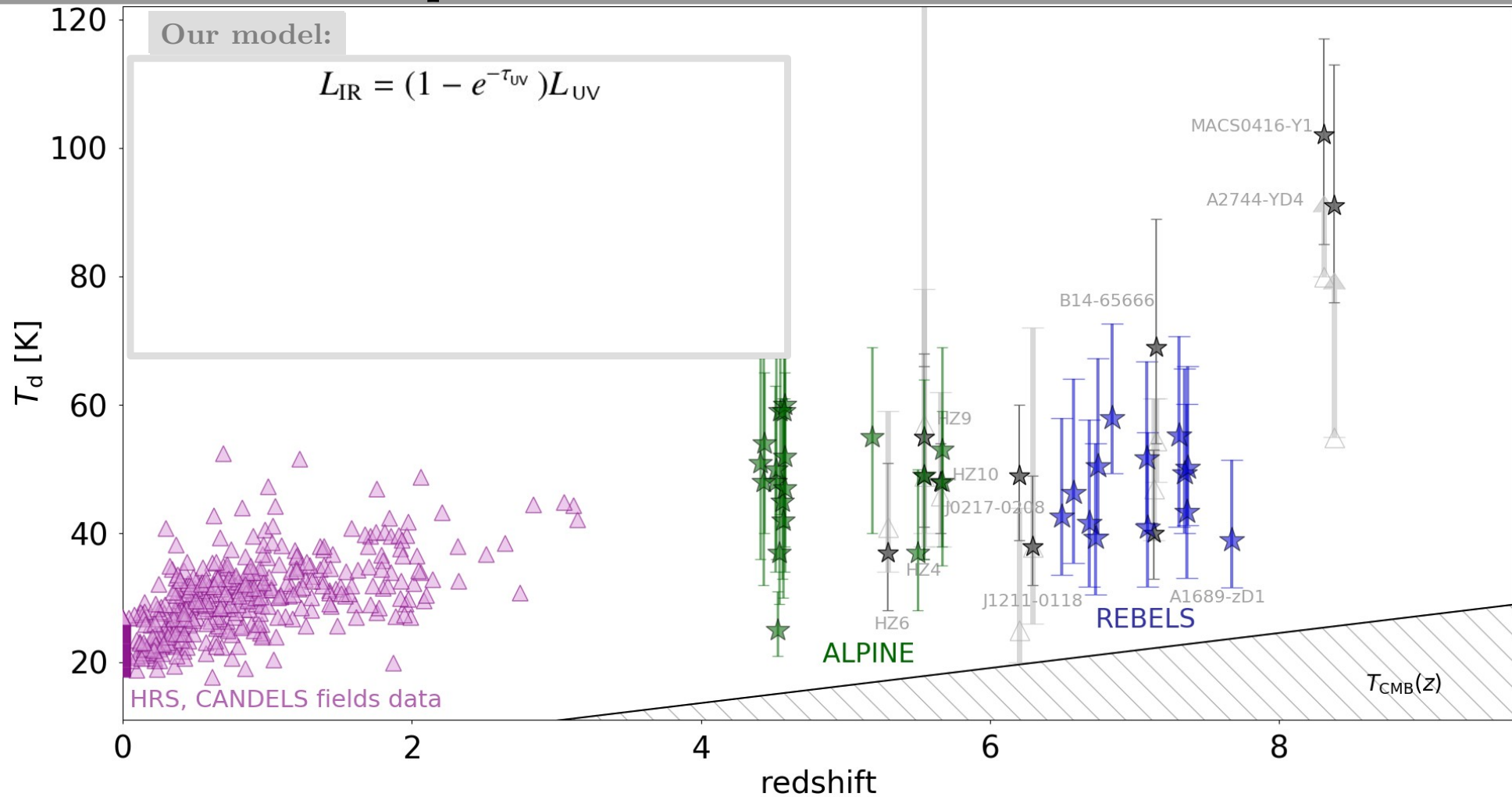
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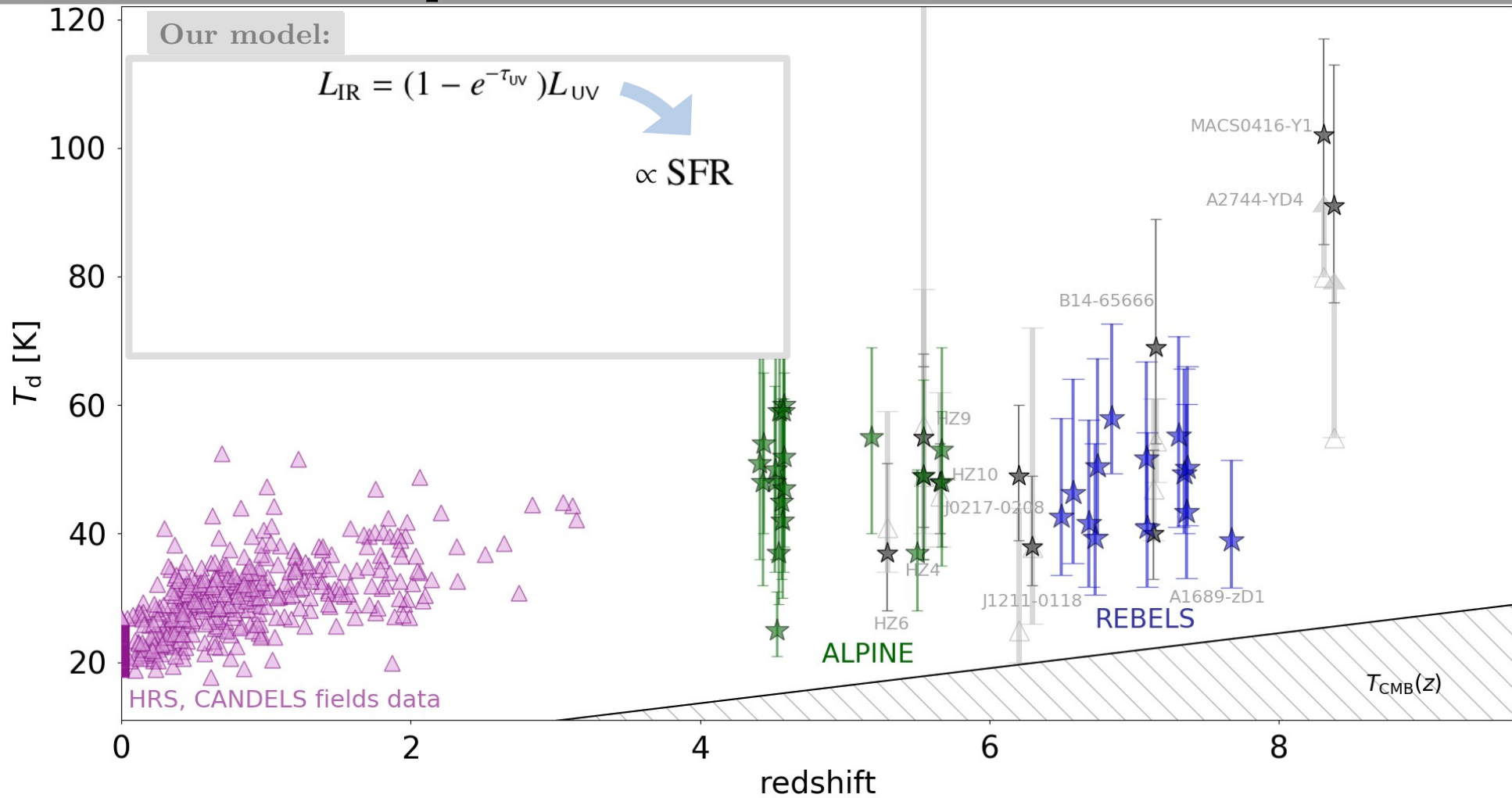
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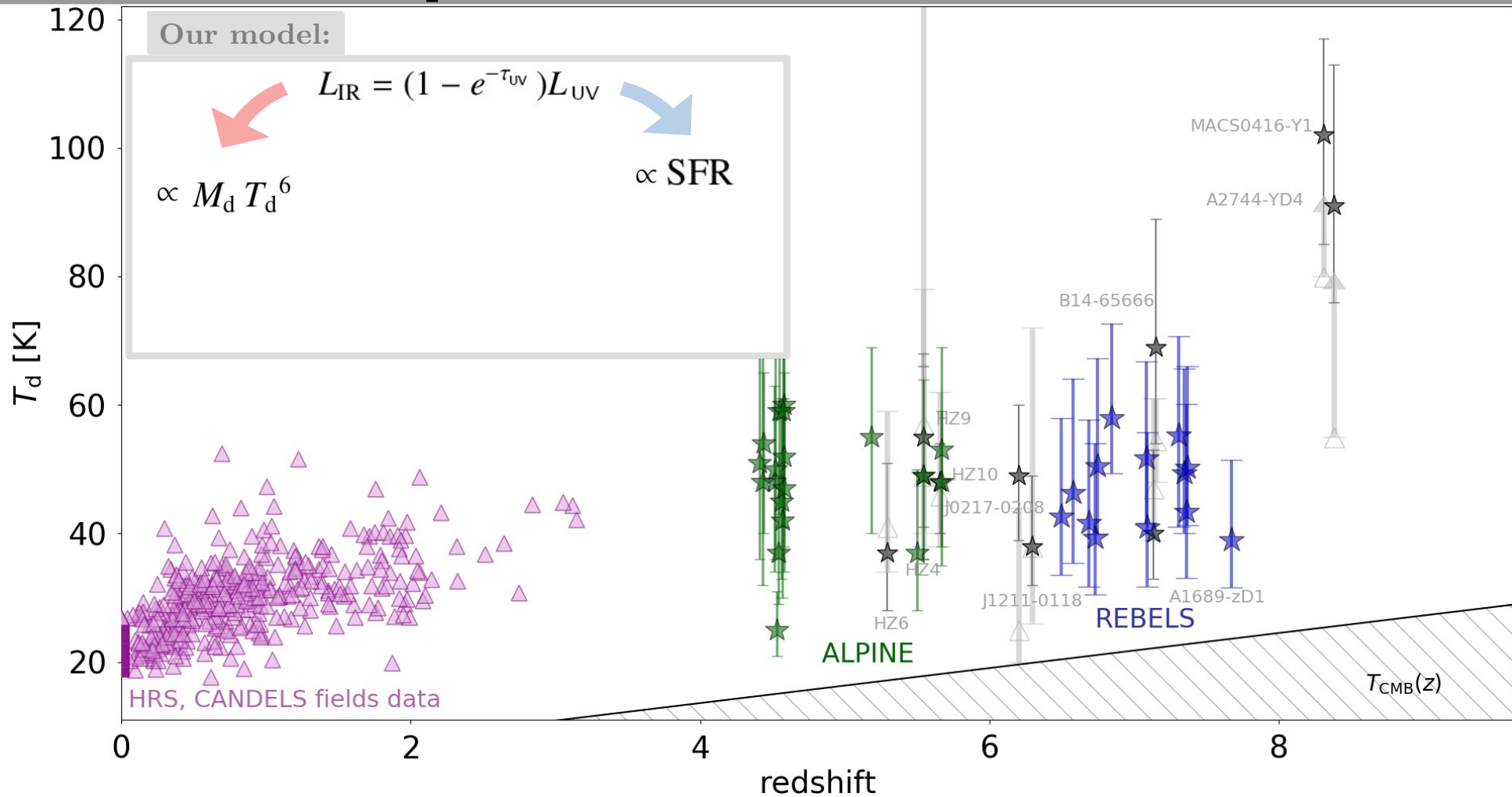
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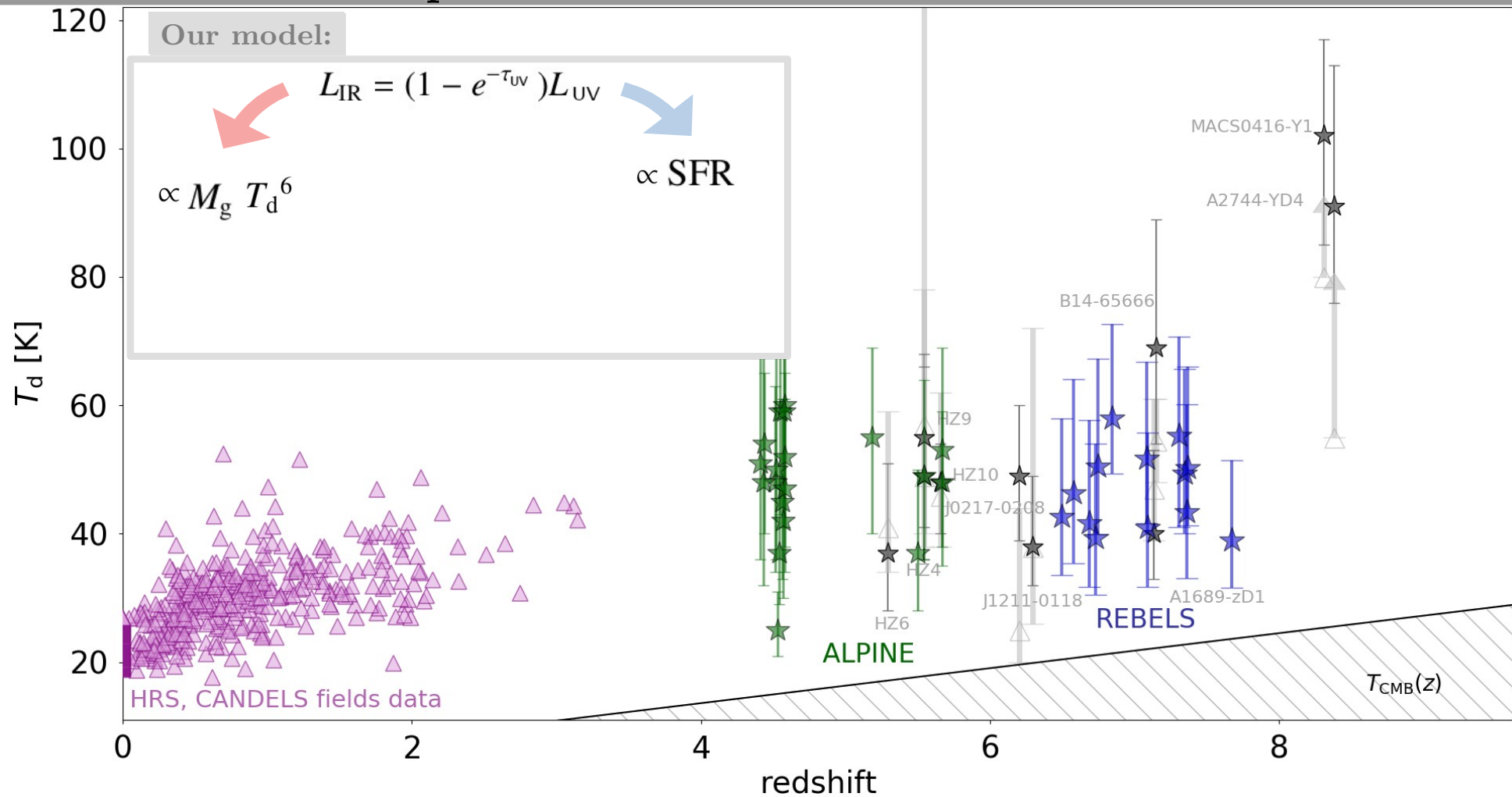
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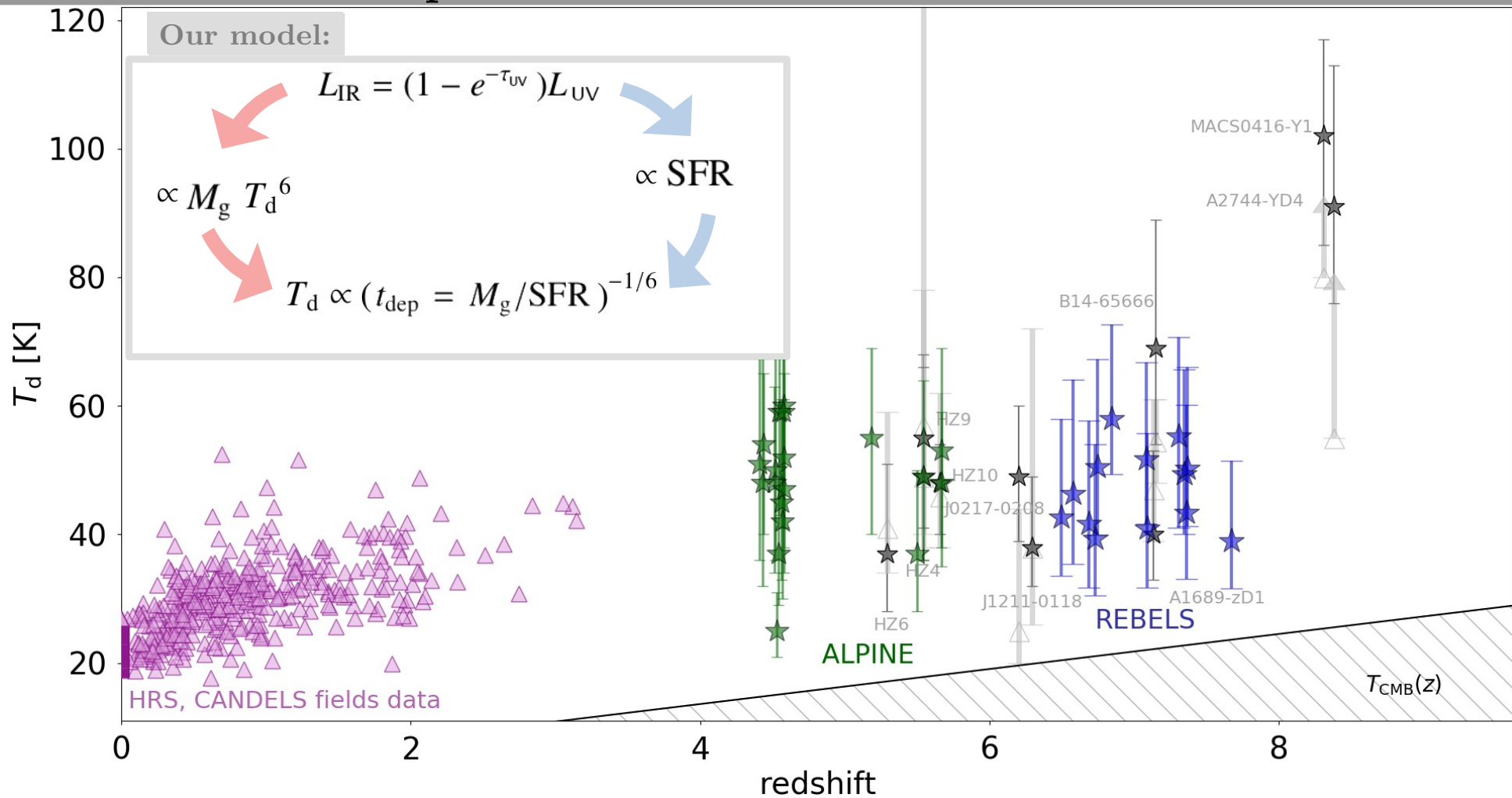
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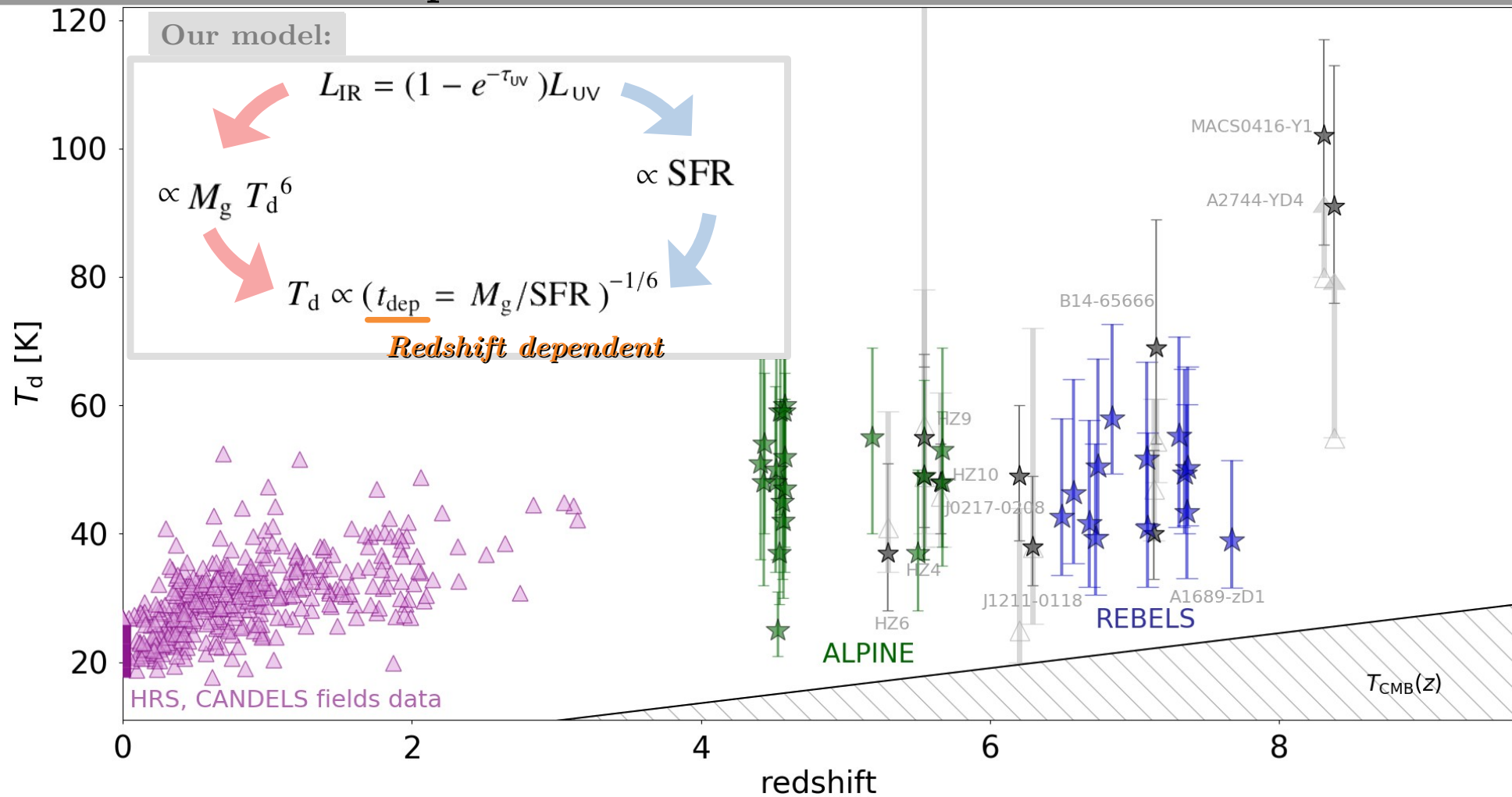
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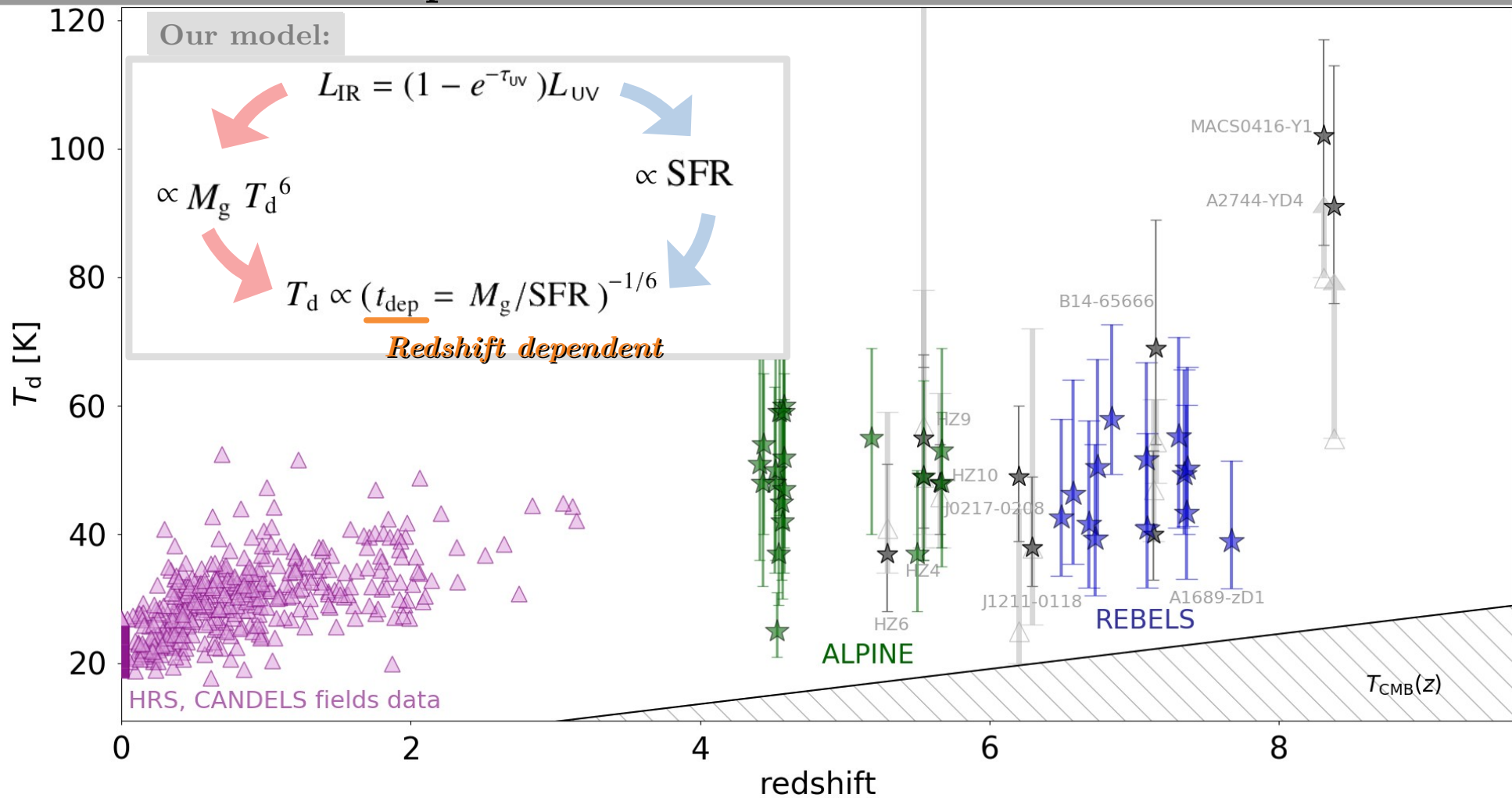
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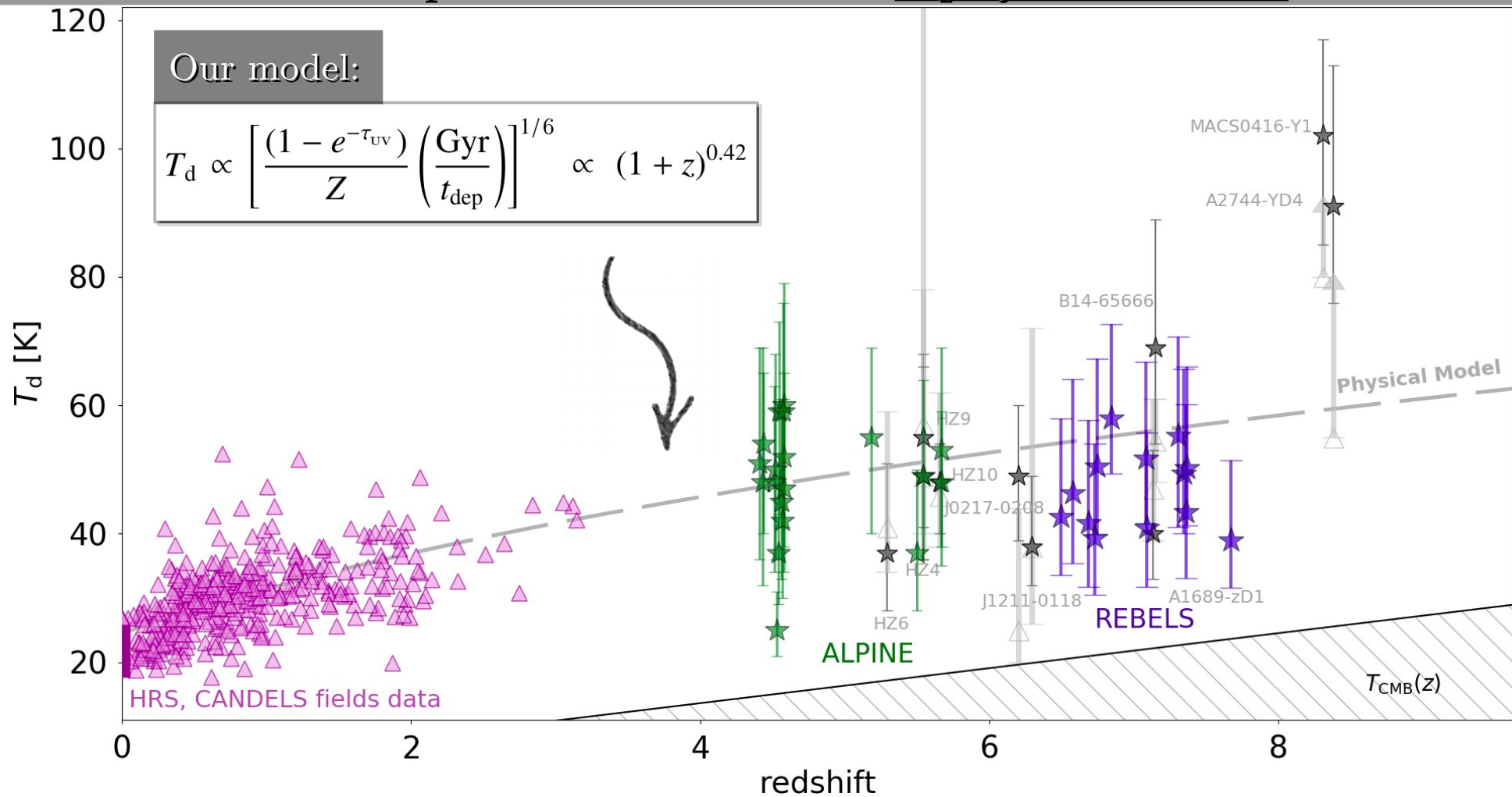


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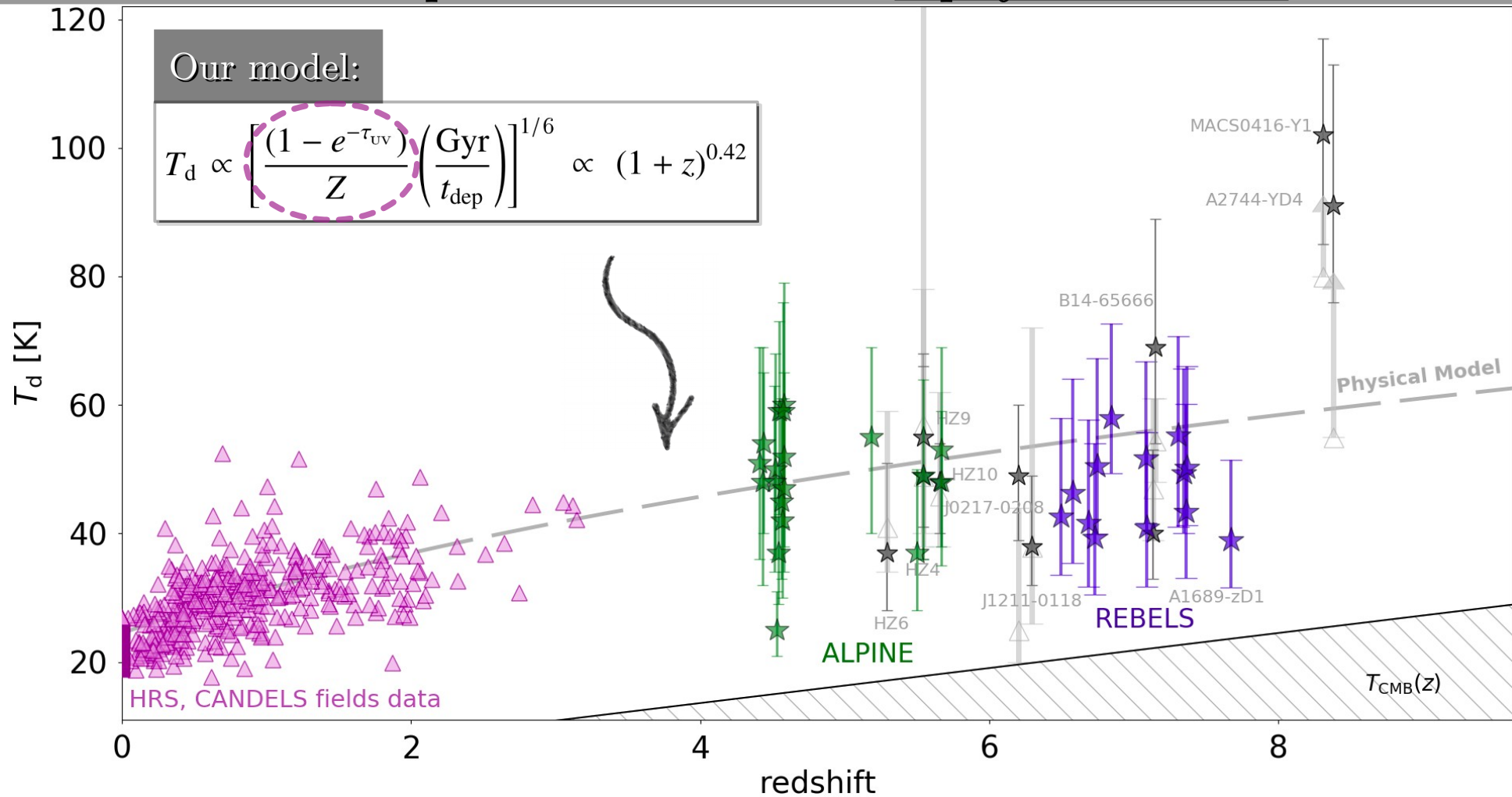


T_{d} raises with redshift due to decreasing gas depletion time at high- z

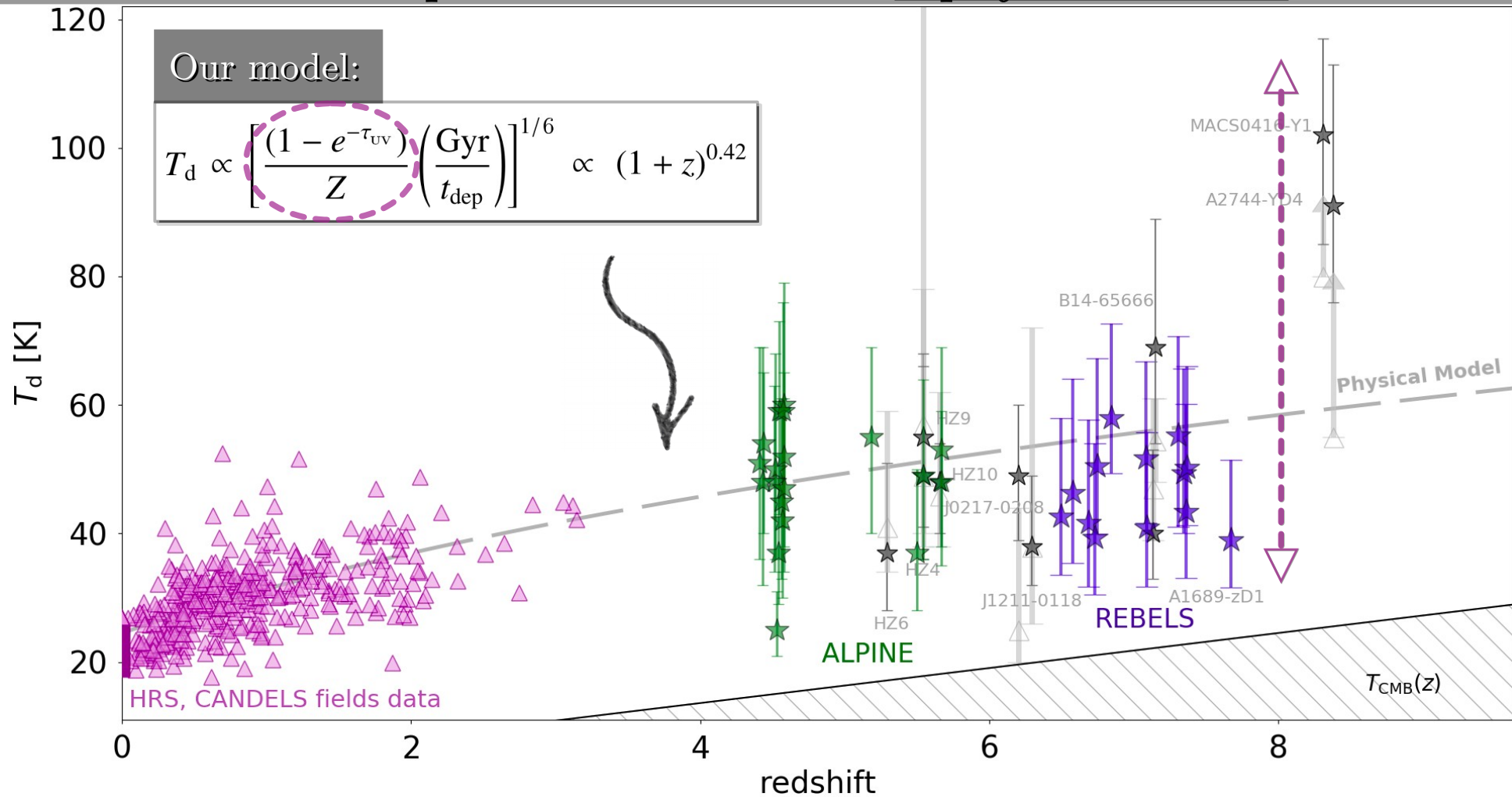
Cosmic dust temperature evolution: a physical model



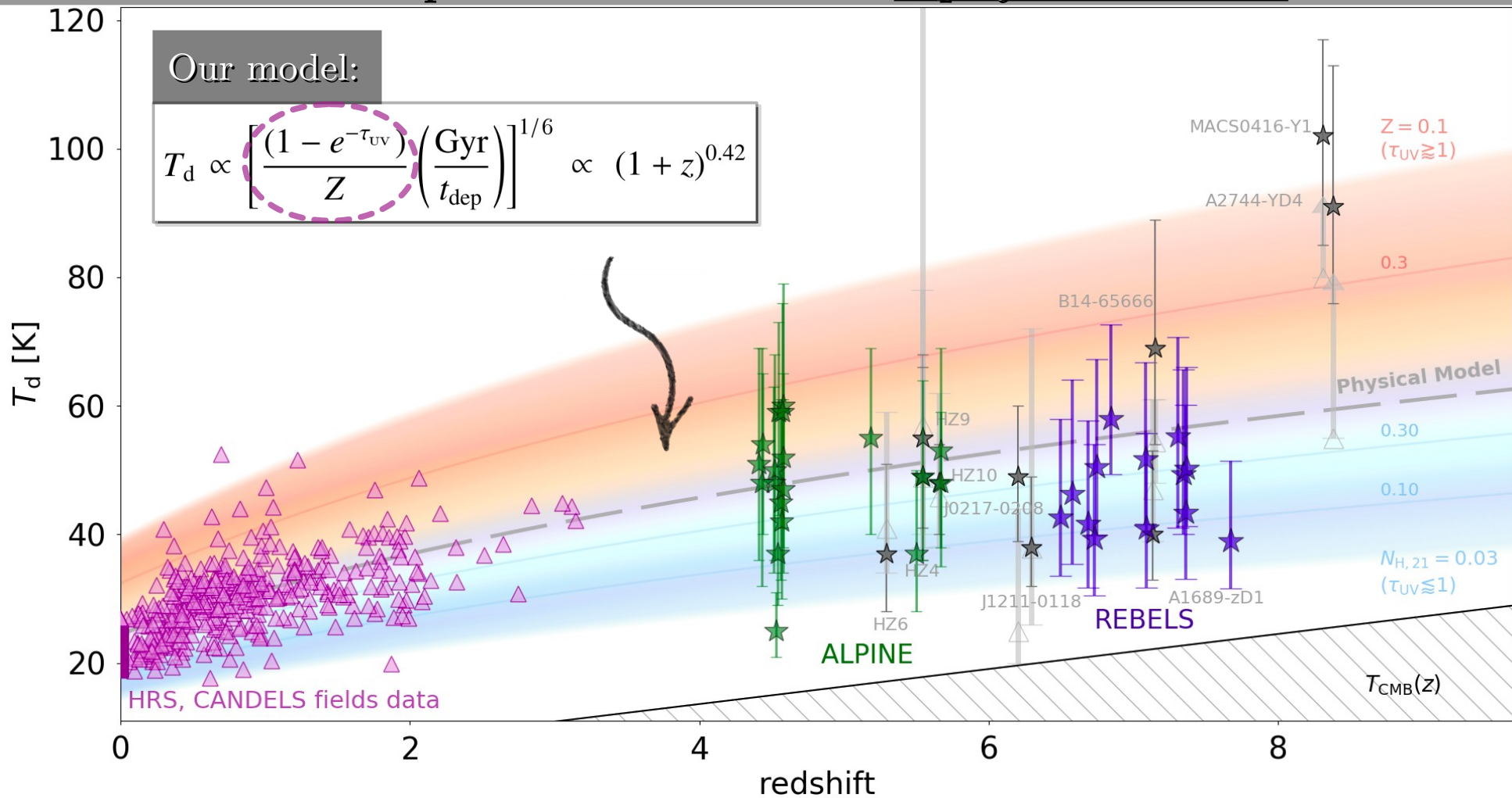
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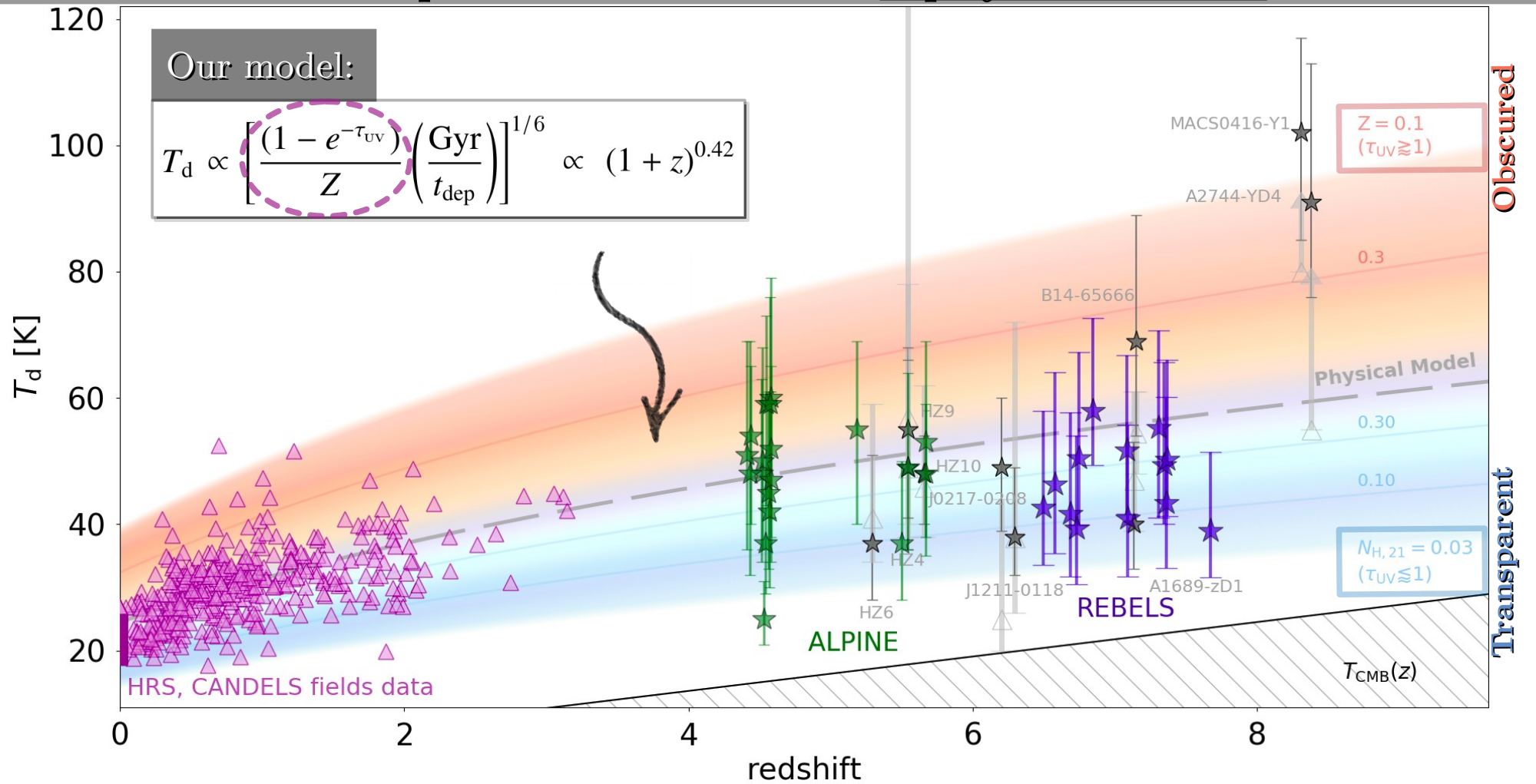
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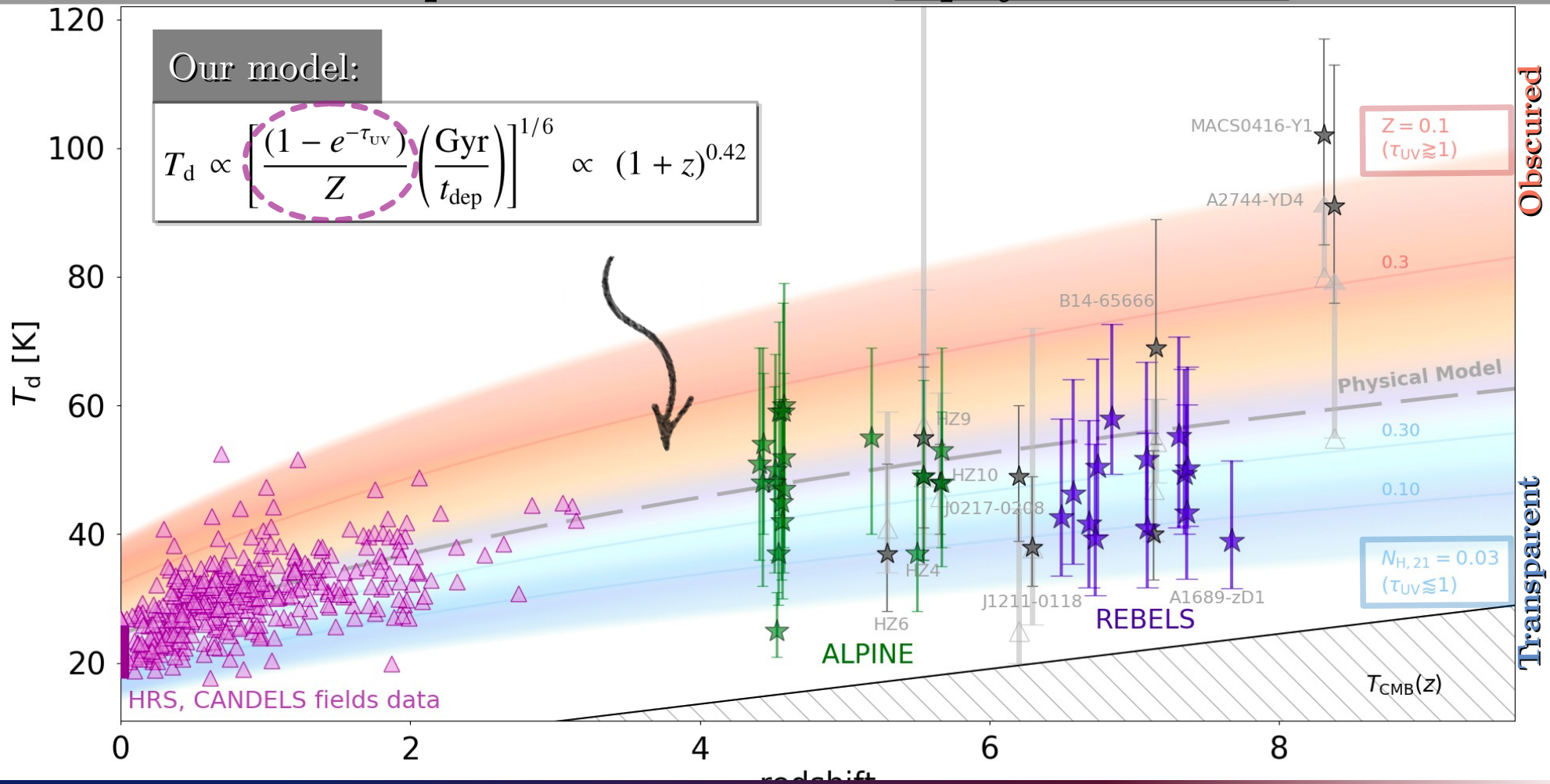
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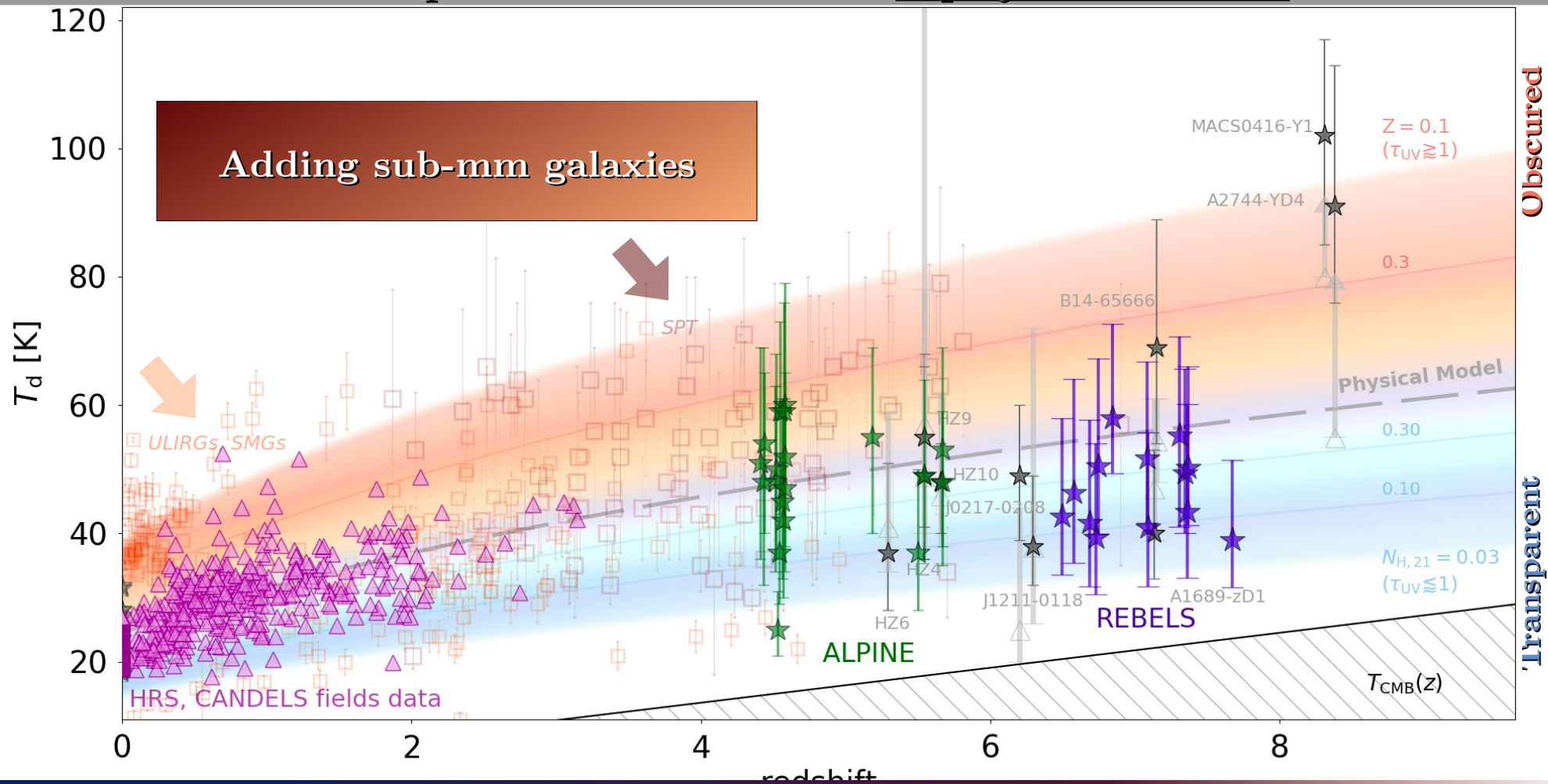


Cosmic dust temperature evolution: a physical model



At given redshift: for UV-transparent (*obscured*) galaxies,
 T_d only depends on gas column density (*metallicity*)

Cosmic dust temperature evolution: a physical model



At given redshift: for UV-transparent (*obscured*) galaxies,
 T_d only depends on gas column density (*metallicity*)

Summary

Thanks to REBELS, we can address these questions:

- *What is the dust content of massive EoR galaxies?*

Dust masses vary in the range $M_d \sim (0.9-3.6)1e7 M_\odot$;

- *How do they build their dust masses?*

Dust masses compatible with dust production from Supernovae except few outliers;

- *Which is the dust temperature of massive EoR galaxies?*

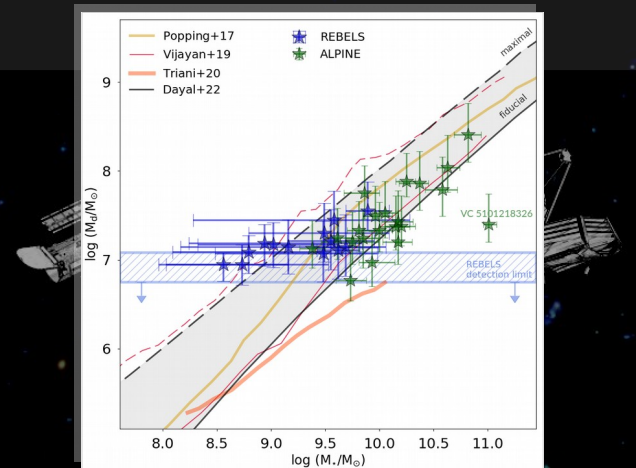
Dust temperatures vary in the range $39 \text{ K} < T_d < 58 \text{ K}$; warmer dust possibly missed by current observations.

- *Does the dust temperature evolve with redshift?*

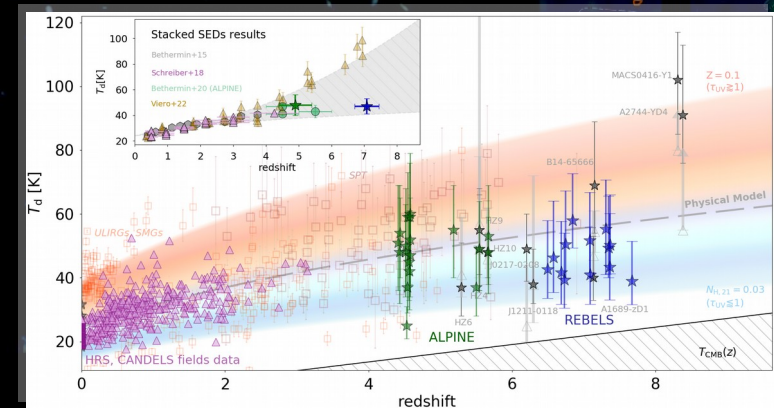
Yes, $T_d \propto (1+z)^{0.42}$ due to the decrease of the depletion times in early galaxies.

At any z : scatter induced by optical depth and metallicity variations.

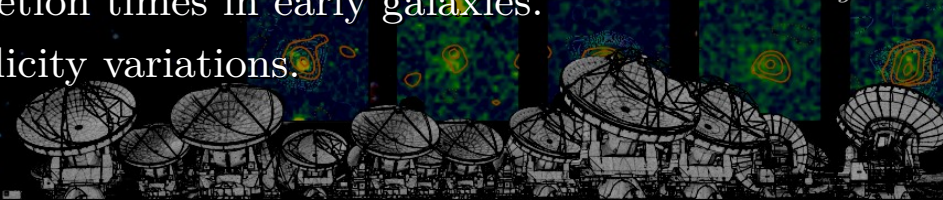
Contact: laura.sommovigo@sns.it



Sommovigo et al. in prep., See also: Dayal+22

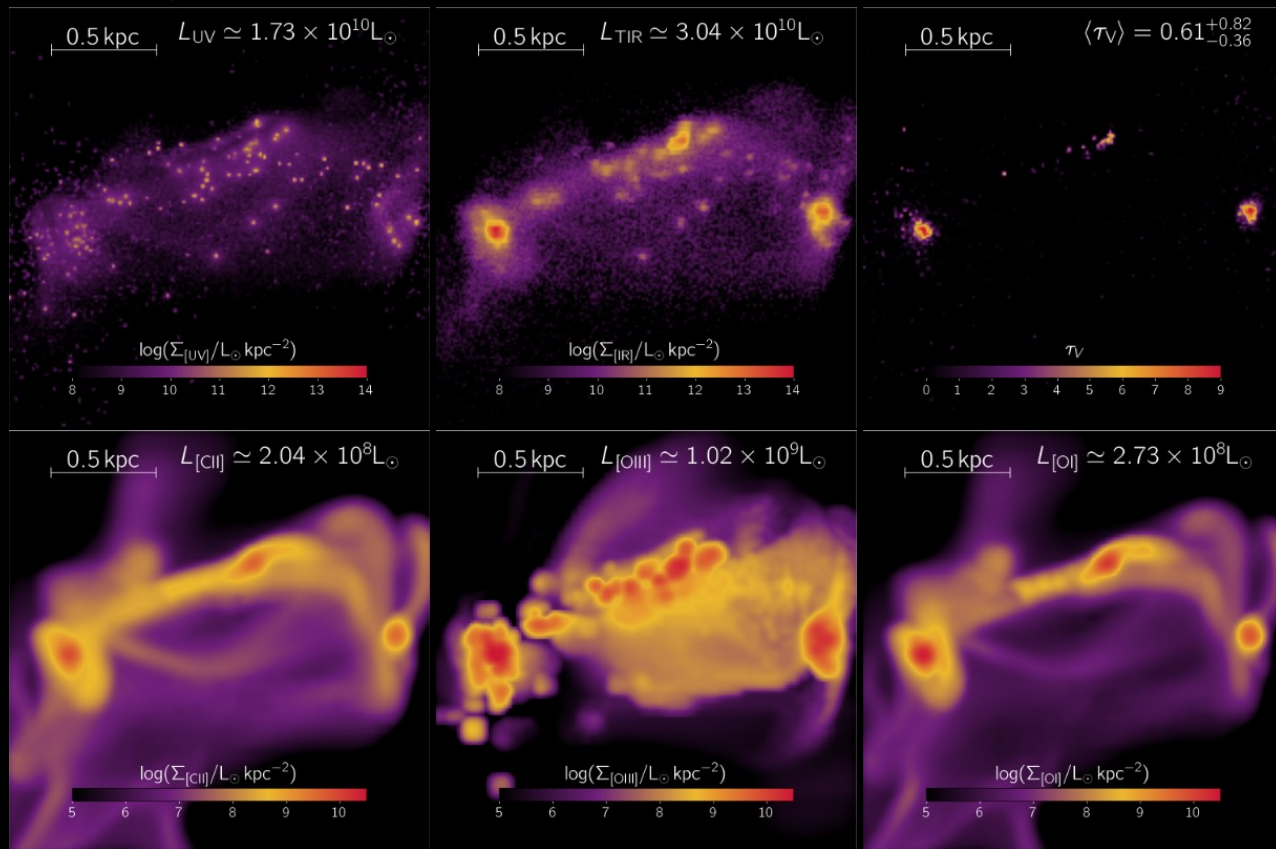


Sommovigo+22



Hints from zoom-in simulations at high- z

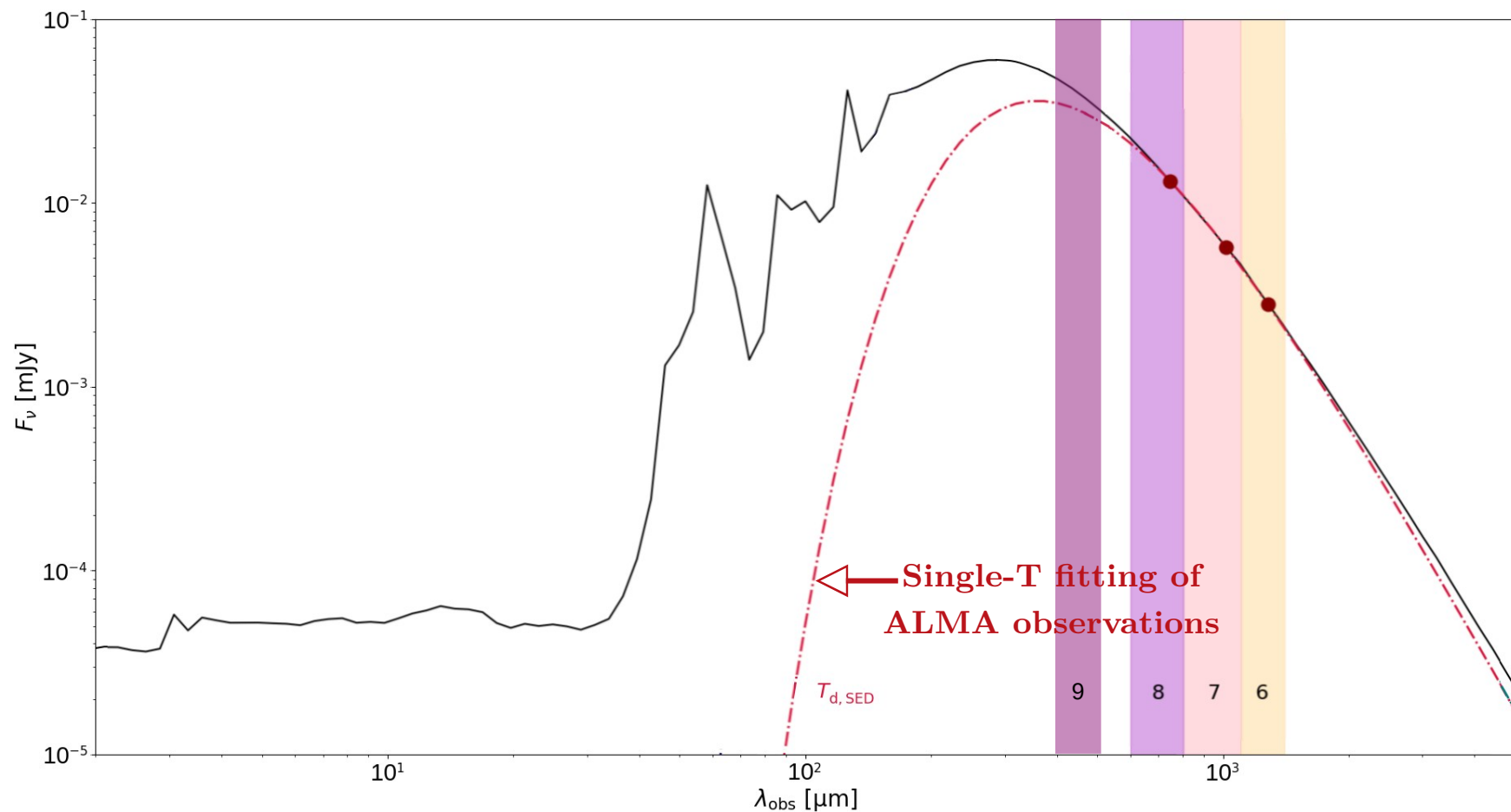
For SERRA simulations details, see: *Pallottini+22*



Galaxy	z	$F_{\nu 0}$ (μJy)	Z (Z_{\odot})	$\log \Sigma_{\text{SFR}}$ ($M_{\odot} \text{ yr}^{-1} \text{ kpc}^{-2}$)	L_{CII} ($10^8 L_{\odot}$)	κ_s	$y = r_{\text{CII}}/r_{\star}$	M_{\star} ($10^9 M_{\odot}$)
Zinnia	6.6847	2.81	0.07	2.56	2.05	4.29	1.00*	2.19

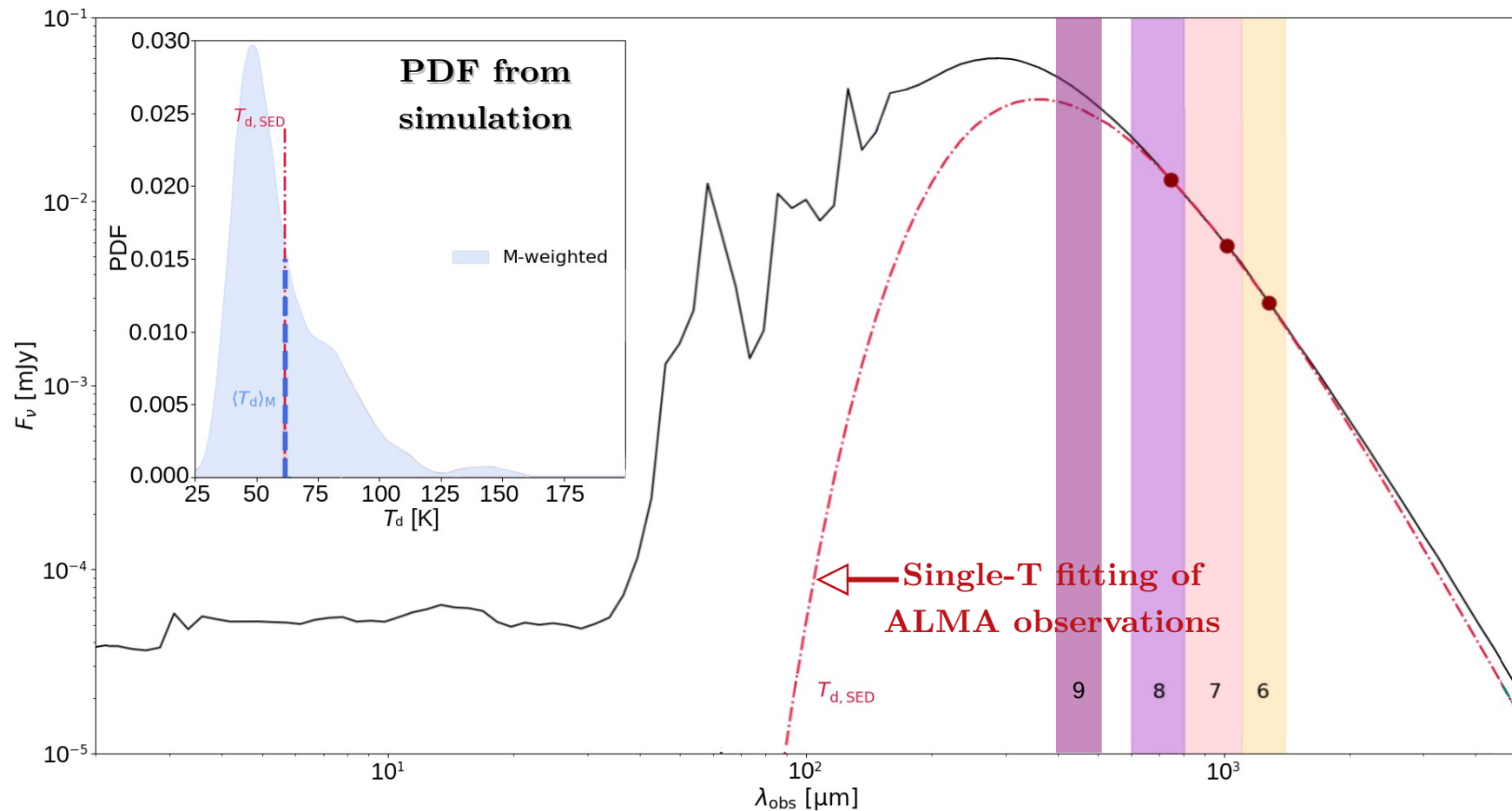
Hints from zoom-in simulations at high-z

Studying the spectrum of the simulated galaxy Zinnia at redshift $z=6.7$:



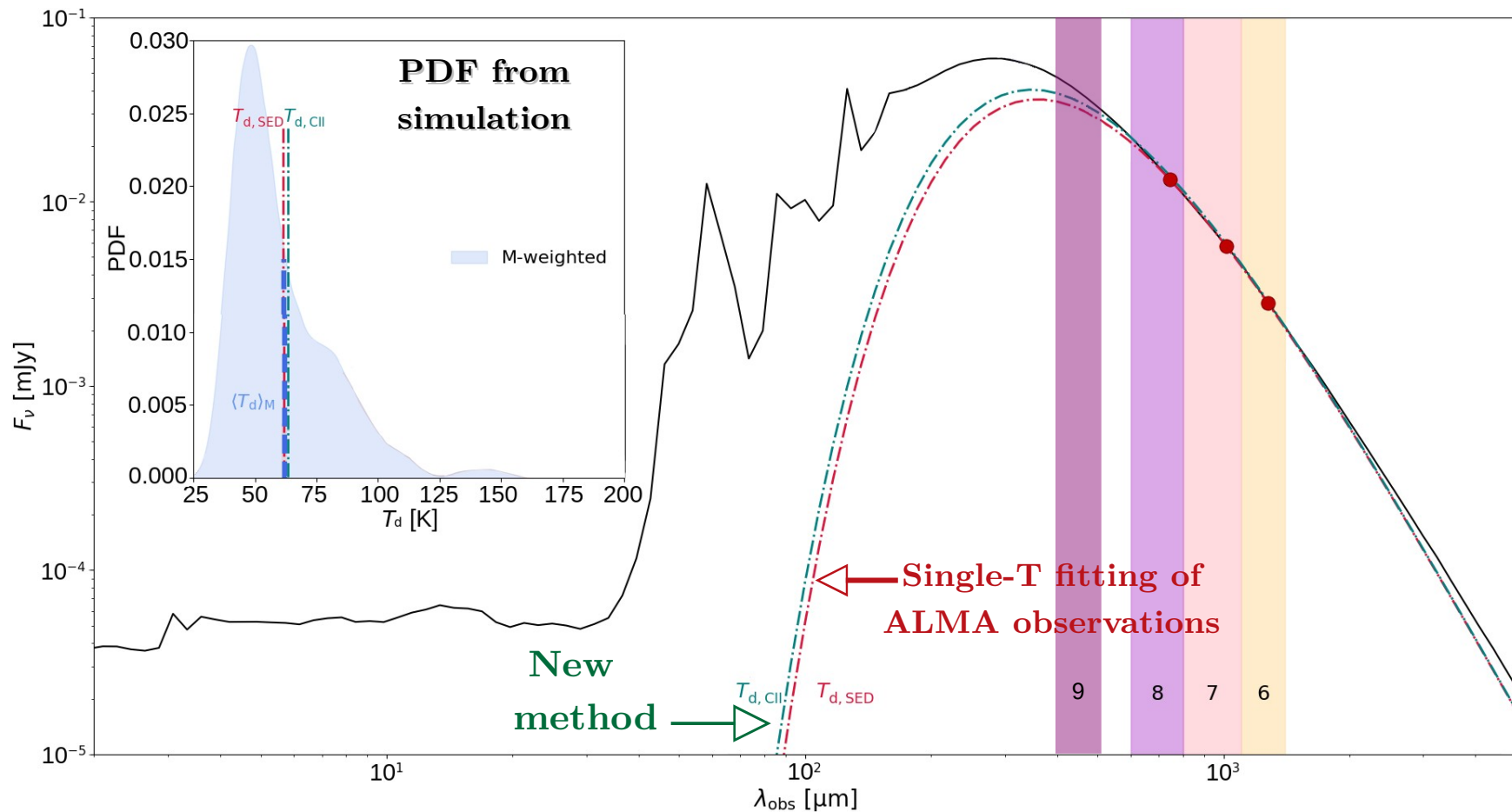
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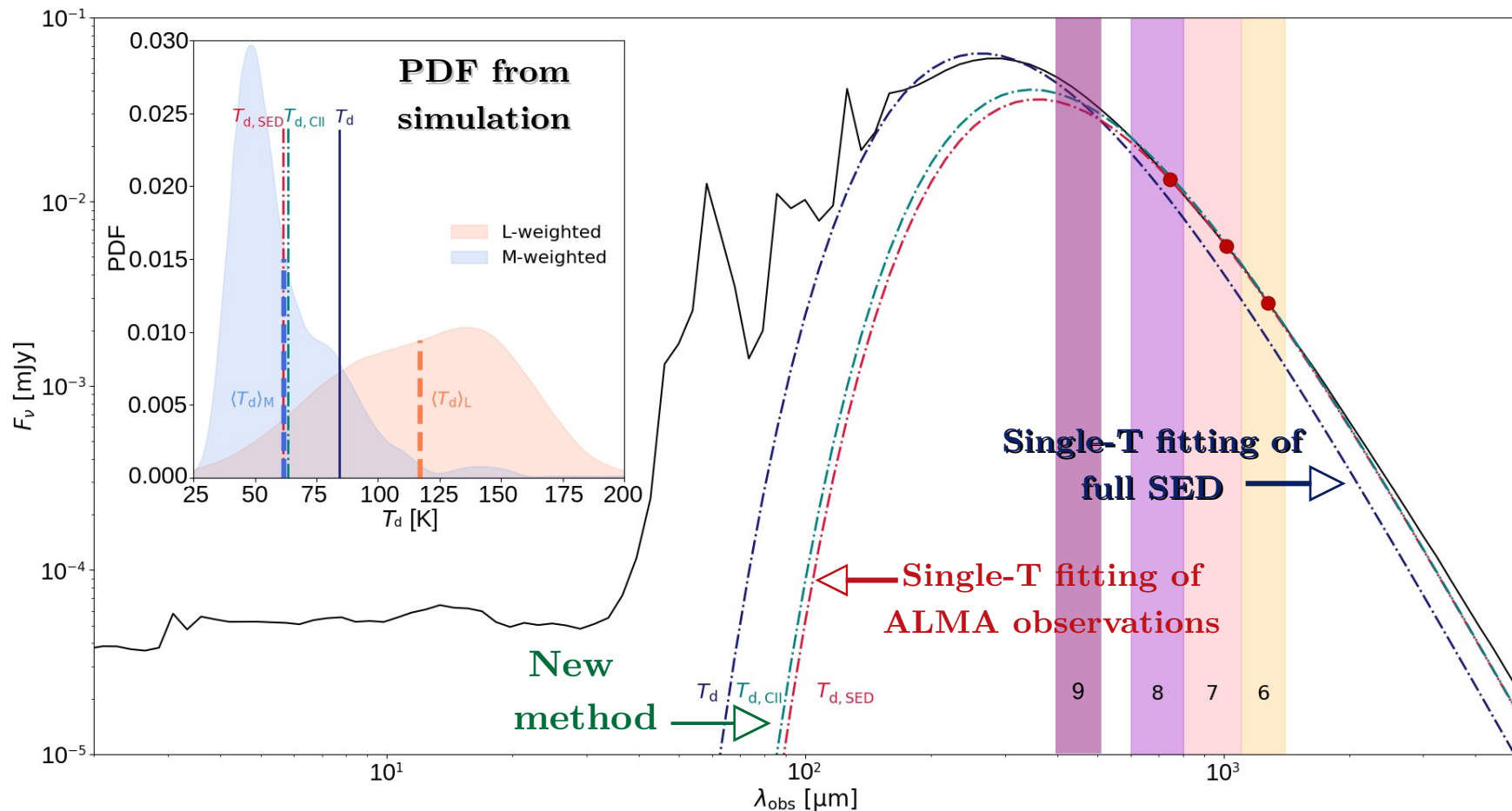
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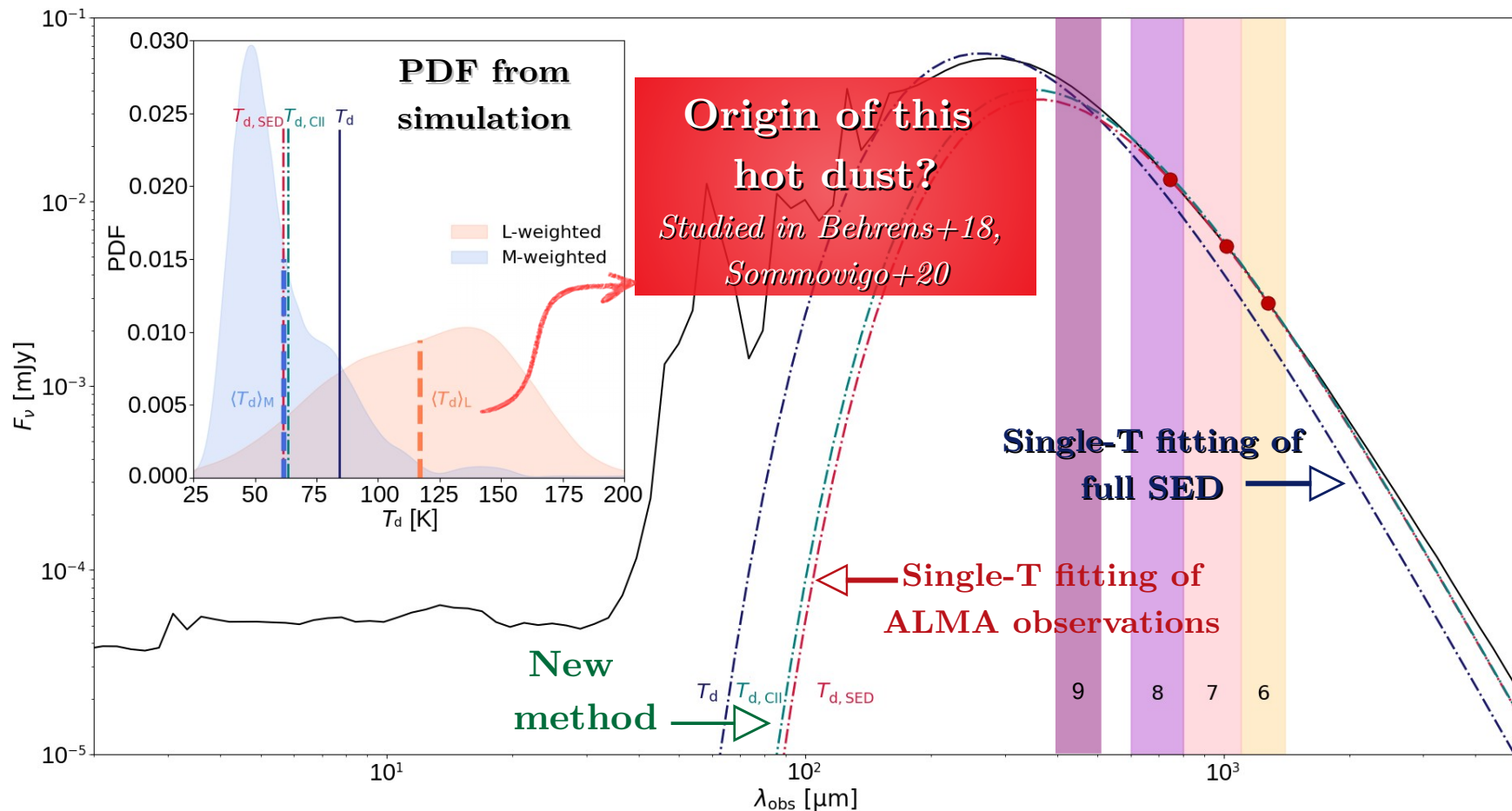
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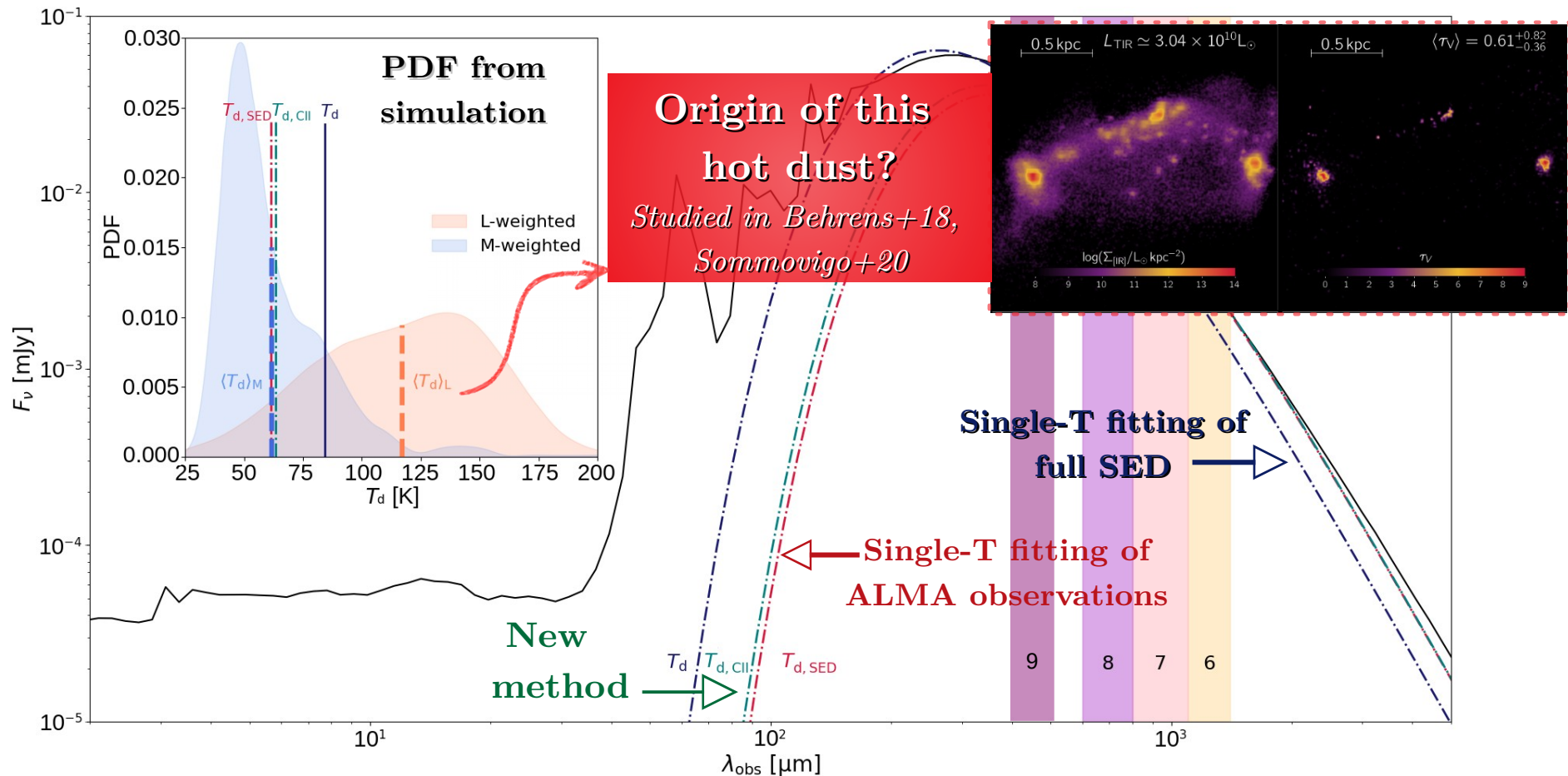
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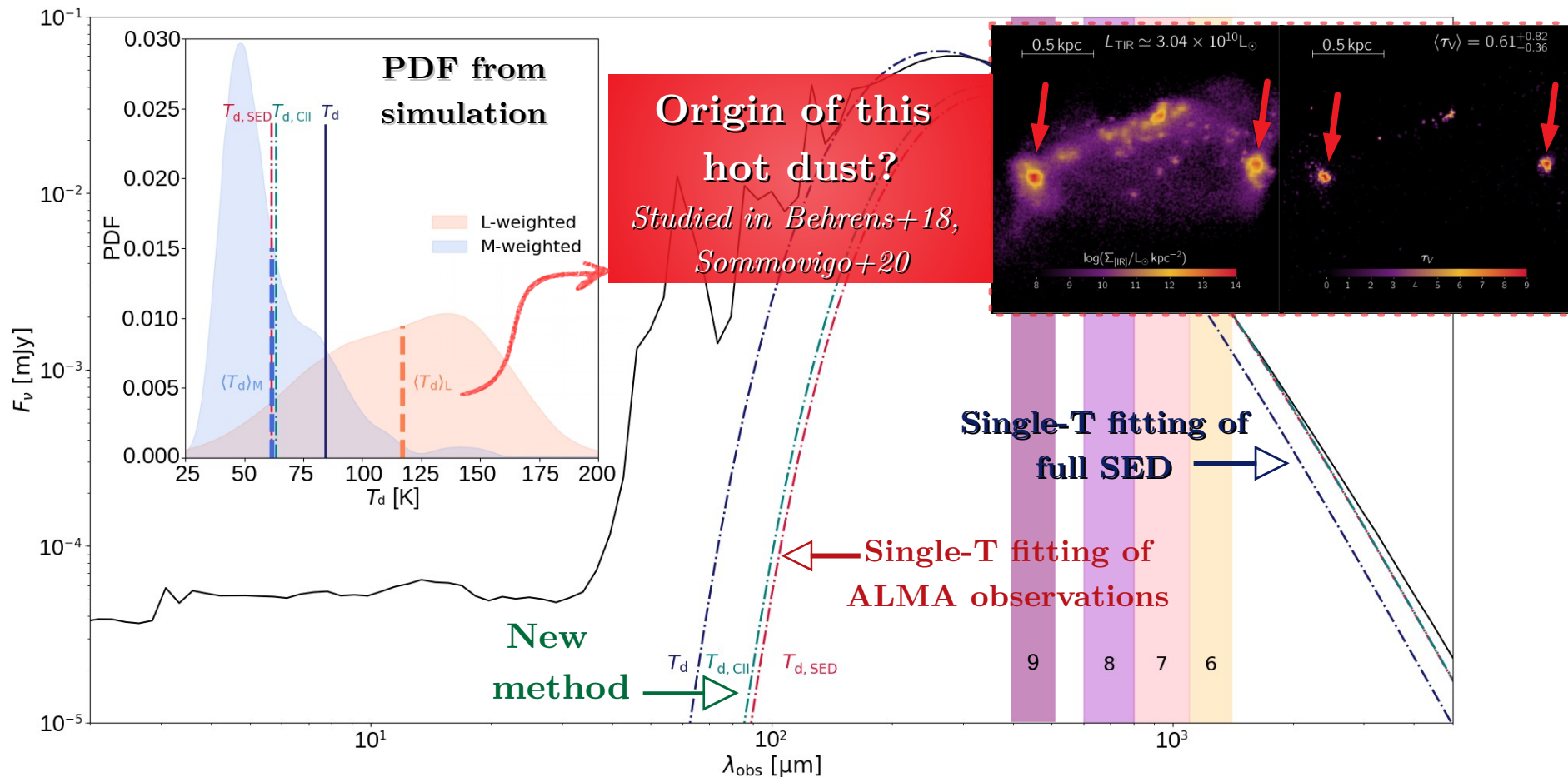
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α_{CII} : [CII]-to-total gas conversion factor

$$F_\nu = \frac{1+z}{d_L^2} k_\nu [B_\nu(T_d) - B_\nu(T_{\text{CMB}})] M_d = D \alpha_{\text{CII}} L_{\text{CII}}$$

$D \propto Z \rightarrow$ Dust to gas ratio

$\alpha_{\text{CII}} = \Sigma_{\text{gas}} / \Sigma_{\text{CII}} \rightarrow$ [CII]-to-total gas conversion factor

[CII]-SFR relation + Kennicutt-Schmidt relation $\rightarrow \alpha_{\text{CII}} \propto \Sigma_{\text{SFR}}^{-0.29} \kappa_S^{-5/7} y^2$

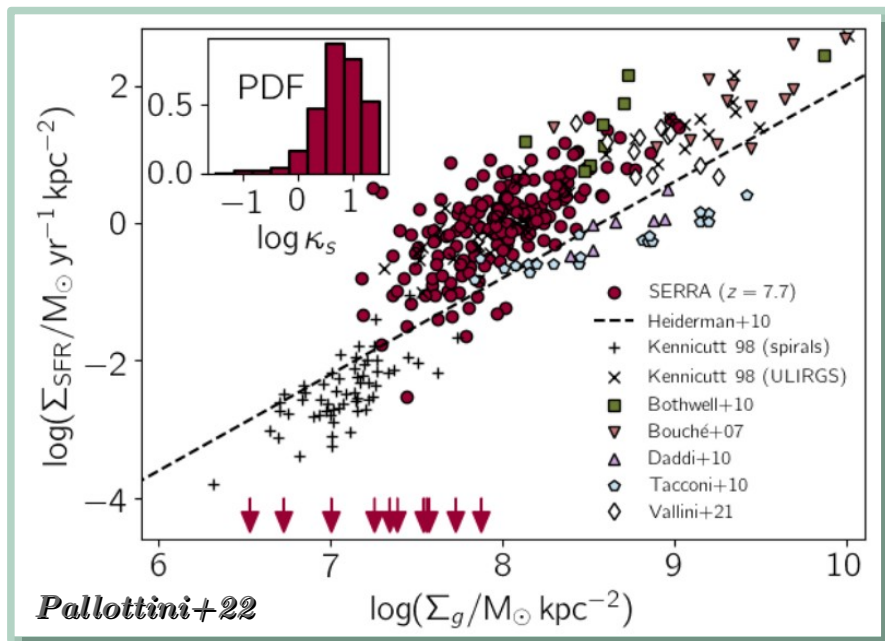
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Burstiness parameter, κ_s

See also: Heiderman+10, Ferrara+19, Vallini+21,22

Pallottini+22

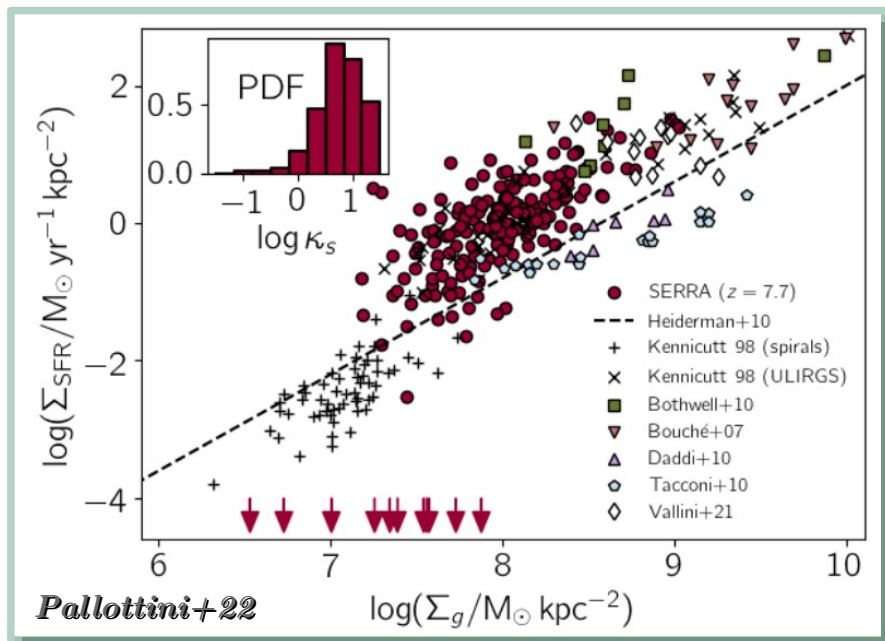
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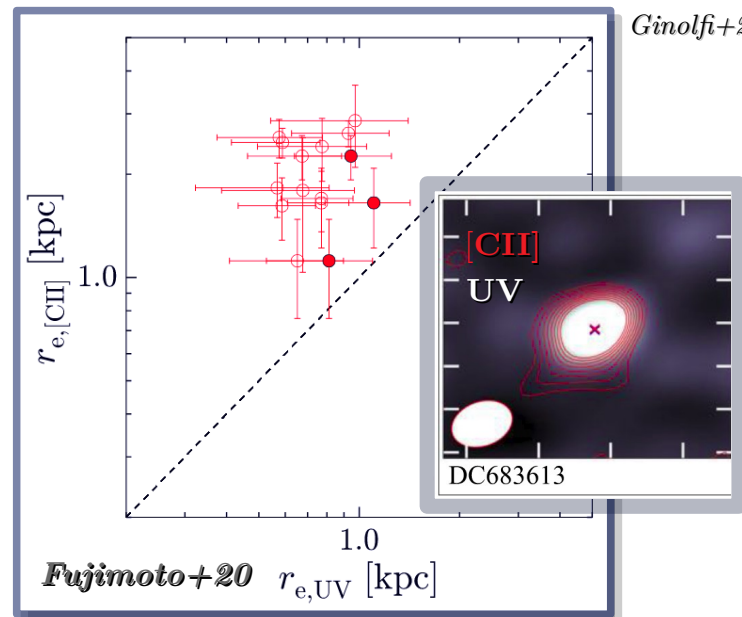
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Burstiness parameter, κ_s

See also: Heiderman+10, Ferrara+19, Vallini+21,22



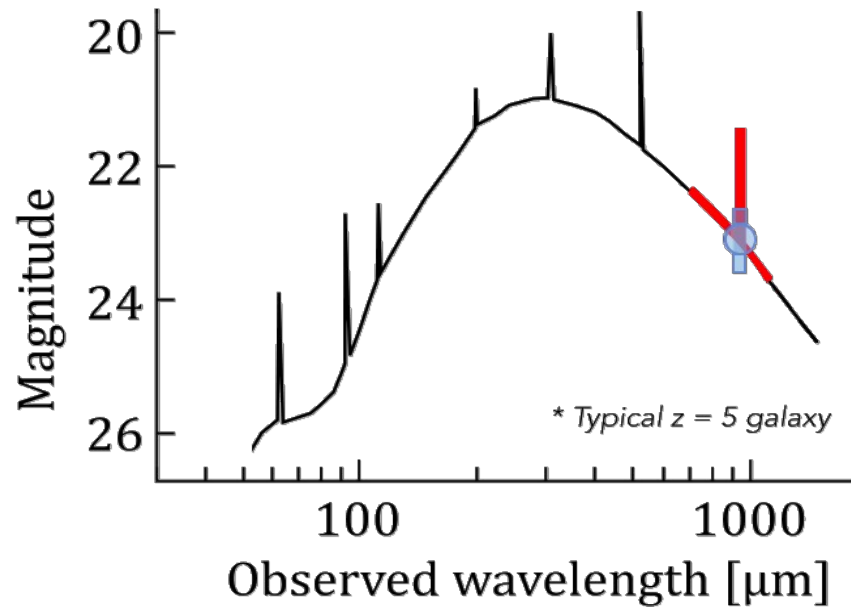
See also: Carniani+17,18,20, Matthee+17,19, Fujimoto+19, Ginolfi+20

New method to derive T_d using [CII] information

Inputs: Outputs:

[CII] \rightarrow M_d

Continuum \rightarrow T_d



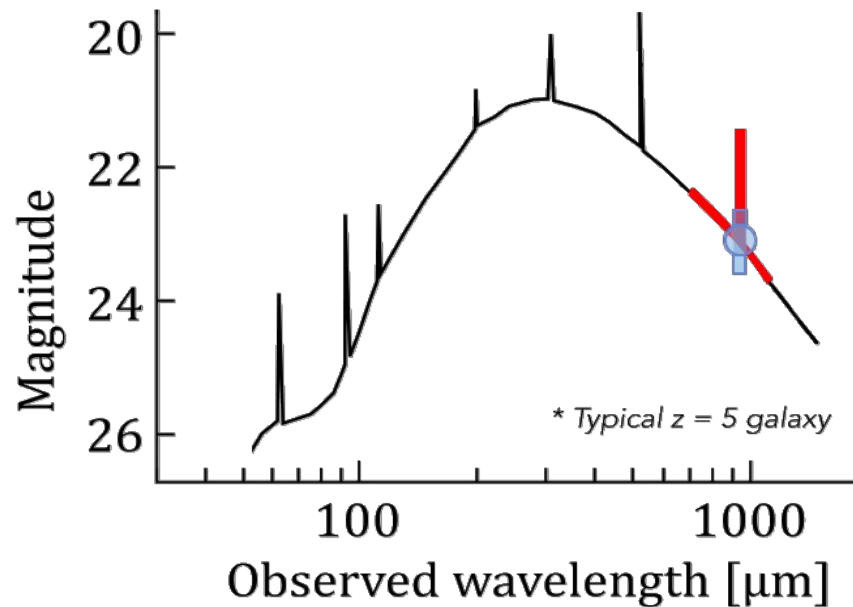
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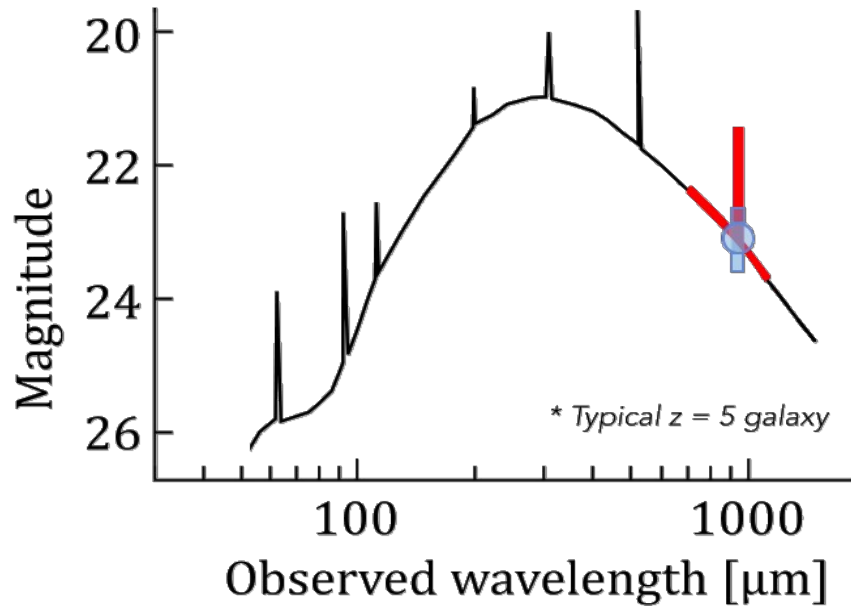
$$F_{158}(T_{d,\text{CII}}, k_s, \overbrace{Z, \Sigma_{\text{SFR}}, L_{\text{CII}}, y, z}^{\text{data}}) = F_{158,\text{obs}}$$



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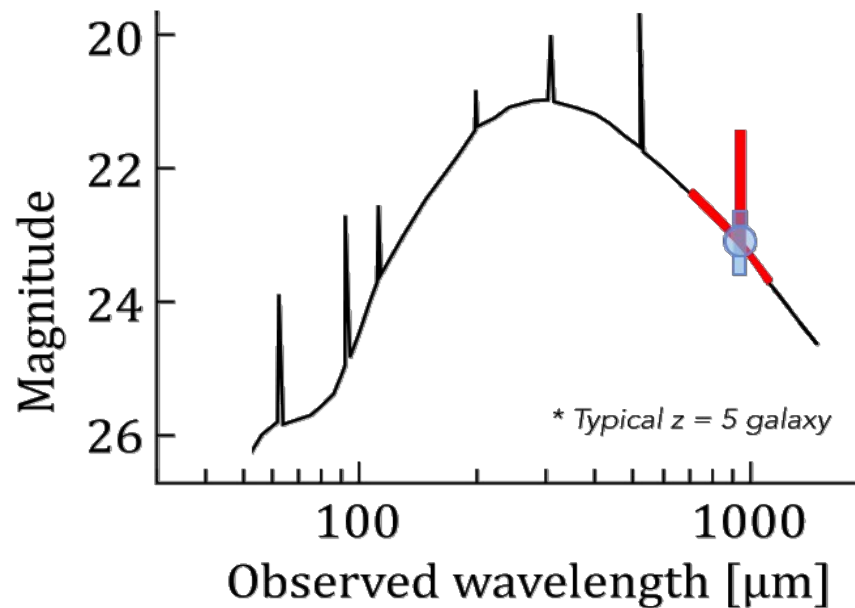
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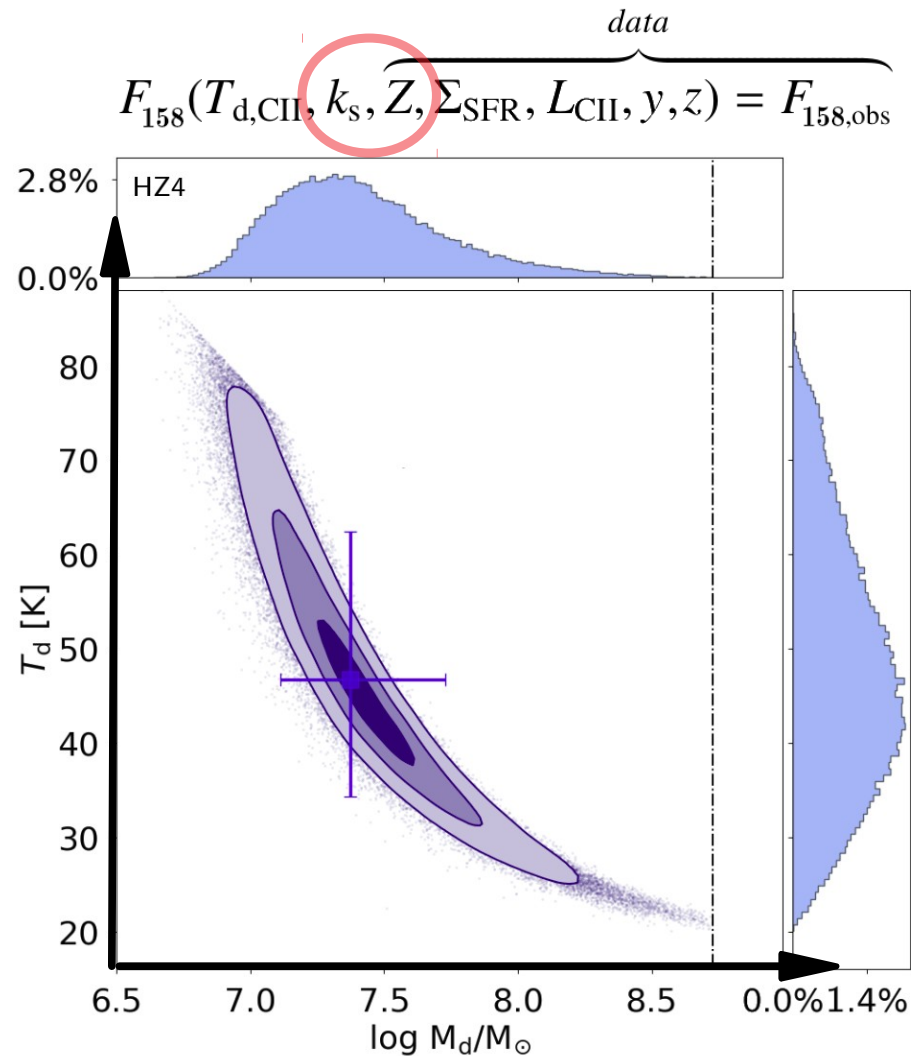
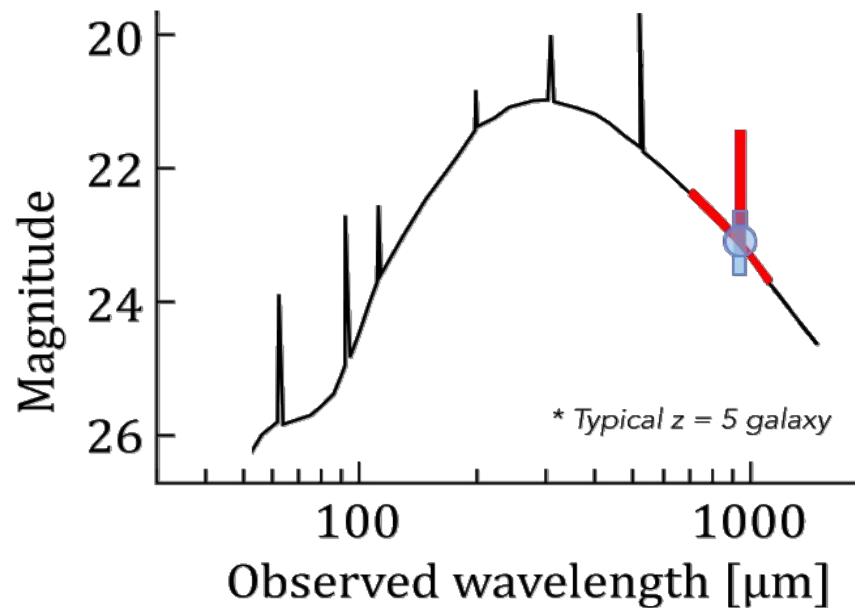


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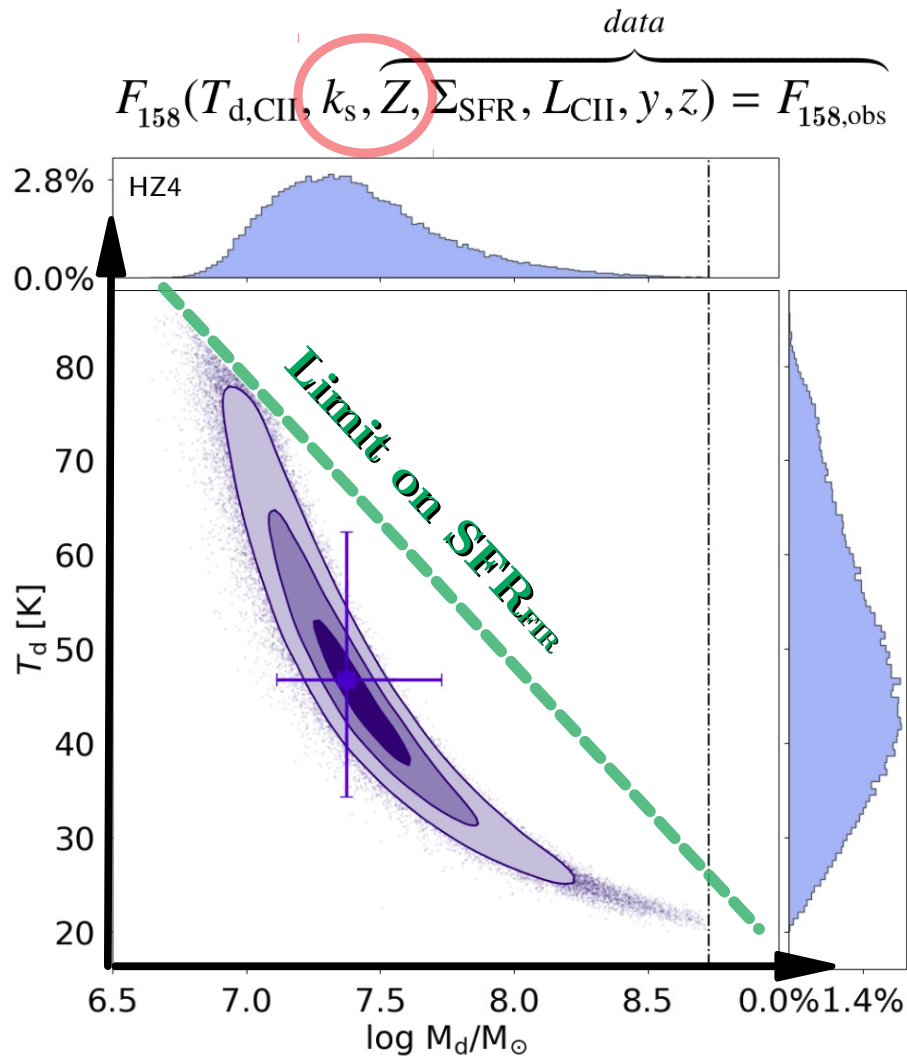
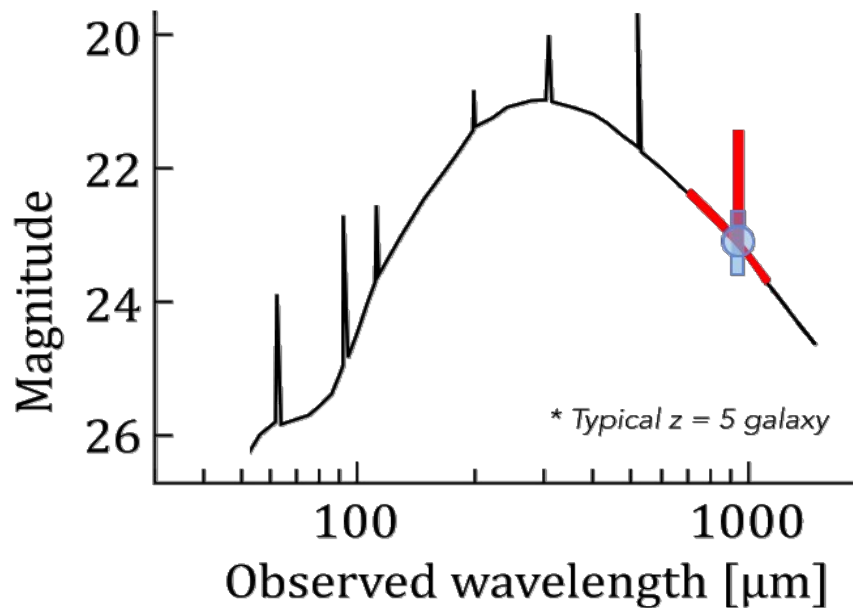


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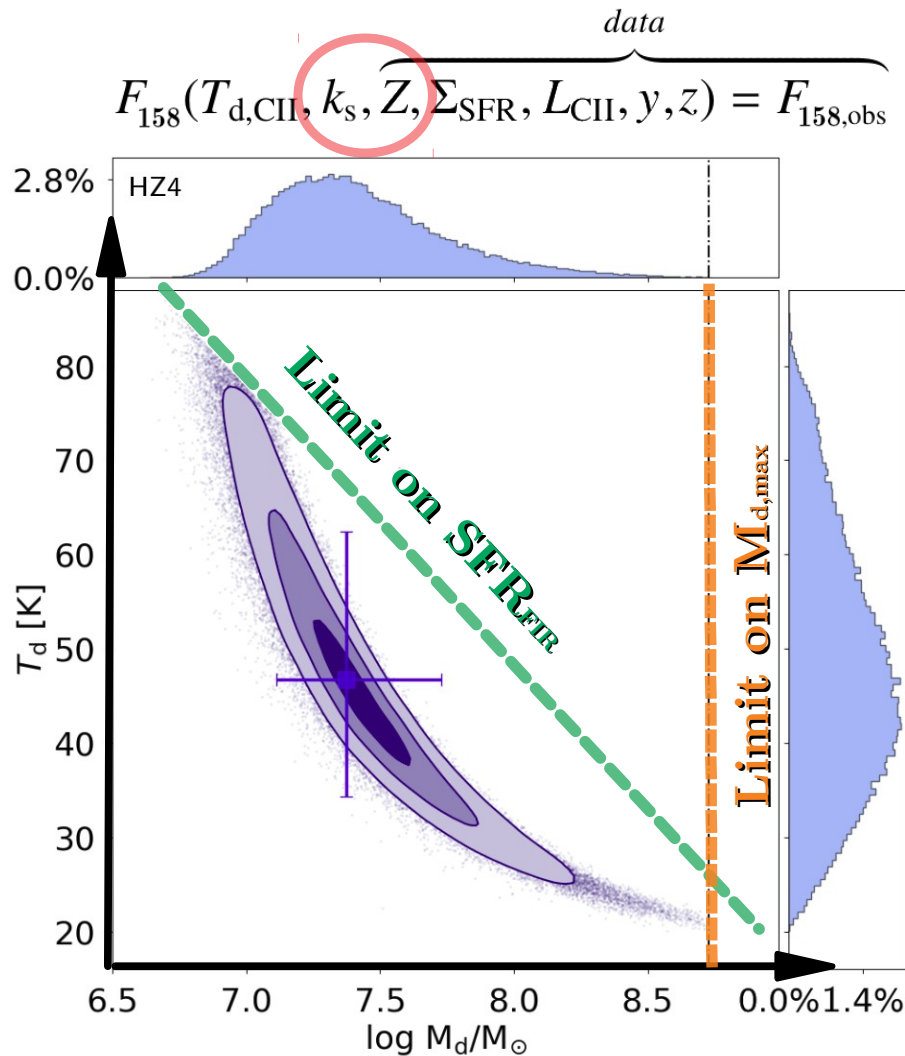
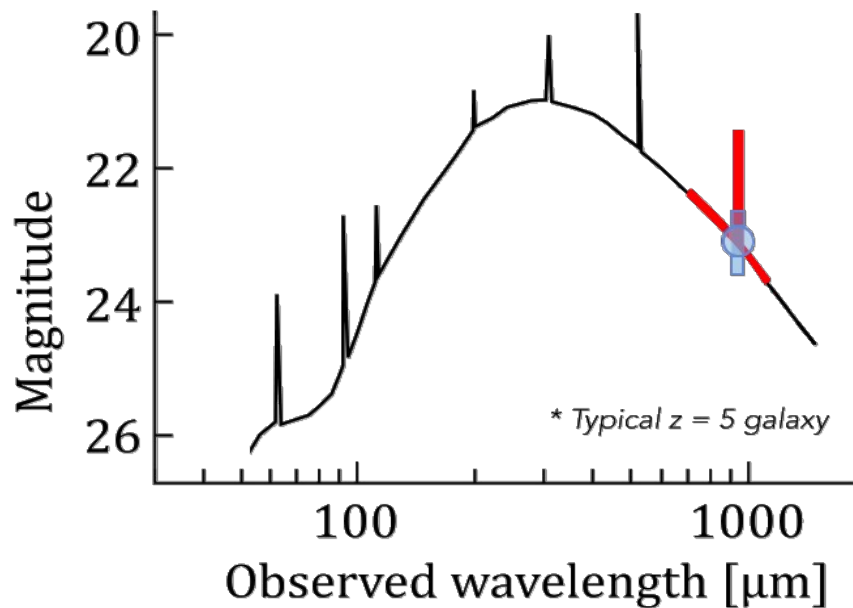


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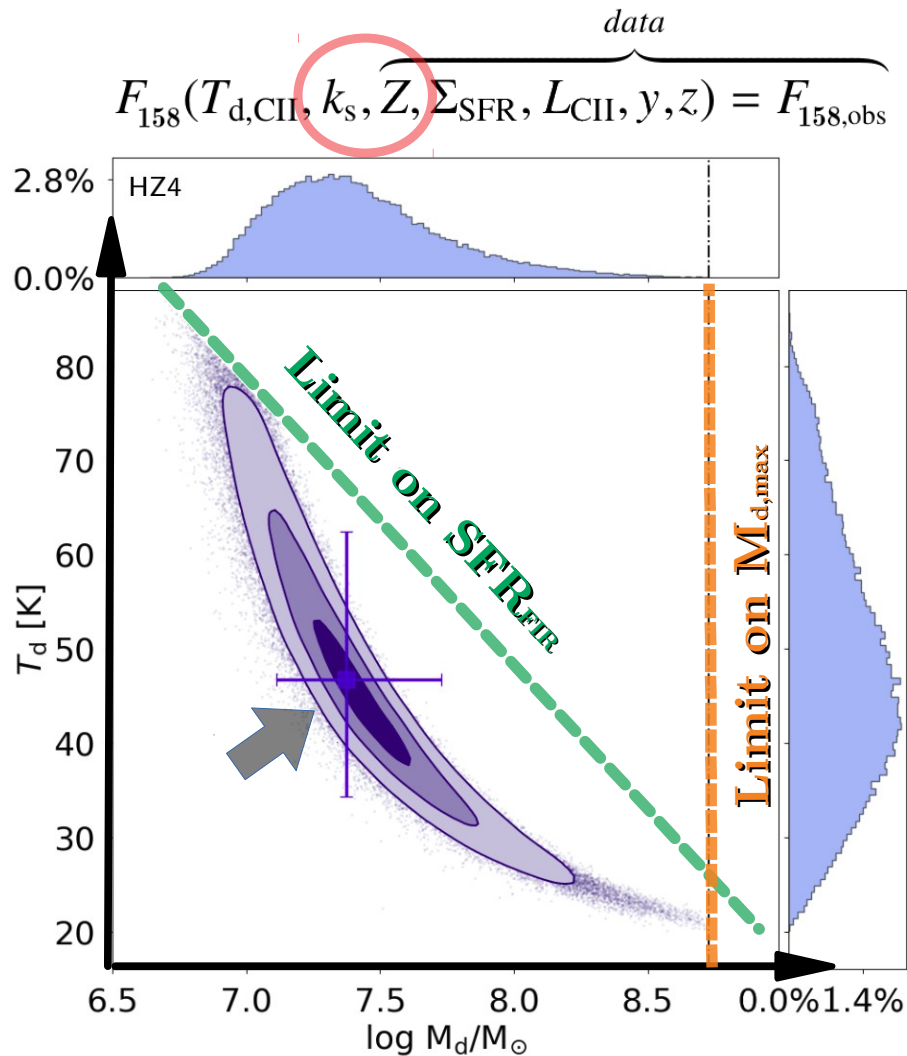
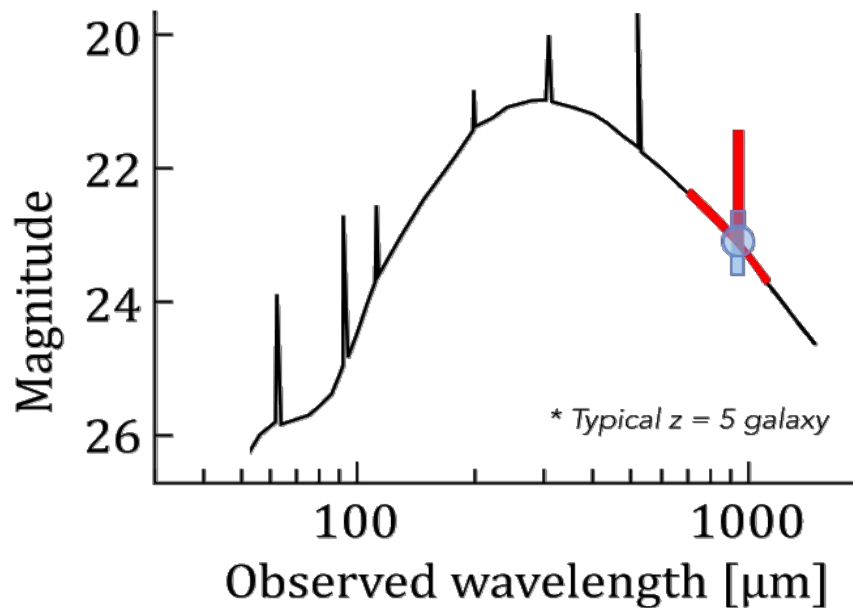


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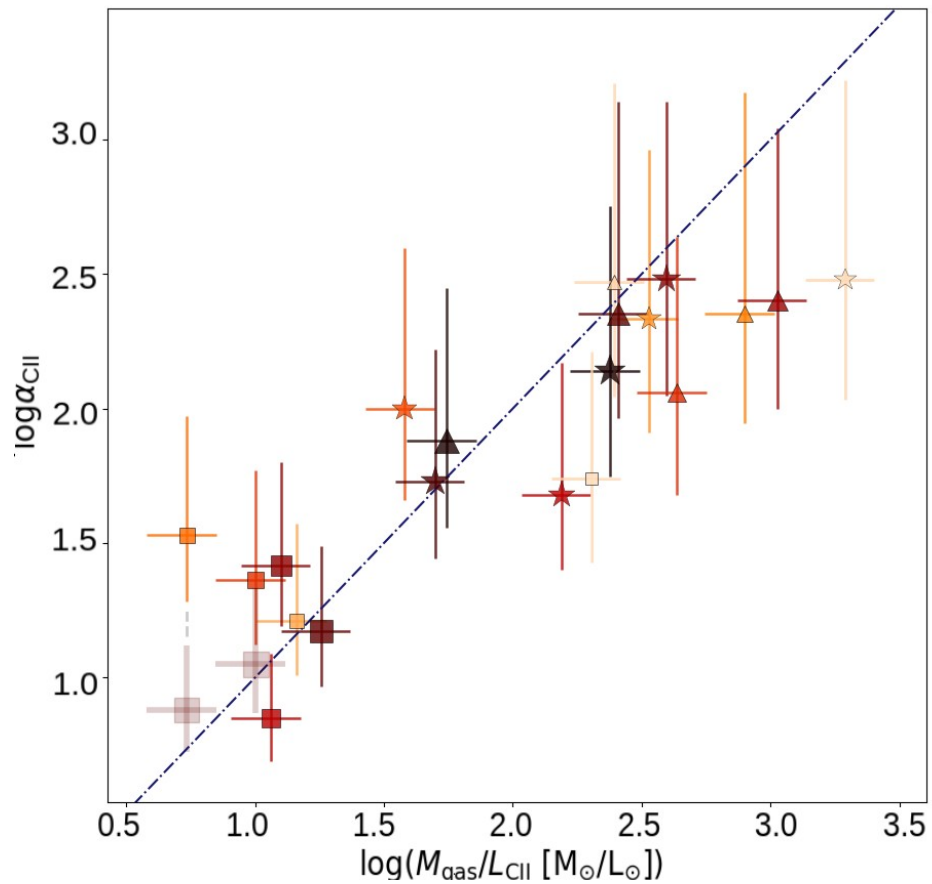
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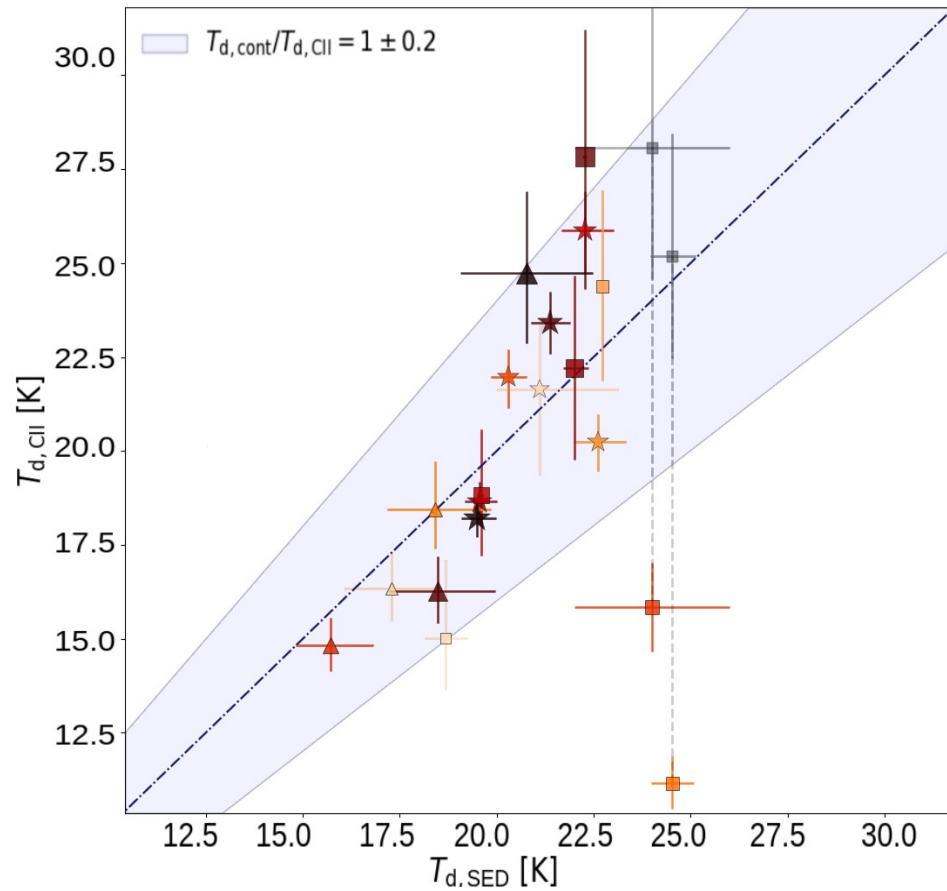
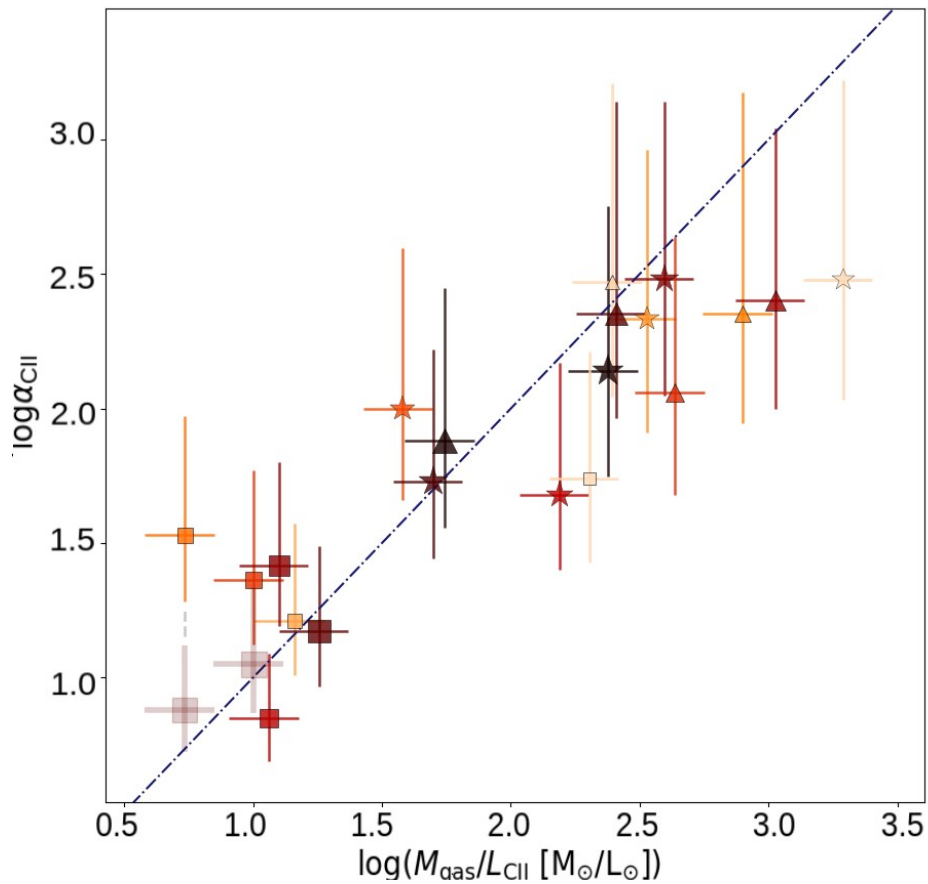


Local testing

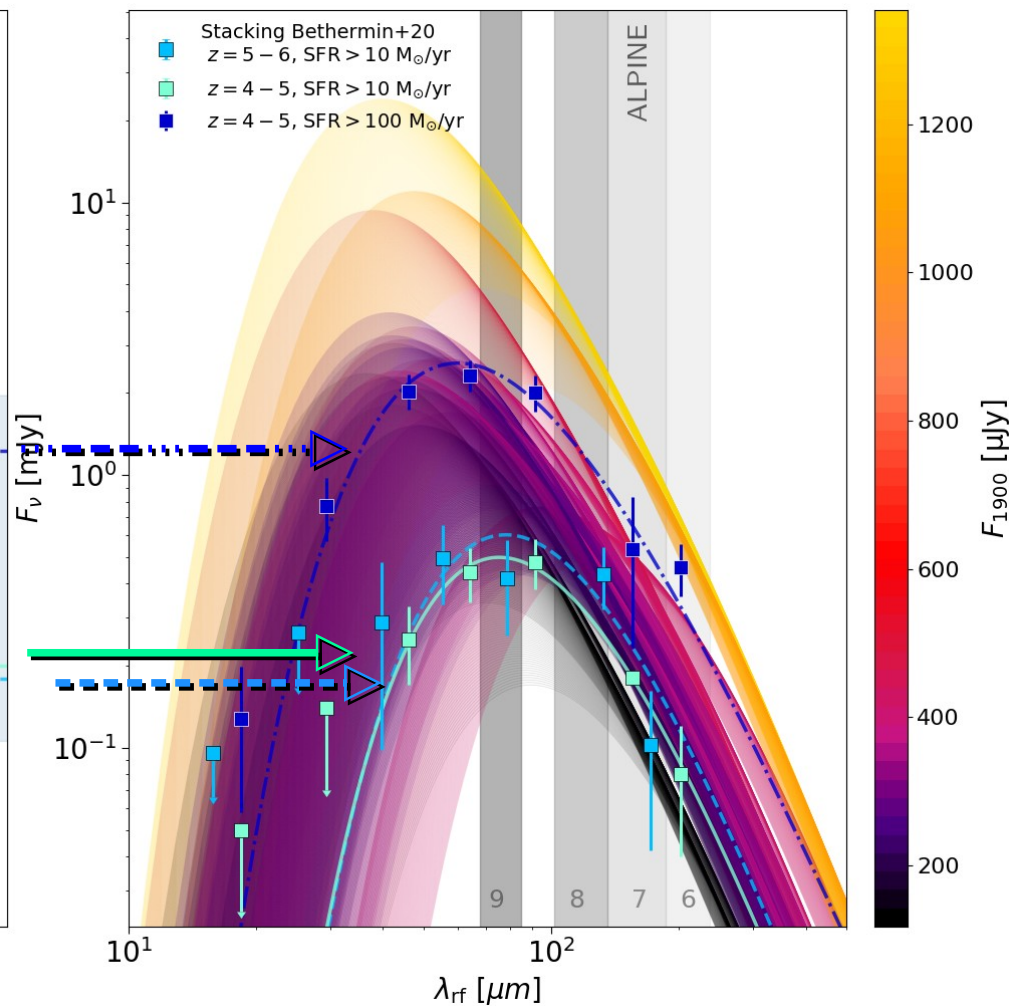
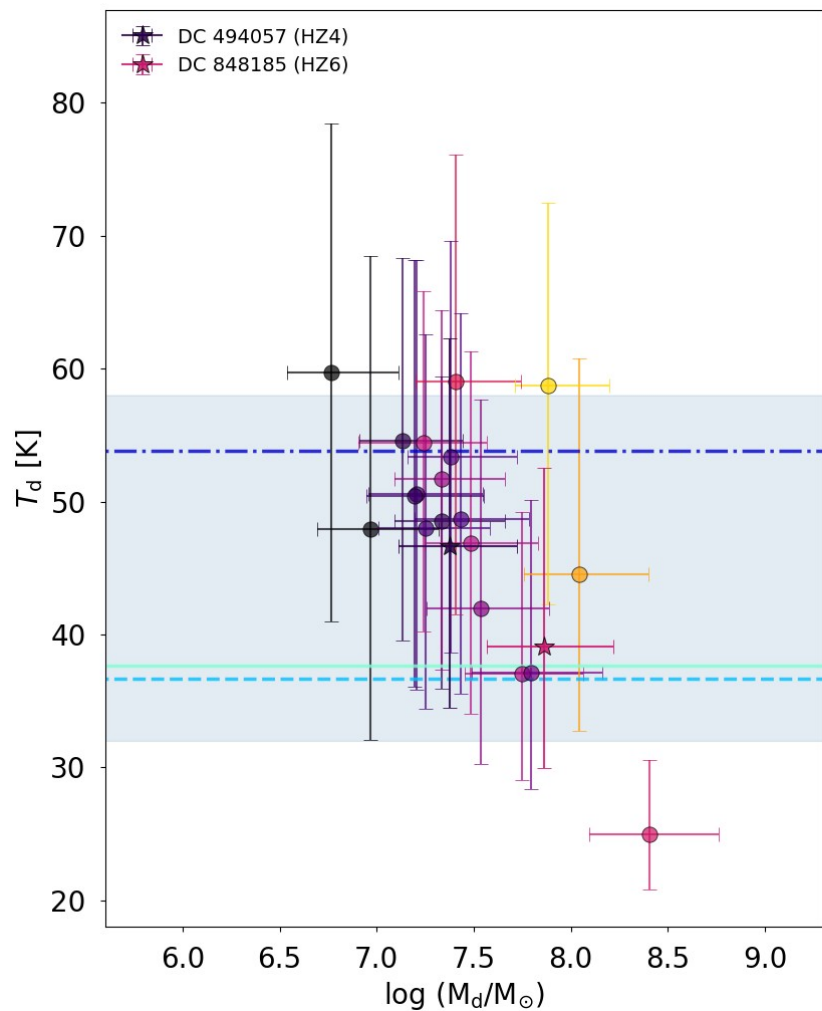
Local testing



Local testing



Application of new method to ALPINE galaxies



Cosmic dust temperature evolution: a physical model

$$L_{\text{IR}} = (1 - e^{-\tau_{\text{UV}}})L_{\text{UV}}$$

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$$\begin{cases} T_{\text{d}} \propto [N_{\text{H},21} t_{\text{dep}}^{-1}]^{1/6.03} \text{ K} & \tau_{\text{UV}} \lesssim 1 \\ T_{\text{d}} \propto [Z t_{\text{dep}}]^{-1/6.03} \text{ K} & \tau_{\text{UV}} \gtrsim 1 \end{cases}$$

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UV-transparent

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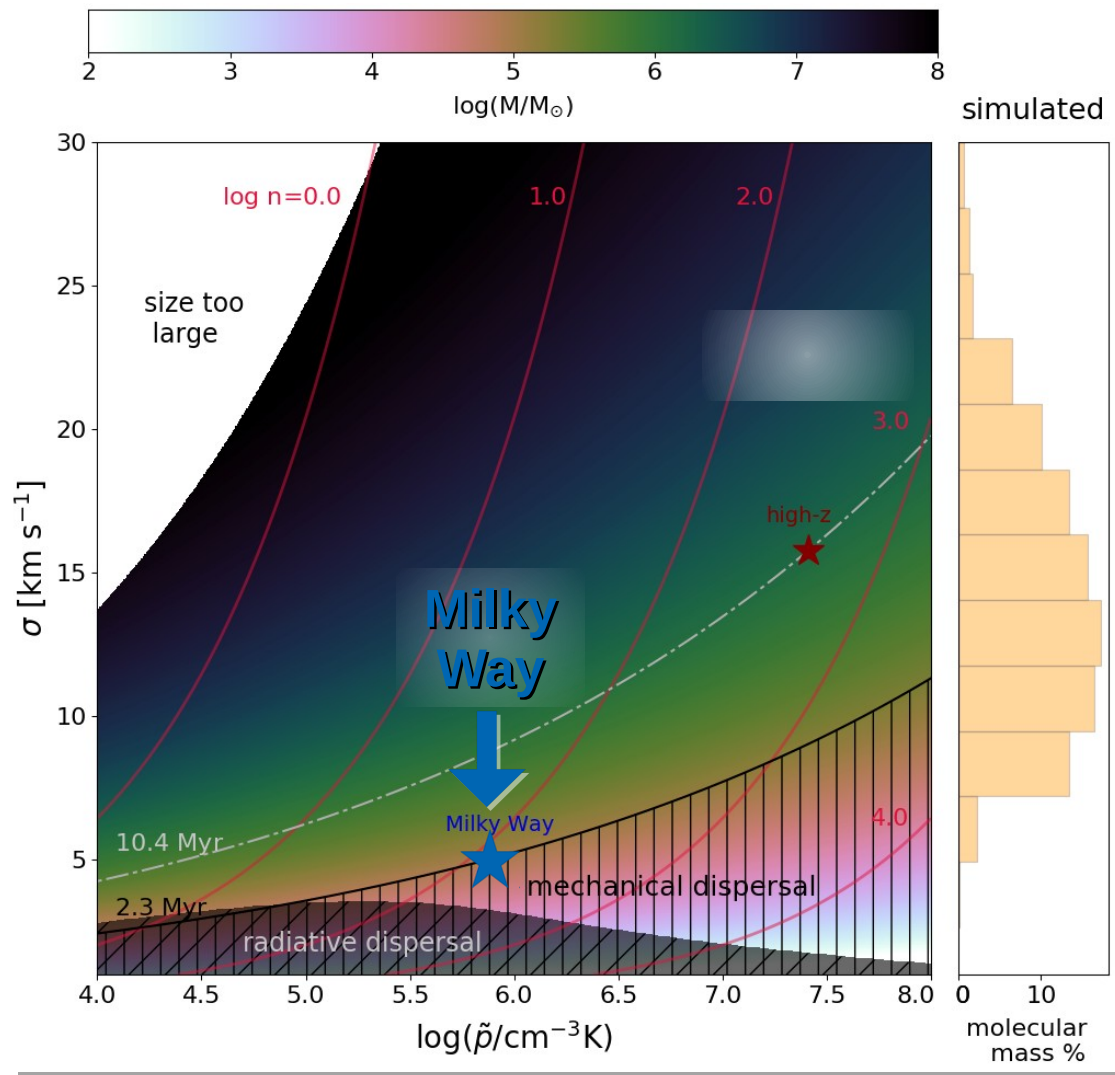
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- Uniform density
- Star forming
- Turbulent, σ
- Pressure supported, p
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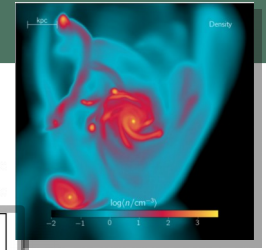
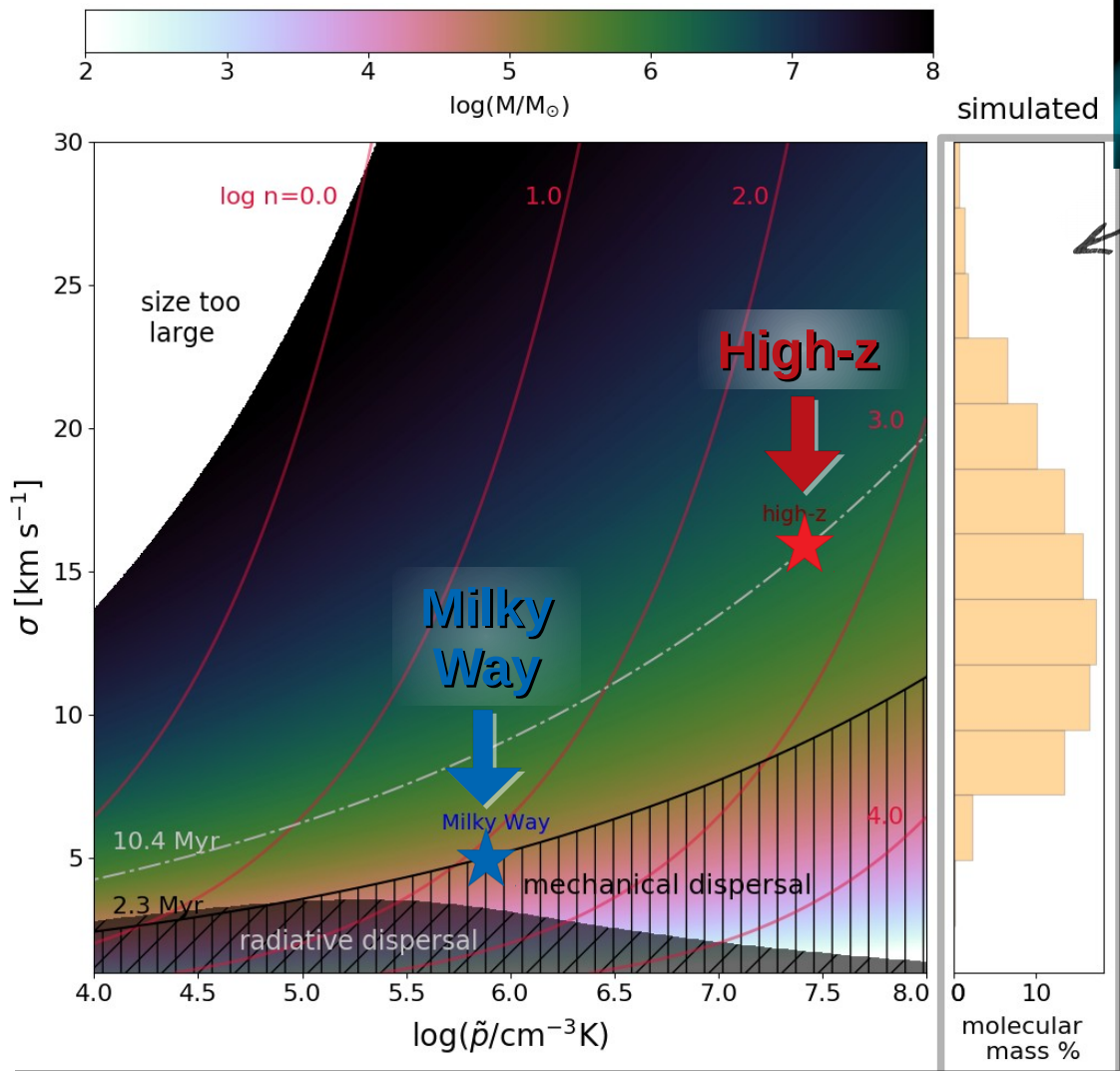
Zoom into Giant Molecular Clouds at high-z



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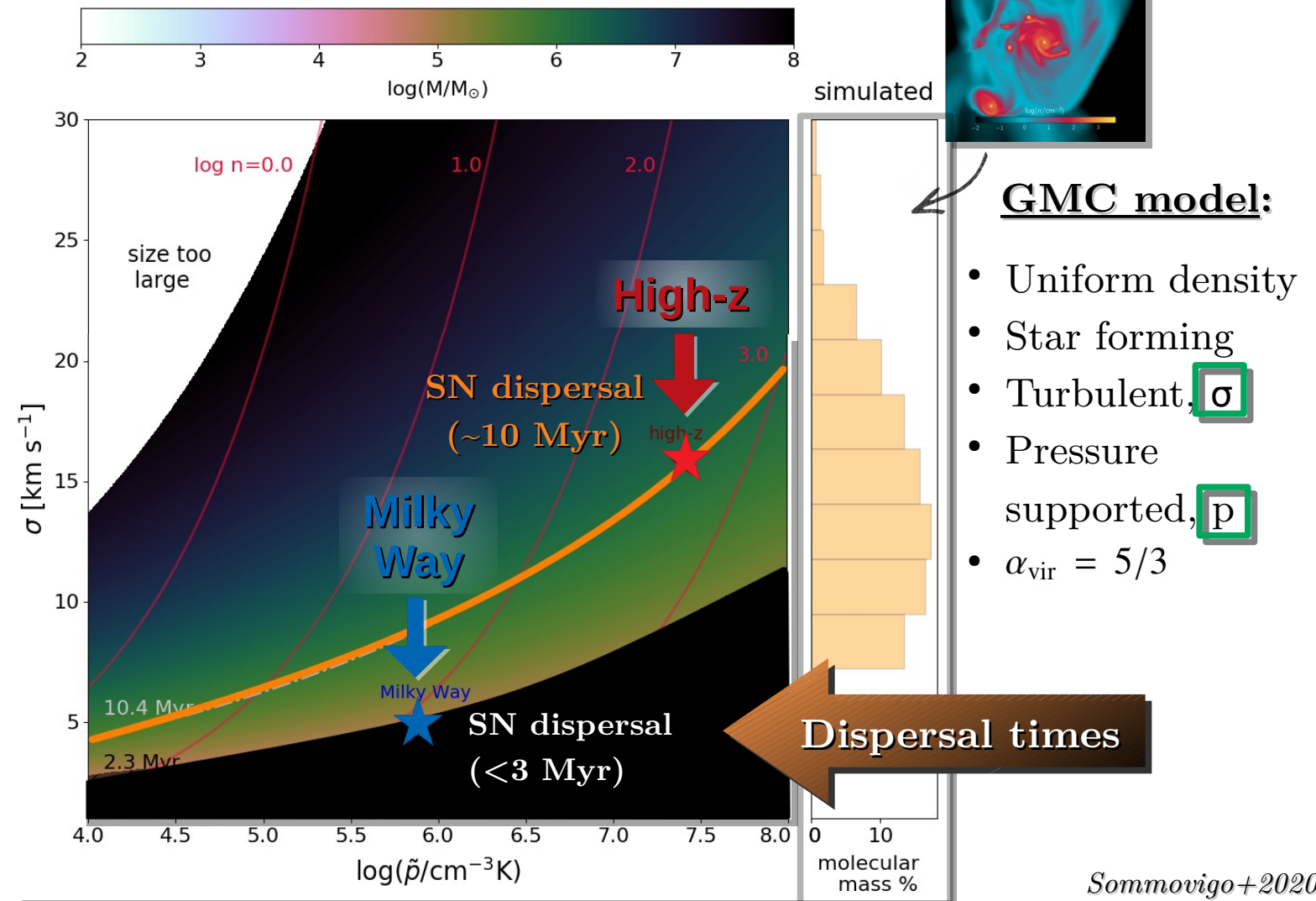
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- Pressure supported, p
- $\alpha_{\text{vir}} = 5/3$

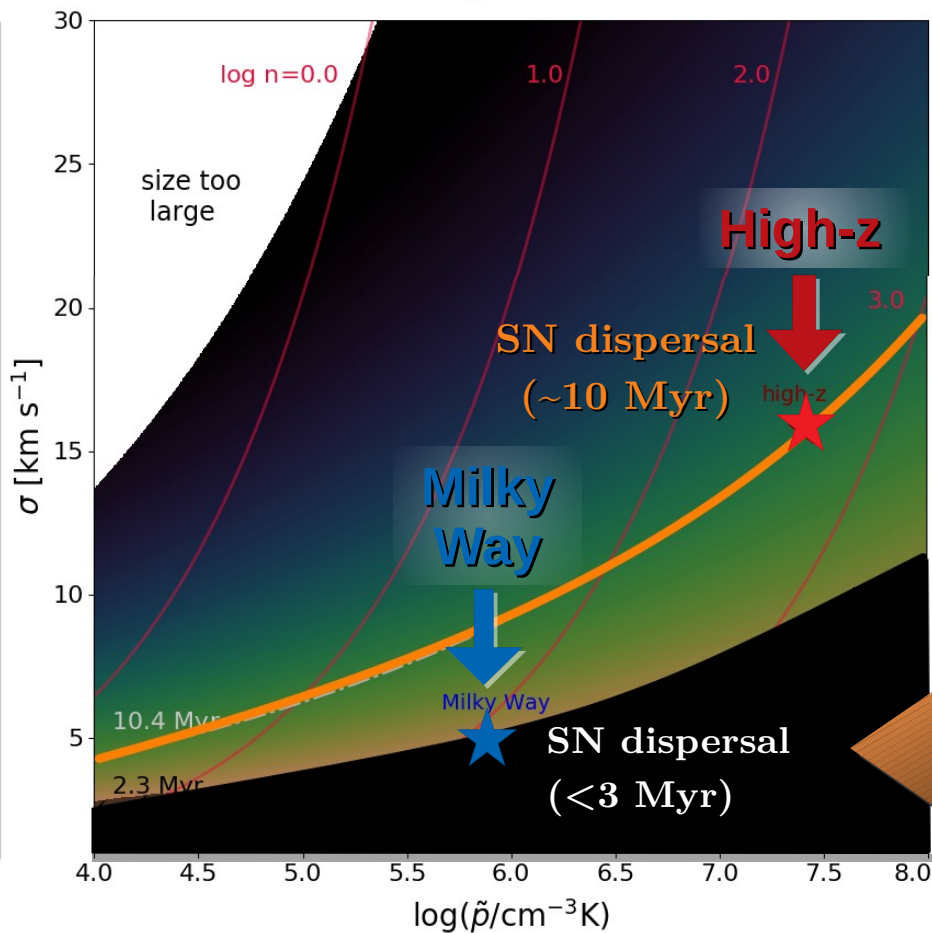
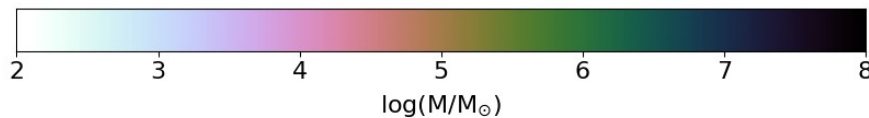
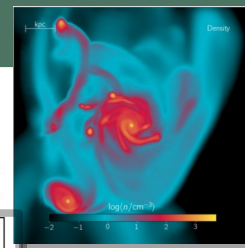
Zoom into Giant Molecular Clouds at high-z



GMC model:

- Uniform density
- Star forming
- Turbulent, σ
- Pressure supported, p
- $\alpha_{\text{vir}} = 5/3$

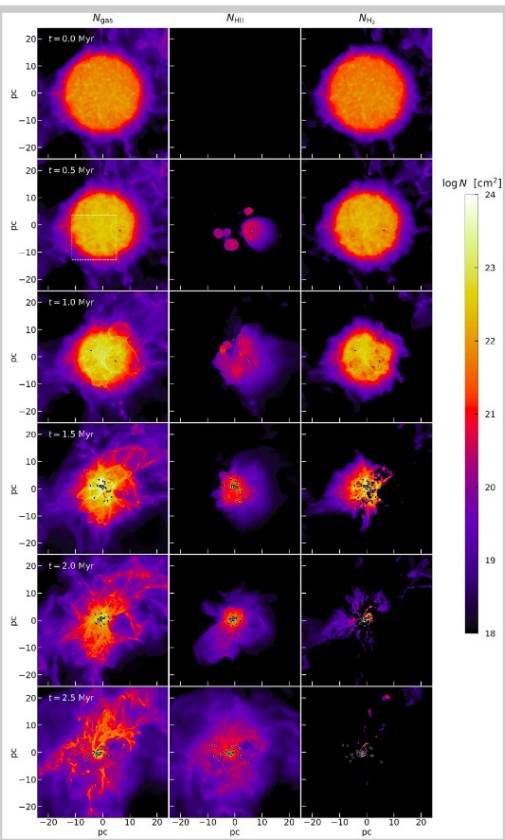
Zoom into Giant Molecular Clouds at high-z



simulated

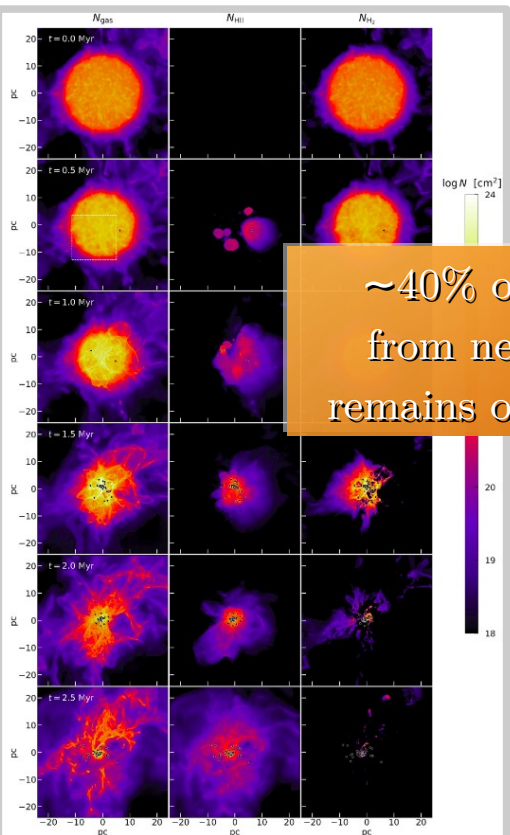
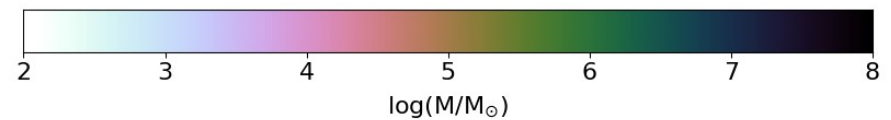
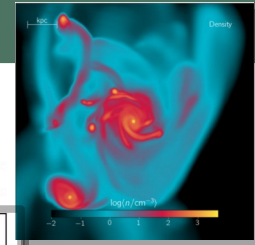
GMC model:

- Uniform density
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- Turbulent, σ
- Pressure supported, p
- $\alpha_{\text{vir}} = 5/3$

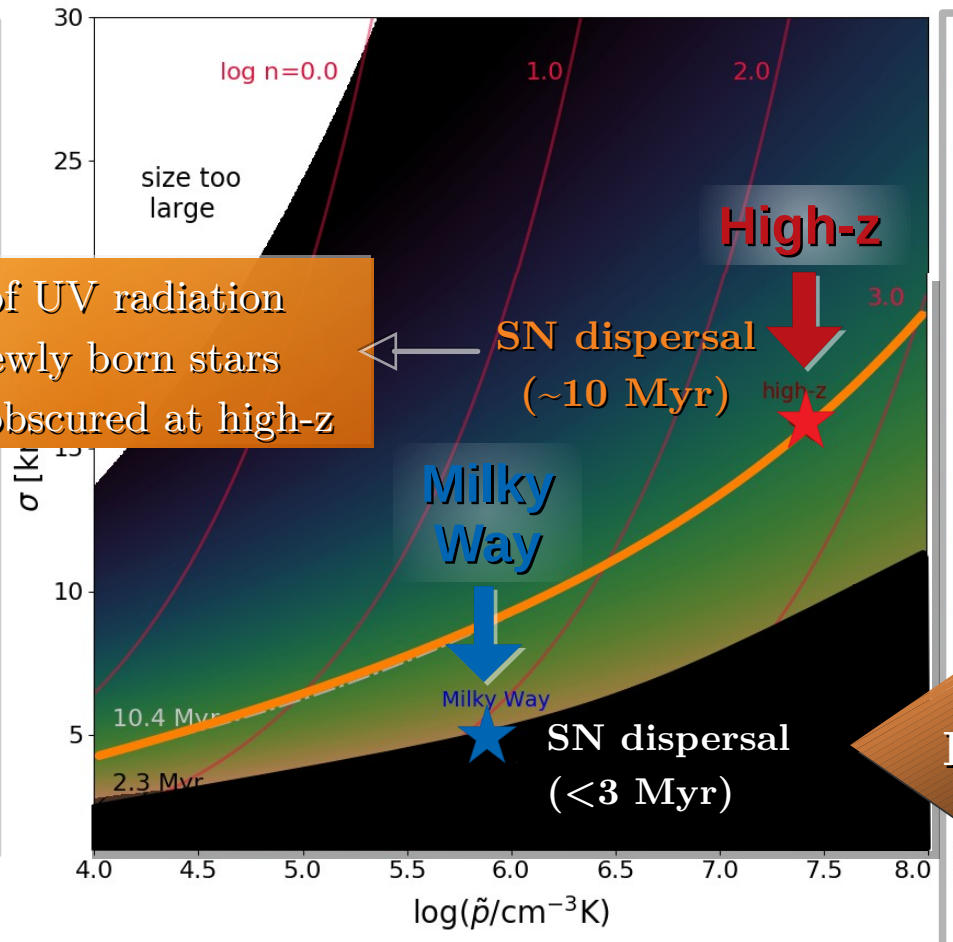


Decataldo+20

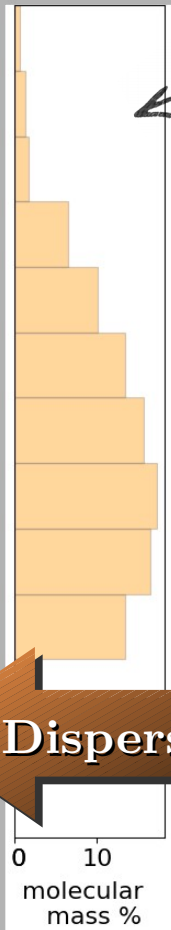
Zoom into Giant Molecular Clouds at high-z



~40% of UV radiation from newly born stars remains obscured at high-z



simulated



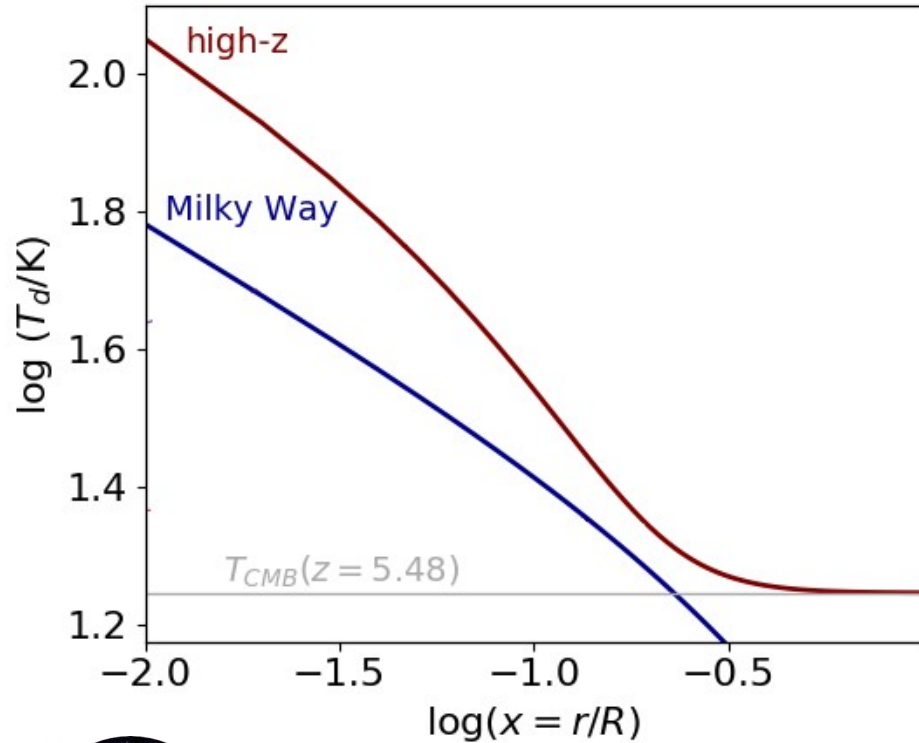
GMC model:

- Uniform density
- Star forming
- Turbulent, σ
- Pressure supported, p
- $\alpha_{\text{vir}} = 5/3$

Dispersal times

Dust temperature in GMCs

Uniform cloud



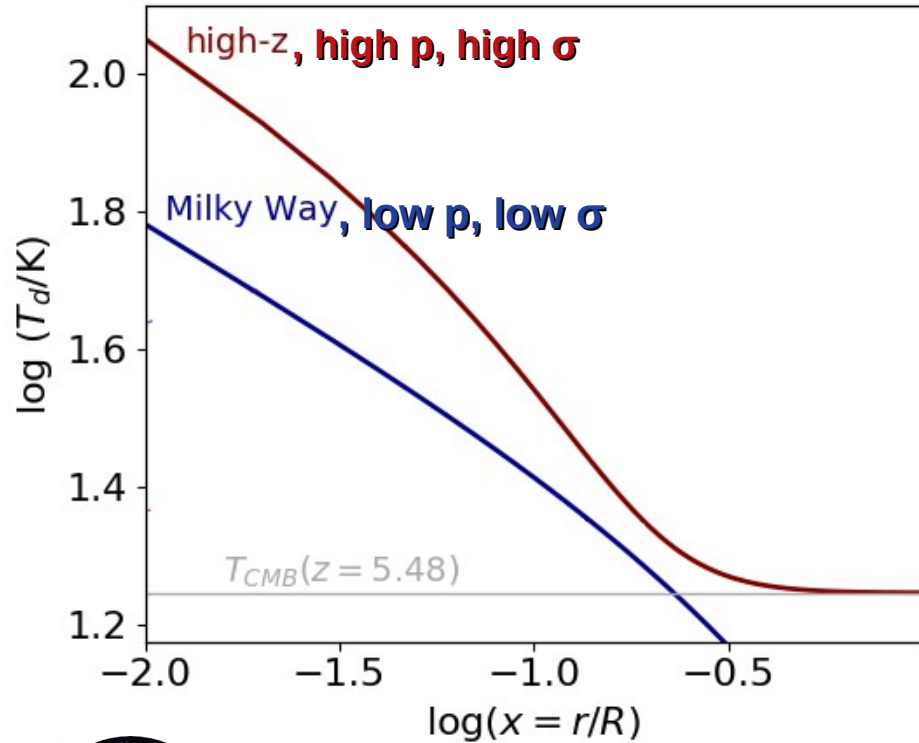
← Towards the center of the cloud

(MW grain size distribution: *Weingartner & Draine, 2001*)

Sommovigo+20

Dust temperature in GMCs

Uniform cloud



← Towards the center of the cloud

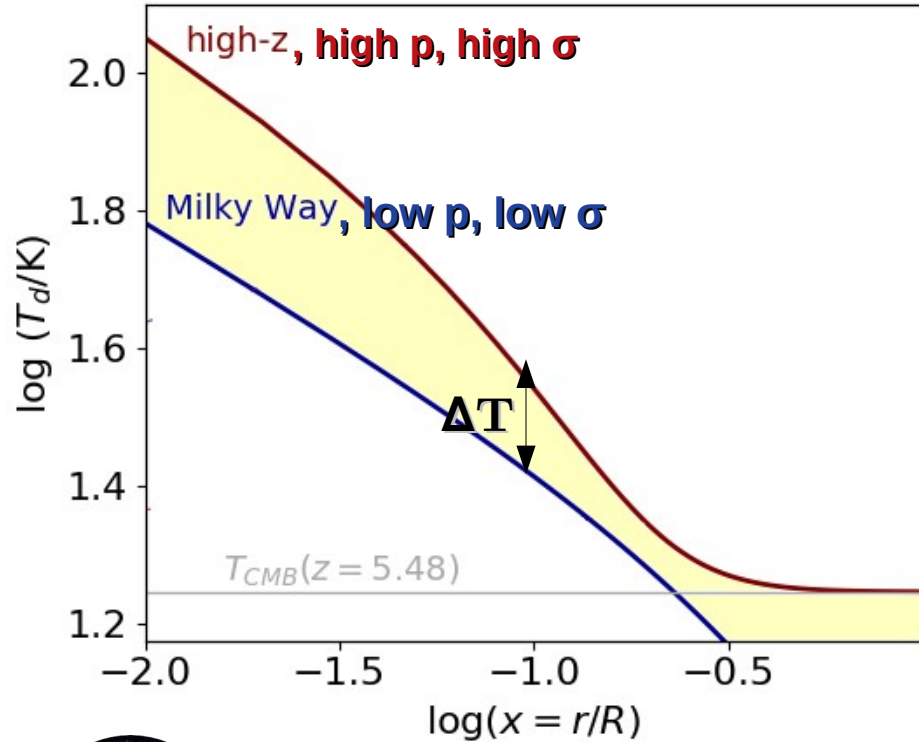
(MW grain size distribution: *Weingartner & Draine, 2001*)

Sommovigo+20

Dust temperature in GMCs

Uniform cloud

- Hotter dust due to high pressure at high- z



← Towards the center of the cloud

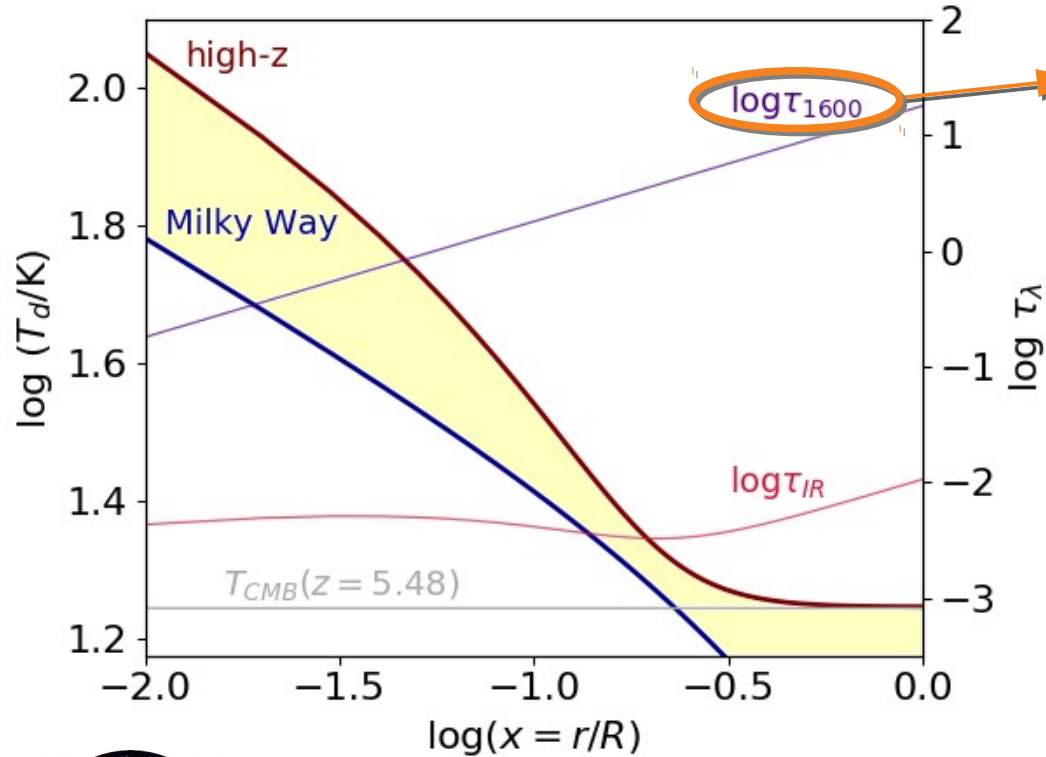
(MW grain size distribution: *Weingartner & Draine, 2001*)

Sommovigo+20

Dust temperature in GMCs

Uniform cloud

- Hotter dust due to high pressure at high- z



$$\tau_\lambda \propto N_H \propto p^{1/2}$$



Towards the center of the cloud

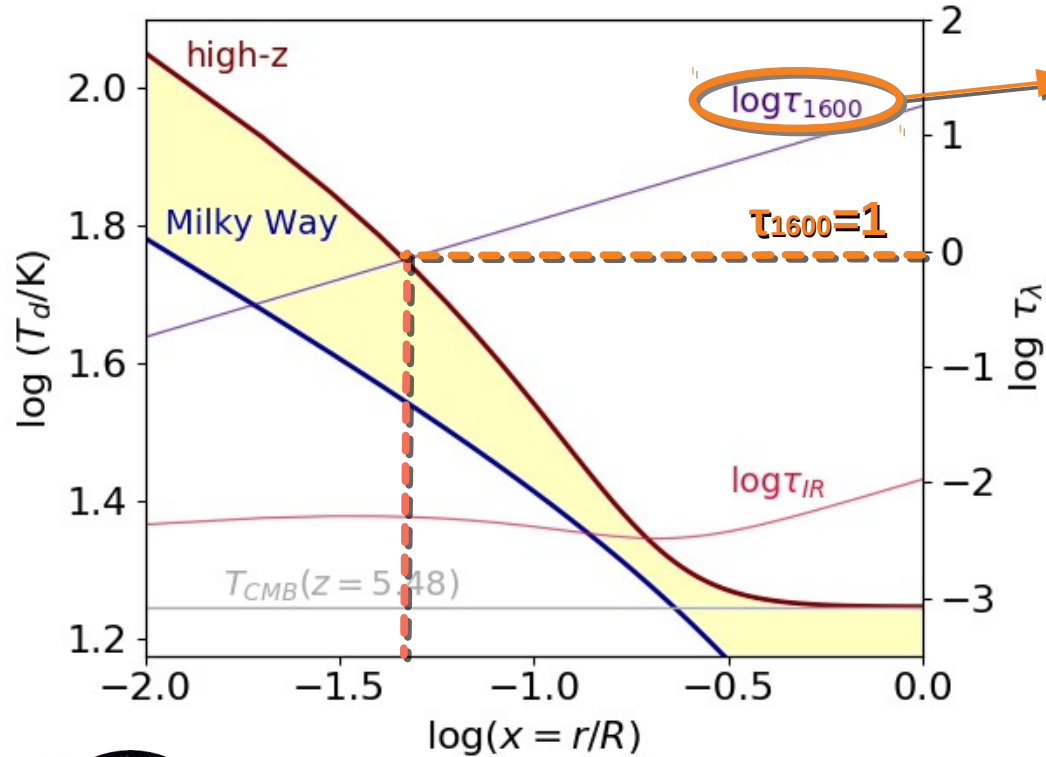
(MW grain size distribution: *Weingartner & Draine, 2001*)

Sommovigo+20

Dust temperature in GMCs

Uniform cloud

- Hotter dust due to high pressure at high- z



$$\tau_\lambda \propto N_H \propto p^{1/2}$$



Towards the center of the cloud

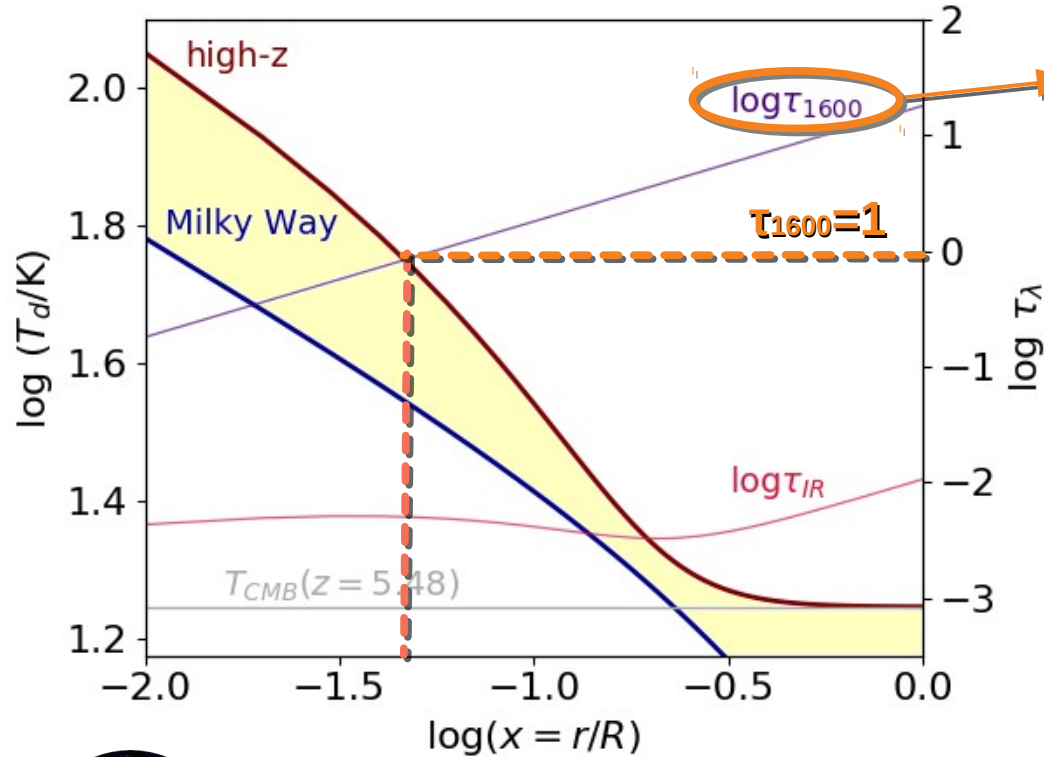
(MW grain size distribution: *Weingartner & Draine, 2001*)

Sommovigo+20

Dust temperature in GMCs

Uniform cloud

- Hotter dust due to high pressure at high- z



$$\tau_\lambda \propto N_H \propto p^{1/2}$$

Dust is hotter due to compact dust configuration in high- z GMCs



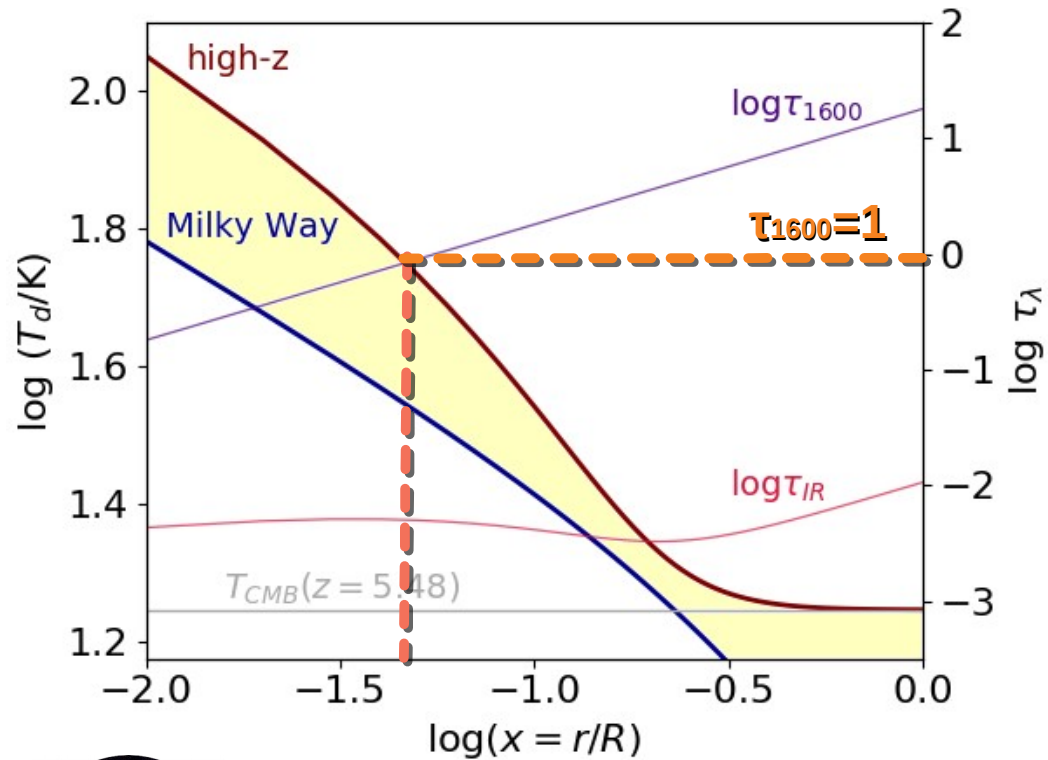
Towards the center of the cloud

(MW grain size distribution: Weingartner & Draine, 2001)

Sommovigo+20

Dust temperature in GMCs

Uniform cloud



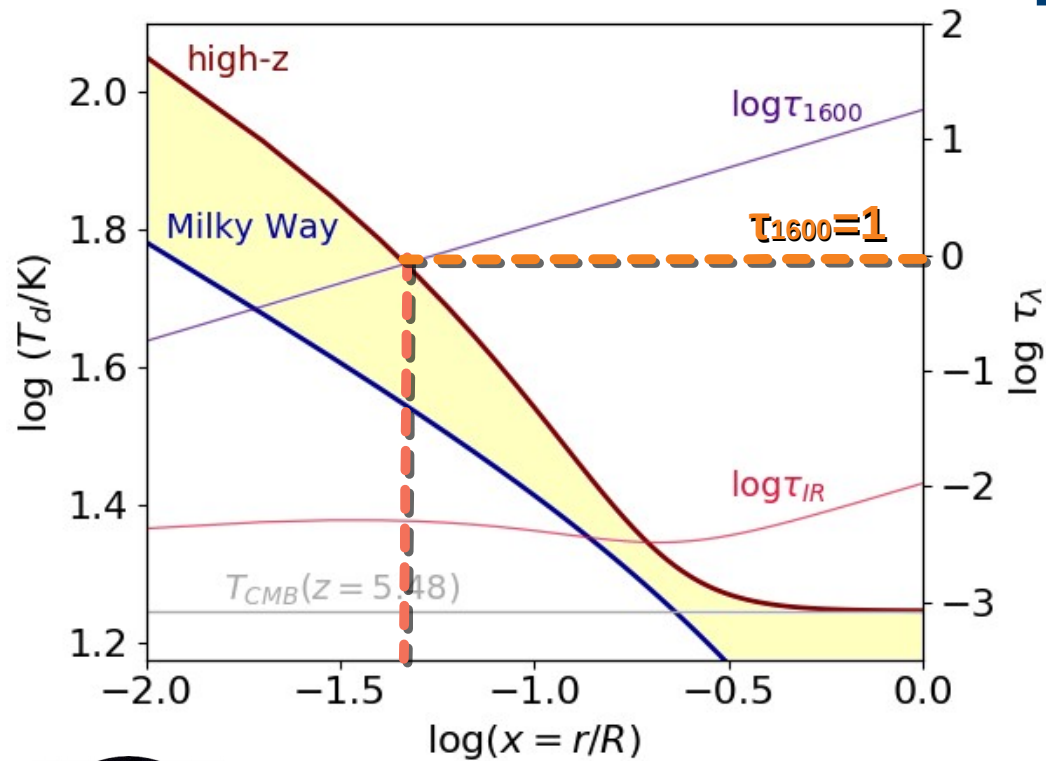
← Towards the center of the cloud

(MW grain size distribution: Weingartner & Draine, 2001)

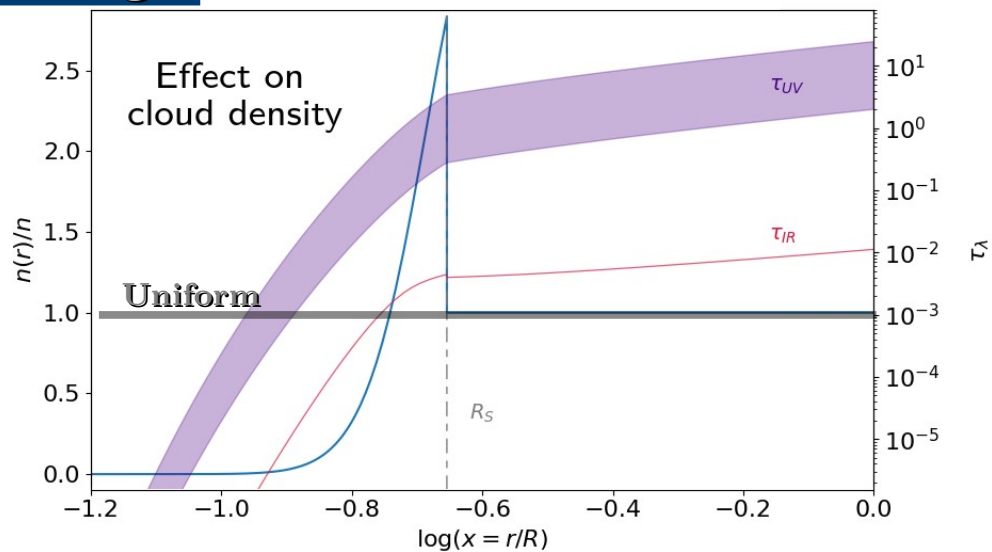
Sommovigo+20

Dust temperature in GMCs

Uniform cloud



Adding : Radiation pressure *Draine+11*



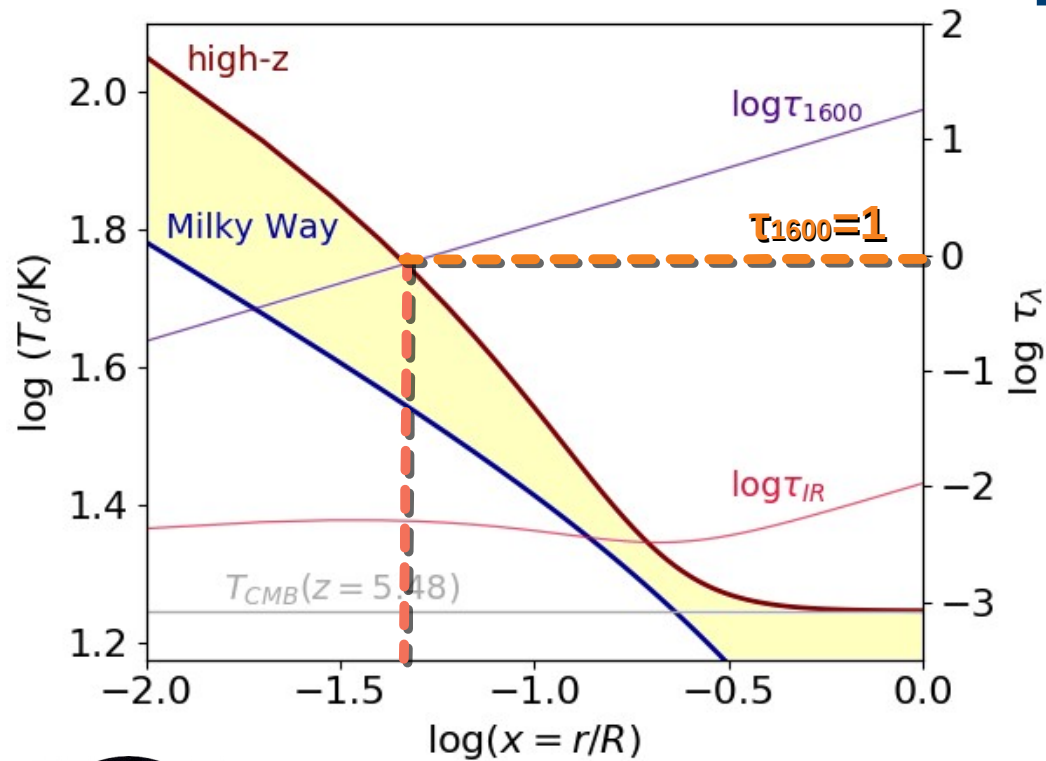
← Towards the center of the cloud

(MW grain size distribution: *Weingartner & Draine, 2001*)

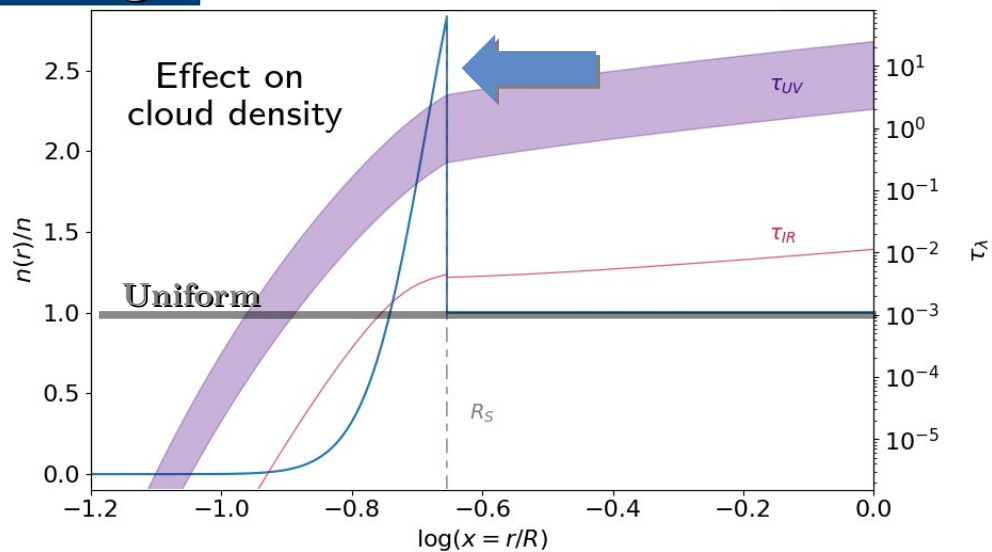
Sommovigo+20

Dust temperature in GMCs

Uniform cloud



Adding : Radiation pressure *Draine+11*



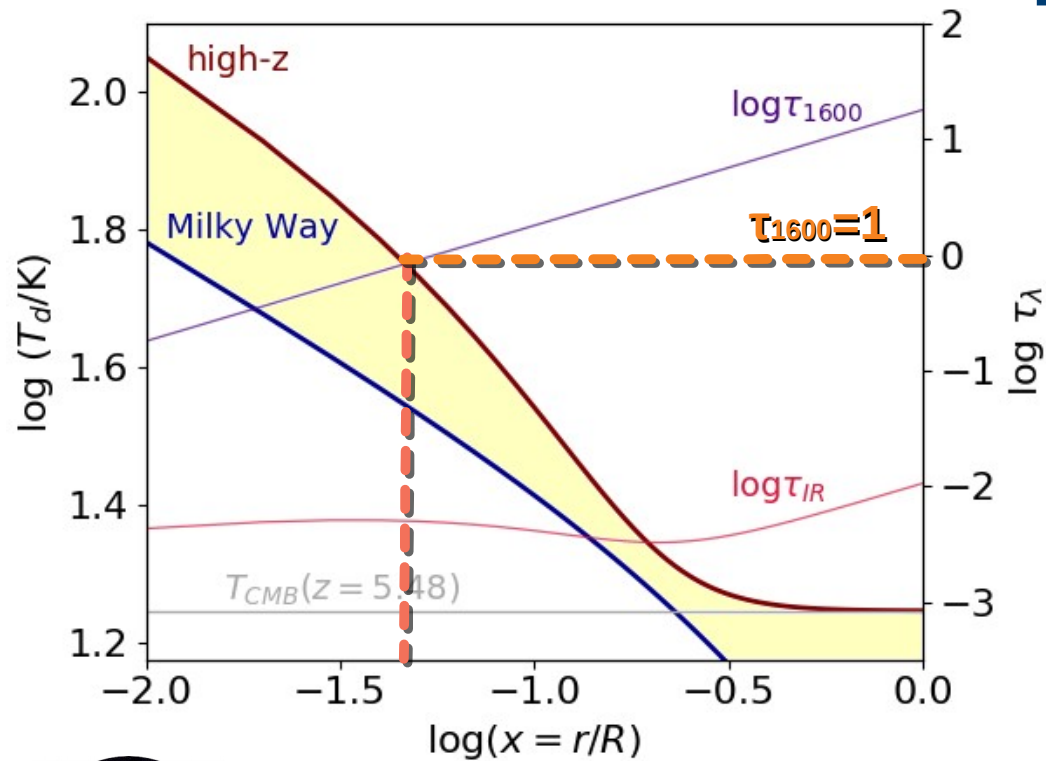
Towards the center of the cloud

(MW grain size distribution: *Weingartner & Draine, 2001*)

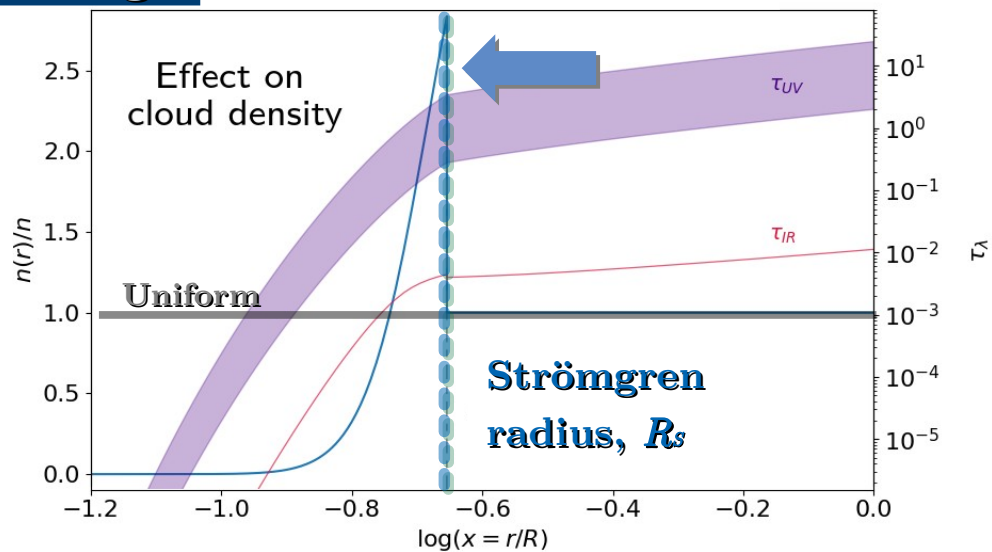
Sommovigo+20

Dust temperature in GMCs

Uniform cloud



Adding : Radiation pressure *Draine+11*



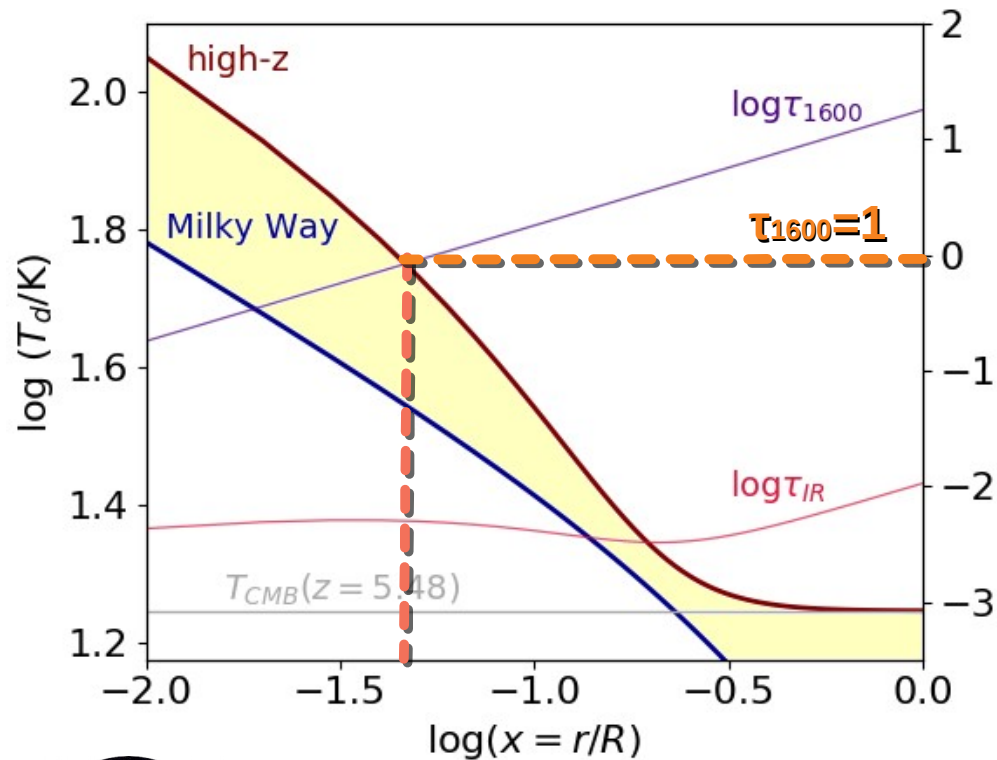
Towards the center of the cloud

(MW grain size distribution: *Weingartner & Draine, 2001*)

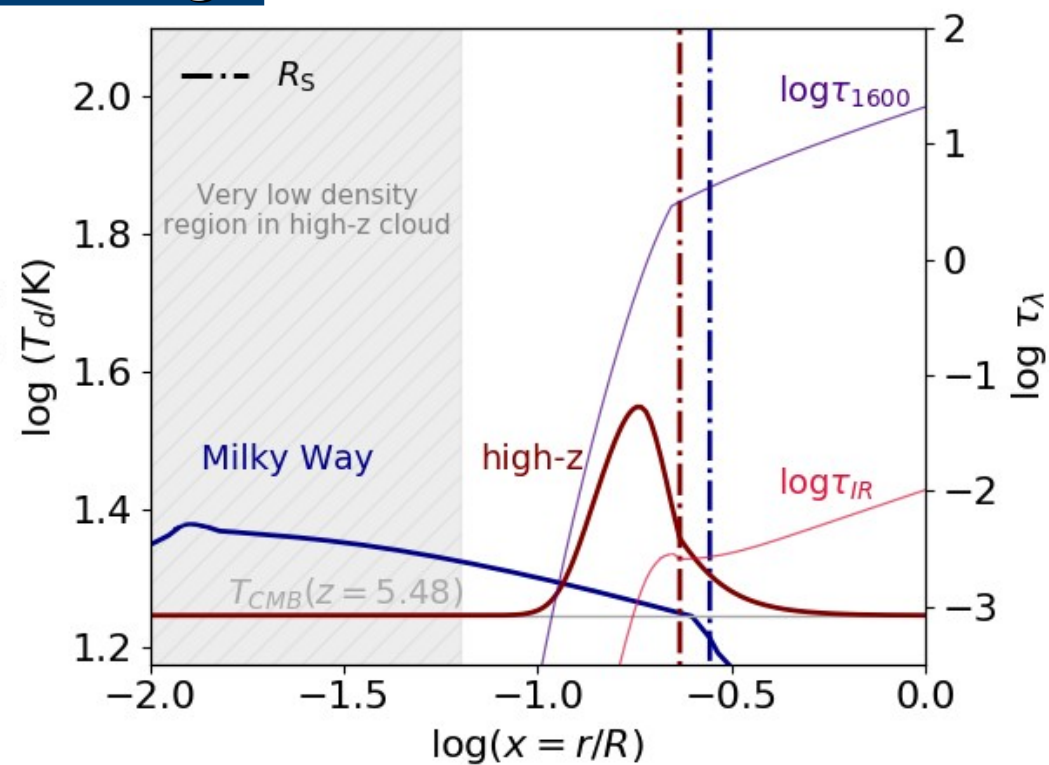
Sommovigo+20

Dust temperature in GMCs

Uniform cloud



Adding : Radiation pressure *Draine+11*



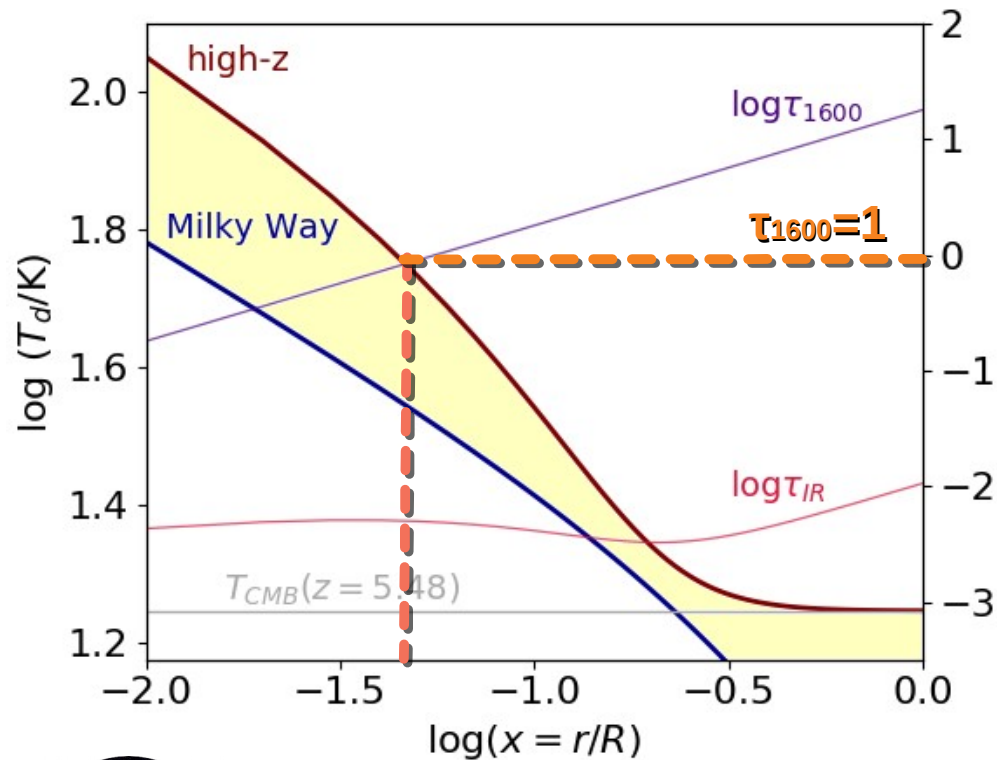
Towards the center of the cloud

(MW grain size distribution: *Weingartner & Draine, 2001*)

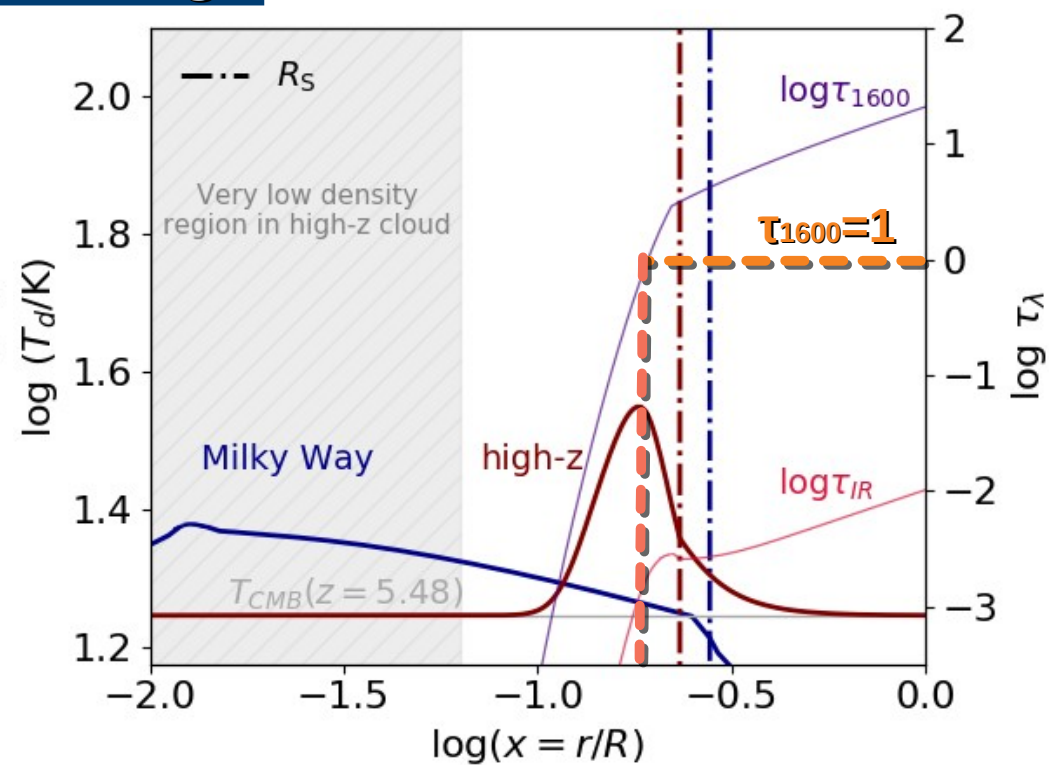
Sommovigo+20

Dust temperature in GMCs

Uniform cloud



Adding : Radiation pressure *Draine+11*



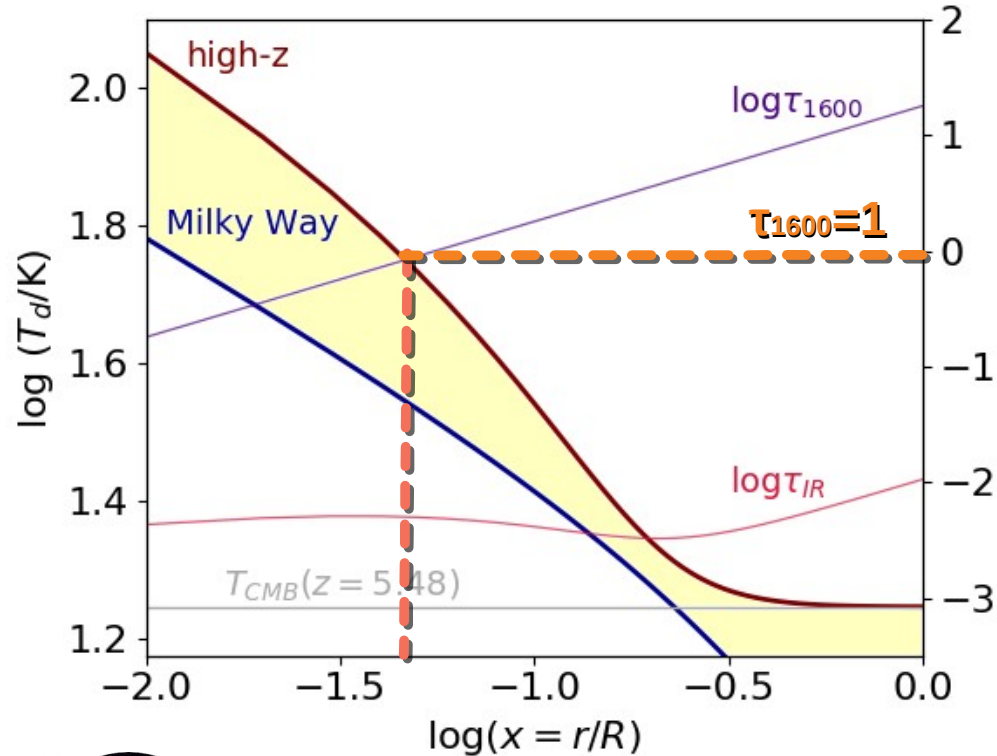
Towards the center of the cloud

(MW grain size distribution: *Weingartner & Draine, 2001*)

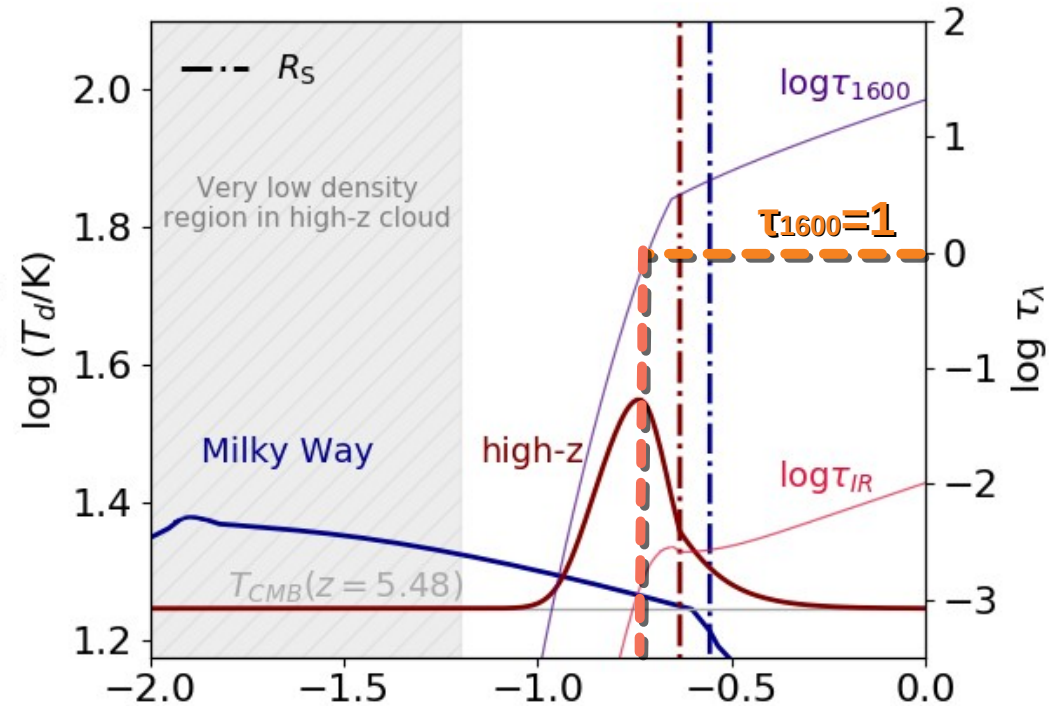
Sommovigo+20

Dust temperature in GMCs

Uniform cloud



Adding : Radiation pressure *Draine+11*



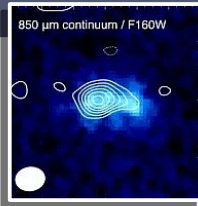
Towards the center of the cloud

(MW grain size distribution: *Weingartner & Draine, 2001*)

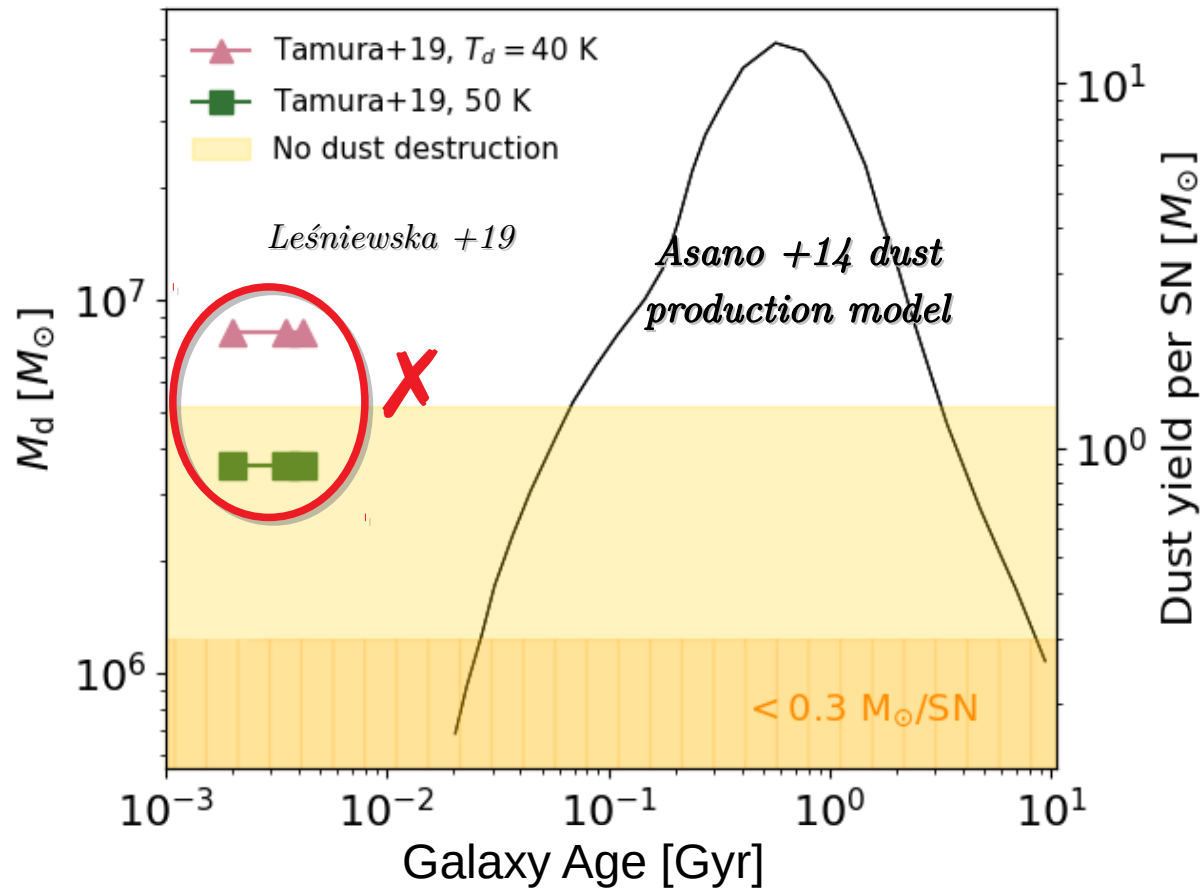
In high-z GMC:

- Dust temperature ~ 60 K in few Myr
- Luminosity-to-gas mass ratio $\sim 10 L_\odot/M_\odot$ (while locally $\sim 1 L_\odot/M_\odot$)

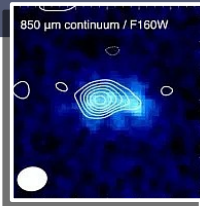
Warm T_d : Implications for the dust mass



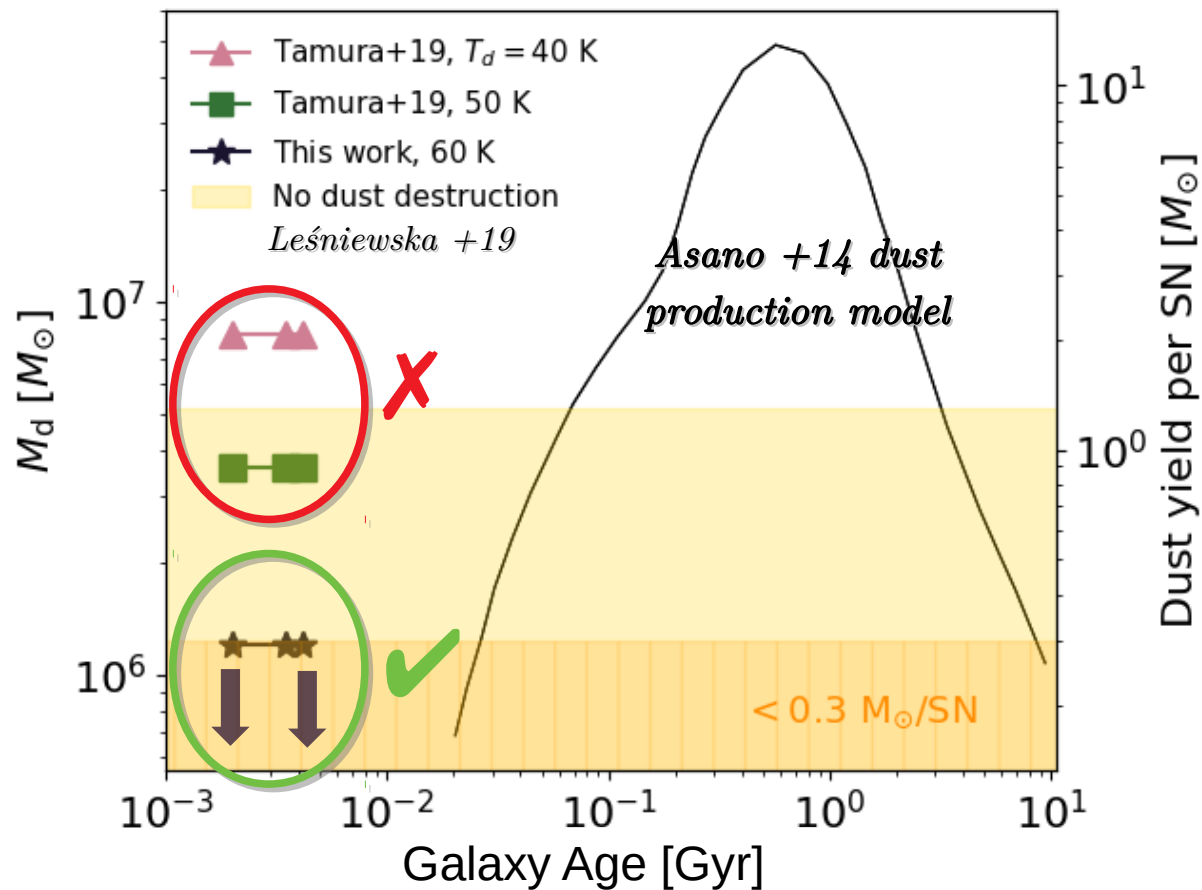
From our model $T_d \gtrsim 60$ K: higher than usually assumed ($T_d = 25$ -35 K)



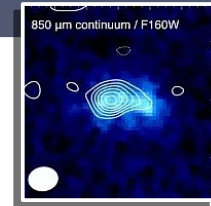
Warm T_d : Implications for the dust mass



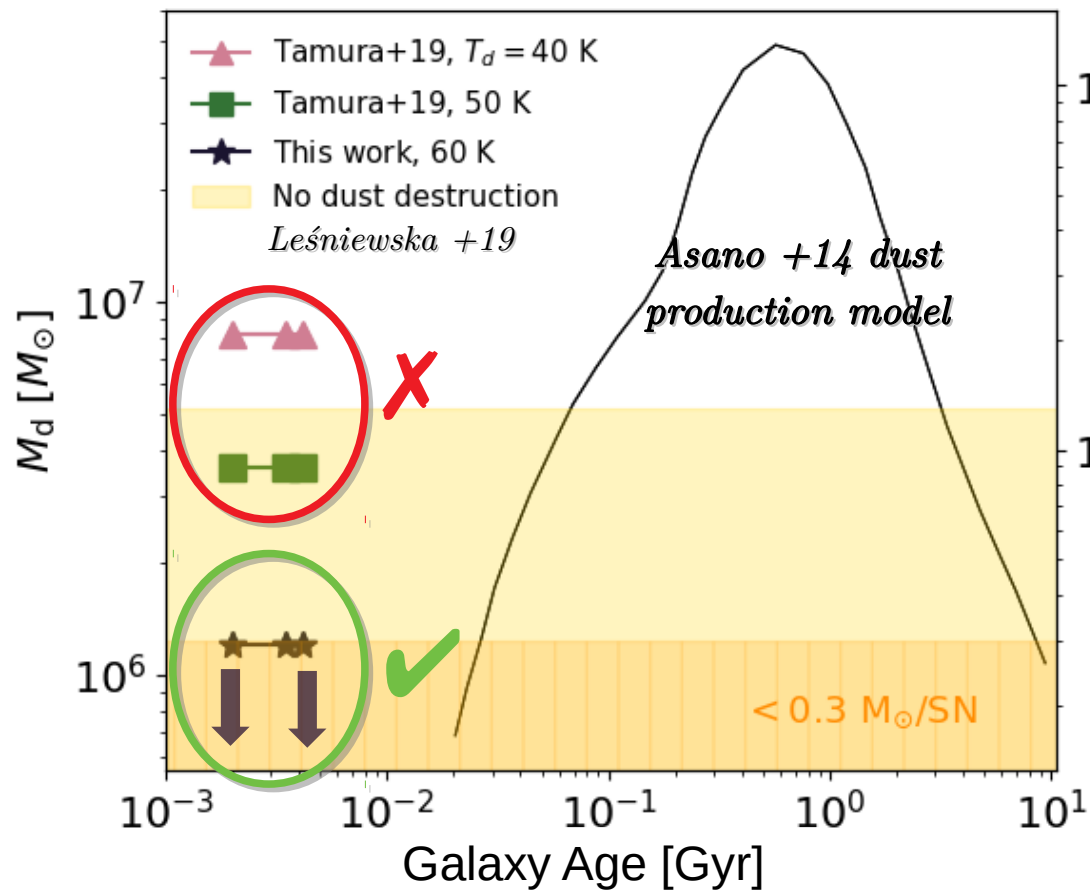
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Warm T_d : Implications for the dust mass

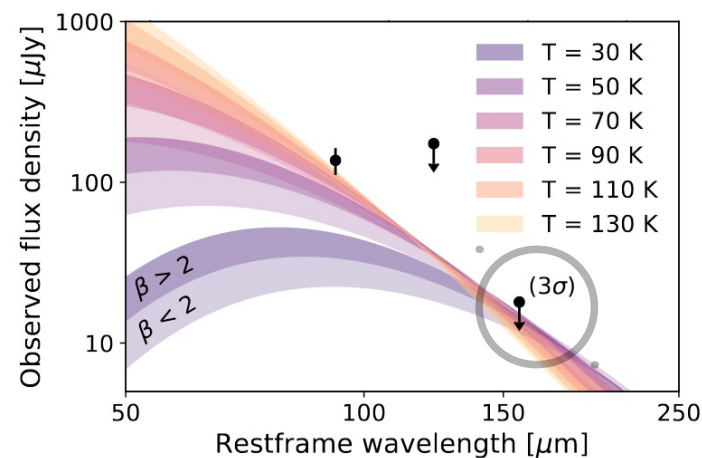


From our model $T_d \gtrsim 60$ K: higher than usually assumed ($T_d = 25-35$ K)

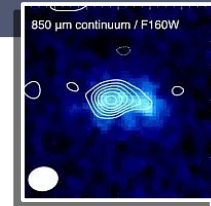


Sommovigo+20

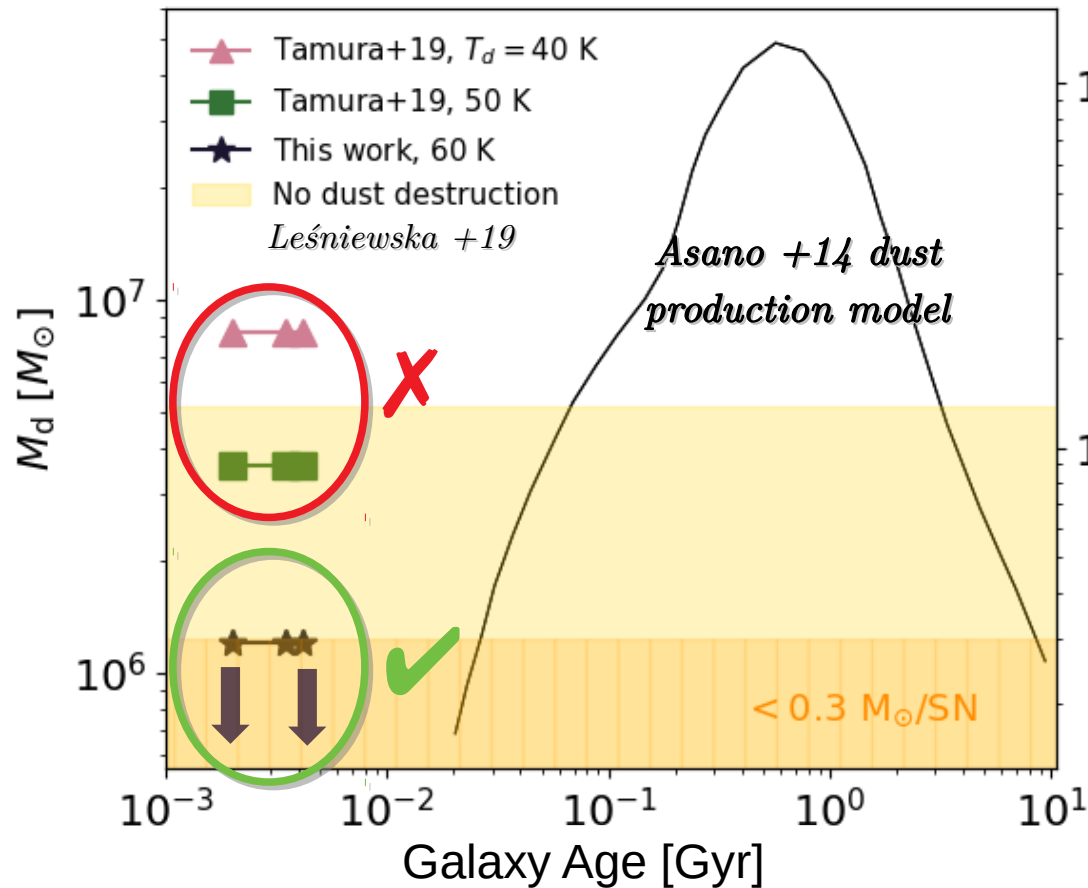
Consistent with latest observations
by *Bakx+20*:



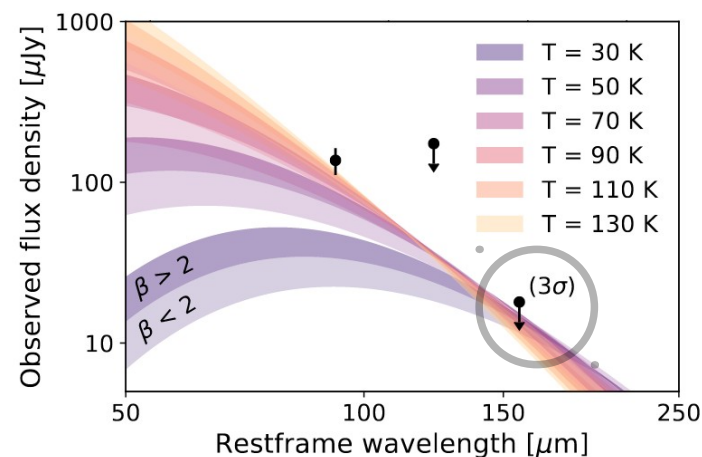
Warm T_d : Implications for the dust mass



From our model $T_d \gtrsim 60$ K: higher than usually assumed ($T_d = 25-35$ K)

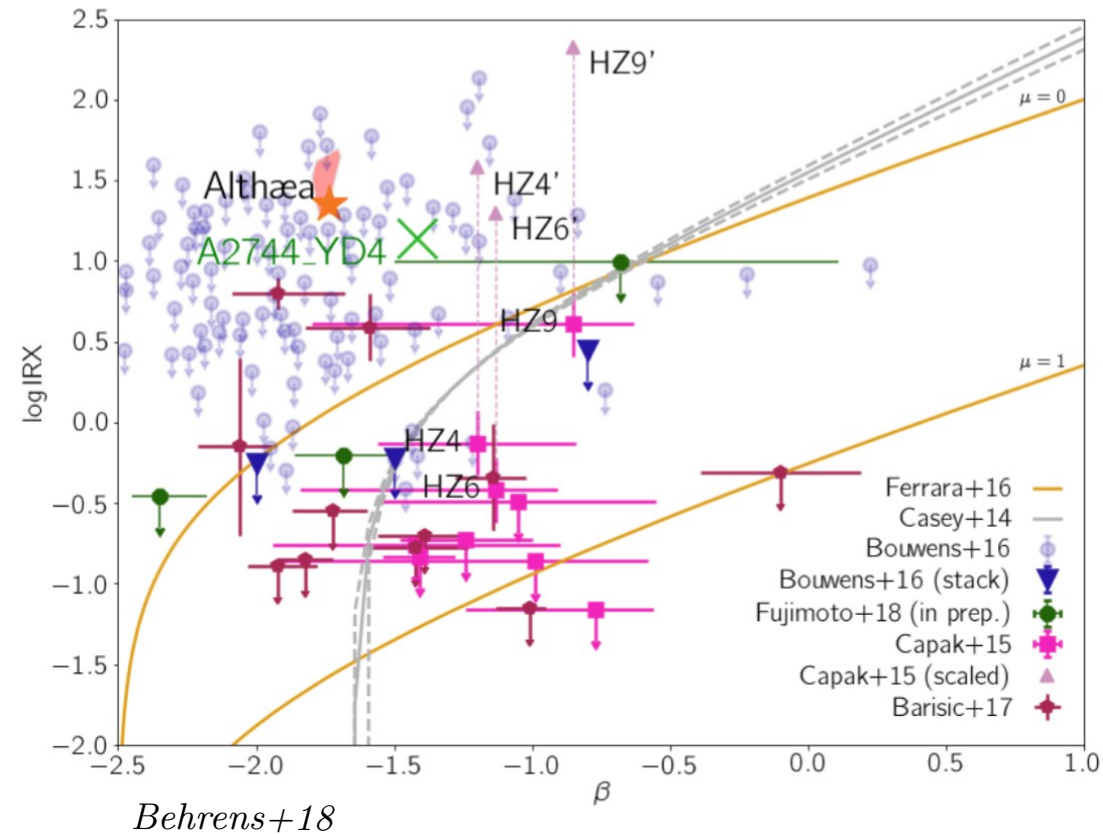


Consistent with latest observations by *Bakx+20*:

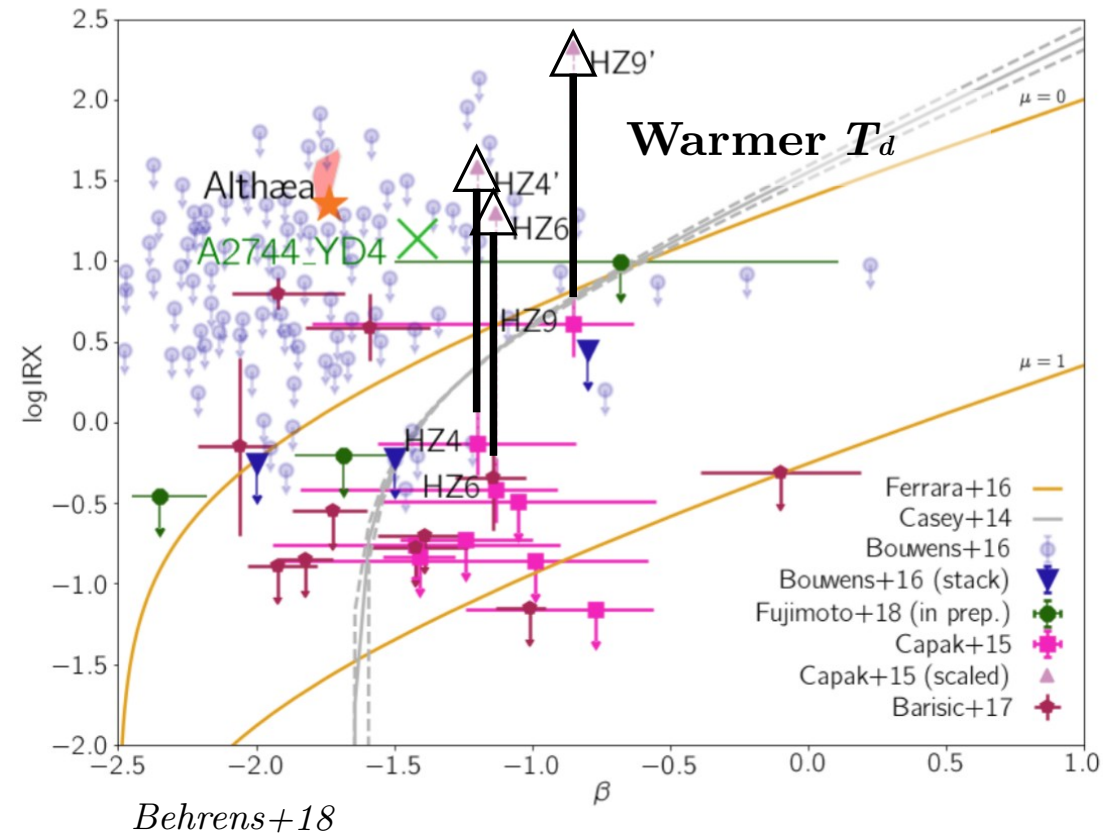


Hotter dust reduces requirements on M_d to produce the observed L_{FIR}

Warm T_d : Implications for the IRX- β relation

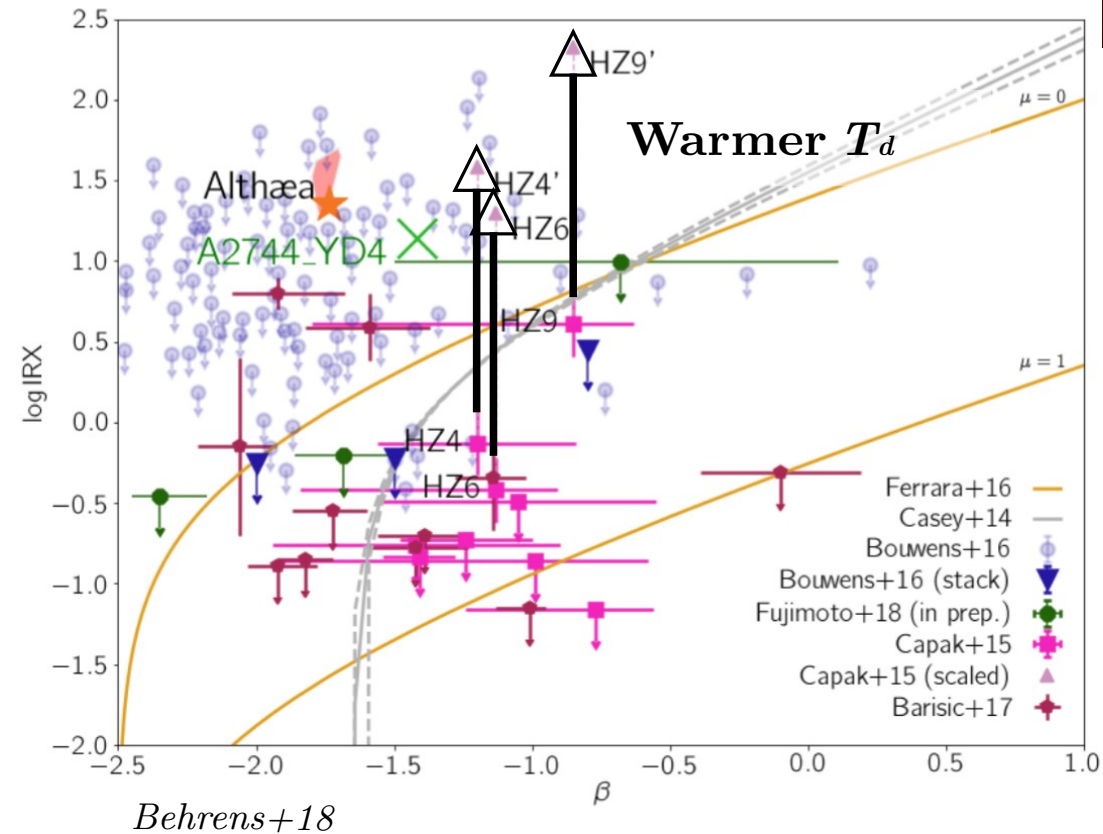


Warm T_d : Implications for the IRX- β relation

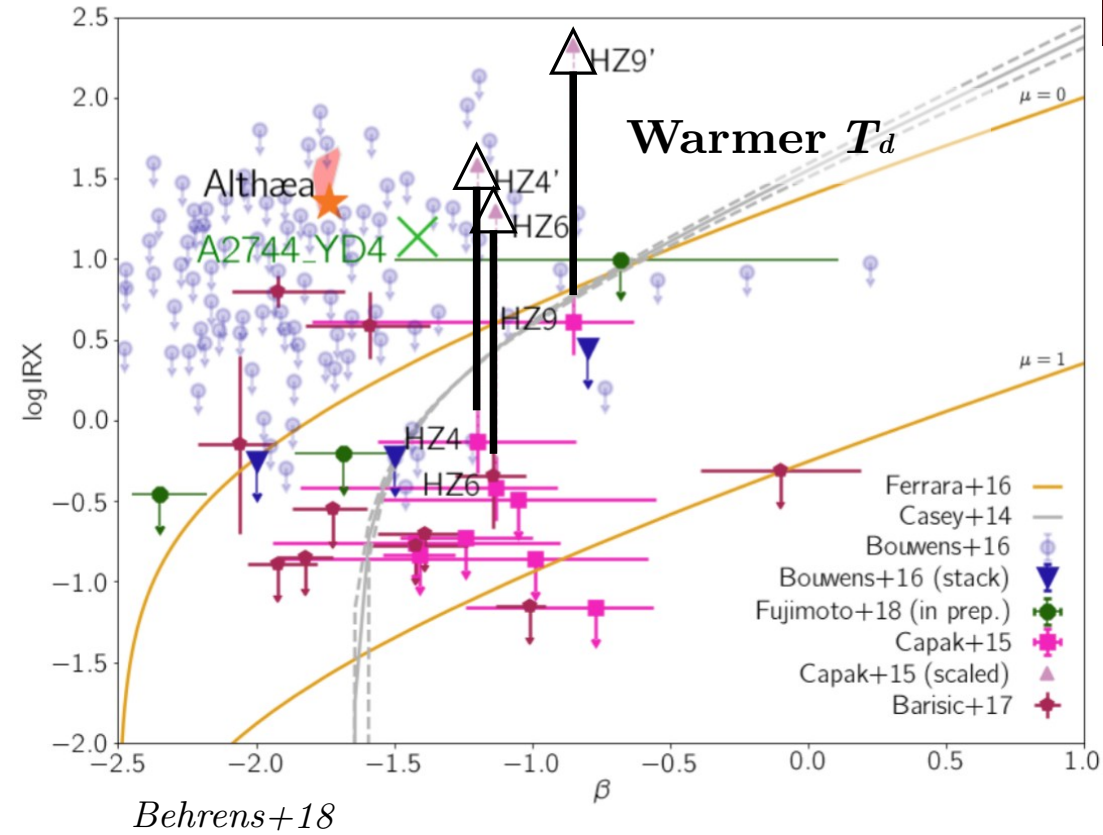


Warm T_d : Implications for the IRX- β relation

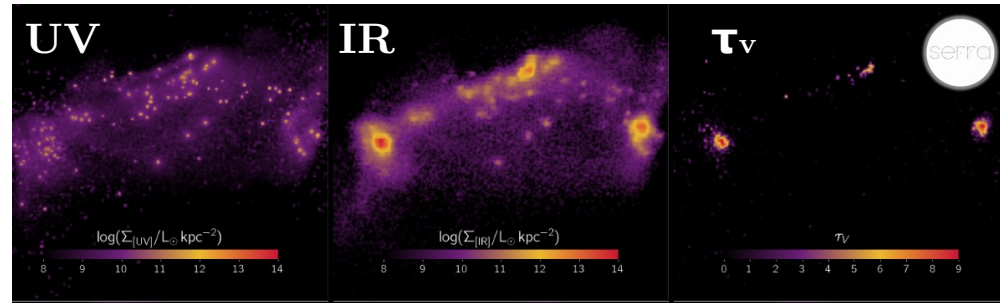
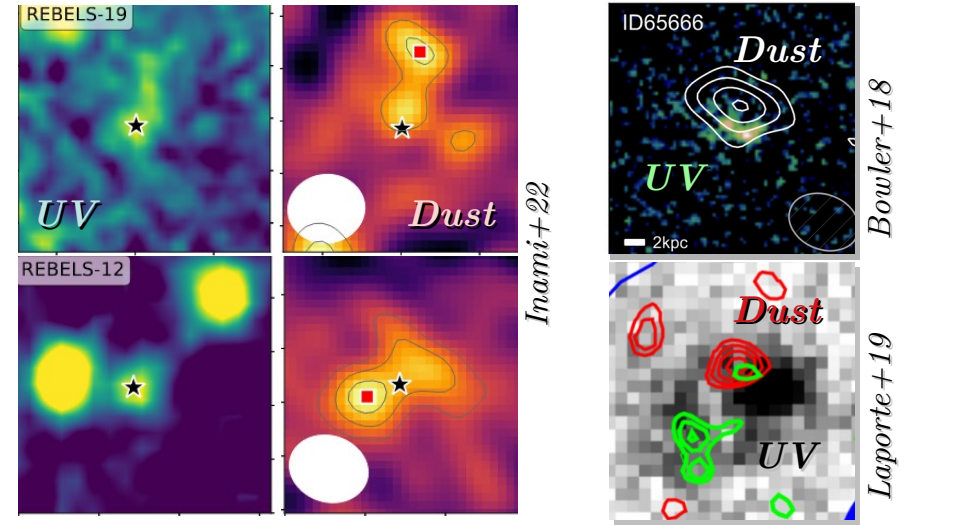
Spatial separation between UV and IR?



Warm T_d : Implications for the IRX- β relation



Spatial separation between UV and IR?



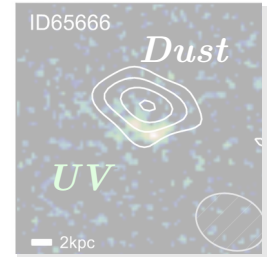
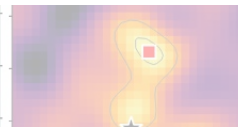
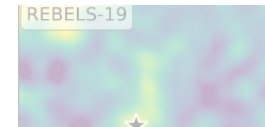
Warm T_d : Implications for the IRX- β relation

Spatial separation between UV and IR?

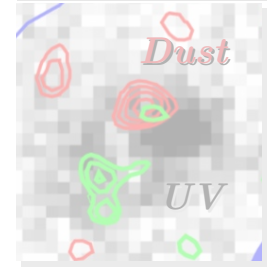
Warmer dust reduces tension between local and high-z IRX- β relation

BUT:

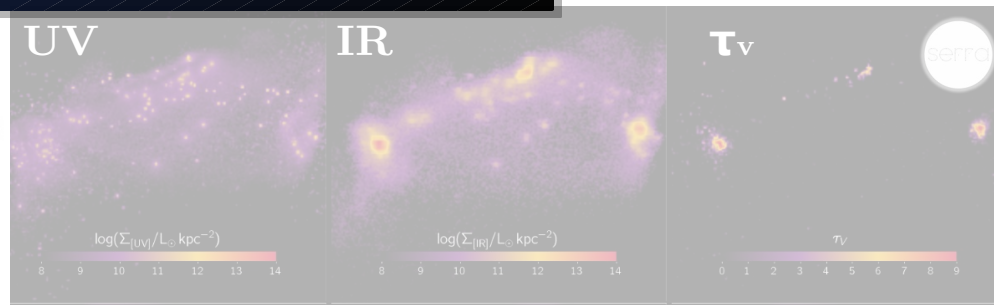
Spatial separation questions the validity of IRX- β relation at high-z



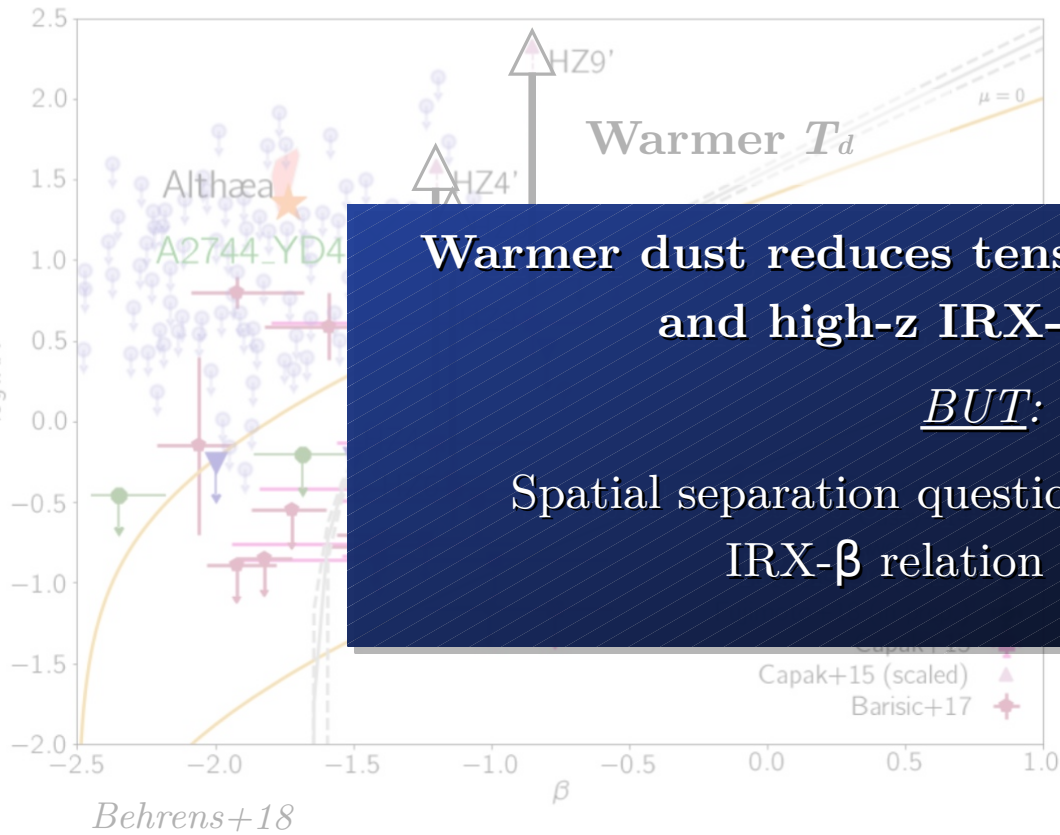
Bowler+18



Laporte+19



Pallottini+22



Warm T_d : Implications for the IRX- β relation

Spatial separation between UV and IR?

Warmer dust reduces tension between local and high-z IRX- β relation

BUT:

Spatial separation questions the validity of IRX- β relation at high-z

